

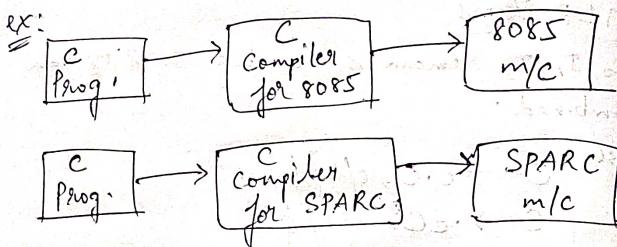
Unit - 4

6/5/22-

Intermediate Code Generation:-

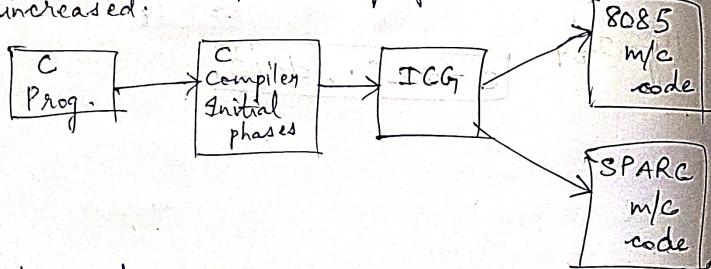
For any lang., a compiler is designed and if it is to be run on diff. machines then the entire compiler has to be reconstructed for the other machine.

Ex:



If ICG, is introduced then there is no need of reconstruction of the compiler with all the phases for a new machine.

The code generated in IC is suitable for any machine, so the portability of compiler is increased.



Different form of ICG:-

- 1) Abstract Syntax Tree
- 2) Reverse Polish Notation (Postfix) — ?
- 3) Three Address Code

1) Abstract Syntax Tree:

$$a + b * 2$$

Parse Tree

$$\begin{array}{c} + \\ | \\ a \end{array}$$

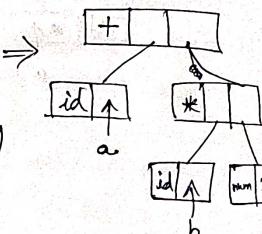
$$\begin{array}{c} * \\ | \\ b \end{array}$$

$$\begin{array}{c} 2 \\ | \\ \end{array}$$

`mknode(op, left, child)`

`mkleaf(id, entry)`

`mkleaf(const, value)`



$$x = a + b * (c + d)$$

Parse Tree

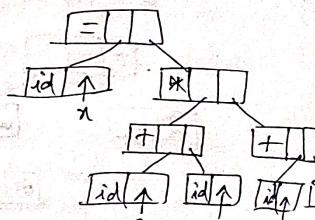
$$\begin{array}{c} = \\ | \\ x \end{array}$$

$$\begin{array}{c} + \\ | \\ a \end{array}$$

$$\begin{array}{c} * \\ | \\ b \end{array}$$

$$\begin{array}{c} + \\ | \\ c \end{array}$$

$$\begin{array}{c} + \\ | \\ d \end{array}$$



$$x = (-a * b) + (-c * d)$$

Parse Tree

$$\begin{array}{c} = \\ | \\ x \end{array}$$

$$\begin{array}{c} + \\ | \\ - \end{array}$$

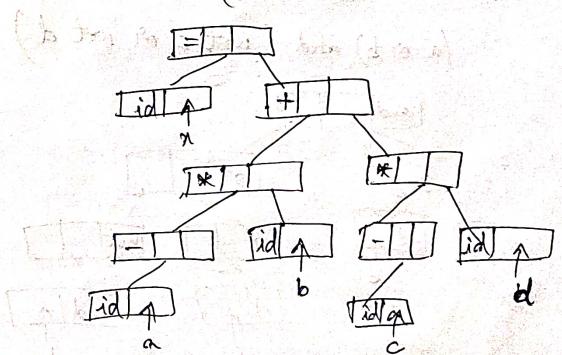
$$\begin{array}{c} * \\ | \\ a \end{array}$$

$$\begin{array}{c} + \\ | \\ - \end{array}$$

$$\begin{array}{c} * \\ | \\ b \end{array}$$

$$\begin{array}{c} - \\ | \\ c \end{array}$$

$$\begin{array}{c} * \\ | \\ d \end{array}$$



$$\rightarrow a = (b+c) * (d/e)$$

$$\rightarrow d = (a \text{ or } b) \text{ and } c$$

$$\rightarrow (a \text{ or } b) \text{ and } (\text{not } c \text{ or } \text{not } d)$$

$$\rightarrow ((a+b) * (c+d)) - ((a+b) * d)$$

$$\rightarrow x = (a * (b + c + \text{not } a))$$

$$\rightarrow x = (a * b + c + d) * b - d$$

Three Address Code :-
It can be represented in 3 diff forms:
1) Quadruples 2) Triples 3) Indirect Triples.
For any of these representations, the 3 AC has to be generated initially.
In 3 AC, each statement contains at most 3 address locations.

