

(3.) Indirect Triples

S.No.	op	arg1	arg2	(1)	(12)
(0)	*	a	.b	(2)	(13)
(1)	+	c	d	(3)	(14)
(2)	+	t	u	(11)	(12)
(3)	=	x		(13)	

Syntax Directed Definitions

The value of an attribute at a parse tree node is defined by a semantic rule associated with the production used at that node.

The value of a synthesized attribute at a node is computed from the values of attributes at the children of that node in the parse tree.

The value^{type} of an inherited attribute is computed from the values^{types} of attributes at the siblings and parent of that node.

$L \rightarrow E$

print(E.Val)

$E \rightarrow E_1 + T$

$E_1.Val + T.Val$

$E \rightarrow T$

$E.Val \rightarrow T.Val$

$T \rightarrow T_1 * F$

$T.Val \rightarrow T_1.Val * F.Val$

$T \rightarrow F$

$T.Val \rightarrow F.Val$

$F \rightarrow (E)$

$F.Val \rightarrow E.Val$

$F \rightarrow \text{digit}$

$F.Val \rightarrow \text{digit.lexVal}$

Syntax Directed Definition
or Attribute grammar

NOTE

NOTE A syntax directed definition that uses only synthesized attributes is said to be S-attributed definition.

$3 * 5 + 4$

(e1)
(e2)

L1

E.Val = 19

V1

b

A parse tree showing
the values of its

E.Val = 15 +

T.Val = 4

attributes is known
as an annotated

T.Val = 15

F.Val = 4

parse tree.

T.Val = 3 *

F.Val = 5

digit.lexVal = 4

F.Val = 3

digit.lexVal = 5

digit.lexVal = 3

Inherited Attributes

$D \rightarrow T L$
 $T \rightarrow \text{int}$

$L.in = T.type$

$T.type = \text{integer}$

$T \rightarrow \text{real}$

$T.type = \text{real}$

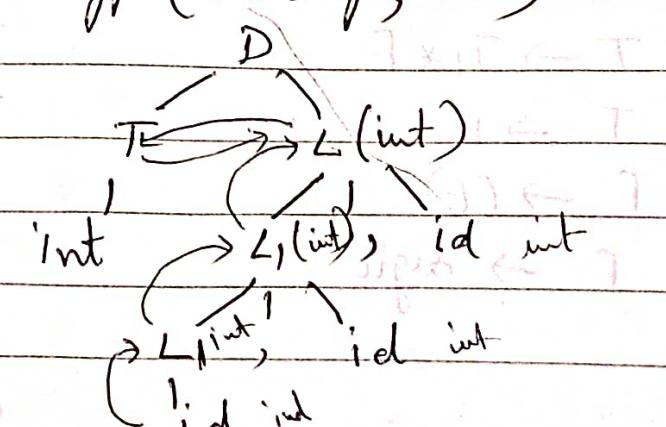
$L \rightarrow L_1, \text{id}$

$L_1.in = L.in \text{ addtype(id-type)}$

$L \rightarrow \text{id}$

$\text{addtype(id-type, L.in)}$

for int id1, id2, id3



Dependency graph The interdependencies among the inherited & synthesized attributes at the nodes in a parse tree can be depicted by a directed graph called dependency graph.

Syntax Trees

$a - 4 + c$ $p_1 = \text{mkleaf}(\text{id}, \text{entry}_a)$

$p_2 = \text{mkleaf}(\text{num}, 4)$, $p_3 = \text{mknode}(-, p_1, p_2)$

$p_4 = \text{mkleaf}(\text{id}, \text{entry}_c)$, $p_5 = \text{mknode}(+, p_3, p_4)$

(Ex) $E \rightarrow E_1 + T$ $E.\text{ptr} = \text{mknode}(+; E_1.\text{ptr}, T.\text{ptr})$

(Ex) $E \rightarrow E_1 - T$ $E_1.\text{ptr} = \text{mknode}(-; E_1.\text{ptr}, T.\text{ptr})$

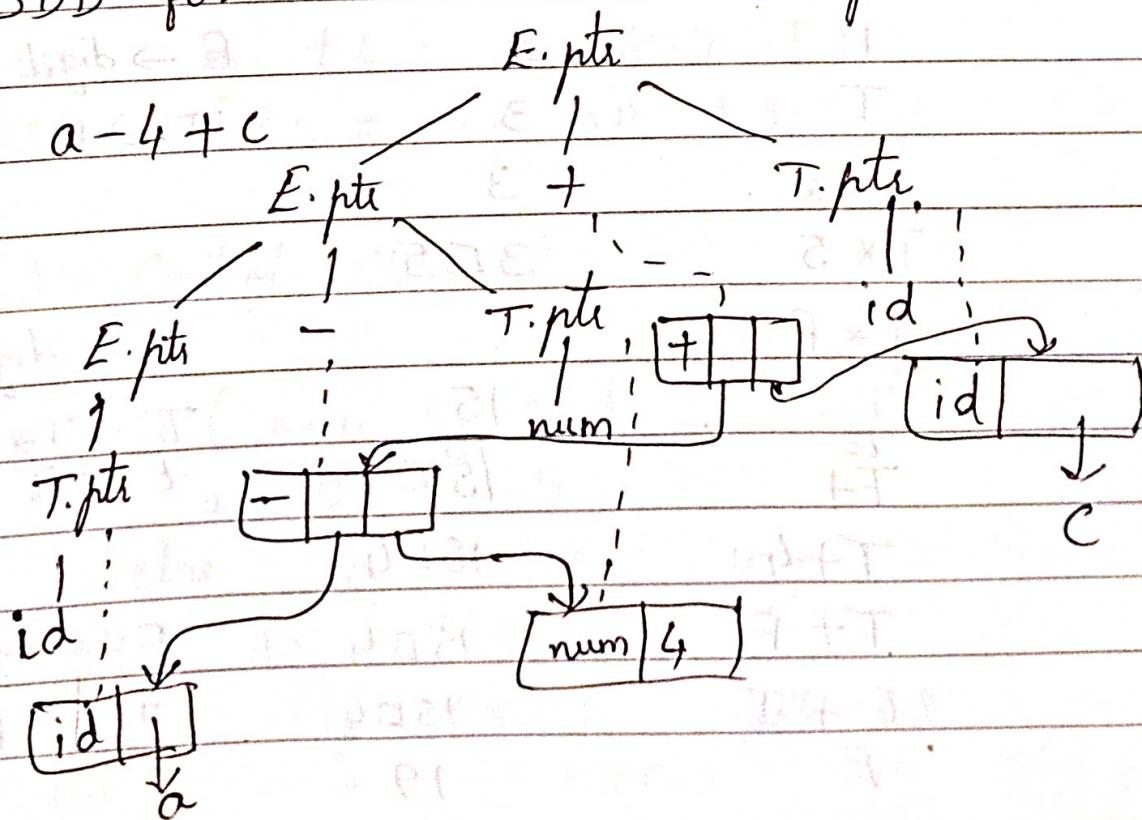
(Ex) $E \rightarrow T$ $E.\text{ptr} = \text{mknode}(T.\text{ptr})$

