## IDA Home Work 3 Pramod Aravind Byakod – 113436879

library(lattice)

library(car)

library(EnvStats)

library(corrplot)

library(ggbiplot)

library(mice)

library(VIM)

library(MASS)

library(Amelia)

library(ggplot2)

library(tidyr)

library(mlbench)

library(reshape2)

## Question 1 - Glass Identification

#### 1.a

data("Glass")

head(Glass)

# RI Na Mg Al Si K Ca Ba Fe

#1 1.52101 13.64 4.49 1.10 71.78 0.06 8.75 0 0.00

#2 1.51761 13.89 3.60 1.36 72.73 0.48 7.83 0 0.00

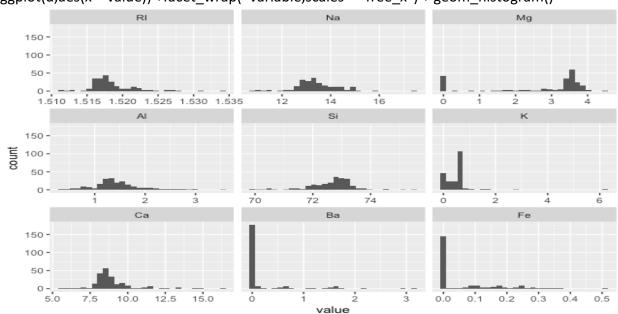
#3 1.51618 13.53 3.55 1.54 72.99 0.39 7.78 0 0.00

#4 1.51766 13.21 3.69 1.29 72.61 0.57 8.22 0 0.00

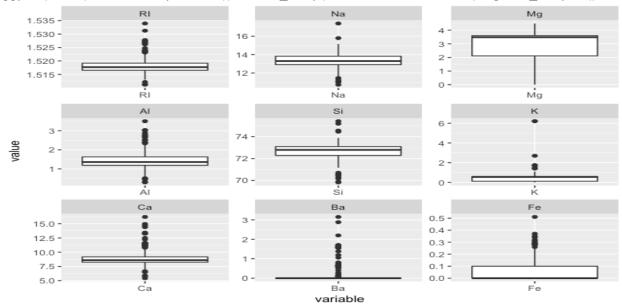
Glass = Glass[1:9]

d = melt(Glass)

 $ggplot(d,aes(x = value)) + facet_wrap(~variable,scales = "free_x") + geom_histogram()$ 

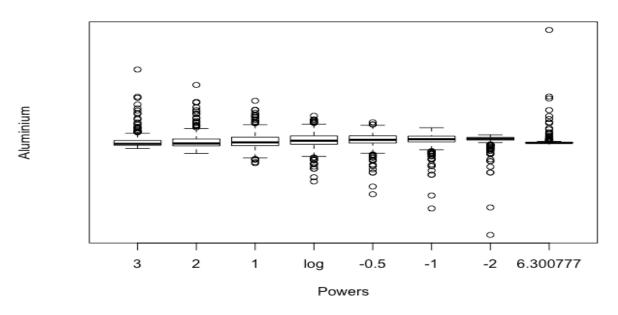


ggplot(d,aes(x = variable,y = value)) + facet\_wrap(~variable, scale="free") + geom\_boxplot()

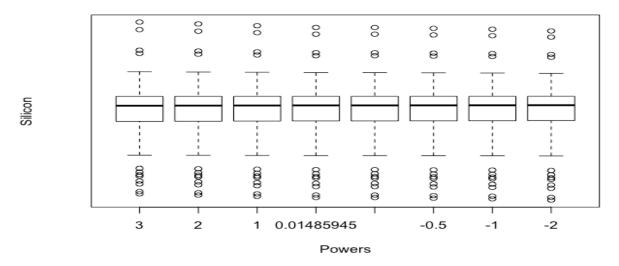


From the above plots RI, Na, Ca seems rightly skewed whereas Ba,Mg are left skewed. Few predictors follow normal distribution if we deal with outliers. Mg, Ba, Fe,K,Ca have many outliers compared to other predictors.