$$\text{ex: } \rightarrow x = (a+b)*(c+d)$$

Quadruple (4)					
	S.No.	Op	arg1	arg2	result
$t_1 = a+b$	(0)	+	a	b	t_1
$t_2 = c+d$	(1)	+	c	d	t_2
$t_3 = t_1 * t_2$	(2)	*	t_1	t_2	t_3
$x = t_3$	(3)	=	t_3		x

$$\rightarrow x = (-a*b) + (-c*d)$$

Quadruple					
	S.No.	Op	arg1	arg2	result
$t_1 = -c$	(0)	-	c		t_1
$t_2 = t_1 * d$	(1)	*	t_1	d	t_2
$t_3 = -a$	(2)	-	a		t_3
$t_4 = t_3 * b$	(3)	*	t_3	b	t_4
$t_5 = t_2 + t_4$	(4)	+	t_2	t_4	t_5
$x = t_5$	(5)	=	t_5		x

$$\rightarrow a = (b+c)*(d/e)$$

Quadruple					
	S.No.	Op	arg1	arg2	result
$t_1 = d/e$	(0)	/	d	e	t_1
$t_2 = b+c$	(1)	+	b	c	t_2
$t_3 = t_2 * t_1$	(2)	*	t_2	t_1	t_3
$a = t_3$	(3)	=	t_3		a

$$\rightarrow d = (a \text{ or } b) \text{ and } c$$

Quadruple					
	S.No.	Op	arg1	arg2	result
$t_1 = a \text{ or } b$	(0)	or	a	b	t_1
$t_2 = t_1 \text{ and } c$	(1)	and	t_1	c	t_2
$d = t_2$	(2)	=	t_2		d

$$\rightarrow x = (a \text{ or } b) \text{ and } (\text{not } c \text{ or not } d)$$

Quadruple					
	S.No.	Op	arg1	arg2	result
$t_1 = \text{not } c$	(0)	not	c		t_1
$t_2 = \text{not } d$	(1)	not	d		t_2
$t_3 = t_1 \text{ or } t_2$	(2)	or	t_1	t_2	t_3
$t_4 = a \text{ or } b$	(3)	or	a	b	t_4
$t_5 = t_4 \text{ and } t_3$	(4)	and	t_4	t_3	t_5
$x = t_5$	(5)	=	t_5		x

$$\rightarrow x = ((a+b)*(c+d)) - ((a+b)*d)$$

Quadruple					
	S.No.	Op	arg1	arg2	result
$t_1 = a+b$	(0)	+	a	b	t_1
$t_2 = c+d$	(1)	+	c	d	t_2
$t_3 = t_1 * t_2$	(2)	*	t_1	t_2	t_3
$t_4 = t_1 * d$	(3)	*	t_1	d	t_4
$t_5 = t_3 - t_4$	(4)	-	t_3	t_4	t_5
$x = t_5$	(5)	=	t_5		x

$$\rightarrow x = (a * (b+c+(-a)))$$

Quadruple					
	S.No.	Op	arg1	arg2	result
$t_1 = -a$	(0)	-	a		t_1
$t_2 = b+c$	(1)	+	b	c	t_2
$t_3 = t_2 + t_1$	(2)	+	t_2	t_1	t_3
$t_4 = a * t_3$	(3)	*	a	t_3	t_4
$x = t_4$	(4)	=	t_4		x

Triples:-			
S.No	Op	arg1	arg2
(0)	+	a	b
(1)	+	c	d
(2)	*	(0)	(1)
(3)	=	x	(2)

Note:
Write 3AC
first then
triples &
indirect triples

Indirect Triples:-			
S.No	Op	arg1	arg2
(0)	+	a	b
(1)	+	c	d
(2)	*	(10)	(11)
(3)	=	x	(12)

