

Database Normalization

Presented by

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Key points

- Normalization
- Functional dependency
- Key attribute and keys in database
- Normal forms (NF)
- Normalization Process
- 1NF
- 2NF
- 3NF
- BCNF (Boyce-codd)

Normalization

- Process of decomposing a complex relation into less complex relations
 - Lossless decomposition
 - Dependency preserving
- Why do we need Normalization
 - To reduce/eliminate redundancy
 - ✓ It causes Modification anomalies
 - To maintain data consistency

Student Relation: S

S_id	S_name	C_id	C_name
S1	Rohit	101	C1
S2	Rahul	101	C1
S3	Rinku	102	C2
S4	Shree	102	C2
S5	Nirvana	103	C3

- Insert anomaly
 - can't insert information of new course. Or We have to use dummy data to insert information of new course
- Deletion anomaly
 - can't delete information of sid:S5 because we lost information of C3
- Updation anomaly
 - if we want to update c_name of cid:101, we have to update it at many places. If not, database become inconsistent.

Example: Normalized Relation (NR)

Student Relation: S1

S_id	S_name	C_id
S1	Rohit	101
S2	Rahul	101
S3	Rinku	102
S4	Shree	102
S5	Nirvana	103

Student Relation: S2

C_id	C_name
101	C1
102	C2
103	C3

- While decomposing
 - Define foreign key in old table
 - Refer it new table as primary key
- Is this decomposition lossless?
 - Yes
- Is this decomposition dependency preserving?
 - Yes
- How does redundancy occurs in relation
 - Because of function dependency
 - Because of Multivalued dependency
- Disadvantage of Normalization
 - It increases query processing cost
 - It increases maintenance cost

Functional Dependency (FD)

- Fd: $X \rightarrow Y$ Where X and $Y \in$ relation R
 - Y is functionally determinate by X
 - Or X uniquely determines Y
 - If the value of X replicates, value of Y must also replicates.
 - X is determinant
 - Y is dependent
- Mathematically
 - If $T1[X]=T2[X]$ then $T1[Y]=T2[Y]$
- Type of Dependencies
 - Trivial
 - ✓ Dependencies which will always hold in a relation.
 - ✓ $X \rightarrow Y$ is trivial if $Y \subseteq X$
 - ✓ Example $AB \rightarrow A$
 - Non trivial
 - ✓ $X \rightarrow Y$ is non-trivial if Y is not $\subseteq X$
 - ✓ Example $AB \rightarrow ABC$
- Properties of FD
 - Reflexive **if $Y \subseteq X$ then $X \rightarrow Y$**
 - Transitive **if $X \rightarrow Y$ and $Y \rightarrow Z$ then $X \rightarrow Z$**
 - Augmentation **if $X \rightarrow Y$ then $XZ \rightarrow YZ$**
 - Union **if $X \rightarrow Y$ and $X \rightarrow Z$ then $X \rightarrow YZ$**
 - Decomposition **if $X \rightarrow YZ$ then $X \rightarrow Y$ and $X \rightarrow Z$**
 - Composition **if $X \rightarrow Y$ and $Z \rightarrow W$ then $XZ \rightarrow YW$**
 - Pseudo transitivity **if $X \rightarrow Y$ and $YZ \rightarrow W$ then $XZ \rightarrow W$**

Keys in database

- Key attribute
 - Any attribute or minimal set of attributes in a relation R, which uniquely identifies every tuple of R or all attributes of R is called key attribute.
 - Simple key attribute
 - ✓ Indivisible key attribute
 - Composite key attribute
 - ✓ Divisible
- Candidate Key Vs. Primary Key Vs. Alternate Key Vs. Super Key Vs. Foreign Key
- Every Candidate key is a super key but vice versa is not true.
- How to find key attribute?
 - Find the closure of attribute
 - ✓ The closure of a attribute **X** contains all the attribute which are functionally determine by **X**.
- FD set for student relation S
 - $s_id \rightarrow s_name$
 - $c_id \rightarrow c_name$
 - $s_id^+ = \{s_id, s_name, c_id, c_name\}$
- So s_id is only candidate key and therefore primary key, no alternate key for this relation.
- And every super set of s_id is super key for this relation.

