

18/8/20

## DBMS

\* DBMS is a software, not hardware.

DBMS software → client requirement → E.R. diagram

→ DBMS stores data in tables (Relational Model)

① Data : Any fact which can be recorded or stored for later use is called data.

\* Information : It is the relevant data.

② Data Base : It is a collection of interrelated data.

③ DBMS provides

→ Storing the data has to be efficient  
→ Retrieve the data and convenient  
→ Manipulate the data convenient

④ DDL → Data Definition Language  
Using DDL we create data.

⑤ DML → Data Manipulate Language  
Used to retrieve & manipulate data.

⑥ DCL → Data Control Language  
Grant & Revoke permission to other users.

DBMS uses the above languages.

\* DBMS developed efficient → space efficient & time efficient  
& convenient → user-friendly.

ER-Diagram :-  
Entity Relationship Diagram

Applications of Database :-

\* In universities to keep a track of students records.

\* Online shopping.

\* IRCTC bookings, transactions.

## Banking, Net-banking

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### DB / MS

- This management involves -
- storage type, defining structures for storage of information.
- providing mechanisms for manipulation of information.
- base system should ensure safety of information.
- If any data or transaction crashes, then the role of database is to recover or undo it.
- Concurrent access (simultaneously) - This occurs due to race condition & has to be avoided.

### Applications of DBMS :-

- ① Enterprise information.
- ② Banking and Finance.
  - Sales
  - Accounting
  - Human Resources
  - Manufacturing
  - Online retailers
- ③ Universities
- ④ Airlines / IRCTC for reservations
- ⑤ Telecommunication (ex: data consumption per day).

### ⇒ Concurrent Access example :-

Suppose A is constant.

$$A = 100$$

And B and C want to approach A.  $B = -5$ ,  $C = -10$

\* If they go serially (one after other), then the final value of A is 85.

\* But if they go concurrently (simultaneously), then the value of A depends on the last entered one.

→ First B → Both B and C read 100.

So if B goes it becomes 95, and then if C enters, it overwrites 95 and value changes to 90. But its never 85.

→ Eg: in IRCTC bookings, for 1 train many people make reservations and hence availability of berths might be a problem due to race condition. So concurrent access has to be avoided.

Before DBMS, men used File system. But due to a few disadvantages in file systems, DBMS was developed. ex: MP3 can't be played in Word. File systems are - Word, Excel etc.

The main problem with file systems is :

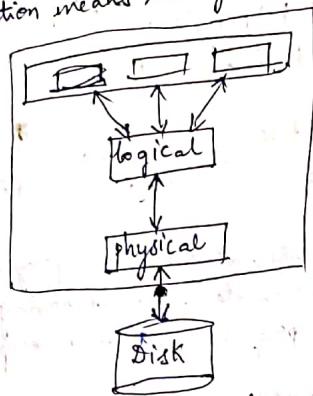
\* Whenever need arises, we need to generate new application programs.

ex: To promote all students, we create one program earlier but later if wish to promote students having CGPA > 3, then new program has to be developed.

### Problems with file systems :-

- ① Data redundancy & inconsistency.
- ② Difficulty in accessing the data.
- ③ Atomicity.
  - In DBMS, transaction occurs completely or not at all, but no partial execution.
- ④ Data isolation.
- ⑤ Integrity.
  - Following rules & regulations set up / following the constraints.
  - Since file systems is human-controlled, maintaining integrity is very difficult. With DBMS it is possible.
- ⑥ Concurrent Access.
  - In DBMS, different applications run at a very fast rate and appear as if they run parallelly.
- ⑦ Security.
  - In file sys., we can't hide data if other person knows how to unhide it. But in DBMS, we have the security.

Level of Abstraction:-  
Abstraction means hiding details / complexity.



View level / External level  
Conceptual / Logical level  
physical level

Fig. Levels of Abstraction in DBMS

- \* In physical level, we get the details of complex low-level data structure (i.e. at machine level). It tells how the data is actually getting stored. This is called Physical level of Abstraction. It deals with how the data is stored.
- \* The logical level, deals with what is the data i.e. it defines the data and the relationship between the data. When we hide this, it is called logic level of abstraction.
- \* In the external level, hiding the unuseful information or for security purposes hiding the data is called external level of abstraction.

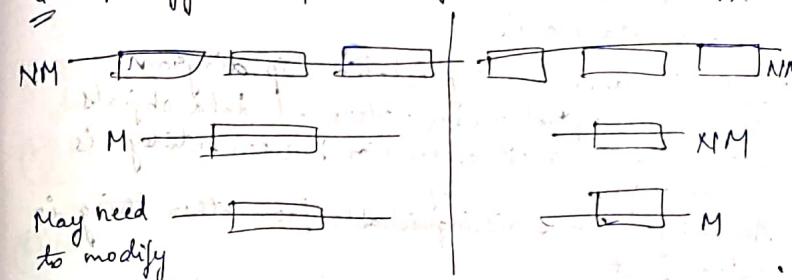
A single DBMS can have multiple views. And we hide the views as per the user roles.

### Data Independence:-

In DBMS, any changes/modification done to physical level do not effect application. In this case, the DBMS is said to be data independent. Otherwise not.

\* Similarly for logically data independence.

- \* If the changes done at one level don't effect the application, then the DBMS has data independence.
- \* The data independence is down-up (levels) but not up-down.  
ex: Modify - M, No modification - NM (say).



May need  
to modify

### Instance Vs Schema:-

- \* At a particular instance or set time, if you capture your data, then that is called the instance of your DBMS.
- \* Instances frequently changes.
- \* Schema is defining the overall design of the data base. It can be called a signature.
- \* Schema rarely changes.

P#	P Name	Product	Price	City	Schema
P1	X	Printer	5000	Vizag	Instance
P2	Y	Monitor	6000	Rome	
P3	Z	Keyboard	1200	Hawaii	

### Data Models:-

- \* High Level Model:  
• Entity Relationship Model
- \* Conceptual Model / Representational Model:  
• Entity Relationship Model
- \* Physical Model / Low-level model:  
• Entity Relationship Model

\* The aim of any model is (i) data (ii) relationship (iii) rules

Data Model is a conceptual / logical representation of data objects and their relationship and also deals with the rules to enforce this relationship (or association).  
 Rules include ---  
 Enforcement of constraints and other regulatory rules.

### Different data models :-

(1) ER diagram — Entity Relationship diagram.  
 It is a conceptual model. Here all data objects are entity and their association between entity is relationship. Specifically anything which is distinguishable from other thing is called object/entity type.

ex: ER diagram.

```

    graph LR
        S[Student] -- M --> D[Department]
        D -- 1 --> S
        style S fill:#fff,stroke:#000
        style D fill:#fff,stroke:#000
    
```

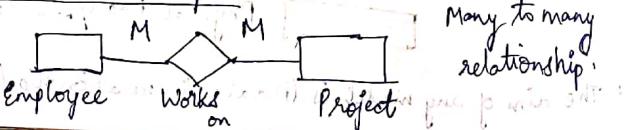
Many students belong to 1 department or 1 department may have many students.

(2) Relational Model — It is not conceptual model.  
 Here to represent data and relationship we use tables. These tables are called relations.  
 & Records belonging to different tables have different record type but records belonging to same table have same record type. (Record types can be numeric, character etc. based on the data in the columns).

→ Diff. data models include ER Model, Relational Model, N/W model, HM, OOM, ORM, semi-structured data models.

OOM - Object-Oriented Model, ORM - Object Relational Model.  
 N/W - Network Model  
 HM - Hierarchical model.

### ER diagram another example:



### (3) OOM — Extended E-R

Here we can use encapsulation and have methods to access the attributes.

### (4) Semi-structured data model — Similar to Relational Model.

The only difference is that records belonging to same table may have different record type unlike relational model so here we use XML.

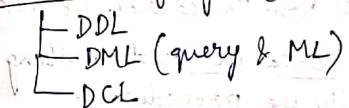
### (5) Hierarchical Model — This model organises the data into a tree-like structure. One parent has 1 parent only.

### (6) Network Model — Similar to Hierarchical Model. Only difference is here, a table can have multiple parents.



### (7) ORM — It combines the feature of Relational model and OOM. Features include encapsulation, inheritance and polymorphism.