Indirect Table:			
(0)	\rightarrow	(10)	
(1)	\rightarrow	(11)	
(2)	\rightarrow	(12)	

$$\rightarrow n = \cancel{a+b} - a * b + - c * d$$

Triples:			
S.No	Op	arg1	arg2
(0)	-	a	-
(1)	*	(0)	b
(2)	-	c	-
(3)	*	(2)	d
(4)	+	(1)	(3)
(5)	=	x	(4)

Indirect Triples:

S.No	Op	arg1	arg2
(0)	-	a	-
(1)	*	(10)	b
(2)	-	c	-
(3)	*	(12)	d
(4)	+	(11)	(13)
(5)	=	x	(14)

Indirect Table:			
(0)	\rightarrow	(10)	
(1)	\rightarrow	(11)	
(2)	\rightarrow	(12)	
(3)	\rightarrow	(13)	
(4)	\rightarrow	(14)	

Syntax Directed Tree:- (Unit-3 part)

The value of an attribute at any node of parse tree is defined by a semantic rule associated with the production used as the node.

There are 2 diff. attributes:

(i) Synthesized attr. (ii) Inherited attr.

* The value of a synthesized attribute at any node is computed from the values of the attribute at the child nodes of that node in the parse tree.

* The type of Inherited attribute is computed from the type of the attribute at the siblings and the parent nodes of that node.

Note: A syntax directed definition that uses only synthesized attributes is said to be 's'-attributed definition.

SDD/Attributed grammar

$$L \rightarrow E.n$$

$$E.val = E.val$$

$$E \rightarrow E + T$$

$$E.val = E.val + T.val$$

$$E \rightarrow T$$

$$E.val = T.val$$

$$T \rightarrow T_1 * F$$

$$T.val = T_1.val * F.val$$

$$T \rightarrow F$$

$$T.val = F.val$$

$$F \rightarrow (E)$$

$$F.val = E.val$$

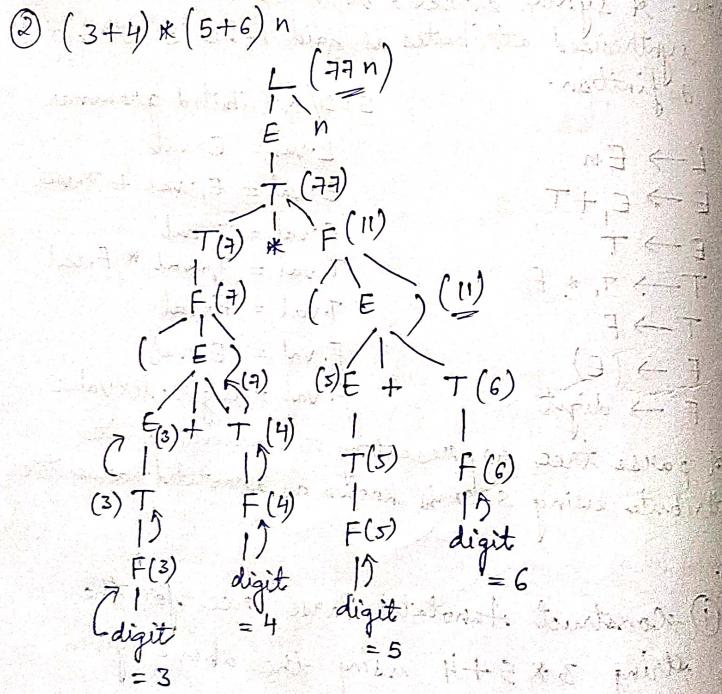
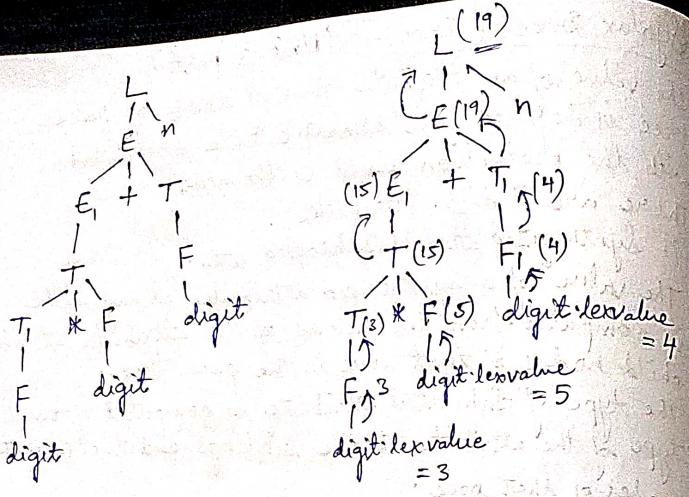
$$F \rightarrow \text{digit}$$

$$F.val = \text{digit.lex.value}$$

A parse tree representing the values of its attributes using SDD is known as annotated parse tree.