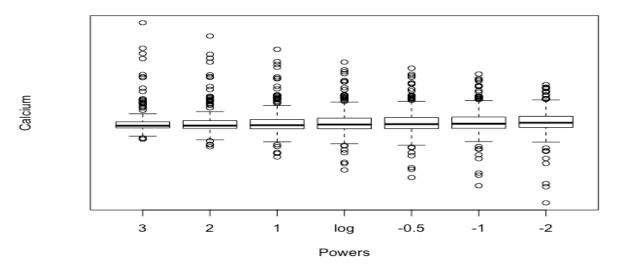
**1.b.i** symbox(Glass\$Al,data=Glass,powers=c(3,2,1,0,-0.5,-1,-2,6.300777),ylab="Aluminium")



symbox(Glass\$Si,data=Glass,powers=c(3,2,1,0.01485945,0,-0.5,-1,-2),ylab="Silicon")



symbox(Glass\$Ca,data=Glass,powers=c(3,2,1,0,-0.5,-1,-2),ylab="Calcium")



1.b.ii

EnvStats::boxcox(Glass\$Ca,optimize = TRUE, lambda=c(-5,7))

#\$lambda \$objective.name \$objective #[1] -0.8593591 [1] "PPCC" [1] 0.9390717

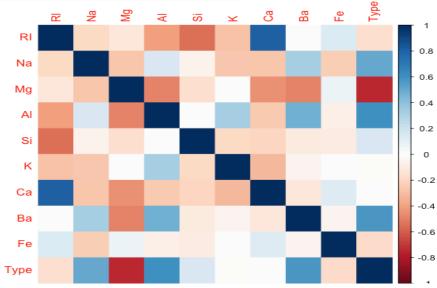
EnvStats::boxcox(Glass\$Si,optimize = TRUE, lambda=c(-5,7))

#\$lambda \$objective.name \$objective #[1]7 [1] "PPCC" [1]0.9622907

EnvStats::boxcox(Glass\$Al,optimize = TRUE, lambda=c(-5,7))

#\$lambda \$objective.name \$objective #1] 0.4844531 [1] "PPCC" [1] 0.9846485

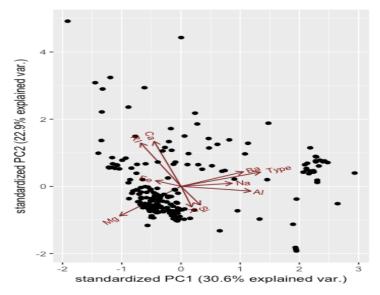
1.c
cormat = cor(Glass)
corrplot(cormat, method = "color")



Correlation between Ca and RI is high as we can see from the plot.

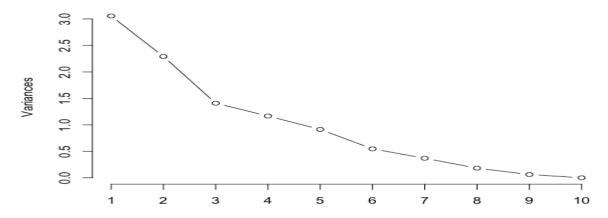
```
eig_glass = eigen(cormat)
glasss_pca = prcomp(Glass, scale = T)
summary(glasss_pca)
#Importance of components:
```

# PC1 PC2 PC3 PC4 PC5 PC6 PC7 PC8 PC9 PC10
#Standard deviation 1.748 1.513 1.187 1.080 0.9560 0.7398 0.6078 0.4274 0.2491 0.0401
#Proportion of Variance 0.305 0.229 0.140 0.116 0.0914 0.0547 0.0369 0.0182 0.0062 0.0001
#Cumulative Proportion 0.305 0.534 0.675 0.792 0.8836 0.9384 0.9753 0.9936 0.9998 1.0000
94% of proportion of variance explained(PVE) by 4 pca components
ggbiplot(glasss\_pca)