### Data Base Languages (DBL) :

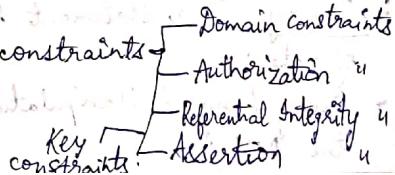


### (8) DDL — Allows you to define a schema for your table. Suppose EMP (ID, FN, LN, A, E).

exp: Create table EMP (

Field	ID	Num(20)
name	FN	Varchar
	LN	Varchar
	A	Varchar
	E	Varchar

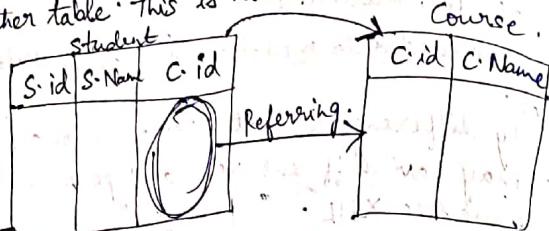
Using DDL we can pose constraints



### \* Referential Integrity Constraints (RIC):

Sometimes we may need to refer the attribute of one table into another table. This is RIC.

ex:



→ Here the C.id is referring from course table. a student can take up a course only which is available in course table. That is the constraint in student table.

- DML — It is a query and manipulation language.
  - select
  - insert
  - delete
  - update

\* Select is a command to query & retrieve data.

\* Insert, delete, update are commands to manipulate data. Hence DML allows data retrieval, insertion, deletion and manipulation.

DML — ~~(Non-Declarative)~~ Procedural i.e. PDML

~~(Non-declarative)~~ Non-Procedural, i.e. NPDML.

PDML — We specify the Data we need. Along with it we specify the procedure.

NPDML — Here we specify only need (what you need), but not how to get it (no procedure).

PDML — ex: ① Relational Algebra (R.A).

② Tuple Relational Calculus (TRC)

③ Domain Relational Calculus (DRC)

NPDML — ex: SQL (Structured Query Language).

→ RC (Relational Calculus).

\* Query is a statement requesting the retrieval of data.

\* Query Lang. & Manipulation Lang. together form the DML.

### ER Model :-

\* In order to best describe entity we use attribute.

\* Relationship is a association between entities.

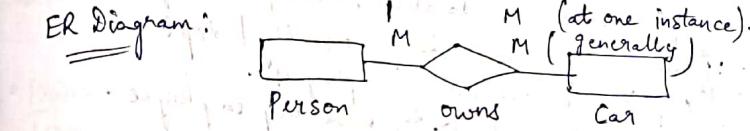
ex: Entity type:

Car

Attribute: Colour, No., Company... Name, id, address...

Relationship: Person owns a car.

ER Diagram:



Attribute: — (Composite Vs Atomic).

• Atomic / Simple attribute — one which cannot be further divided. ex: age.

• Composite — which can be divided further.

ex: address.

(Single valued Vs Multi-valued).

• Single valued attribute — having only 1 value. ex: age.

• Multi valued attribute — having multiple values.

ex: Mobile number (A person may have 2 numbers). Address (permanent & current addresses).

Attribute representation

Multivalued attribute representation

(Stored Vs Derived Attribute).

• Stored — Attributes which we store in database.

• Derived — Which needn't be stored in database, because we can derive it from stored attributes.

ex: ① If we stored the DOB, then we can calc. age.

hence DOB — stored, age — derived (DOB) (Age).

② If we store date of joining, then experience of person is known.

hence Date of joining — stored, experience — derived.

complex Attribute — Attribute which is Multi-valued and Composite.

ex: Address  
 = Current Address (Place, City, Pincode, Road)  
 Permanent Address (Place, City, Pincode, Road)

### ER diagram:-

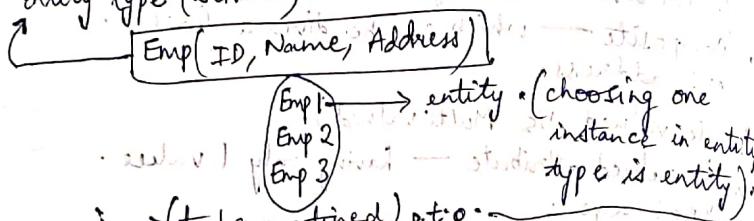
It is a pictorial representational / conceptual design blue print of actual database, having the requirements ex: Every employee works for exactly 1 dept.

Dept. can have many employees.  
 A new dept. need not to have any employee.

Create ER diagram for above data.

All nouns - Entity, Verbs - Relationship.

Entity type (Schema).



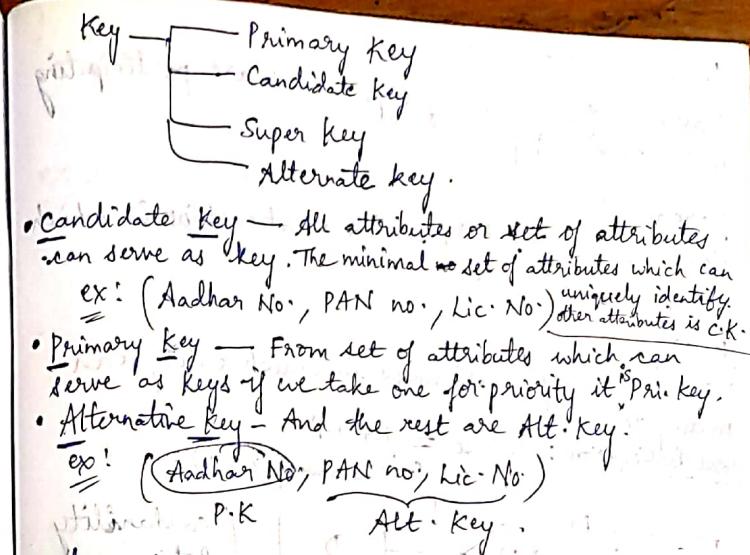
Key Attribute: or a set of attributes, an attribute that uniquely identifies other attributes is the key attribute.

ex: ① Key: Roll no.      Non-key: Student Name  
 Roll no.: xyz  
 101 abc  
 102 xyz  
 103 xyz

② Composite Key:  

ID	Name	City	Phone
1	Arya	Noida	1234
2	Bran	Delhi	8743
3	John	Noida	4821
4	Arya	Chennai	7874

 Suppose if asked id of Arya from Noida, it is unique.



Super Key — Not having minimal set of attributes, having some extra attributes in it.  
 All candidate keys are superkeys but all superkeys are not candidate keys.

ex: Roll no. is unique for every student.

Roll no. → C.K.

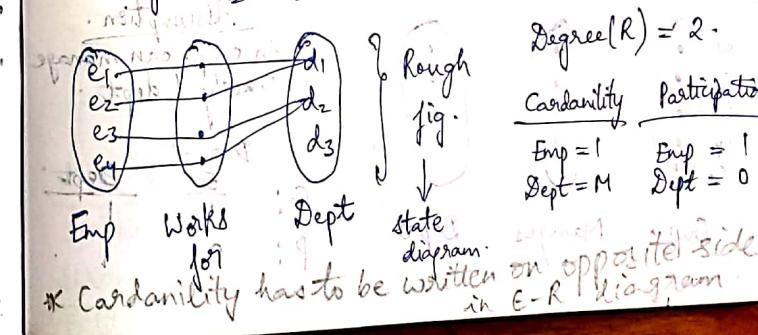
Roll no., S.Name → S.K.

Roll no., S.M → S.K.

Roll no., S.Add → S.K.

Roll No.	S.Name	S.M	S.Add

E-R diagram ex: \* continued



### Degree of Relationship :-

Maximum no. of entity type which are participated in the relationship.

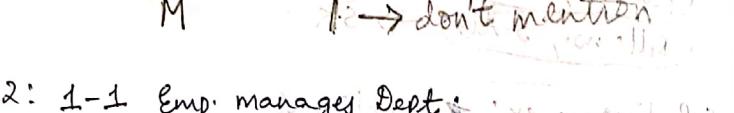
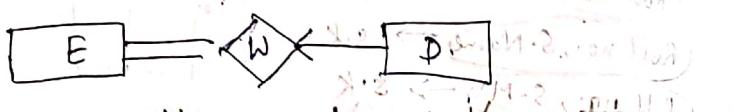
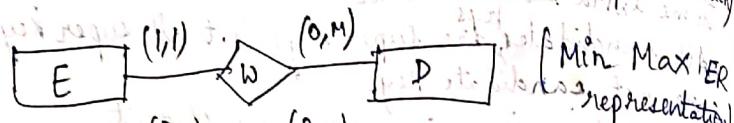
### Cardinality :-

Maximum no. of entity which relationships in which entity can participate.

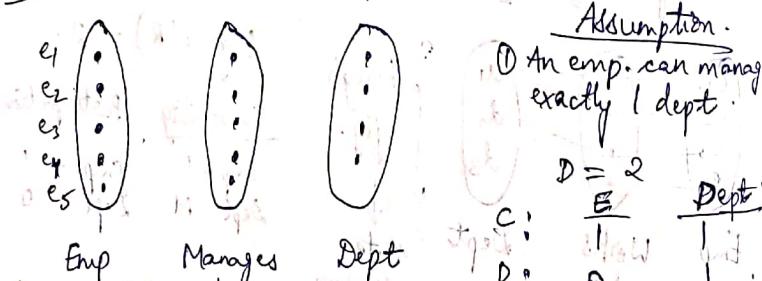
### Participation :-

Minimum no. of relationships in which entity can participate.