Q.

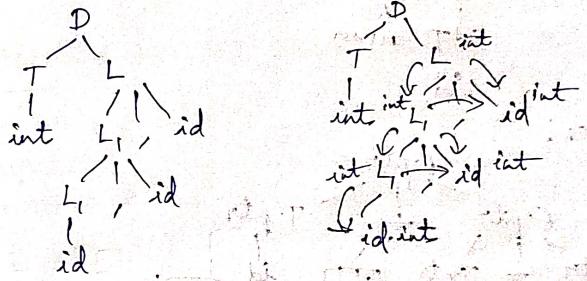
- ① Construct Annotated Parse Tree for the string $3 * 5 + 4$ using the above given grammar.



Inherited attributes :-

$$\begin{array}{ll}
 D \rightarrow TL & \text{Att.} \\
 T \rightarrow \text{int} & L \cdot \text{in} = T \cdot \text{type} \\
 T \rightarrow \text{real} & T \cdot \text{type} = \text{int} \\
 L \rightarrow L_1, \text{id}; & T \cdot \text{type} = \text{real} \\
 L \rightarrow \text{id} & L \cdot \text{in} = L \cdot \text{in addtype}(\\
 & \quad \text{id} \cdot \text{entry}, L \cdot \text{in}) \\
 & \text{addtype}(\text{id} \cdot \text{entry}, L \cdot \text{in})
 \end{array}$$

Q. ① int a₁, a₂, a₃;



Dependency Graph:-

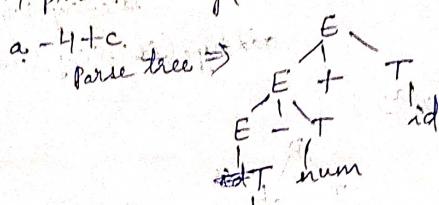
The inter dependencies among the inherited & synthesized attributes can be represented in a parse tree with the help of a directed graph known as "Dependency graph".

Q. Construct SDD for the given CFG and also construct the syntax tree for the expression $a - 4 + c$.

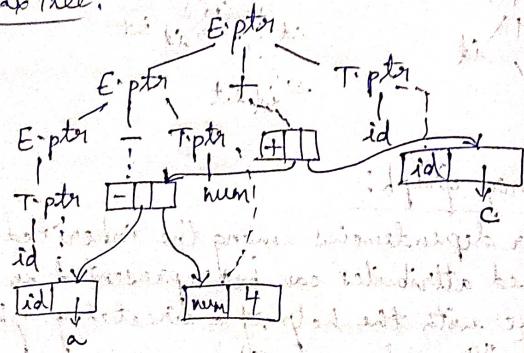
$$\begin{array}{l}
 E \rightarrow E + T \\
 E \rightarrow E - T \\
 E \rightarrow T \\
 T \rightarrow (E) \\
 T \rightarrow \text{id} \\
 T \rightarrow \text{num}
 \end{array}$$

SDD: $\frac{\text{SDD}}{\text{Eval} \rightarrow E \cdot \text{val} + T \cdot \text{val}}$

$E \cdot \text{ptr} = \text{mknode}('+' E \cdot \text{ptr}, T \cdot \text{ptr})$
 $E \cdot \text{ptr} = \text{mknode}(' - ', E \cdot \text{ptr}, T \cdot \text{ptr})$
 $E \cdot \text{ptr} = T \cdot \text{ptr}$
 $T \cdot \text{ptr} = E \cdot \text{ptr}$
 $T \cdot \text{ptr} = \text{mkleaf}(\text{id}, \text{id entry})$
 $T \cdot \text{ptr} = \text{mkleaf}(\text{num}, \text{value})$

