Welcome to SENG 480B / CSC 485B / CSC 586B Self-Adaptive and Self-Managing Systems

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http://courses.seng.uvic.ca/courses/2013/summer/seng/480b http://courses.seng.uvic.ca/courses/2013/summer/csc/485b http://courses.seng.uvic.ca/courses/2013/summer/csc/586b

Quiz 4

- Are you sitting next to the same person you did on Wed?
- Did you look up any term or resource related to this course since Wed?
- This course involves a lot of reading!
 How much reading have you done so far?

Course Web Sites

Course outline

Undergraduate students

http://courses.seng.engr.uvic.ca/courses/2010/spring/seng/480b

http://courses.seng.uvic.ca/courses/2013/summer/seng/480b

Graduate students

http://courses.seng.uvic.ca/courses/2013/summer/csc/586b

Course websites

http://www.rigiresearch.com/courses/sas

Syllabus

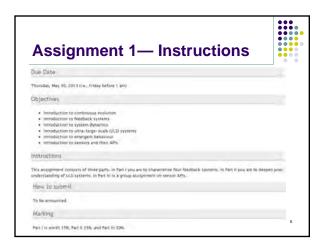
Lecture slides (pdf)

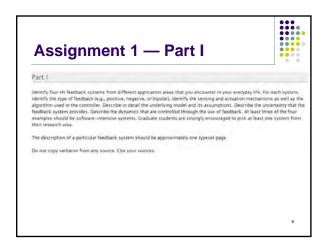
Assignments

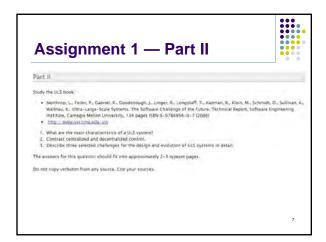
Materials for reading assignments

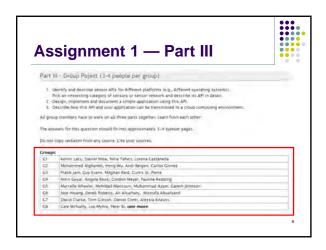
Everything else you need to know about the course