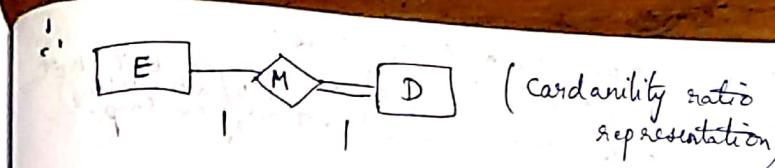
Total Participation : We use  $\leq$  for T.P (T.P is having neither P nor C as 0). (T.P is having  $P=1$ ).



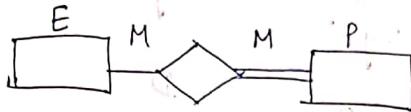
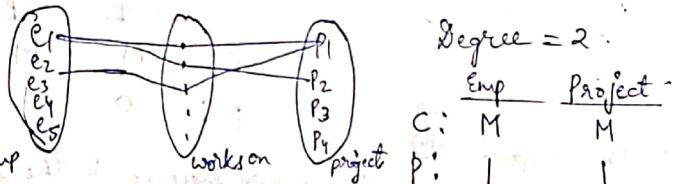
Ex 2: 1-1 Emp. manages Dept.



Assumptions have to be mentioned.

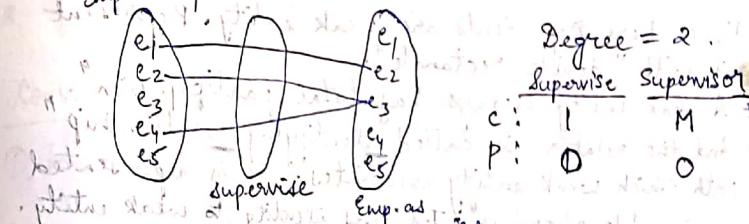


Ex 3: Emp. works on project.

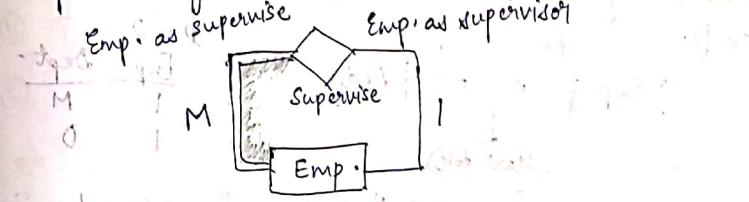


### Recursive Relationship :-

Ex: Every emp. has to report to his/her boss → emp. as supervisor



Assumption is there will be atleast 1 who doesn't report to anyone.

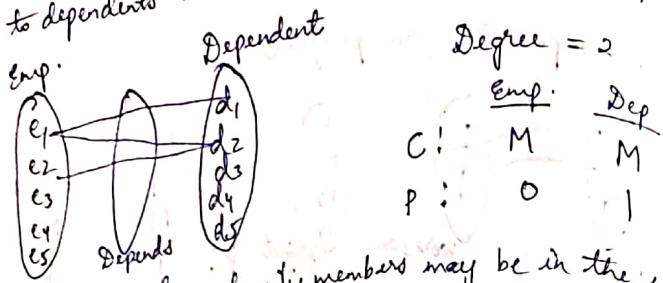


### Weak Entity :-

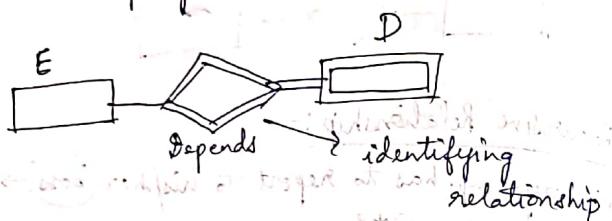
Entities without key attributes are weak entities.

Strong Entity :-  
Entities with key attributes are strong entities.

ex: An employee may have dependents.  
The company gives id (unique) to employee but to dependents. Hence he needs to borrow the attribute from emp.



Assumption: same family members may be in the same company.

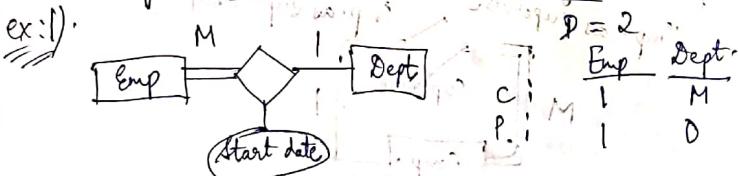


Hence here Dependents are weak entity. Represent it with "double rectangle".

A weak entity always has total participation.

And the relation is called identifying relationship with which weak entity associates. It is represented by "double rhombus". I-R gives identity to weak entity.

Converting ER Attributes to Relationship :-



Here we have the attribute "start date" exists only bcoz there is relation btw emp & dept. So it is an attribute to relationship.

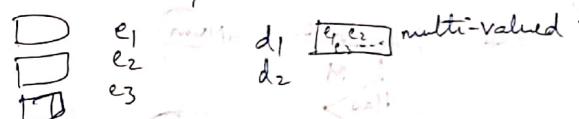
We must avoid the usage of Attributes to Relationship bcoz we may have to create a separate table for that relationship.

In the above example, - (or) M-1

\* if the relationship is 1-M, then shift the "A to R" to "many" side.

This is because if we shift to "one" side then the attribute becomes multivalued.

ex: If [start date] is shifted to dept side then it has to define for every emp. in dept separately & becomes multi-valued. Whereas if [start date] is shifted to emp. side, then simply the start date of that emp. may be specified i.e. one more column "start date" has to be created, that's all.

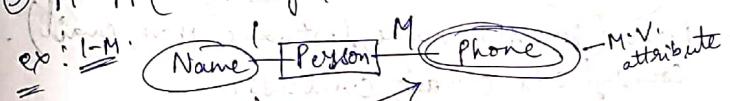


\* if the relationship is M-M, then shifting "A to R" is not possible and separate table has to be created.

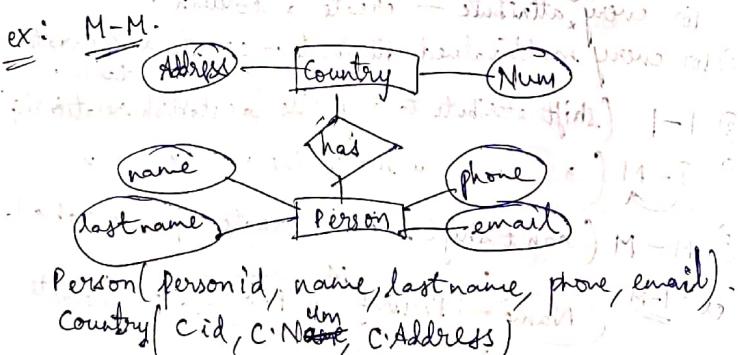
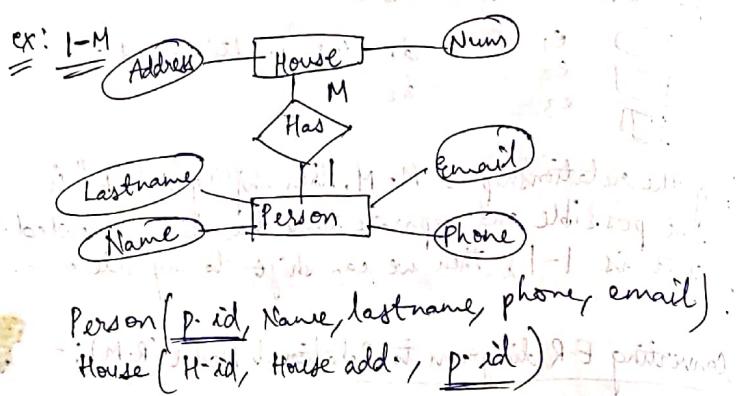
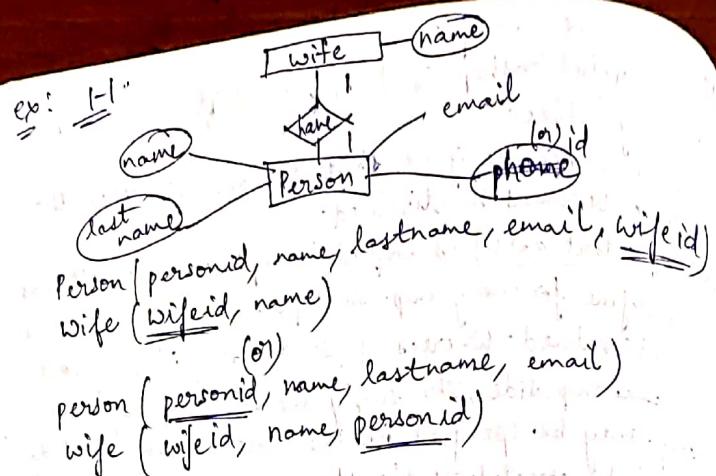
\* if it is 1-1, then we can shift to any side.