$T \rightarrow (E)$ $T.\text{ptr} = E.\text{ptr}$

$T \rightarrow \text{id}$ $T.\text{ptr} = \text{mkleaf}(\text{id}, \text{entry}_i)$

$T \rightarrow \text{num}$ $T.\text{ptr} = \text{mkleaf}(\text{num}, \text{Value})$

SDD for CFG to Construct syntax tree.

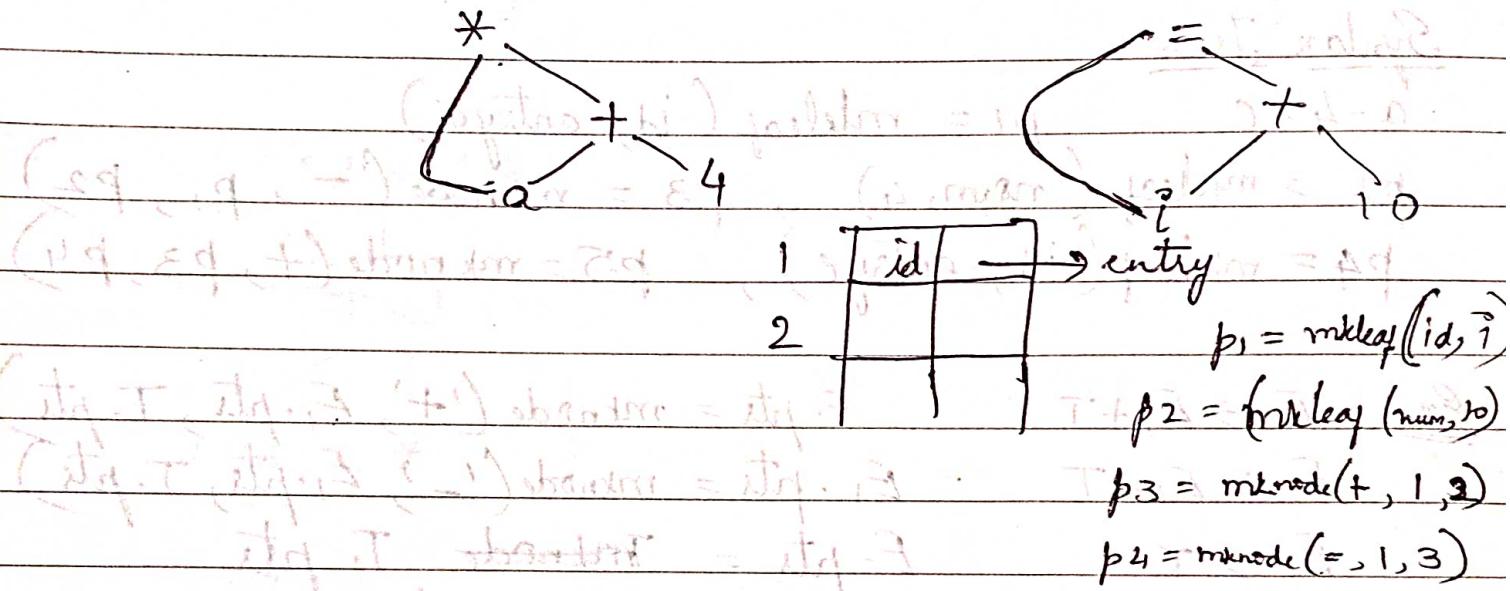


Directed Acyclic Graphs (DAG)

Any node in a DAG representing a common subexpression has more than one parent.

$$a * a + 4$$

$$i = i + 10$$



Bottom up Evaluation of S-attributed Definitions on Parser stack

<u>I/P</u>	<u>bi</u>	<u>State</u>	<u>attr</u>	<u>val</u>	<u>Prod. used</u>
$3 * 5 + 4$					count = T
$* 5 + 4$					count = T
$* 5 + 4$	F			3	$F \rightarrow \text{digit}$
$* 5 + 4$	T			3	$T \rightarrow F$
$5 + 4$	T *			3	
$+ 4$	T * 5			3 □ 5	
$+ 4$	T * F				$F \rightarrow \text{digit}$
$+ 4$	T			15	$T \rightarrow T * F$
$+ 4$	E			15	$E \rightarrow T$
	E +			15 □ 4	
	E + 4			15 □ 4	
	E + F			15 □ 4	$F \rightarrow \text{digit}$
	E + T			15 □ 4	
	E			15 □ 4	$T \rightarrow F$

$$= 100 + 5040 * 4 = 100 + 20160$$

100 + 20160 = 20260.

Type checking

Type expressions

The systematic way of expressing type of language construct is called type expression.

Some type expressions

(1.) array(I, T)

I is array index, T is type

Ex. int a[100] array(100, int)

(2.) structure

struct (membername type) X (member name type) X ...