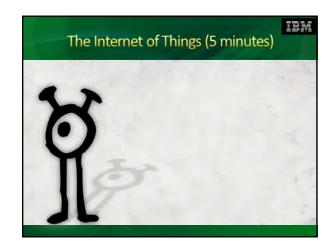


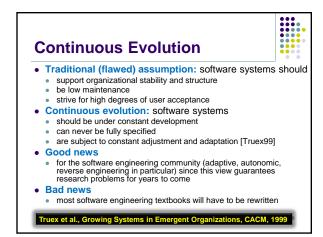


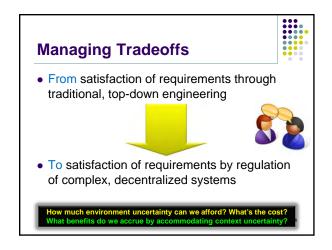


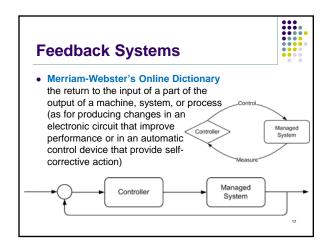


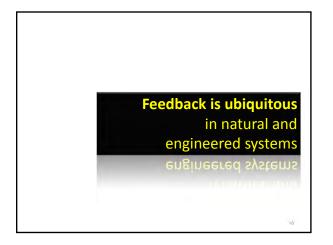


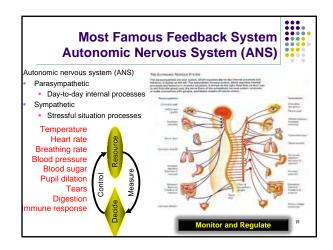


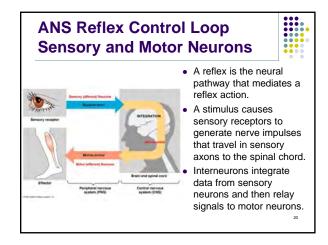


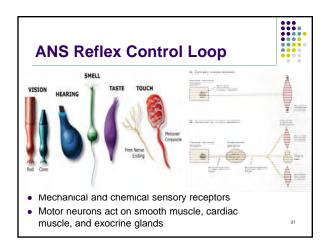








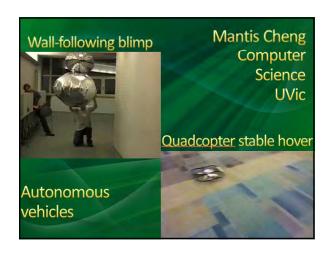




Interesting Architectural Note



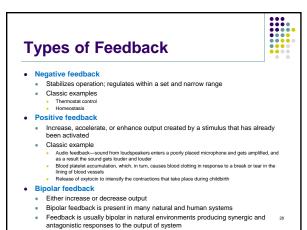
- Architecturally the ANS seems to separate the normal day-to-day internal processes from the exceptional, stressful situation processes
 - Parasympathetic
 - Day-to-day internal processes
 - Sympathetic
 - Stressful situation processes
- Could we use this interesting architectural design decision for self-managing and selfadaptive systems?











Physiological Regulation Homeostasis

- Homeostasis is the property of a system that regulates its internal environment and tends to maintain a stable, constant condition
- In animals the internal environment of our bodies must have certain conditions within tolerable limits to continue the healthy functioning.
- This is done by a process called negative feedback control, where various receptors and effectors bring about a reaction to ensure that such conditions remain favourable—the control of blood sugar concentrations, water concentrations, or temperature.
- Physiological homeostasis = Physical equilibrium
 - Glucose level in the bloodstream drops
 - Person requires glucose in cells to meet the demand for ATP—Adenosine triphosphate
- The body detects this with a particular receptor designed for this function
- These receptors release hormones, chemical messages that initiate the start of the feedback mechanism
- The hormones travel to their target tissue and initiate a corrective response
- In this case, the response is the secretion of more glucose into the bloodstream

Carbon-Water Climate Models



- Carbon-climate models all demonstrate a positive feedback between terrestrial carbon cycles and climate warming
- Air holds more water vapour (i.e., clouds) as temperature rises
- positive feedback magnifying the climate response
- Changes of clouds, snow cover, and sea ice
 - It is uncertain whether the cloud feedback is positive or negative
 - Snow and ice are positive feedbacks because, as they melt, the darke ocean and land absorb more sunlight
- Field experiments suggest rich mechanisms driving ecosystem responses to climate warming
 - Extended growing seasons
 - Enhanced nutrient availability
 Shifted species composition
 - Altered ecosystem-water dynamics

PhysicalGeography.net



Ice-Albedo Feedback

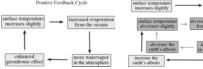


- - The amount of energy reflected by a surface; scale from zero to one
 - For dark colors albedo close to zero; light ones close to one
- · Arctic sea ice is covered with snow all winter
- Bright white, the snow-covered ice has a high albedo so it absorbs very little of the solar energy that gets to it.
- Because Earth's temperature is climbing, the snow on top of the ice melts earlier in the spring
- There is more time during the summer for the compounding cycle of melting ice, lowering albedo, trapping of more solar energy, and more
- Albedo feedback is positive because the initial temperature change is amplified.

Climate Feedback Examples



- The balance of incoming and outgoing energy in the earth's atmosphere system can be altered by feedbacks
- Positive feedback mechanisms reinforce initial changes; negative feedback mechanisms weaken initial changes.





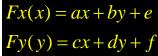
Feedback in Financial Markets



- The stock market has both positive and negative feedback mechanisms. This is due to cognitive and emotional factors belonging to the field of behavioural finance.
 - When stocks are rising—a bull market, the belief that further rises are probable gives investors an incentive to buy-positive feedback; but the increased price of the shares, and the knowledge that there must be a peak after which the market will fall, ends up deterring buyers-negative feedback.
 - Once the market begins to fall regularly—a bear market, some investors may expect further losing days and refrain from buyingpositive feedback, but others may buy because stocks become more and more of a bargain—negative feedback.