Converting ER diagram to Relational Model (R.M); -

- ① For every entity — create a table.  
For every simple attribute — create a column.
- ② For every multivalued attribute — create a separate table.
- ③ 1-1 (shift attribute to any side to establish relationship)
- ④ 1-M (shift attribute to "many side")
- ⑤ M-M (can't shift, should create separate table)



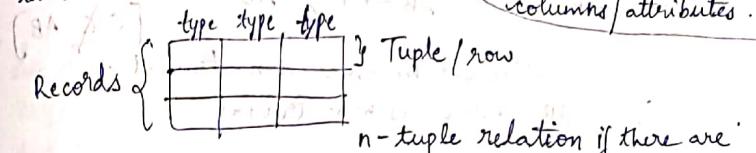
Persons (personid, lastname, email)  
phones (phoneid, personid, phone)



PC (Pid, C-id, Rid)  $\rightarrow$  for separate table

### Relational Model:

Here both data & relationship are represented by relation / table.



$n$ -tuple relation if there are  $n$ -tuples

\* A key is an attribute or set of attributes which uniquely identifies other attributes or tuples of the record / data.

### Mathematical definition of Functional Dependency (FD):

If  $T_1[X] = T_2[X]$ , then  $\Rightarrow T_1[Y] = T_2[Y]$

ex:	$T_1$	$\begin{array}{ c c } \hline 1 & X \\ \hline 2 & Y \\ \hline 3 & Y \\ \hline \end{array}$
	$T_2$	$\begin{array}{ c c } \hline 1 & X \\ \hline \end{array}$

$\bullet Fd : X \rightarrow Y$  where  $X$  and  $Y$   $\subseteq R$

\*  $Y$  is functionally determinate by  $X$ .

\* Or  $X$  uniquely determines  $Y$ .

\* If the value of  $X$  replicates, value of  $Y$  must also replicate.

\*  $X$  is determinant.

\*  $Y$  is dependent.

### Types of Dependencies:

#### • Trivial (obvious):

$\rightarrow$  Dependencies which will always hold in a relation.

$\rightarrow (X \rightarrow Y)$  is trivial if  $Y \subseteq X$

$\rightarrow$  Example ( $AB \rightarrow A$ )

#### • Non-trivial (non-obvious):

$\rightarrow (X \rightarrow Y)$  is non-trivial if  $Y$  is not  $\subseteq X$

$\rightarrow$  Example ( $AB \rightarrow ABC$ )

ex:  
 ①  $ABC \rightarrow AB$  is trivial [i.e.  $ABC \subseteq AB$ ]  
 ②  $AB \rightarrow ABC$   
 then  $AB \rightarrow A, AB \rightarrow B, AB \rightarrow C$  [C & B]  
 So entire set becomes non-trivial.  
 $\therefore AB \rightarrow ABC$  is non-trivial.

- Properties of FD:-
- \* Reflexive if  $Y \subseteq X$  then  $X \rightarrow Y$ .
  - \* Transitive if  $X \rightarrow Y$  and  $Y \rightarrow Z$  then  $X \rightarrow Z$ .
  - \* Decomposition if  $X \rightarrow YZ$ , then  $X \rightarrow Y$  and  $X \rightarrow Z$ .
  - \* Union if  $X \rightarrow Y$  and  $X \rightarrow Z$ , then  $X \rightarrow YZ$ .
  - \* Composition if  $X \rightarrow Y$  and  $Z \rightarrow W$ , then  $XZ \rightarrow YW$ .
  - \* Pseudo transitivity if  $X \rightarrow Y$  and  $YZ \rightarrow W$  then  $XZ \rightarrow W$ .
  - \* Augmentation if  $X \rightarrow Y$  then  $XZ \rightarrow YZ$ .

Foreign Key: when we borrow key from other table, then it becomes foreign key.

ex: Person has wife.  
 Person (Pid, PN, Wife id) foreign key here.  
 Wife (Wife id, WN) primary key here.

How to find key attribute?

→ Find the closure of attribute.

The closure of a attribute X contains all the attribute which are functionally determined by X.

• FD set for student relation S.

$S\_id \rightarrow S\_name$   $C\_id \rightarrow C\_name$

$C\_id \rightarrow C\_name$

Closure of  $S\_id$  is  $S\_id^+ = (S\_id, S\_name, C\_id, C\_name)$

Hence  $S\_id$  is a key attribute.

$S\_name^+ = \{S\_name\}$   
 $C\_id^+ = \{C\_id, C\_name\}$   
 $C\_name^+ = \{C\_name\}$

} Not including all attributes so, they are not C-keys/Key.

So  $S\_id$  is only candidate key and therefore primary key, no alternate key for this relation.  
 And every super set of  $S\_id$  is super key for this relation.

ex: R (ABCDEH)

FD (A → BC, CD → E, E → C, D → AEH, ABH → BD, DH → BC).

The no. of candidate keys for relation R is ?

soln:  $A^+ = \{A, B, C, D\}$

$B^+ = \{B\}$

$C^+ = \{C\}$

$D^+ = \{D, A, E, H, C, B\} \checkmark$

$E^+ = \{E, C\}$

$H^+ = \{H\}$

~~(A, B, C, D)~~ is the only

$AH^+ = \{AH, B, C, D, E\} \checkmark$

∴ 2 candidate keys: AH & D.

2) Given the foll. relation instance.

X	Y	Z
1	4	2
1	5	3
1	6	3
3	2	4

which of the foll. functional dependencies are satisfied by the instance?

a)  $XY \rightarrow Z$  and  $Z \rightarrow Y$

b)  $YZ \rightarrow X$  and  $Y \rightarrow Z$

c)  $YZ \rightarrow X$  and  $X \rightarrow Z$

d)  $XZ \rightarrow Y$  and  $Y \rightarrow X$

X: 1, 3  
 Y: 4, 5, 6  
 Z: 2, 3, 4

3.  $R = (A, B, C, D, E, F)$

$$FD : (C \rightarrow F, E \rightarrow A, EC \rightarrow D, A \rightarrow B)$$

$$CD^+ = \{C, D, F\}$$

$$EC^+ = \{E, C, F, A, D, B\}$$

$$AE^+ = \{A, E, B\}$$

$$AC^+ = \{A, C, F, B\}$$

$\therefore EC$  is candidate key.

4. From the foll. instance of relational schema  $R(A, B, C)$  we can conclude that:

A	B	C
1	1	1
1	1	0
2	3	2
2	3	2

$\therefore A$  functionally determines B and B does not functionally determine C.

5.  $R(ABCD, EF, GH)$

$$FD : (CH \rightarrow G, A \rightarrow BC, B \rightarrow CFH, E \rightarrow A,$$

$$(F \rightarrow EG)$$

How many C.K.?

$$\text{soln: } D^+ = \{D\}, CD^+ = \{C, D\}, GD^+ = \{G, D\}, HD^+ = \{H\},$$

$$\underline{ABFD}^+ = \{A, B, F, C, H, E, G, D\}$$

$$AD^+ = \{A, D, B, C, F, H, E, G\}$$

$$BD^+ = \{B, D, C, F, H, E, G, A\}$$

$$ED^+ = \{E, D, A, B, C, F, H, G\}$$

$$FD^+ = \{F, D, E, G, A, B, C, H\}$$

$\therefore 4$  candidate keys.

Trick: If any variable/attribute is not on RHS then it has to be a L.K (or) a part of C.K.