Ex. struct stud

{ float arg;

float arg;

Ex. struct student { (a);
float arg; }
Ex. struct ((name & array (10, char)) X float(arg float))

TE for student is array (stud) $(10, \text{stud})$

(3.) Pointer

Pointer (float)

Ex. float * p; TE for p is pointer (float)

(4.) Functions

Domain \rightarrow Range is the TE for functions.

(or) Parameters \rightarrow Return Type

Ex. int sum(int a, int b)

TE for sum is int \times int \rightarrow int

Ex. int max(int a, int b, float *c)

TE for max is int \times int \times pointer (float) \rightarrow int

Type conversions

Implicit type conversion or coercion, no loss of info.

i.e., from int to float (done by compiler)

Explicit type conversion, should be done by user.

$E \rightarrow E_1 \text{ op } E_2$

$E.\text{type} = \begin{cases} \text{if } E_1.\text{type} = \text{int} \& E_2.\text{type} = \text{int} \\ \text{then int} \end{cases}$

$= \begin{cases} \text{if } E_1.\text{type} = \text{int} \\ \text{then float} \end{cases}$

$= \begin{cases} \text{if } E_1 = \text{float} \\ \text{then int} \end{cases}$

$= \begin{cases} \text{if } E_1 = \text{float} \\ \text{then float} \end{cases}$

float

Type checker Type checker is a translation scheme in which the type of each expression from the types of its sub-expressions.

Type checking of Expressions

$E \rightarrow \text{literal} \quad \{ E.\text{type} = \text{char} \}$

$E \rightarrow \text{digit} \quad \{ E.\text{type} = \text{int} \}$

$E \rightarrow \text{id} \quad \{ E.\text{type} = \text{lookup(id.entry)} \}$

$E \rightarrow E_1 \text{ mod } E_2 \quad \{ E.\text{type} = \text{int if } E_1.\text{type} = \text{int} \& E_2.\text{type} = \text{int} \}$

$E \rightarrow \text{if } E_1 \text{ then } E_2 \text{ else } E_3 \quad \{ E.\text{type} = \text{int if } E_1.\text{type} = \text{int} \& E_2.\text{type} = \text{int} \& E_3.\text{type} = \text{int} \}$

$E \rightarrow E_1 \text{ op } E_2 \quad \{ E.\text{type} = \text{if } E_1.\text{type} = \text{int} \& E_2.\text{type} = \text{int} \text{ then int}$
else type error

In place of op we can use $+$, $-$, $*$, $/$, $\%$.

Array reference

$E \rightarrow E_1 [E_2] \quad \{ E.\text{type} = \text{if } E_2.\text{type} = \text{int} \& E_1.\text{type} = \text{array(range, t)} \text{ then } t \text{ else type - error} \}$

Pointer

$E \rightarrow *E_1 \quad \{ E.\text{type} = \text{if } E_1.\text{type} = \text{pointer(t)} \text{ then } t \text{ else type error} \}$

V - tain

Function Call

$E \rightarrow E_1(E_2)$ {if E_1 .type = $s \rightarrow t$ then t else type error}

Equivalence of Type Expressions

Any two exprs are said to be equivalent if they have same basic type or formed by applying the same constructor.

Ex $\text{char} * S_1$ & $\text{char} * S_2$ are equivalent

$\text{char} * S_2$ as both have same basic type.

Ex $\text{char} * S_1$ pointer(char) S_1 & S_2 are equivalent

$\text{char} * S_2$ pointer(char) as same constructor is applied

Alg for Equivalence

struct-eq(x, y)

{ if x & y have same basic type

then return true else if ($x = \text{array}(x_1, x_2)$ & $y = \text{array}(y_1, y_2)$)

then return (struct-eq(x_1, y_1) & struct-eq(x_2, y_2))

else if $x = \text{pointer}(x_1)$ & $y = \text{pointer}(y_1)$

then return struct-eq(x_1, y_1)

else if $x = x_1 \rightarrow x_2$ & $y = y_1 \rightarrow y_2$

then return (struct-eq(x_1, y_1) & struct-eq(x_2, y_2))

else return false }

Unit - V

Symbol Table It stores inf. about scope, binding, type, value etc of about names (identifiers)

Attributes of Symbol Table

Variable names, constants, Data Types, compiler generated temporaries, Function names, Parameter names, Scope inf.

Ordered Symbol Table

Here, entries of variables is made in alphabetical order. Searching of particular variable is efficient.

Insertion - Difficult, Searching - easy

Unordered Symbol Table

Whenever a variable is encountered, then its entry is made in symbol table without any ordered manner.

Insertion - easy, Searching - Difficult

Name Representation

(i.) Fixed length Name

A fixed space for each name is allocated in symbol table.

Disadv: wastage of space.

LC Type Value Value is nothing but name

100 2 sum

101 2 avg

Name	a	v	g	s	u	m

(2) Variable Length Name

The amount of space required to store the names is stored i.e., starting index & length of each name.

starting index	length
0	4
4	4
8	4
12	7

0 1 2 3 4 5 6 7

a v q \$ s u m \$

Data Structures used in Symbol Table (SymbolTable Mgmt)

From which "available" works - (smallest) \rightarrow = initialized (ii)

- i) Linear List
 - (i) New names can be added as they enter via \rightarrow alive.
 - (ii) "Available" pointer specifies that there is \rightarrow Name \rightarrow Info2 info.
 - (iii) To search for an item we start from beginning.
 - (iv) while inserting we should ensure that it should not be already there.

3) Binary Trees

main about Allocations (e)

Left child	Symbol	Info.	Right child
------------	--------	-------	-------------

Symbol field is used to store the name of the symbol.

Inf. field is used "inf. about" "inf."

Left child field stores the add. of prev. symbol.

At Right child "next" "

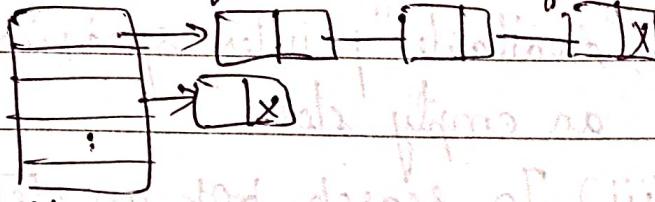
Efficient but requires more space.