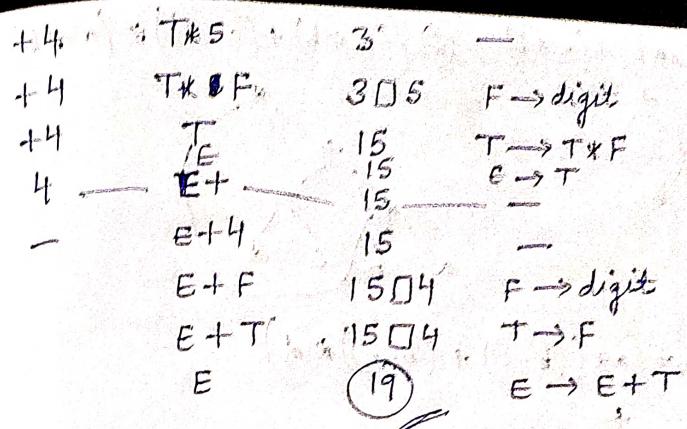


Syntax Tree:



Bottom-up evaluation of S-attributed definition using a Parser Stack:-

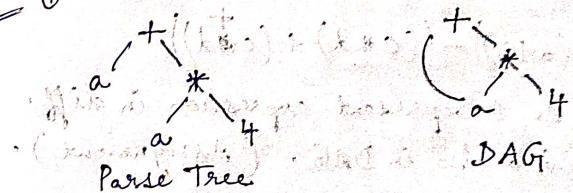
Stack	State	Val	Prod. used
$3 * 5 + 4$			
$* 5 + 4$	3	3	
$* 5 + 4$	F	3	$F \rightarrow \text{digit}$
$* 5 + 4$	T	3	$T \rightarrow F$
$5 + 4$	T*	3	



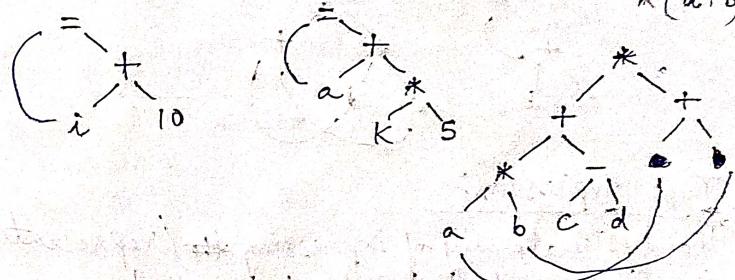
Directed Acyclic Graph (DAG):-

A DAG is a special type of tree used for representing expressions where any node representing a common sub expression has more than 1 parent!

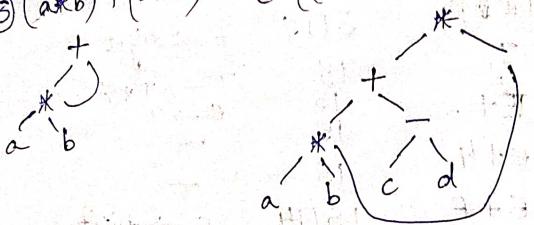
ex: ① $a + a * 4$



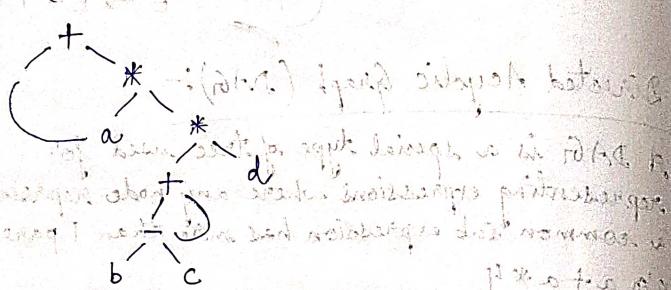
② $i = i + 10$ ③ $a = a + k * 5$ ④ $((a * b) + (c - d)) * (a + b)$



$$(5) (a * b) + (a * b) \quad (6) ((a * b) + (c - d)) * (a * b)$$

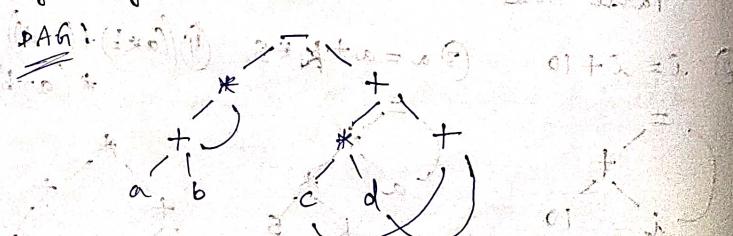


$$(7) a + (a * ((b - c) + (b - c)) * d)$$



$$(8) ((a+b) * (a+b)) - ((c*d) + (c*d))$$

Generate 3 AC & represent expression in diff. forms of ICG & also in DAG. (Assignment).