6.  $R(ABCDEF)$

$$FD : (DF \rightarrow C, BC \rightarrow F, E \rightarrow A, ABC \rightarrow E)$$

$$\text{soln: } BD^+ = \{B, D\}$$

$$ABD^+ = \{A, B, D\}$$

$$CBD^+ = \{C, B, D, F\}$$

$$EBD^+ = \{E, B, D, A\}$$

$$FBD^+ = \{F, B, D, C\}$$

$$ABCDF^+ = \{A, B, C, D, E, F\}$$

$$AFBD^+ = \{A, F, B, D, C, E\}$$

$$EFBD^+ = \{E, F, B, D, C, A\}$$

7.  $R(ABCDE)$

$$FD : (A \rightarrow BC, CD \rightarrow E, B \rightarrow D, E \rightarrow A)$$

$$\text{soln: } A^+ = \{A, B, C, D, E\}$$

$$E^+ = \{E, A, B, C, D\}$$

$$AB^+ = \{A, B, C, D, E\}$$

$$AC^+ = \{A, C, B, D, E\}$$

$$AD^+ = \{A, D, B, C, E\}$$

$$AE^+ = \{A, E, B, C, D\}$$

$$BC^+ = \{B, C, D, E, A\}$$

$$BE^+ = \{B, E, D, A, C\}$$

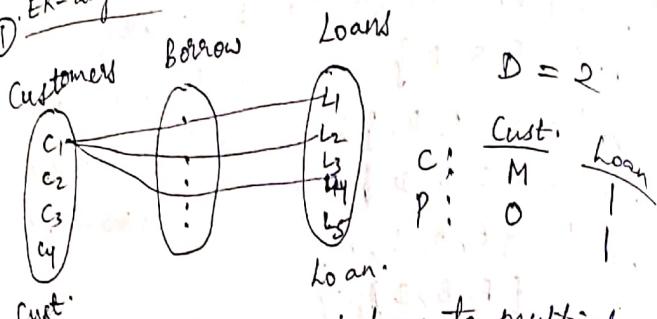
$$CD^+ = \{C, D, E, A, B\}$$

$$CE^+ = \{C, E, A, B, D\}$$

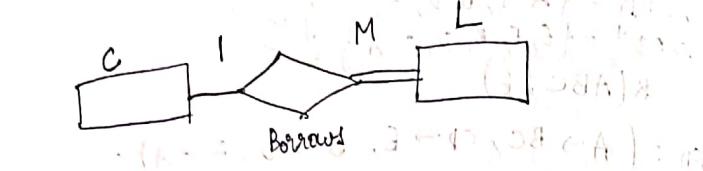
$$DE^+ = \{D, E, A, B, C\}$$

$\therefore 4$  C.K.

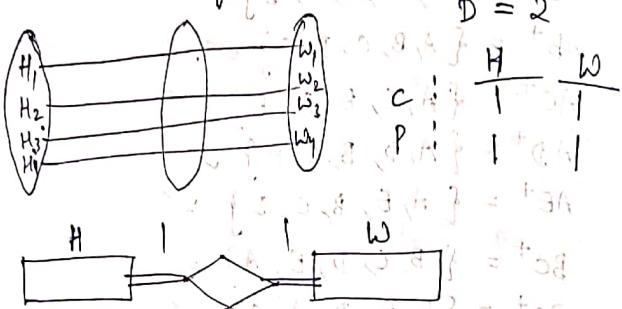
Ex ① ER-diagram



Assumption: One loan can't belong to multiple customers.



② Husband having Wife



8/9/20

SQL Unit - 2

SQL → Sequence Query Language

\* The SQL language has several parts :

→ DDL

→ DML

→ Integrity constraints

→ View definition

→ Transaction control — A transaction is either complete or null process. No interruption. If we interrupt then it rolls back.

→ Authorization

DDL :- Data Definition Language

allows the specification of :

- The schema for each relation.
- The types of values associated with each attribute/domain.
- Integrity constraints.
- Security and authorization information for each relation.
- The set of indices to be maintained for each relation.

Create table construct :-

Ex:-

create table branch

```
(branch_name char(15),
branch_city char(30),
assets int);
```

desc branch;

show tables;

to display table

\* Drop :- Drop will delete the complete table including schema.

\* Truncate :- Truncate will just delete tuples (rows) but not schema.

Syntax:-

DROP TABLE table-name;

TRUNCATE TABLE table-name;

\* Both are DDL commands.

- \* When we alter the schema of a table, the table must be empty.
- ex: `alter table table-name add column-name varchar(30)`
- `alter table table-name drop column column-name`
- `alter table table-name modify column-name char(50)`

Syntax:

```
create table table-name
  (attribute domain-type constraints)
```

Insert into syntax:

```
insert into student values(101, 'Rohit', 'Kommadi')
```

↳ for insertion into all columns.

```
insert into student(SID, SNAME) values(102, 'Ram')
```

↳ for insertion into specific columns.

Selecting columns:

```
select SID, SNAME from student;
```

↳ for specific column.

```
select * from table-name
```

↳ for all columns.

Delete tuples:

```
delete from student where SID=101
```

- \* SQL is case-insensitive but the names of attributes are case-sensitive i.e. the name of attributes are case-insensitive and their values are case-sensitive.

\* Delete is DML & Truncate is DDL

Selection:

```
select distinct (name) from student
```

Select distinct will show repeated ones only once.  
↳ (i.e. removes duplicates)

- \* The 'select' clause can contain arithmetic expressions

ex: `select loan-number, amount*100  
from loan`

where clause:

```
select loan-number  
from loan
```

↳ `where branch-name = 'Perryridge' and amount > 100`

We may use 'and', 'or' or 'not'.

from clause:

- ex:  $A = \{1, 2, 3\}$ ,  $B = \{a, b\}$ :  
Cartesian product  $A \times B = \{(1, a), (1, b), (2, a), (2, b), (3, a), (3, b)\}$ .

Std.

S.No	S-Name
1	S1
2	S2

Course:

C.No-	C.Name
101	C1
102	C2

from Std, Course

S.No	S-Name	C.No-	C.Name
1	S1	101	C1
1	S1	102	C2
2	S2	101	C1
2	S2	102	C2

- \* Find the Cartesian product borrower X loan

`select *  
from borrower, loan`

\* Select is a vertical filter clause.

\* Where is a horizontal filter clause

SQL clauses — Select, Where, From, Insert.

Rename Operation:

old-name as new-name

ex: Find the name, loan number and loan amount of all customers;  
rename the column name loan-number as loan-id.

Q1: Given

C customer (customer-name, customer-city)

L loan (loan-number, branch-name, amount)

B borrower (customer-name, loan-number)

select customer-name, borrower-loan-number as loan-id, amount

From: C, L, B

where C.customer-name = B.customer-name

and L.loan-number = B.loan-number

Q2: Find customer names and their loan numbers and amount for all customers having a loan at same branch.

select customer-name, B.loan-number, B.amount

from borrower as B, loan as L

where B.loan-number = L.loan-number

String Operations:

The operator 'like' uses patterns that are described using two special characters.

- percent (%): The % character matches any substring.
- underscore (-): The \_ character matches any character.

ex: Q1: Find the names of all customers whose street includes the substring "Main".

Select customer-name

from customer

where customer-street like '%. Main.%'

Order by clause:

We may specify desc for descending order or asc for ascending order, for each attribute; ascending order is the default.

ex: order by customer-name desc

Aggregate functions:

avg, min, max, sum, count

These fn's operate on the multiset of values of column.

ex: Q1: Find the average account balance at the Perryridge branch.

Q2: Select avg(balance)

from account

where branch-name = 'Perryridge'

Q3: Find no. of tuples in the 'customer' relation.

Select count(\*)

from customer

Q4: Find the no. of depositors for each branch.

Select count(branch-name, count(distinct customer-name))

from depositor, account

where depositor.account-number = account.account-number

group by branch-name

Having clause:

Having is same as where but is applicable mainly on groups. where is for the total database.

ex: Find the names of all branches where the average account balance is more than \$ 1200.

```

    select branch-name, avg(balance)
    from account
    group by branch-name
    having avg(balance) > 1200
  
```

Set Operations: Union, intersect and except are the set operations.

$$(A \cup B) \quad (A \cap B) \quad (A - B)$$

\*  $(A \cup B) - (A - B) = A \cap B$

\* Each of above operations automatically eliminates duplicates. To retain all duplicates use "union all", "intersect all" and "except all".

To perform set operations (like union, etc.) on relations  $R_1$ ,  $R_2$  (say), then they must have same "arity".

arity:

- ① No. of attributes in  $R_1$  &  $R_2$  must be same.
- ② The domain of corresponding attributes in  $R_1$  &  $R_2$  must be same.

ex: ① Find all customers who have a loan, an account or both.

```

    (select customer-name from depositor)
    union
    (select customer-name from borrower)
  
```

② Find all customers who have both a loan and an account.

```

    (select customer-name from depositor)
    intersect
    (select customer-name from borrower)
  
```

③ Find all customers who have an account but no loan.

(or)

Find all customers who have only account number.

```
(select customer-name from depositor)
```

except

```
(select customer-name from borrower)
```

Nested Subqueries:-

A sub-query is a select - from - where expression that is nested within another query.

\* A common use of sub-queries is to perform tests for set membership, set comparisons and set cardinality.

"In" Construct:

Ex: Find all customers who have both an account and a loan at the bank.

```
select distinct customer-name
```

from borrower

where customer-name in (select customer-name  
from depositor)

Ex: Find all customers who have a loan at the bank but do not have an account at the bank.

```
select distinct customer-name
```

from borrower

where customer-name not in (select customer-name  
from depositor)

"Some" Construct:-

• Find all branches that have greater assets than some branch located in Brooklyn.

Given,

branch(branch-name, branch-city, assets).