Normal forms

- 1NF, 2NF, 3NF, BCNF
 - Reduces redundancy due to FD
 - If a relation in BCNF then it is free from redundancy due to FDs
- 4NF, 5NF, DKNF, Higher Normal forms
 - Reduces redundancy due to Multivalued FD.
- A relation in a given normal form is free from certain set of modification anomalies
- To be in a Normal form, a relation must satisfy a condition
 - 1NF=C1
 - 2NF=1NF+C2
 - 3NF=2NF+C3
 - BCNF=3NF+C4

Where

C1: Domain of all attributes must be atomic

C2: No partial FD

C3: No Transitive FD

C4: Every attribute must be dependent on super key only

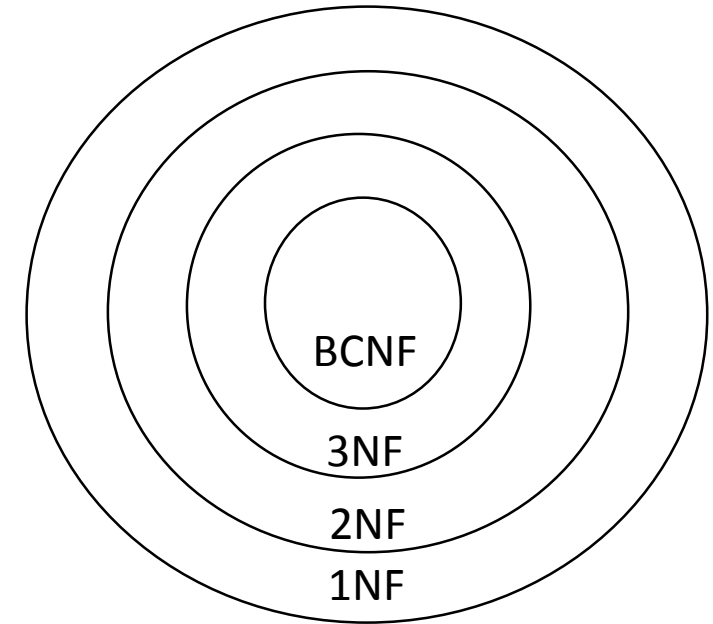


Fig. 1: Normal forms are cumulative

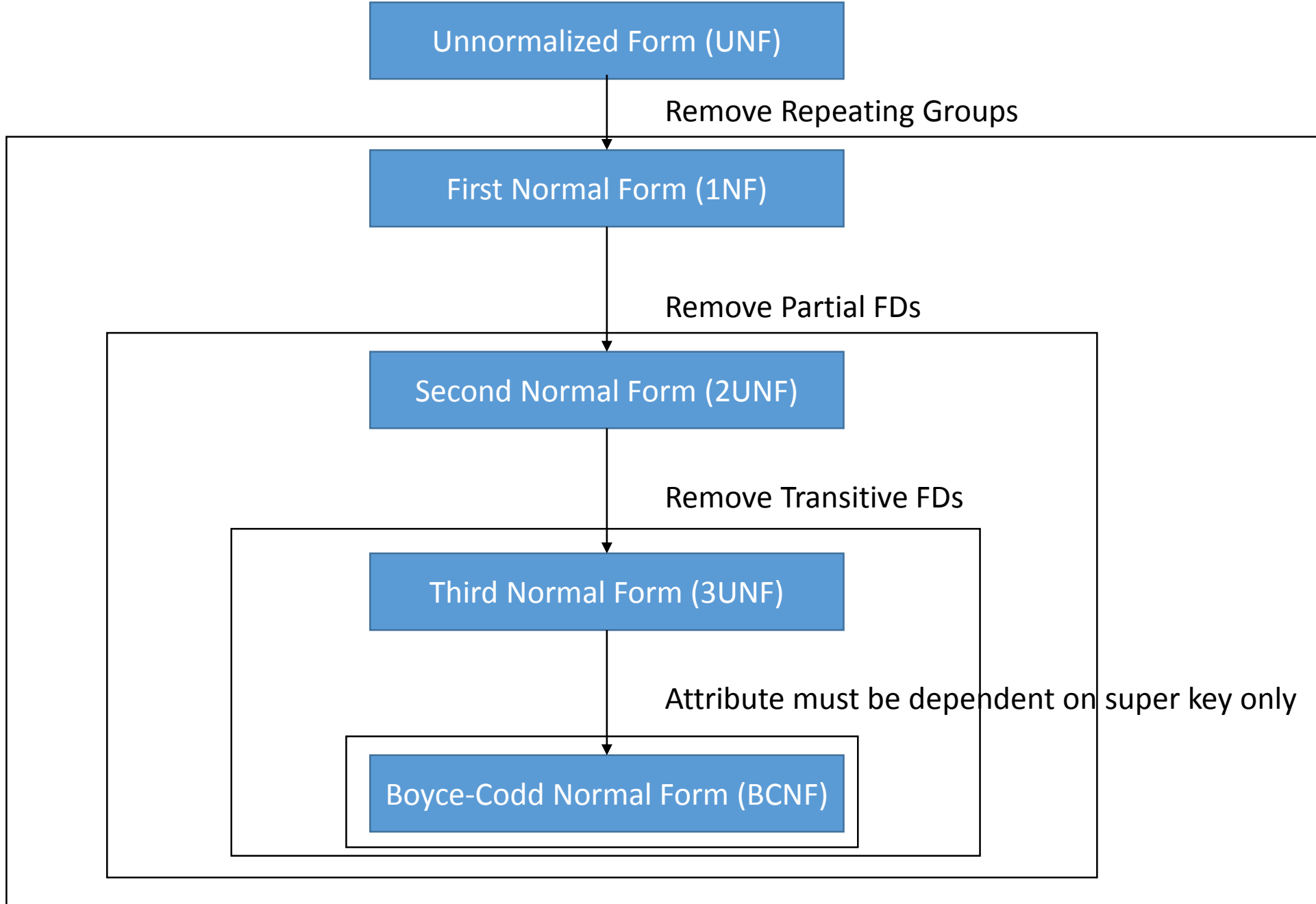


Fig. 2: Normal forms

Normalization Process

- Identify the FD set for relation
- Identify the candidate keys for relation
- Apply the definition of each normal form
- If the relation fails to meet the definition of normal form
 - Decompose it until it meets the definition of desired normal form
- Reapply the definition of normal forms to ensure it meet the definition of normal form.

1NF

- A relation R is said to be in 1NF, iff
 - The domain of each attribute must be atomic
 - ✓ A domain is said to be atomic if the values of the domain are indivisible unit and not set of values .
 - ✓ In other words, repeated groups are not allowed in 1NF
 - ✓ Multivalued and composite attribute are not allowed in 1NF

Relation S

S_id	S_Name	C_Name
S1	XYZ	C/C++
S2	YXZ	C++/Java
S3	YZX	Java/C
S4	XZY	C
S5	ZXY	Java

Relation S

S_id	S_Name	C_Name
S1	XYZ	C
S1	XYZ	C++
S2	YXZ	C++
S2	YXZ	Java
S3	YZX	Java
S3	YZX	C
S4	XZY	C
S5	ZXY	Java

Relation S1

S_id	S_Name
S1	XYZ
S2	YXZ
S3	YZX
S4	XZY
S5	ZXY

Relation S2

S_id	C_Name
S1	C
S1	C++
S2	C++
S2	Java
S3	Java
S3	C
S4	C
S5	Java

2NF

- A relation is said to be in 2NF iff,
 - It is in 1NF
 - No partial FDs are present in it
- A FD ($X \rightarrow Y$) is said to partial dependency (PD) iff
 - X is prime attribute
 - Y is non-prime attribute