Type Expression:-

The systematic way of expressing the type of a lang. construct is called a type expression.

ex: Lang. construct

→ Array

ex: int a[100]

float sal[20]

→ Structure

ex: struct student

{char name[20],

float avg}

student details[100];

→ Pointer

int *p

→ Functions

ex: int sum(int a, int b)

float max(float sal[100])

TE of max is,
array(100, float) → float

Type Conversion:-

* Implicit TC or coercion is done by the compiler.

* Explicit TC is done by the user.

* If there is an expression of the form
 $E \rightarrow E_1, op E_2$, then the type of
 E is obtained from the types of E_1 & E_2 .

Type Expression

Array(I, T), where
 I is the index no. & T
is the type.

TE of a is array(100, int).

TE of sal is array(20, float).

struct(member1 name type)
 $x(m_2 name type)x\dots$

TE of student is,
struct({name array(20, char)
 $\times(\text{avg float})$ })

TE of student details is,
array(100, student).

TE of pointer is,
pointer(int)

TE of functions is,
Type of Parameters → Return type

TE for "sum" is,
int, int → int

TE of max is,
array(100, float) → float

- if E_1 .type = int and E_2 .type = int
then E.type = int
- if E_1 .type = float and E_2 .type = int
then E.type = float
- if E_1 .type = int and E_2 .type = float
then E.type = float
- if E_1 .type = float and E_2 .type = float
then E.type = float

Type Checker :-

Type checker is a translation scheme in which the type of each expression from the types of its sub-expressions.

Type Checking of Expressions :-

- $E \rightarrow \text{literal}$ { if E .type = char }
- $E \rightarrow \text{digit}$ { if E .type = int }
- $E \rightarrow \text{id}$ { if E .type = lookup(id entry) }
- $E \rightarrow E_1 \text{ mod } E_2$ { if E_1 .type = int & E_2 .type = int
then int
else type-error }
- $E \rightarrow E_1 \text{ op } E_2$ { if E_1 .type = int & E_2 .type = int
then int
else type-error }

In place of op we can use +, -, *, /, % and

array reference

- $E \rightarrow E_1 [E_2]$ { if E_1 .type = array(range, t) & E_2 .type = int
then t
else type-error }

Pointer

- $E \rightarrow *E_1$ { if E_1 .type = pointer(t)
then t
else type error }

Function call

- $E \rightarrow E_1(E_2)$ { if E_1 .type = s. \rightarrow t then t
else type error }

Symbol Table :-

- * It stores the information about the identifiers.
- * The info. will be about the name, type, scope, value binding etc.

There are 2 diff. types of ST :

- (i) Ordered ST (ii) Unordered ST

Ordered ST :

In this ST, the identifiers are entered in alphabetical order. The main adv. of this ST is that searching is easy. Disadv. is that insertion is difficult.

Unordered ST :

The identifier names are inserted into the ST without foll. any order.

Adv : insertion is easy.

Disadv : searching is difficult.

Name representation in ST :-

- 1) Fixed representation 2) Variable length rep.
length

PC
LC
100
101

Type
2 int
4 float.

Name
age
salary

VR

age	\$	\$	\$	\$	\$
salary	\$	\$	\$	\$	\$

FR

age	e	\$
salary	a	\$

(or)

age	e	\$	salary	\$
0	1	2	3	4

start index	length
0	4
4	7

ST management :-

The data structures that are used to represent a ST are linear lists, binary trees, hash tables.

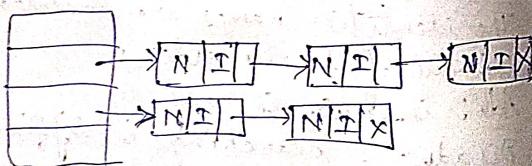
Linear lists :

Name	Info.
N1	11
:	:

Binary Tree :

Left child	Symbol/ Name	Info:	Right child
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Hash Tables :



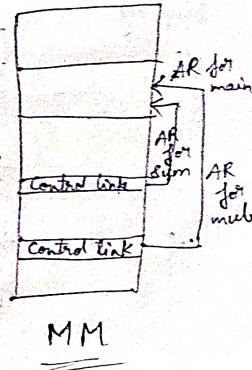
Activation Record :-

It consists of the info about a single procedure.