4) Hash Tables

(i) Two tables (hash & symbol) are used.

(ii) position = h (Name) Now, "position" gives the exact position of the name in symbol table.

(iii) Very quick search, but more space is required & hash function calculation is also complicated.



Storage Allocation Strategies

(3.) Data structures cannot be created.	(3.) DS & Data objects can be created dynamically.	"
(4.) Simple & Fast	(4.) complex & slow	(4.) complex & fast, efficient
(5.) Recursive procedures are not supported.	(5.) Supports recursive procedure calls.	"

Activation Record

It is the inf. stored in mem. for execution of a single procedure.

Temporaries : All the temp. variables generated by the compiler.

Local variables : All the variables that are local to the procedure.

Saved m/c status : Before the procedure is called some control inf. should be stored in the reg.

Access link (Optional) : It refers to non local data in other activation records.

Control link (Optional) : It points to the activation rec. of the calling procedure.

Actual Parameters : It holds the values of actual parameters.

Return Value : It stores the result of the procedure call.

Return Value
Actual Parameters
control link
Access link
Saved m/c status
Local Variables
Temporaries

```

Ex. main()
{
    {
        x = sum(2, 3);
    }
    sum(a, b)
    {
        c = a + b;
        ret c, a + b;
    }
}

```

Ex. Factorial

```

main()
{
    int f;
    f = fact(3);
}

int fact(int n)
{
    if (n == 1)
        return 1;
    else return (n * fact(n - 1));
}

```

```

main()
{
    sum(2, 3);
}
sum(a, b)
{
    c = a + b;
    display(c);
}

```

AR for main

AR for fact(3)

AR for fact(2)

AR for fact(1)

RetValue	6
Parameter	3
Control	Accesslink
RetValue	2
Parameter	2
Control	Accesslink
Ret Val.	1
Parameters	1
Control	Accesslink

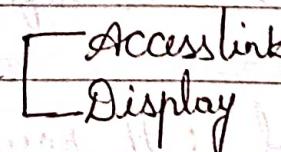
Variable length data :

If any arrays are present in procedures, then the activation record consists of only pointers to these arrays. The arrays are stored after the AR.

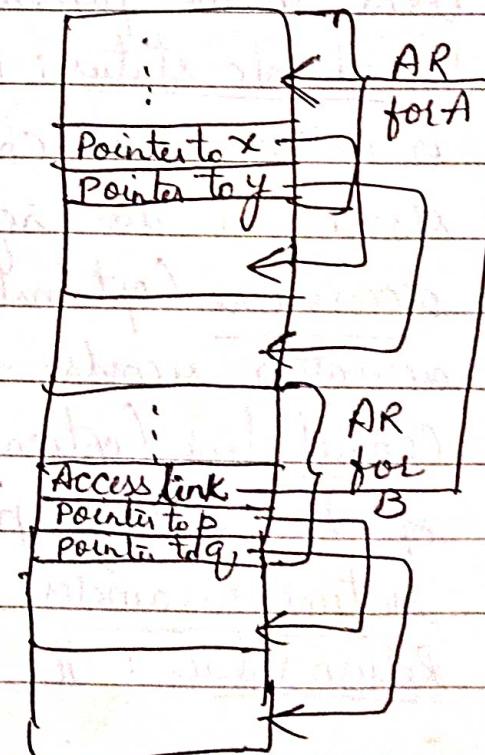
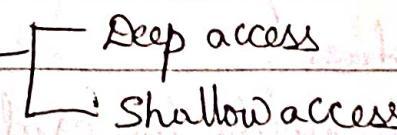
Ex. A has arrays x & y & A calls B.
B has 2 arrays p & q.