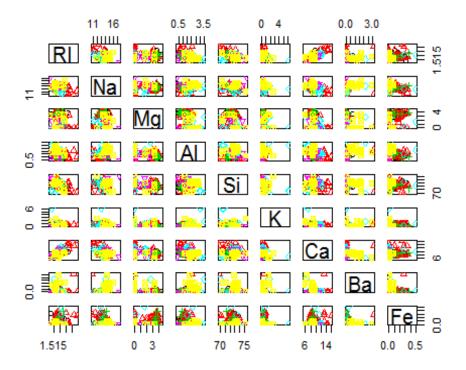
screeplot(glasss\_pca, type = "line", npcs = 10, main = "Scree Plot")





From thje above two plots, Al,Na,Fe represents the PC1 component, where as PC2 represented by Ca,Ri,Si,K.

1.d plot(Glass[,-10], col = Glass\$Type, pch = Glass\$Type)



glass.lda = Ida(Type ~ RI+Na+Mg+Al+Si+K+Ca+Ba+Fe, data = Glass) glass.lda.predict = predict(glass.lda, newdata = Glass[,-11])\$class glass.lda.predict

```
table(glass.lda.predict,Glass$Type)
#glass.lda.predict 1 2 3 5 6 7
#
        1521711011
#
        2 15 54 6 5 2 2
#
        3 3 0 0 0 0 0
#
        5030701
#
        6020060
        7 0 0 0 1 0 25
#
glass.lda$counts
#1 2 3 5 6 7
#0 76 17 13 9 29
```

Confusion matrix shows that type1 is predicted 52 times truly positive, 54 times truly positive etc (diagonal elements of the matrix).

PCA and LDA both are dimensional reduction techniques. PCA is unsupervised and label agnostic, means that it treats the entire data as a whole, whereas LDA is supervised and tries to classify difference between classes.

#### Question 2 – Missing Data

## 2.a Regression using listwise deletion

dflistwise = freetrade

datawithoutmiss = na.omit(dflistwise)

outputa=lm(data=datawithoutmiss,tariff~year+country+polity+pop+gdp.pc+intresmi+signed+fiveop+usheg

summary(outputa)

#Multiple R-squared: 0.9311, Adjusted R-squared: 0.9171

#F-statistic: 66.7 on 16 and 79 DF, p-value: < 2.2e-16

## 2.b Regression using mean imputation

dfMean = freetrade

dfMean\$tariff[which(is.na(dfMean\$tariff))] = mean(dfMean\$tariff,na.rm=T)

outputb=lm(data=dfMean,tariff~year+country+polity+pop+gdp.pc+intresmi+signed+fiveop+ush eg)

summary(outputb)

#Multiple R-squared: 0.6412, Adjusted R-squared: 0.5974

#F-statistic: 14.63 on 16 and 131 DF, p-value: < 2.2e-16

## 2.c Regression using multiple imputation

dfMice = freetrade

imp = mice(dfMice,m=6,meth="mean",maxit = 10)

fitc = with(imp,lm(tariff~ year+country+polity+pop+gdp.pc+intresmi+signed+fiveop+usheg))

summary(fitc)

#Multiple R-squared: 0.6379, Adjusted R-squared: 0.6002

#F-statistic: 16.95 on 16 and 154 DF, p-value: < 2.2e-16

## 2.d Comparison of the coefficients

summary(outputa) -> Multiple R-squared: 0.9311, Adjusted R-squared: 0.9171 summary(outputb) -> Multiple R-squared: 0.6412, Adjusted R-squared: 0.5974 summary(fitc) -> Multiple R-squared: 0.6379, Adjusted R-squared: 0.6002 Comparison shows that listwise deletion has high R-squared value where as multiple imputation has less value.