Return value
Actual parameters
Control link
Access link
Saved Machine Status
Local Variables
Temporaries

- Return value is the value returned by the procedure.
- Actual parameters consists of the values of actual parameters
- Control link points to the activation record of the calling procedure.
- Access link refers to the non-local data in other activation records.
- Saved Machine Status - before the procedure is called some control info will be stored in the registers.
- Local Variables holds all the local variables of a procedure.
- Temporaries - all temporary variables generated by the compiler in order to execute the procedure are stored in this field.

main() : float sum(x, y)
 {
 }
 a = sum(b, c);
 {
 }
 b = mul(c, d);
 {
 }
 }



Access to non-local names:

1) Static scope / Lexical scope.

Static / Lexical scope :-
Access link Display

- In access link the activation record is represented using the access link.

ex: $B_1()$

{ =

$B_2()$

{ =

$B_3()$

{ =

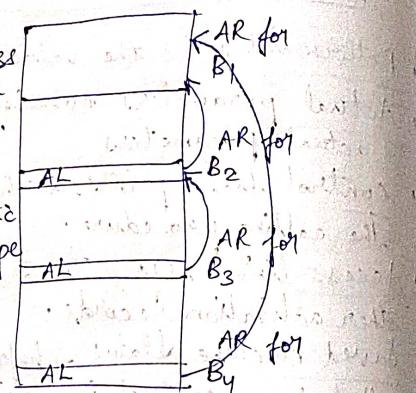
$B_4()$

{ =

$B_5()$

{ =

$B_6()$



2) Dynamic Scope

Deep Access Shallow Access

Access link Display

- In access link the activation record is represented using the access link.

ex: $B_1()$

{ =

$B_2()$

{ =

$B_3()$

{ =

$B_4()$

{ =

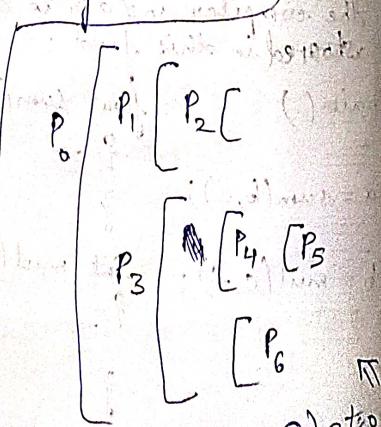
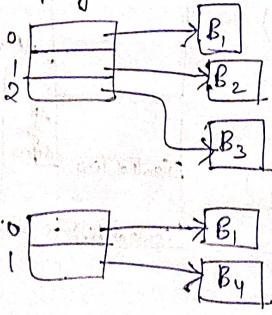
$B_5()$

{ =

$B_6()$

• Display: An auxiliary array is used.

Display



Q) Represent the access link & display representations for the given procedures.

soln: $P_0()$

{ =

$P_1()$

{ =

$P_2()$

{ =

$P_3()$

{ =

$P_4()$

{ =

$P_5()$

{ =

$P_6()$

{ =

$P_7()$

{ =

$P_8()$

{ =

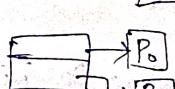
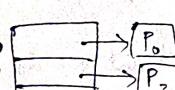
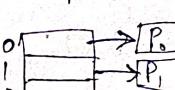
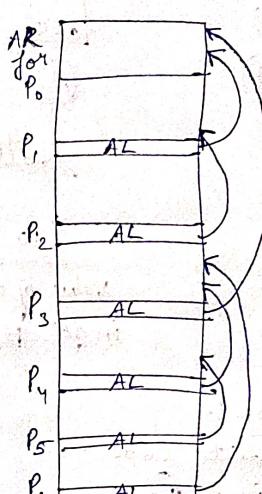
$P_9()$

{ =

P_{10}

Access link:

Display:



Deep Access:-

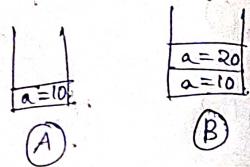
A stack is maintained in order to retrieve the most recent value for that symbol.

Shallow Access:-

A central storage is kept with one slot for every variable.