Generating Ferns and Grasses





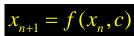
a	b	c	d	e	f	p
0.0	0.0	0.0	0.16	0.0	0.0	0.10
0.2	-0.26	0.23	0.22	0.0	1.6	0.08
-0.15	0.28	0.26	0.24	0.0	0.44	0.08
0.75	0.04	-0.04	0.85	0.0	1.6	0.74

p = probability with which the transformation is applied₃₄

Fractal Generator



- Does the sequence approach a limit value?
- Will the sequence arrive at a cycle of repeated values?
- Will the sequence be completely erratic?
- C, x_0 = constants
- X_n , X_{n+1} = subsequent values in sequence; feedback



For example

 $X_{n+1} = (x_n + c) \mod 11$

How does this sequence behave?

Fractal Generator Example



- $x_{n+1} = (x_n + c) \mod 11$
- c = 3 and $x_0 = 0$
 - **→** 03691471025803...
- c = 2 and $x_0 = 0$
 - **→** 02468101357902...
- $c = 11 \text{ and } x_0 = 0$
 - → 0 0 0 ...

Mandelbrot and Julia Sets

- · Most famous fractal
 - $Z_{k+1} = z_k^2 + c$ where z, c are complex numbers
- Suppose we fix c (not origin of complex plane) and let z vary over all complex numbers, what do we get?
- > Depending on c, we get completely different
 - Julia-Fatou sets
 - · Some complex numbers attracted to
 - Infinity (i.e., the sequence diverges to infinity)
 - Finite numbers (i.e., the sequence drifts to a finite number)
 - Neither (i.e., the sequence oscillates between several

Julia Set c = 0 • $z_0 \rightarrow z_0^2 \rightarrow z_0^4 \rightarrow z_0^8$ Depending on z₀ Numbers inside the unit circle are drawn to the attractor zero Numbers outside the unit circle are attracted to attractor infinity Numbers on the unit circle stay there Thus, two zones of influence divide the plane • The circle is called a Julia set.

What happens if $c \neq 0$?



- C = -0.12375 + 0.56508i
- → Degenerate circle, but the same behaviour
- The boundary (i.e., the degenerate circle is called a Julia set)
- Zoom in on curve
 - Self-similar
- Fractal curve
- That is, depending on z₀
 - Numbers inside the degenerate circle are drawn to the attractor zero
 - Numbers outside the degenerate circle are attracted to attractor infinity
 - Numbers on the degenerate circle stay there

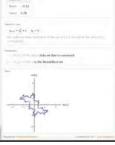


What happens if $c \neq 0$?



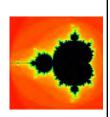
- \bullet C = -0.12 + 0.74i
- Julia set is no longer a single deformed circle, but rather an infinite number of deformed circles; however, it is still a connected set
- The beginning of chaos
 - 3 interior attractors
 - Infinity attractor

http://www.wolframalpha.com

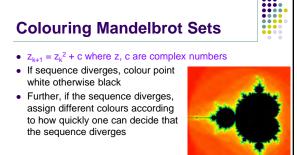


Mandelbrot Set

- · The Mandelbrot set tells us which kind of Julia set we can expect
 - A given c either belongs to the black structure M or not
 - If c is inside M → connected Julia set If c is outside M → disconnected Julia set
- · Visualize all the Julia sets on a path from a point inside M to a point
 - outside M The Julia sets are exploding
 - · Decompose into cloud of points
 - Chaos ensues



Mandelbrot and Julia Sets Most famous fractal $Z_{k+1} = Z_k^2 + C$ where z, c are complex numbers Compute the Julia-Fatou sets for all possible values of c and colour each point in the complex plane black if the Julia set is connected: made of one piece, not broken into disjoint islands white if the set is not connected The result is the Mandelbrot set The Mandelbrot set is self-similar



- Julia set and Mandelbrot set explorers
 - http://www.wolframalpha.com
 - http://aleph0.clarku.edu/%7edjoyce/julia/explorer.html

