Resistant Kernel Algorithm

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This algorithm creates a resistant kernel for a focal cell, based upon a dispersal parameter, a cost matrix, and a maximum search distance (included for computational efficiency). It is repeated for each focal cell in the landscape, and results are summed to give the resistant kernel estimator.

```
Resistant kernel(h, K, s)
Create working grid G filled with 0
                                                      ; starting "spread value" in focal cell
G_{ii} = s \cdot h
Repeat,
    G_{kl} = |G_{kl}|
                                                      ; start with highest active spread value
    For each neighbor G_{kl} of G_{ij},
                                                      ; subtract cost of each active neighbor
             t = \max(0, G_{ii} - K_{kl} \cdot (\sqrt{2} \text{ if diagonal, else } 1))
             If t > |G_{kl}|,
                 G_{kl} = -t
    ij = location of minimum value in G ; find highest active spread value
Until G_{ii} \ge 0
                                                     ; loop until no active values
R_{ij} = \text{zdensity}(s - G_{ij} \div h)
                                                      ; scale results by normal distribution
```

Where

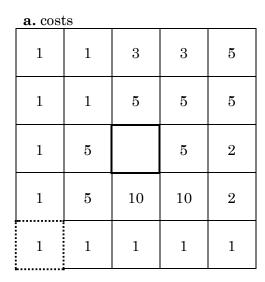
h = Standard deviation of dispersal distance in optimal cover type (in cells)

K = Cost grid, filled with cost for each cell based on cover type

s =Search distance (in units of h; e.g., s = 3 will create 99.7% kernel)

G =Working grid

 R_{ij} = Resistant kernel for focal cell i,j



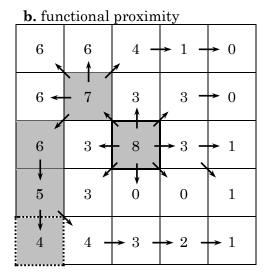


Fig. 1. An example of least-cost paths used to build a resistant kernel for a focal cell, outlined at center. a) cost matrix; b) resulting functional proximity (the complement of functional distance) to the focal cell (with starting value of 8) in each cell. The least-cost path from the focal cell to the lower left cell is highlighted. For simplicity in this illustration, diagonal paths are treated the same as orthogonal paths; in the model diagonal costs are multiplied by $\sqrt{2}$. These functional proximities are scaled by a density function (e.g., a normal function) and summed across each focal cell to yield a resistant kernel surface.