$\begin{aligned} &\text{select branch-name} \\ &\text{from branch} \\ &\text{where assets} > \text{some} \\ &\quad (\text{select assets} \\ &\quad \text{from branch} \\ &\quad \text{where branch-city} = \text{'Brooklyn'}) \end{aligned}$

### "All" Construct:-

- Find the names of all branches that have greater assets than all branches located in Brooklyn.

$\begin{aligned} &\text{select branch-name} \\ &\text{from branch} \\ &\text{where assets} > \text{all} \\ &\quad (\text{select assets} \\ &\quad \text{from branch} \\ &\quad \text{where branch-city} = \text{'Brooklyn'}) \end{aligned}$

### Modification of the Database - Deletion:-

- Delete all account tuples at the Perryridge branch.

$\begin{aligned} &\text{delete from account} \\ &\text{where branch-name} = \text{'Perryridge'} \end{aligned}$

- Delete all accounts at every branch located in the city 'Needham'.

$\begin{aligned} &\text{delete from account} \\ &\text{where branch-name} \in (\text{select branch-name} \\ &\quad \text{from branch} \\ &\quad \text{where branch-city} = \text{'Needham'}) \end{aligned}$

- Delete the record of all accounts with balance below the average at the bank.

$\begin{aligned} &\text{delete from account} \\ &\text{having where balance} < (\text{select avg(balance)} \\ &\quad \text{from account}) \end{aligned}$

### Modification - Insertion:-

- Add a new tuple to account

$\begin{aligned} &\text{insert into account} \\ &\text{values ('A-9732', 'Perryridge', 1200);} \end{aligned}$

### Modification - Updates:-

- Increase all accounts with balances over \$10,000 by 6%, all other accounts receive 5%.

- Write two update statements:

$\begin{aligned} &\text{update account} \\ &\text{set balance} = \text{balance} * 1.06 \\ &\text{where balance} > 10000; \end{aligned}$

$\begin{aligned} &\text{update account} \\ &\text{set balance} = \text{balance} * 1.05 \\ &\text{where balance} \leq 10000; \end{aligned}$

- Using 'case' statement:

$\begin{aligned} &\text{update account} \\ &\text{set balance} = \text{case} \\ &\quad \text{when balance} <= 10000 \text{ then balance} * 1.05 \\ &\quad \text{else balance} * 1.06 \\ &\quad \text{end}; \end{aligned}$

### Joined Relations:-

These are used to merge two tables.

- Find the customer names who are borrowers.

$\begin{aligned} &\text{select customer-name} \\ &\text{from customer, borrower} \\ &\text{where customer-name} = \text{borrower-name} \end{aligned}$

Inner join can work on  $>$ ,  $<$ ,  $=$  ... It equates the same tuples in two tables.

Outer join : Left, Right, Full

ex: Relation student

Relation student			Relation dept.	
Sid	Sname	did	did	dname
1	X	3	3	A
2	Y	5	Null	Null

Left : (L)      1      X      3      3      A  
                  2      Y      5      Null     Null

Right : (R)    Null    Null    Null    3    A  
                  Null    Null    Null    4    B

Full : (F)    1      X      3      3      A  
                  2      Y      5      Null     Null  
                  Null    Null    Null    4    B

In L, the total no. of tuples  $\leq$  no. of tuples in left

Inner join:    1      X      3      3      A

\* Natural join is inner join. Same like inner join but natural join always works on =,  $\neq$ ,  $<$ ,  $>$ ,  $\leq$ ,  $\geq$ .

ex: Find all customers who have either an account or a loan (but not both) at the bank.

select customer-name  
from depositor  
natural full outer join  
borrower

where account-number is Null  
or loan-number is Null

Derived relations:-

A subquery expression can be used in from clause.

ex: Find the average account balance of those branches where the average account balance is greater than \$ 1200.

select branch-name, avg-balance  
from (select branch-name, avg(balance)  
from account  
group by branch-name)  
as branch-avg (branch-name, avg-balance)  
where avg-balance > 1200

Here we are deriving the table name from 'from' clause and naming it as branch-avg, giving the attributes branch-name and avg-balance.

exists:-

It checks for empty relations.

It returns true if the sub query returns atleast 1 record. Otherwise it returns false.

\* My non-exists returns true if the sub-query returns 0 records or empty results.

\* If we have any reference of outer query inside the inner query, then it is correlated query.

ex: Find all customers who have an account at all branches located in Brooklyn.

select distinct S.customer-name

from depositor as S  
where not exists (

select branch-name  
from branch  
where branch-city = 'Brooklyn')

except

(select R.branch-name  
from depositor as T, account as R  
where T.account-number = R.account-number  
and S.customer-name = T.customer-name))

2. Answer :-

Unique :-

This is also for Correlated query.  
\* If the result of inner query returns or has duplicates, then 'unique' returns false; otherwise it returns true.

ex: Find all customers who have at most one account at the Perryridge branch.

select T.customer-name

from depositor as T

where unique (

select R.customer-name

from account, depositor as R

where T.customer-name = R.customer-name

and R.account-number = account.account-

and account.branch-name = 'Perryridge')

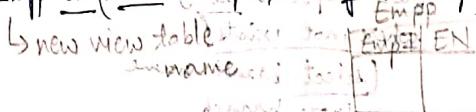
View Definition :-

A relation that is not of the conceptual model but is made visible to user as a "virtual relation" is called a view. Views are temporary tables. We don't store them.

ex: Emp I | EN | ES  
If we want to hide ES and create a virtual table.

Emp I	EN	ES

create view Emp as (select Emp I, EN, from Emp).



Null :-

\* Key attribute can't be null and has to be unique.

\* Any arithmetic operation with null results in null.

\* All Aggregate functions (like sum, ...) ignore the nulls except count (\*).

ex: sum(A)

A
2
3
Null

⇒ results 5.

ex: ①  $\frac{C_1 \wedge C_2}{C_1 \text{ AND } C_2}$

C<sub>1</sub> AND C<sub>2</sub> Unknown

Only if C<sub>1</sub> is F | Otherwise

↓  
False

Unknown

②  $\frac{C_1 \text{ OR } C_2}{C_1 \text{ OR } C_2}$

C<sub>1</sub> OR C<sub>2</sub> Unknown

Only if C<sub>2</sub> is T | Otherwise

↓  
True

Unknown

\* Any comparison with null returns unknown.

ex: 5 < null or null < 5 or null = null.

\* (not unknown) = unknown.

\* customer-name = null | customer-name is null

customer-name ≠ null | customer-name is not null

customer-name is unknown | customer-name is not known

\* Result of where clause is false if it evaluates to unknown.

↳ views can be created from any table.

↳ views can be updated if they are not self-referencing.

↳ views can be deleted if they are not self-referencing.

↳ views can be created from any table.

↳ views can be updated if they are not self-referencing.

↳ views can be deleted if they are not self-referencing.

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↳ views can be deleted if they are not self-referencing.

↳ views can be created from any table.

↳ views can be updated if they are not self-referencing.

↳ views can be deleted if they are not self-referencing.

\* Materialized view have physical existence. These may become outdated since these views are pre-computed and stored  $\rightarrow$  maintenance.

Hence view updated may be -

- Immediate - whenever we update base table immediately  $\rightarrow$  only 10% M.V update the view.
- Periodically - keep on updating after a certain time period.
- Lazily - doesn't get updated when base table is updated but gets updated when there is a need or someone needs access.

For a real-time system immediate updation should only be applied.

View updation standard term is — View Maintenance.  $\rightarrow$  Since M.V is physical one can update the view and hence we need to update the base table also because of referential integrity constraint.

To avoid this -

- ①  $\rightarrow$  simply reject updating the view.
- ②  $\rightarrow$  allowing by asking him/her to update base table first & then the view.
- ③  $\rightarrow$  even then if customer wants to update then just allow and bear the complexity.

The DBA will have to deal complexity and update the base table.

## Relational Algebra:

\* It presents the basic set of operations for relational model.

\* It is a procedural language.

## Unary Relational Operations:

- SELECT ( $\sigma$ )
- PROJECT ( $\pi$ )
- RENAME ( $\rho$ )

## SET THEORY:

- Union ( $\cup$ )
- Difference ( $-$ )

## Binary Relational Operations:

- JOIN ( $\bowtie$ )
- DIVISION

- Intersection ( $\cap$ )
- Cartesian Product ( $\times$ )

## Select Operation ( $\sigma$ ): - (horizontal)

Notation -  $\sigma_p(r)$

• Subject = "database" (Books)

Output - Selects tuples from books where subject is 'database'.

## Project Operation ( $\pi$ ): - (vertical)

Notation -  $\pi_{A_1, A_2, \dots, A_n}(r)$

where  $A_1, A_2, \dots, A_n$  are attribute names of relation  $r$ .