#### Question 4 - Kaggle.com

#### 4.a Data Selection

Data Selected - Crime Data for Philadelphia, it is extracted from Kaggle

URL - www.kaggle.com/mchirico/philadelphiacrimedata

Data name - crime.csv

This data set includes the data related to crimes committed in Philadelphia. Includes details of crime date, crime time, place where crime committed, police district, location blocked etc. 4.b Explore Data

summary(crime\_data)

```
#Dc Dist
               Psa
                                Dispatch Date Time Dispatch Date
                                                                     Dispatch Time
                                Length:2237605
                                                    Length:2237605
                                                                     Length:2237605
#Min. : 1.00
               Length:2237605
#1st Qu.: 9.00
               Class:character
                                Class :character
                                                    Class :character
                                                                     Class:character
#Median:16.00 Mode:character Mode:character
                                                    Mode :character Mode :character
#Mean :17.27
#3rd Qu.:24.00
#Max. :92.00
                                                   UCR General Text General Code
#Hour
               Dc Key
                                  Location Block
#Min. : 0.00
               Min. :1.998e+11
                                  Length:2237605
                                                   Min. : 100
                                                                 Length:2237605
#1st Qu.: 9.00
               1st Qu.:2.008e+11
                                  Class:character
                                                   1st Qu.: 600
                                                                Class:character
#Median:14.00 Median:2.011e+11 Mode:character
                                                   Median: 800 Mode: character
#Mean :13.16 Mean :2.011e+11
                                                   Mean :1271
#3rd Qu.:19.00 3rd Qu.:2.014e+11
                                                    3rd Qu.:1800
#Max. :23.00
               Max. :2.018e+11
                                                   Max. :2600
                                                   NA's :663
#Police Districts
                Month
                                 Lon
                                                Lat
                Length:2237605 Min. :-75.28
                                                Min. :39.87
#Min. : 1.00
                                1st Qu.:-75.19
#1st Qu.: 8.00
                Class :character
                                                1st Qu.:39.96
                Mode :character Median :-75.16 Median :39.99
#Median :12.00
#Mean :12.06
                                 Mean :-75.15
                                                Mean :39.99
#3rd Qu.:17.00
                                 3rd Qu.:-75.12
                                                3rd Qu.:40.03
                                                Max. :40.14
#Max. :22.00
                                 Max. :-74.96
#NA's :19930
                                 NA's :17349
                                                NA's :17349
```

#### Below are the columns present in dataset crime\_data

colnames(crime data)

```
#[1] "Dc_Dist" "Psa" "Dispatch_Date_Time" "Dispatch_Date" #[5] "Dispatch_Time" "Hour" "Dc_Key" "Location_Block" #[9] "UCR_General" "Text_General_Code" "Police_Districts" "Month" #[13] "Lon" "Lat"
```

## Number of columns in crime\_data

ncol(crime\_data)

#[1]14

#### Number of rows in crime\_data

nrow(crime\_data) # [1] 2237605

## Now let's extract the "Rape" and "Homicide" crime data into separate data frames.

crime\_homicide = crime\_data[grepl("Homicide", crime\_data\$Text\_General\_Code, ignore.case =
T),]

crime rape = crime data[crime data\$Text General Code == "Rape",]

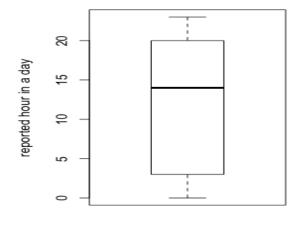
# Let's boxplot the frequency of both the crimes happening in hours of a day. For that we load a function called "boxplot.with.outlier.label" from github.

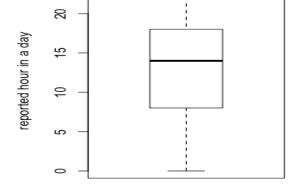
source("https://raw.githubusercontent.com/talgalili/R-code-

snippets/master/boxplot.with.outlier.label.r")

boxplot.with.outlier.label(crime\_homicide\$Hour,ylab = "reported hour in a day", xlab = "Homicide frequency")

boxplot.with.outlier.label(crime\_rape\$Hour,ylab = "reported hour in a day", xlab = "Rape frequency")





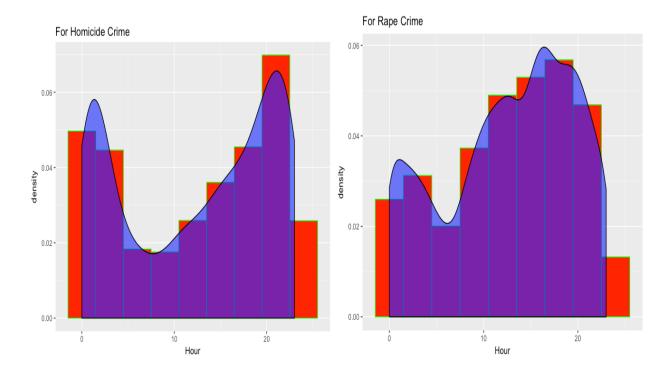
Homicide frequency

Rape frequency

We could clearly observe in the plots that there are no outliers detected.