Access to Non Local Names

(1.) Static scope or lexical scope



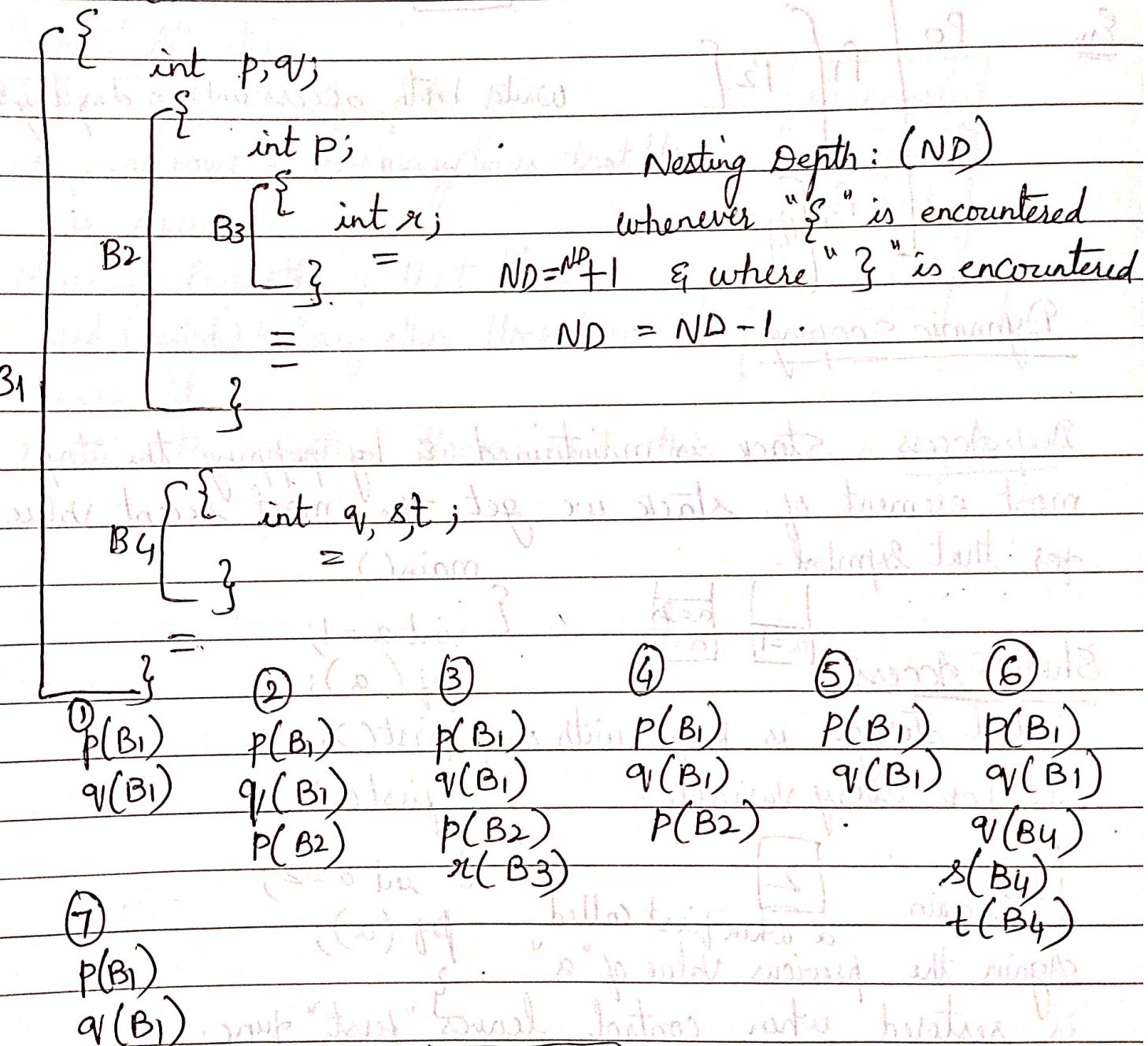
(2.) Dynamic scope



Static scope

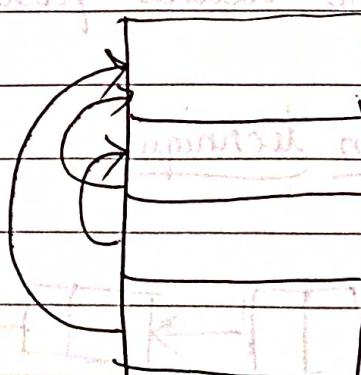
Set of instr. enclosed within {} are known as block.

Ex()



(1) Access Link

- Disadv: If ND is large, we have to follow long chains of links to reach the data we need.



AR for
Ex.

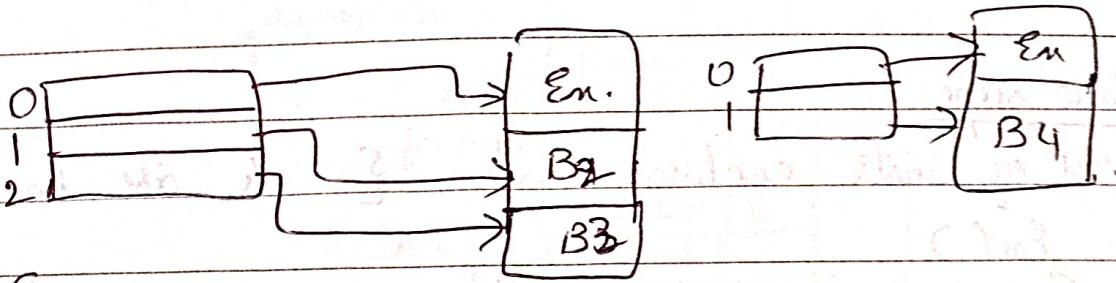
AR for B₂

AR for B₃

AR for B₄

An auxiliary array "d" is used in Display.

2. Display



Write both access links & displays.

En. P0

P1 [P2 [

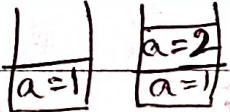
P3 [P4 [

Dynamic Scoping

Deep Access Stack is maintained & by popping the top most element of stack we get the most recent value for that symbol.

main()

Shallow Access



{ int a=1;
 printf(a);

Central storage is kept with one, first(); slot for every variable.

first()

[1]

[2]

a in main

a when first called

{ int a=2;
 printf(a);

Again the previous value of "a" is restored when control leaves "first" func.

Dynamic storage Allocation techniques

(1.) Explicit Allocation

Available



free list

DATA STRUCTURE (300) IV - TIME

De Allocating mem. means free list gets appended.

Allocating mem. means we use free list.

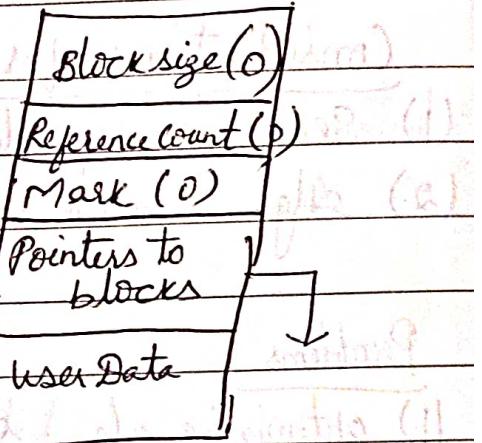
Implicit Allocation

Block size — size of the block

Reference count — How many times that block is referred.

Mark — Presently if that block is used (called) by any other block then mark it.

Pointers to all other blocks that this block is referring.



UNIT - VI

CODE OPTIMIZATION

Code optimization Advantages (CO)

- (1.) To produce efficient object code.
- (2.) Faster execution of source prog. (by making minor modifications)

Considerations for CO

- (1.) Semantic equivalence should not be changed.
- (2.) Alg. should not be changed.

Problems

- (1.) Optimizing alg. should be efficient enough such that the target code should not become time & space inefficient.
- (2.) Design of intermediate code must be simple enough to optimize the code.

CO

① M/c Dependent opt.

② M/c Independent opt.

- ① Based on char. of target m/c for instr. set & addressing modes.
- ② Based on char. of prog. lang.

Folding The computation of constant is done at compile time instead of execution time.

Ex: $a = (17/4) * x$

Evaluates ↑ at compile time rather than execution time.