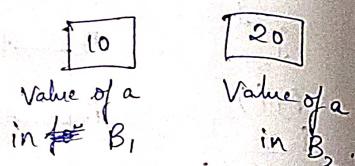
B₁()
 { int a = 10;
 pf(a);
 B₂();
 }

Deep Access



B₂()
 { int a = 20;
 pf(a);
 }

Shallow Access



Code Optimization :-

Input is Intermediate Code.
 Output is Optimised IC.

* The main tasks of CO are -----

- (i) The semantic equivalence of the program should not be changed.
- (ii) It should produce efficient object code.

* The main challenges for CO :

- (i) The optimizing algorithm must be efficient enough in such a way that target code should not become time and space in-efficient.
- (ii) The algo. should preserve its semantic equivalence.

Types of CO :-

(i) Machine Dependent Optimization :-

It depends on architecture of machine like instruction mode, registers etc.

(ii) Machine Independent Optimization:-

It depends on the programming language.

Types of Optimization techniques :-

* Folding :-

The computation of a constant can be performed at compile time rather than at execution time.

ex: $a = 15 \% 4 * p$

→ executed at compile time.

* Constant propagation :-

The value of a variable is replaced and the expression is evaluated at compilation time.

ex: $r_1 = 5$

$a = b * r_1 * r_1$

↳ $a = b * 25$

* Common sub expression elimination :-

An expression which is computed previously can be eliminated if it appears further in the program.

ex: $T_1 = 4 * i$

$T_2 = a[T_1]$

$T_3 = 4 * i$

$T_4 = b[T_3] \rightarrow T_4 = b[T_1]$

* Variable propagation :-

There is no need of using 2 diff. variables for 1 single value.

ex: $x = \pi r$

$\pi = 3.14$

$x = 3.14$

$a = x * r * r$

$a = \pi * r * r$

* Code Movement :-

Some portion of the code can be moved out of the loop in order to reduce time and space.

ex: $\{ \text{for}(i=0; i<10; i++) \}$ optimized code

$$\left\{ \begin{array}{l} x = y * 10 \\ z = y * 10 + w \end{array} \right. \rightarrow \left\{ \begin{array}{l} j = y * 10 \\ \text{for}(i=0; i<10; i++) \\ \quad \left\{ \begin{array}{l} x = j \\ z = j + w \end{array} \right. \end{array} \right.$$

Note: Code movement is also known as loop invariant method.

ex: $\text{while}(i \leq \text{max}-1)$ $n = \text{max}-1$

$$\left\{ \begin{array}{l} \\ \\ \end{array} \right. \rightarrow \left\{ \begin{array}{l} \text{while}(i \leq n) \\ \\ \end{array} \right.$$

* Strength reduction / Induction variable elimination

Higher strength operators like * and / can be replaced by + and -.

ex: $\text{for}(i=1; i<10; i++)$ $p = 5$

$$\left\{ \begin{array}{l} c = i * 5 \\ \\ \end{array} \right. \rightarrow \left\{ \begin{array}{l} \text{for}(i=1; i<10; i++) \\ c = t \\ t = t + 5 \\ \\ \end{array} \right.$$

here t is known as induction variable.

ex: $b = 2 * a \rightarrow b = a + a$

* Dead code elimination :-

A variable is said to be dead if its value is never used in the program.

ex: $i = 2$

$\{ j = 5 \}$ → not used

$\{ \text{if}(i == 0) \}$ } dead

* Loop Unrolling :-

The no. of tests and jumps can be reduced by writing the code in the loop for 2 or more times.

ex: $\text{while}(i \leq 200)$

$$\left\{ \begin{array}{l} \text{int } i = 1 \\ a[i] = b[i] + c[i] \\ i++ \\ a[i] = b[i] + c[i] \\ i++ \\ a[i] = b[i] + c[i] \\ i++ \end{array} \right. \rightarrow \left\{ \begin{array}{l} \text{while}(i \leq 100) \\ a[i] = b[i] + c[i] \\ i++ \\ a[i] = b[i] + c[i] \\ i++ \\ a[i] = b[i] + c[i] \\ i++ \end{array} \right.$$

* Loop Fusion :-

Several loops can be merged to a single loop.

ex: $\text{for}(i=1 \text{ to } n)$

$$\left\{ \begin{array}{l} \text{for}(j=1 \text{ to } m) \\ a[i, j] = 20 \end{array} \right. \rightarrow \left\{ \begin{array}{l} \text{for}(i=1 \text{ to } n * m) \\ a[i] = 20 \end{array} \right.$$