#### To visualize the data we will make use of ggplot

ggplot(crime\_homicide, aes(x=Hour)) + geom\_histogram(aes(y=..density..),binwidth= 3,colour="green", fill="red") +geom\_density(alpha=0.6, fill="blue") ggplot(crime\_rape, aes(x=Hour)) + geom\_histogram(aes(y=..density..),binwidth= 3,colour="green", fill="red") +geom\_density(alpha=0.6, fill="blue")



## Information on missing value counts

apply(crime\_data,2, function(x){table(is.na(x))})

| \$Dc_Dist | \$Psa            | \$Dispate   | ch_Date_Ti    | me \$D | ispatch_Date | \$Dispatcl       | h_Time | \$Hour     |
|-----------|------------------|-------------|---------------|--------|--------------|------------------|--------|------------|
| FALSE     | FALSE            | FALSE       |               | FA     | LSE          | FALSE            |        | FALSE      |
| 2237605   | 2237605          | 505 2237605 |               |        | 37605        | 2237605          |        | 2237605    |
|           |                  |             |               |        |              |                  |        |            |
| \$Dc_Key  | \$Location_Block |             | \$UCR_General |        | \$Text_Gene  | al_Code \$Police |        | _Districts |
| FALSE     | FALSE            |             | FALSE         | TRUE   | FALSE        |                  | FALSE  | TRUE       |
| 2237605   | 2237605          | ,           | 2236942       | 663    | 2237605      |                  | 221767 | 75 19930   |
|           |                  |             |               |        |              |                  |        |            |
| \$Month   | \$Lon            |             | \$Lat         |        |              |                  |        |            |

FALSE FALSE TRUE FALSE TRUE 2237605 2220256 17349 2220256 17349

## In the above result TRUE means missing value, FALSE means data is available

## **Question 3 House prices data**

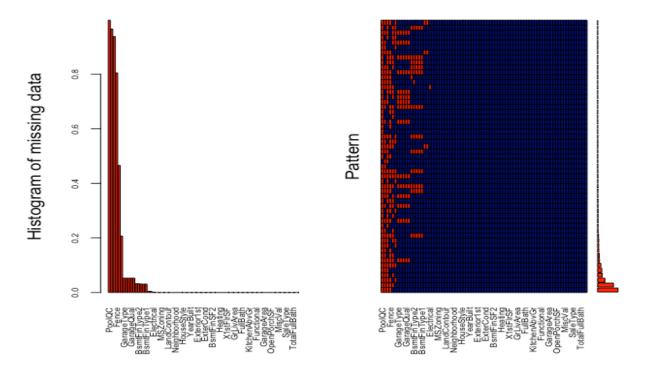
#### 3.a

housingData = read.csv("housingData.csv", header = TRUE, sep = ",") summary(housingData)

From the summary of the data we can say that few columns have missing values and those missing values can be categorized among categorical and numerical values

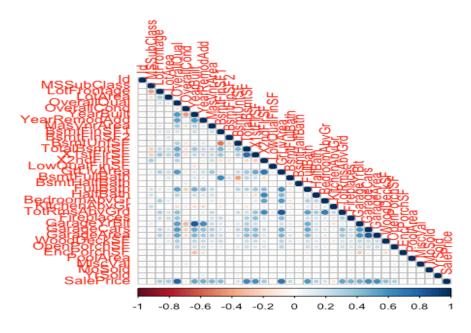
Let's have a closer look at missing data.