~~$x[i] = 5$~~ \leftarrow ~~($i = i + 1$) of $x[i] = 5 + [i]$ is [9].~~

~~$i = i + 1$~~ \leftarrow ~~$i = i + 1$~~

constant Propagation The value of the variable is replaced & computation of expr. is done at compilation time.

Ex. $a = 5; \pi = 3.14; area = \pi * a * a;$

Common Sub-Expression Elimination

An. exps. which is computed previously can be eliminated.

Ex. $t_1 = 4 * i$
 $t_2 = a[t_1]$

$t_3 = 4 * j$

$t_4 = 4 * i$ — can be eliminated.

$t_5 = n;$

$t_6 = b[t_4] + t_5$

Variable Propagation No need of using 2 variables for one value.

$x = pi; pi = 3.14; a = pi * x * 91 * x;$

It can be written as $a = pi * x * x;$

Code Movement

We can move some code out of loop so as to reduce time & space.

Ex. $\text{for}(i=0; i<10; i++)$ $\text{for}(i=0; i<10; i++)$

{ $x = y * 5;$ } \Rightarrow {

$K = (y * 5) + 10;$

$j = y * 5;$

$\text{for}(i=0; i<10; i++)$

$x = j * i;$
 $K = j + 10;$

Loop Invariant for($i = 1; i < 100; i++$)
 $\{ a[i] = b[i] + i + t * 5/x; \} \Rightarrow \{ a[i] = b[i] + i + t * 5/x; \}$

Loop Invariant Method

Ex. while ($i \leq \max - 1$)

$$\{ \quad \quad \quad \}$$

Code Movement

$$n = \max - 1;$$

\Rightarrow while ($i \leq n$)

$$\{ \quad \quad \quad \}$$

Loop Invariant & Code Movement are same known as Loop Invariant Code Motion

Strength Reduction & Induction Variable elimination

Higher strength operators can be replaced by lower strength operators. $*$ by $+$ & $/$ by $-$.

Ex. for($i = 1; i < 10; i++$)

$$\{ c = i * 7; \Rightarrow \{ c = t; \quad t = t + 7; \}$$

Here "t" is induction variable. $\neq V \pm \text{constant}$

Dead code Elimination

A variable is said to be dead if the value in it is never used. We can eliminate such code.

Ex. $i = 2;$

$$\boxed{j = i;}$$

$$x = i + 10;$$

Ex.

$$i = 1;$$

$$\boxed{\text{if } (i == 0)}$$

$$\{ \quad \quad \quad \}$$

Loop optimization

If no. of instr. are less in inner loop then the running time of the prog. will get decreased drastically.

Loop optimization techniques:
Code Motion, Strength Reduction, Loop invariant, Induction Variables
Loop unrolling & Loop fusion

Loop unrolling

No. of tests & jumps can be reduced by writing the code two times.

Ex. $\text{int } i=1;$ $\text{int } i=1;$
 $\text{while } (i \leq 100)$ $\text{while } (i \leq 100)$
{ {
 $a[i] = b[i];$ $a[i] = b[i];$
 $i++;$ $i++;$
}

Loop Fusion

Several Loops are merged to one loop.

Ex. $\text{for } i=1 \text{ to } n \text{ do}$ $\text{for } (i=1; i \leq n * m; i++)$
 $\text{for } j=1 \text{ to } m \text{ do} \Rightarrow$ $a[i] = 10;$
 $a[i, j] = 10;$

Leader (Rules to find Leader)

- (1.) The 1st stmt is a leader.
- (2.) Any conditional or unconditional goto's target stmt is a leader.
- (3.) Any stmt. that immediately follows a ^{goto} condition is a leader.

Rules for partitioning into Blocks

(1) Identify leaders.

(2) Basic block is formed starting at the leader stmt. & ending just before the next ladder stmt.

Ex. $s = 0;$

$i = 1;$

do

{ $s = s + i * a[i] * b[i];$

$i = i + 1;$

} while ($i \leq 10;$)

TAC is $a[i]d = i$

1. $s = 0$

2. $i = 1$

3. $t_1 = 4 * i$

4. $t_2 = a[t_1]$

5. $t_3 = 4 * i$

6. $t_4 = b[t_3]$

7. $t_5 = t_2 * t_4$

8. $s = s + t_5$

9. $i = i + 1$

10. if $i \leq 10$ goto 3.

B₁

$s = 0$
$i = 1$

B₂

$t_1 = 4 * i$
$t_2 = a[t_1]$
$t_3 = 4 * i$
$t_4 = b[t_3]$
$t_5 = t_2 * t_4$
if $i \leq 10$ goto B ₂

Induction Variables

$P=1$ for ()

i & t_1 are in block state.

{ $i = i + 1$

$t_1 = 4 * i$

So, they are called induction variables.

$i=1;$

Ex:

drubf

Multibit assignments p. 201 (8)

$$t_1 = \text{drubf} \cdot 4 \times i$$

for ($i = 1$) to 10

{
 $i = i + 1$ using substitution algorthm (ii)

$$t_1 = t_1 + 4$$

}

$$i + 1 \leftarrow i + 1$$

Optimization of Basic Blocks

(1.) Structure Preserving transformation

(2.) use of algebraic identities

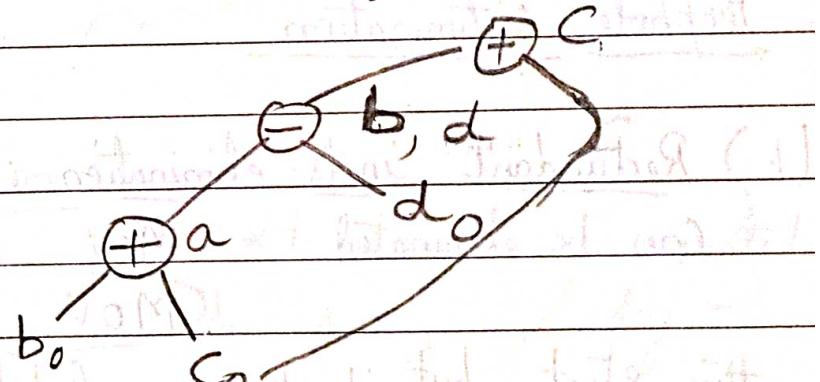
(1.) Structure Preserving transformations can be carried out by applying common sub expr. elimination, dead code elimination, variable & constant propagation, code motion.

$$\text{Ex: } a = b + c$$

$$b = a - d$$

$$c = b + c$$

$$d = a - d$$



Here, $b + c$ & $a - d$

are common sub expr. but we cannot eliminate
 $a = b + c$ or $c = b + c$ bcoz initially $a = b + c$
then b is changed as $b = a - d$ then $c = b + c$
are computed. So, they cant be eliminated, whereas
 $b = a - d$ is computed and a or d is not
changed later, so we can eliminate $d = a - d$.