## Rename ( $\rho$ ):

•  $\rho(C(f \rightarrow sid_1, s \rightarrow sid_2), S1 \times R1)$

Syntax:  $\rho(R(F), E)$

\* Cardinality =  $m * n$

\* Degree =  $p + n$

$\rightarrow$  To allow updation of M.V then 4 rules have to be followed:

- ① The from clause has only one database relation.
- ② The select clause contains only attribute names of relation & does not have any expressions, aggregates.
- ③ Any attribute not listed in select clause can be set to null.
- ④ The query does not have a group by or having clause.

## Normalisation: (Schema Refinement) complex

It is simply decomposing a relation into less complex relations.

\* We decompose because the larger table/relation may contain Data Redundancy which leads to Data Inconsistency and Modification Anomalies.

Insertion Anomalies

Deletion Anomalies

Unit 3.

Updation Anomalies

Conditions during normalisation:  
 → Lossless decomposition (must) compulsory  
 → Dependency preserving (should) not compulsory

- While decomposing,  
 → Define foreign key in old table.  
 → Refer it new table as primary table.
- Redundancy comes because of functional dependencies, i.e. because of multi-valued F.D.

$$\begin{aligned} \text{ex: } 1\text{NF} &\leftarrow C_1 \\ 2\text{NF} &\leftarrow C_2 \\ 3\text{NF} &\leftarrow C_3 \\ BCNF &\leftarrow C_4 \end{aligned}$$

- \* If a relation is in any NF it means it satisfies all conditions imposed on it.
- \* NF's are cumulative i.e. if a relation is in 3NF, then it satisfies all conditions of 1NF & 2NF & 3NF also.
- \* To be in NF, a relation must satisfy a condition.
  - 1NF = C1 where C1: Domain of all attributes must be atomic.
  - 2NF = 1NF + C2 C2: No Partial FD.
  - 3NF = 2NF + C3 C3: No transitive FD.
  - BCNF = 3NF + C4 C4: Every attribute must depend on super key only.

C1 implies  $\Rightarrow$  No repetitive groups, no multivalued attributes.

~~and no composite attributes.~~

\* All components of candidate key are called prime attributes (composite)

e.g. if {AC} is CK then A, C are prime attributes and rest are called non-prime attributes.

\* If Non-prime depends on Prime i.e. P  $\leftarrow$  N.P, then it's Partial F.D.

\* Only if there is composite key, then prime & non-prime attributes arise.

≤ 1NF, only multivalued are not allowed (Composite attributes allowed).

Given a table R(ABCDEF). attributes allowed.

$P \leftarrow C \rightarrow D$ ,  $A, D \rightarrow E$ ,  $C \rightarrow F$ ,  $CDF \rightarrow B$ ,  $BF \rightarrow D$ .

$\therefore \text{SPER} = \{A, B, C, D, E, F\}$ . CK

$$\{ADC\}^+ = \{A, C, D, F, B, E\} \quad \checkmark \text{ CK.}$$

P : ABCD  
 NP : EF

While checking for 3NF, ABD  $\rightarrow$  E is not partially dependent because ABD is a whole of CK even though AB is part of CK.  
 i.e.  $ABD \not\subseteq \{(ABC, ADC)\}$ .

But  $CD \rightarrow F$  is a partial key (Also  $CD \subseteq ADC$ ).  
 So this creating problem, so create table.

$$\therefore R_1(ABCDE), R_2(CDF).$$

$$\Omega: R(F_1 F_2 F_3 F_4 F_5).$$

$$F_1 \rightarrow F_3, F_2 \rightarrow F_4, (F_1, F_2) \rightarrow F_5.$$

$\text{let: } \{F_1, F_2\}^+ = \{F_1, F_2, F_3, F_4, F_5\} \quad \checkmark \text{ CK.}$

$$\boxed{F_1 F_3} \quad \boxed{F_2 F_4} \quad \boxed{F_1 F_2 F_5}.$$

### Relational Algebra:-

- ① It is Procedural language.
- ② It takes instances from the relation and produces another relation.
- ③ It is based on set theory (removes duplicates).
- ④ It uses certain operations to answer a query.
- ⑤ In RA operations can only be unary, binary.

ex: Give SID where BC > 5.

$$\Pi_{SID}(\text{Book}(\sigma_{BC > 5}))$$

### Rename (?) :-

$$\text{?} \text{ newtablename}(NA_1, NA_2)^{(R)} \quad R(A, A_2)$$

$$\text{?} \text{ newtablename}(NA_1, NA_2)^{(R)} \quad \text{newtablename}(NA_1, NA_2)$$

\*  $R_{(NA_1)}(R) \rightarrow$  will generate only attribute.

\* ex: all BID where BC > 5. Rename BookID.  
 $\exists^* t : \{ \text{BookID} \mid \pi_{\text{BookID}}(\sigma_{BC > 5}(\text{book})) \}$

\* Always 
$$\boxed{t \leq t_1 \times t_2}$$
  
 ↓      ↓  
 no. of tuples    no. of tuples  
 in join        in cartesian product

\* Join is a selection/filter over cartesian product.

\* Inner Join

↳ theta Join ( $\theta$ )

↳ Equi Join (=)

↳ Natural Join

Outer Join  
 ↳ Left OT.  
 ↳ Right OT.  
 ↳ Full OT.

\*  $R_1 \bowtie R_2 \mid C_2 > R_2 \cdot C_3$

↓  
 Theta Join

$(R_1 \bowtie R_2)$

$M_{R_1 \cdot C_2} = R_2 \cdot C_3$

↓  
 Equi Join

$(R_1 \bowtie R_2)$

\*  $R_1 \bowtie R_2 \mid R_1 \cdot C_1 > R_2 \cdot C_2$  → Theta Join

$R_1 \bowtie R_2 \mid R_1 \cdot SID = R_2 \cdot BID$  → Equi Join

$R_1 \bowtie R_2 \mid R_1 \cdot SID = R_2 \cdot SID$  → Equi Join & Natural Join

Relational Calculus:-

↳ DRC (Domain)

↳ TRC (Tuple)  $\Rightarrow$  Tuple Domain Calculus.

\* R.C is non-procedural.

\* Query form is  $\{ T / F(T) \}$  → TRC.

↑  
 tuple variable

→ Formula

T is the set of tuples (variables) for which formula  $F(T)$  evaluates to true.

- ① T is a variable (No projection allowed with T).
- ② Many T.V are allowed in the formula where T is the only free variable.
- \* A free variable doesn't include existence quantifiers like  $\exists, \forall$ .

\* ③  $F(T)$

↳ Atomic Formula.

①  $T \in \text{Relation}$

ex:  $S \in \text{Sailor}$

②  $T.a \text{ op } S.b$  ( $<, >, \leq, \geq, =, \neq$ )

ex:  $S.\text{Rating} > R.\text{Rating}$

③  $T.a \text{ op Constant}$

ex:  $S.\text{Rating} > 7$

↳ if  $F_1, F_2$  are formulas,

then any logical combination of them is also a formula. ( $F_1 \wedge F_2, F_1 \vee F_2, \neg F_1$ ).

↳ if  $F(T)$  is a formula

then  $\{ T \in R \mid F(T) \}$

Domain variables

Sailor(Sid, SName, age, rating)  $\frac{S \in N}{S \in \text{Sailor}}$

Boat(Bid, BN, Color)  $\frac{B \in N}{B \in \text{Boat}}$

Reserve(Bid, Sid, Day)  $\frac{B \in N, S \in \text{Sailor}, D \in N}{B \in \text{Reserve}}$

Queries:

- ① Find a sailor with rating > 7.
 
$$\{ S \mid S \in \text{Sailor} \wedge S.\text{rating} > 7 \}$$
- ② Find a sailor whose age < 30.
 
$$\{ S \mid S \in \text{Sailor} \wedge S.\text{age} < 30 \}$$
- ③ Find the name of the sailor with rating > 7.
 
$$\{ S \mid \exists S1 \in \text{Sailor} (S1.\text{rating} > 7 \wedge S1.\text{Name} = S.\text{Name}) \}$$

④ Find age & Name of sailors having rating > 7.  
 $\{ S | \exists S_1 \in \text{Sailor} (S_1.\text{rating} > 7 \wedge S_1.\text{Name} = S.\text{Name} \wedge S_1.\text{age} = S.\text{age}) \}$

⑤ Find sailors rating > 7 and who have reserved Bid = 103.  
 $\{ S | \exists S \in \text{Sailor} \wedge S.\text{rating} > 7 \wedge (\exists R \in \text{Reserve} (R.\text{Sid} = S.\text{Sid} \wedge R.\text{Bid} = 103)) \}$

⑥ Find sailor name who reserved red boat.  
 $\{ S | \exists S_1 \in \text{Sailor} (S_1.\text{Name} = S.\text{Name} \wedge (\exists R \in \text{Reserve} (R.\text{Sid} = S.\text{Sid} \wedge (\exists B \in \text{Boat} (B.\text{Bid} = R.\text{Bid} \wedge B.\text{color} = \text{red})))) \}$