aggr(housingData, col=c('navyblue','red'), numbers=TRUE, sortVars=TRUE, labels=names(housingData), cex.axis=.6, gap=4, ylab=c("Histogram of missing data","Pattern"))



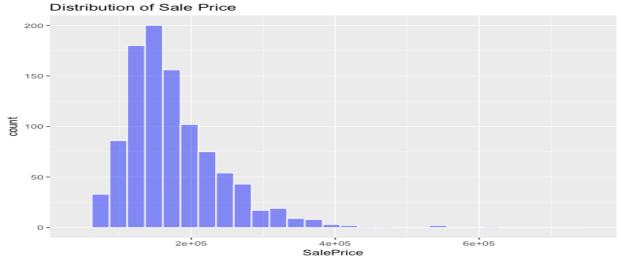
The missing values indicate that majority of the houses do not have alley access, no pool, no fence and no elevator, 2nd garage, shed or tennis court that is covered by the MiscFeature. To enhance the visualization, will form the correlation matrix and corrplot to plot the details. Let's plot only plot the correlation between the numeric variables

housing\_cor\_numerics = cor(na.omit(housingData[,numerical\_var]))
corrplot:: corrplot(housing\_cor\_numerics, method="circle", type="lower", insig = "blank")



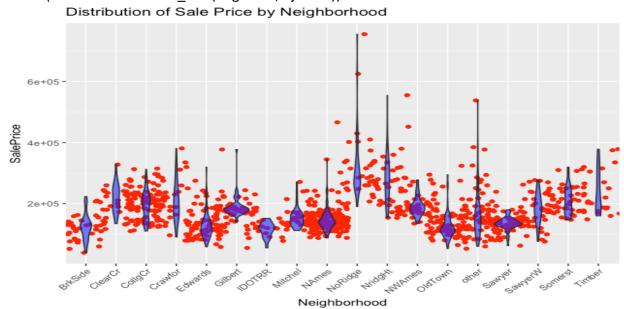
Consider sales price as the primary attribute, let's explore and visualize more on it. ggplot(data=housingData, aes(x=SalePrice)) + geom\_histogram(color='white', alpha=0.5, fill='blue') +scale x continuous(limits =

c(min(housingData\$SalePrice),max(housingData\$SalePrice))) +ggtitle('Distribution of Sale Price')



As we look at the plot of sales price, we can say that Sales Price is right skewed. When people consider buying homes, usually the location has been constrained to a certain area such as not too far from the workplace. I would consider this variable also strong feature.

Distribution of prices how the price range is changing by neighborhood wise. This plot gives the clear picture of the max and min sales price distribution by grouping neighbors ggplot(housingData, aes(x=Neighborhood, y=SalePrice)) +geom\_jitter(color='red', width=0.7) +geom\_violin(fill='blue', alpha=0.6) +ggtitle('Distribution of Sale Price by Neighborhood') +scale\_y\_continuous(limits = c(min(housingData\$SalePrice),max(housingData\$SalePrice))) + theme(axis.text.x=element text(angle=45, hjust=1))



#### 3.b

Now let's create few new features

Sale price depends on the number of years house used, rather than Yearbuilt and YearSold.

housingData\$YearsUsed = housingData\$YearBuilt - housingData\$YrSold

## Gives total number of fullBath rooms

housingData\$TotalFullBath = housingData\$BsmtFullBath - housingData\$FullBath Gives total Floor area.

housing Data \$Floors qft = housing Data \$X1stFlrSF + housing Data \$X2ndFlrSF

#### **Summing overall qual & OverallCond**

housingData\$overall = housingData\$OverallQual + housingData\$OverallCond

#### 3.c

Number of years the house used is one of the important factor for the buyers. Though we have year built and year sold data, having YearsUsed attribute makes the buyers life easier.

People also consider full bath rooms as one of the main factors while buying, so we add TotalFullBath attribute to the data frame.

Floorsqrft gives total area of the floors in square feet including 1<sup>st</sup> and 2<sup>nd</sup> floors.

We add rating for material and overall condition of the house to form another rating which gives overall rating of the house