(2) use of algebraic identities

(i) Some algebraic identities can be used as

$$a+0=a, a*1=a, a/1=a$$

(ii) strength reduction tech. can be applied to obtain algebraic transformation.

$$2*a \Rightarrow a+a$$

$$a/2 \Rightarrow a*0.5$$

(iii) constant folding

$$o = 2 * 5.4 \Rightarrow a = 10.8$$

(iv) Subexp. elimination

$$x = y * z \Rightarrow x = y * z$$

$$t = z * x * y \Rightarrow t = x * z$$

Peephole optimization

(1) Redundant instr. elimination : Redundant loads & stores

can be eliminated.

MOV R0, X

MOV X, R0 we can eliminate

this stmt, but if it is a label stmt. then we cannot eliminate it.

Ex. s = 0 Ex. int fun = (int a, int b)

if(s)

{

s =

}

return c;

}

pf("%.d", c);

}

TIV - Elimination

(2.) Flow of control optimization
unnecessary jumps or jumps can be eliminated.

goto f1 \Rightarrow goto L1

\equiv f1: goto L1

f1: goto L1

L1: =

L1: =

if ($a < b$) goto L1

if ($a < b$) goto L2

L1: goto L2

L1: if ($a < b$) goto L2

L2: =

(3.) Algebraic simplification

$$x = x + 0$$

or $x = x * 1$ can be eliminated

(4.) Strength Reduction

* by +, / by /, by -

(5.) Machine idioms

Increment or Decrement instr. to implement certain operations.

$$i = i + 1 \Rightarrow \text{INC } i$$

Unit - VII

Data Flow Analysis

Flowgraph It is a directed graph in which

- (i) the nodes to the flow graph are basic blocks.
- (ii) The block whose leader is the 1st stmt is initial block.

- (iii) There is edge from B_1 to B_2 if B_2 immediately follows B_1 in the given sequence.

Dominators

In a flow graph, d is said to dominate n if every path to node n from initial node goes through d only.

$(d \text{ dom } n)$

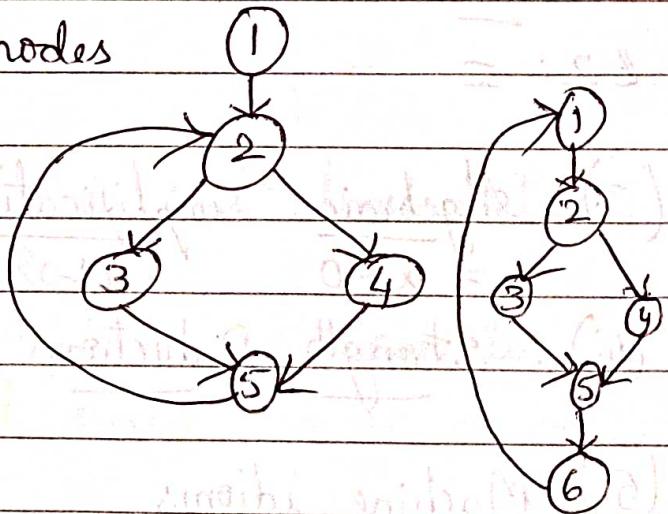
1 dominates all the other nodes

2 dominates 3, 4, 5.

3 dominates 5

4 dominates 5

5 dominates none.



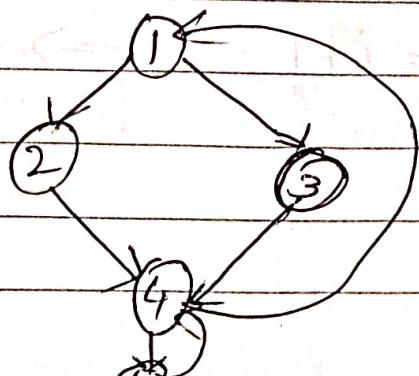
Natural Loop

Loop in a flow graph can be denoted by $n \rightarrow d$ such that $d \text{ dom } n$.

$\{ 4 \rightarrow 1, 1 \text{ dom } 4$

$5 \rightarrow 4, 4 \text{ dom } 5$

Back Edges



Code generation Alg.

En

$$\underline{x = y \text{ op } z}$$

1. if (Addr.Descriptor(y) != R)

generate(MOV y, R₁) else R₁ = getReg(y)

2. if (Addr.Descriptor(z) != R)

generate(MOV z, R₂) else R₂ = getReg(z)

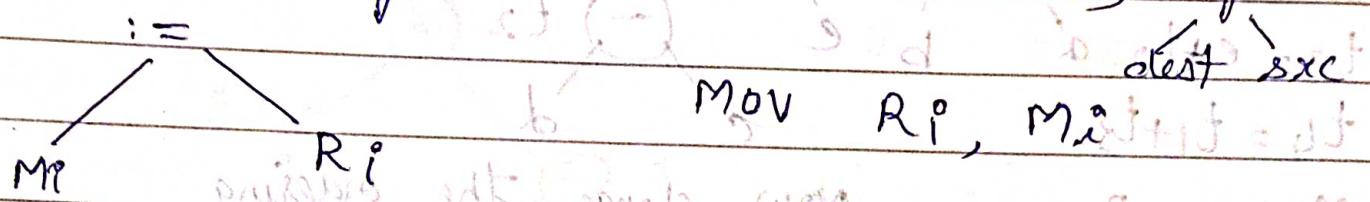
3. generate(OP R₁, R₂)