 - Prime attribute is part of composite candidate key
 - non-prime attribute are not part of candidate key
- Mathematically

$X \rightarrow Y$ is PD $\iff X$ is not \subset CK $\wedge Y$:NPA

FIRST (supplier_no, status, city, part_no, quantity)

- **FD Set**

(supplier_no, part_no) \rightarrow quantity

supplier_no \rightarrow status

supplier_no \rightarrow city

city \rightarrow status

- **Candidate key(s) (CK)**

(Supplier_no, part_no)

- **Prime attribute (PA)**

supplier_no, part_no

- **Non prime attribute (NPA)**

status, city, quantity

- **2NF Decomposition**

SECOND (supplier_no, status, city)

SUPPLIER_PART (supplier_no, part_no, quantity)

3NF

- A relation is said to be in 3NF iff,
 - It is in 2NF
 - No Transitive FDs are present in it.
 - A non-prime attribute must not transitively dependent on key attribute

- Mathematically

$$\forall \text{FD}_{\text{NT}}: X \rightarrow Y \iff [X: \text{SK} \vee Y: \text{PA}]$$

- SECOND (supplier_no, status, city)

- FD Set

supplier_no \rightarrow status

supplier_no \rightarrow city

city \rightarrow status

- CK

Supplier_no

- 3NF Decomposition

SUPPLIER_CITY (supplier_no, city)

CITY_STATUS (city, status)

BCNF

- A relation is said to be in BCNF iff,
 - It is in 3NF
 - if and only if every determinant is a super key
- Mathematically
- $\forall \text{FD}_{\text{NT}}: X \rightarrow Y \iff X:\text{SK}$
- SUPPLIER_PART (supplier_no, supplier_name, part_no, quantity)
 - **FD set**
(supplier_no, part_no) \rightarrow quantity
(supplier_no, part_no) \rightarrow supplier_name
(supplier_name, part_no) \rightarrow quantity
(supplier_name, part_no) \rightarrow supplier_no
supplier_name \rightarrow supplier_no
supplier_no \rightarrow supplier_name
 - **CK:**
(supplier_no, part_no) and (supplier_name, part_no)
 - **Decomposition:**
 - SUPPLIER_ID (supplier_no, supplier_name)
 - SUPPLIER_PARTS (supplier_no, part_no, quantity)

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