(or)  $\rightarrow$  simpler way

$\{ S | \exists S_1, \exists R, \exists B (S_1.\text{Sid} = R.\text{Sid} \wedge R.\text{Bid} = B.\text{Bid} \wedge B.\text{color} = \text{Red} \wedge S_1.\text{Name} = S.\text{Name}) \}$

⑦ Find sailors who reserved red or green boat.  
 $\{ S | \exists S \in \text{Sailor} \wedge \exists R \in \text{Reserve} (R.\text{Sid} = S.\text{Sid} \wedge (\exists B \in \text{Boat} (B.\text{Bid} = R.\text{Bid} \wedge (B.\text{color} = \text{red} \vee B.\text{color} = \text{green})))) \}$

⑧ Find sailors who reserved red and green boats.  
 $\{ S | \exists S \in \text{Sailor}, \exists R \in \text{Reserve}, \exists B \in \text{Boat} (S.\text{Sid} = R.\text{Sid} \wedge R.\text{Bid} = B.\text{Bid} \wedge B.\text{color} = \text{red}) \wedge (S.\text{Sid} = R.\text{Sid} \wedge R.\text{Bid} = B.\text{Bid} \wedge B.\text{color} = \text{green}) \}$

⑨ Find sailors who have reserved 2 different boats.  
 $\{ S | \exists S \in \text{Sailor}, \exists R_1 \in \text{Reserve}, \exists R_2 \in \text{Reserve} (R_1.\text{Sid} = S.\text{Sid} \wedge R_2.\text{Sid} = S.\text{Sid} \wedge R_1.\text{Bid} \neq R_2.\text{Bid}) \}$

### DRC :-

Here the variable is domain of attributes belonging to a relation.

### Query Format:

$\{ < x_1, x_2, \dots, x_n > | F(< x_1, x_2, \dots, x_n >) \}$

\* Conditions are same as TRC.

### Queries:

① Find sailors having rating > 7.  
 $\{ < S_1, S_2, R, A > | < S_1, S_2, R, A > \in \text{Sailor} \wedge R > 7 \}$

② Find Sid of sailors whose rating > 7.  
 $\{ < S_1 > | \exists S_2, R, A (< S_1, S_2, R, A > \in \text{Sailor} \wedge R > 7) \}$

③ Find the name of sailor who reserved boat of id 103.  
 $\{ N | \exists I \in \text{ITA} (< I \in \text{ITA} > \in \text{Sailor} \wedge \exists I_1, B, R, D (< I_1, B, R, D > \in \text{Reserve} \wedge I_1 = I \wedge B = 103)) \}$

④ Find the names of sailors who have reserved a red boat.  
 $\{ N | \exists I \in \text{ITA} (< I \in \text{ITA} > \in \text{Sailor} \wedge \exists I_1, B, R, D (< I_1, B, R, D > \in \text{Reserve} \wedge I_1 = I \wedge \exists B, R, C (< B, R, C > \in \text{Boat} \wedge R = B \wedge C = \text{'red'}))) \}$

Division Operator:  
Consider  $R_1(X)$ ,  $R_2(Y)$  where  $X$  &  $Y$  are set of attributes

$$R(Z) = R_1(X) \div R_2(Y)$$

$$X = Z \cup Y \leftarrow ① \quad Z = X - Y$$

②  $T_R$  is a tuple from  $R_1$  iff it is associated with all the tuples of  $R_2$ .

Mathematically,  
 $r \div s = \{t \mid t \in \Pi_{R-s}(r) \wedge t \in s\}$ .

	A	B
X	1	1
X	2	2
X	3	3
B	1	B
F	1	
S	1	
S	3	
S	4	
E	6	
E	1	
F	2	
R	1	

division example in TRC:

① Find sailors who reserved all boats.

$\{s \mid s \in \text{Sailor} \wedge$

$\forall b \in \text{Boat} (\exists R \in \text{Reserve} (s.sid = R.sid \wedge b.bid = R.bid))\}$

• Expressive Power (Theorem due to Codd):

- every query that can be expressed in relational algebra can be expressed as a safe query in DRC/TRC; the converse is also true.

• SQL has implementation feature but R.A and R.C do not have so.

Canonical Cover of FD set / Minimal set of FDs / irreducible set of FDs :-

FD set  $\boxed{F} \Rightarrow \boxed{F^+}$   $\rightarrow$  Canonical FD set.

$F$  may have:  
 ① redundant FDs  
 ② Extra generous attributes.

ex: ①  $R(WXYZ)$

$$\begin{array}{l} X \rightarrow W \\ WZ \rightarrow XY \\ Y = WXZ \end{array}$$

Step 1

Decomposition rule

$$\begin{array}{ll} X \rightarrow W & \checkmark \\ WZ \rightarrow X & \times \\ WZ \rightarrow Y & \checkmark \\ Y \rightarrow W & \times \\ Y \rightarrow X & \checkmark \\ Y \rightarrow Z & \checkmark \end{array}$$

Step 2

Find essentials

$$\begin{array}{ll} X \rightarrow W & \text{Canonical} \\ WZ \rightarrow Y & \text{cover} \\ Y \rightarrow X & \\ Y \rightarrow Z & \end{array}$$

②  $R(ABC)$

$$\begin{array}{l} A \rightarrow BC \\ B \rightarrow C \\ A \rightarrow B \\ AB \rightarrow C \end{array}$$

Step 1.

Using shortcut

$$\begin{array}{l} A \rightarrow B \\ A \rightarrow C \\ B \rightarrow C \\ A \rightarrow B \\ A \rightarrow C \\ AB \rightarrow C \end{array}$$

$$\begin{array}{l} A \rightarrow B \\ B \rightarrow C \end{array}$$

↳ Canonical cover

Using process

$$\begin{array}{ll} A \rightarrow B & A^+ = \{ACB\} \\ A \rightarrow C & A^+ = \{ABC\} \\ B \rightarrow C & B^+ = \{BC\} \\ A \rightarrow B & B^+ = \{B\} \\ AB \rightarrow C & A^+ = \{AB\} \\ & AB^+ = \{ABC\} \end{array}$$

$$\begin{array}{l} A \rightarrow B \\ B \rightarrow C \end{array}$$

↳ Canonical cover.

\* Canonical cover is not unique.

$$\begin{array}{l} C \rightarrow B \\ CB \rightarrow AC \\ CAE \rightarrow FB \\ D \rightarrow E \\ CA \rightarrow B \end{array}$$

$$\begin{array}{l} C^+ = \{CBAC\} \\ C^+ = \{C\} \\ CB^+ = \{CBA\} \\ CB^+ = \{CB\} \\ CB^+ = \{CBA\} \\ CAE^+ = \{CAEBF\} \\ CAE^+ = \{CAEB\} \end{array}$$

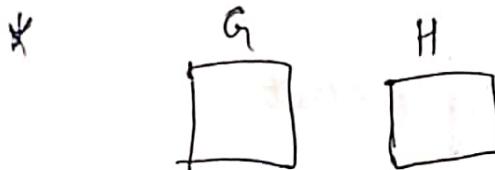
$$\begin{array}{l} C \rightarrow B \\ CB \rightarrow A \\ CAE \rightarrow F \\ D \rightarrow E \end{array}$$

Now  $CB^+ = \{ CBA \}$ .

$C^+ = \{ CB \}$ . } Hence B is extragenous.  
 $B^+ = \{ B \}$ . }

$$\begin{array}{l} C \rightarrow B \\ C \rightarrow A \\ CE \rightarrow F \\ D \rightarrow E \end{array} \quad \left. \begin{array}{l} C \rightarrow AB \\ CE \rightarrow F \\ D \rightarrow E \end{array} \right\} \quad \boxed{\begin{array}{l} C \rightarrow AB \\ CE \rightarrow F \\ D \rightarrow E \end{array}}$$

Canonical cover.



If both G and H cover each other then they are said to be equivalent.

Ex:

$F = \{$
$A \rightarrow B$
$AB \rightarrow C$
$D \rightarrow AC$
$D \rightarrow E$
$\}$
$G = \{$
$A \rightarrow BC$
$D \rightarrow AB$
$\}$

$\frac{F}{G}$
$\checkmark A \rightarrow B$
$\checkmark AB \rightarrow C$
$\checkmark D \rightarrow A$
<del><math>\times D \rightarrow C</math></del>
$\checkmark D \rightarrow E$

$\frac{G}{F}$
$\checkmark A \rightarrow B$
$\checkmark A \rightarrow C$
$\checkmark D \rightarrow A$
<del><math>\times D \rightarrow B</math></del>

$F^+$
$A \rightarrow B$
$A \rightarrow C$
$D \rightarrow A$
$D \rightarrow E$

$G^+$
$A \rightarrow B$
$A \rightarrow C$
$D \rightarrow A$

Hence F covers G but G does not cover F.