4. generate(MOV R₂, x)

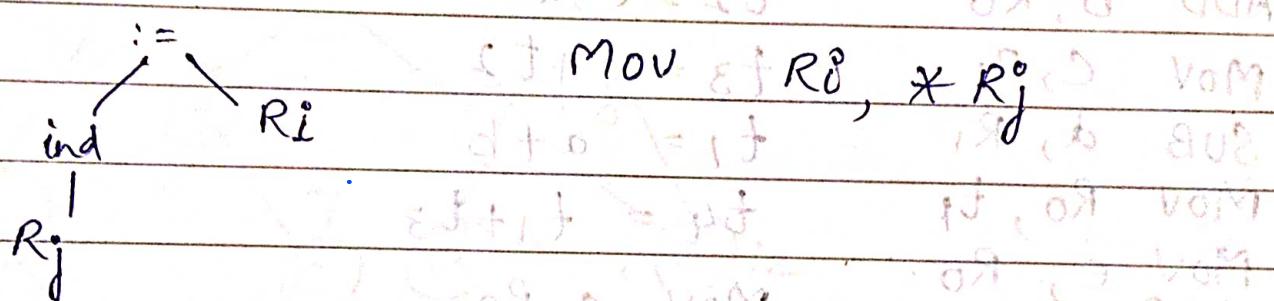
Generic Code generation Alg.

Input to the code generator will be sequence of trees.
It uses tree rewriting rules (tree translation scheme).

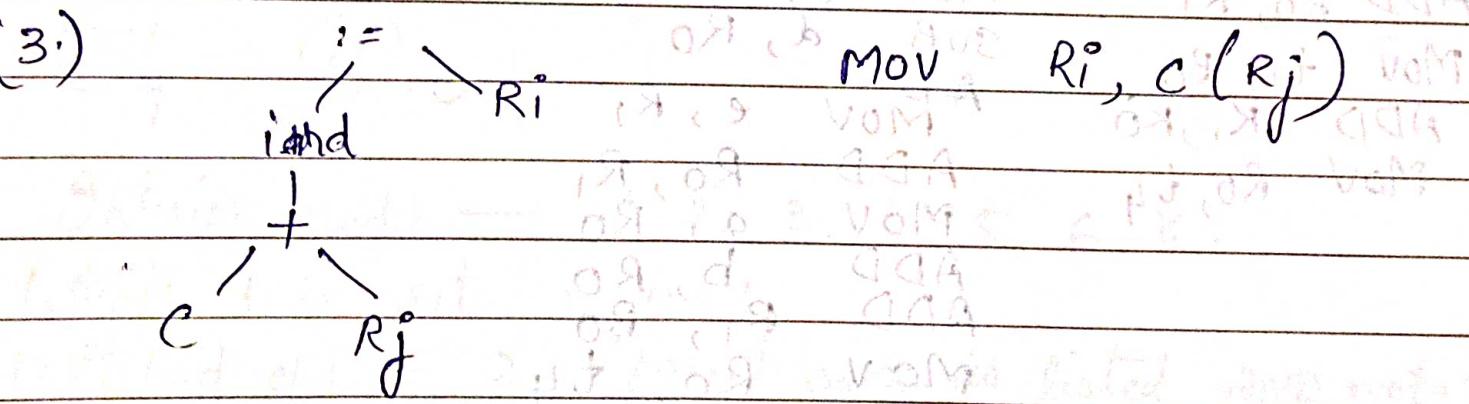
(1.)



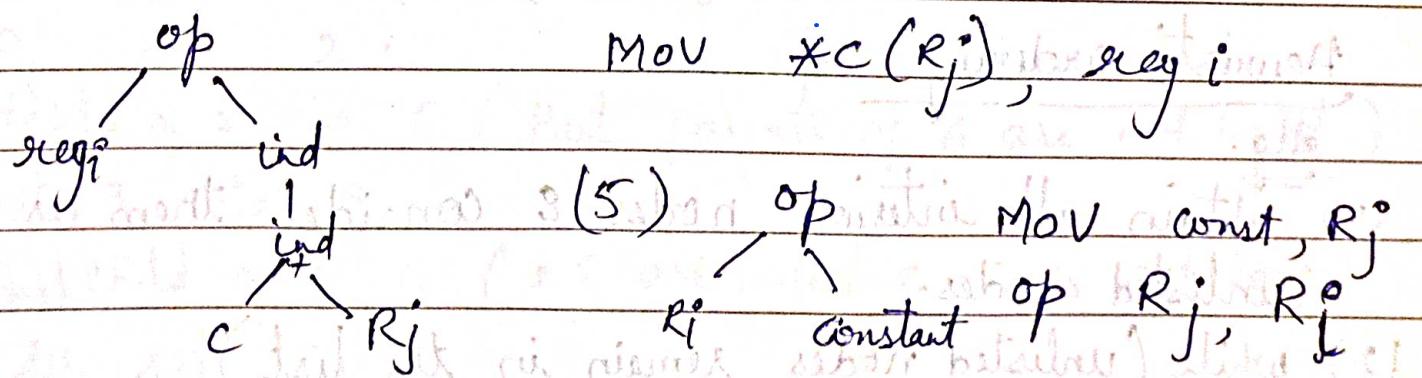
(2.)



(3.)



(4.)



(5.)

op Ri
 const Rj
 MOV const, Rj

Ex. $(a * b + c) * (d * e)$



1. $a * b + c * d * e$

2. $a * b + c * d * e$

3. $a * b + c * d * e$

4. $a * b + c * d * e$

5. $a * b + c * d * e$

6. $a * b + c * d * e$

MOV b, R0
MUL C, R0
MOV (a, R1) ADD ADD R0, R1
ADD R0, R0
MOV R0, TO
MOV d, RI
MUL e, RI

