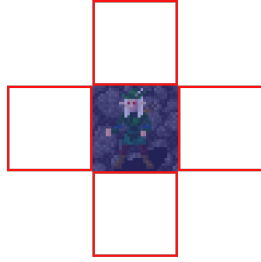


```

We are trying to prove:
IsClear(east(1,1))
--Resolve !IsClear(east(1,1)) and IsClear(j) || Pit(j) || Wall(j) || Wumpus(j)
-----Result Pit(east(1,1)) || Wall(east(1,1)) || Wumpus(east(1,1))
-----Resolve Pit(east(1,1)) || Wall(east(1,1)) || Wumpus(east(1,1)) and !Wall(east(1,1))
-----Result Pit(east(1,1)) || Wumpus(east(1,1))
-----Resolve Pit(east(1,1)) || Wall(east(1,1)) || Wumpus(east(1,1)) and Breezy(b) || !Pit(east(b))
-----Result Breezy(1,1) || Wall(east(1,1)) || Wumpus(east(1,1))
-----Resolve Pit(east(1,1)) || Wall(east(1,1)) || Wumpus(east(1,1)) and Stinky(f) || !Wumpus(east(f))
-----Result Stinky(1,1) || Pit(east(1,1)) || Wall(east(1,1))
-----Resolve Pit(east(1,1)) || Wumpus(east(1,1)) and Breezy(b) || !Pit(east(b))
-----Result Breezy(1,1) || Wumpus(east(1,1))
-----Resolve Pit(east(1,1)) || Wumpus(east(1,1)) and Stinky(f) || !Wumpus(east(f))
-----Result Stinky(1,1) || Pit(east(1,1))
-----Resolve Breezy(1,1) || Wall(east(1,1)) || Wumpus(east(1,1)) and !Wall(east(1,1))
-----Result Breezy(1,1) || Wumpus(east(1,1))
-----Resolve Breezy(1,1) || Wall(east(1,1)) || Wumpus(east(1,1)) and Stinky(f) || !Wumpus(east(f))
-----Result Stinky(1,1) || Breezy(1,1) || Wall(east(1,1))
-----Resolve Breezy(1,1) || Pit(east(1,1)) and !Stinky(1,1)
-----Result Pit(east(1,1))
-----Resolve Stinky(1,1) || Pit(east(1,1)) and Breezy(b) || !Pit(east(b))
-----Result Breezy(1,1) || Stinky(1,1)
-----Resolve Stinky(1,1) || Breezy(1,1) and !Stinky(1,1)
-----The rule Breezy(1,1) is a tautology.

The result is: 0

```



We are trying to prove:

```

IsClear(north(1,1))
-Resolve !IsClear(north(1,1)) and IsClear(j) || Pit(j) || Wall(j) || Wumpus(j)
-----Result Pit(north(1,1)) || Wall(north(1,1)) || Wumpus(north(1,1))
-----Resolve Pit(north(1,1)) || Wall(north(1,1)) || Wumpus(north(1,1)) and !Wall(north(1,1))
-----Result Pit(north(1,1)) || Wumpus(north(1,1))
-----Resolve Pit(north(1,1)) || Wall(north(1,1)) || Wumpus(north(1,1)) and Breezy(c) || !Pit(north(c))
-----Result Breezy(1,1) || Wall(north(1,1)) || Wumpus(north(1,1))
-----Resolve Pit(north(1,1)) || Wall(north(1,1)) || Wumpus(north(1,1)) and Stinky(g) || !Wumpus(north(g))
-----Result Stinky(1,1) || Pit(north(1,1)) || Wall(north(1,1))
-----Resolve Pit(north(1,1)) || Wumpus(north(1,1)) and Breezy(c) || !Pit(north(c))
-----Result Breezy(1,1) || Wumpus(north(1,1))
-----Resolve Pit(north(1,1)) || Wumpus(north(1,1)) and Stinky(g) || !Wumpus(north(g))
-----Result Stinky(1,1) || Pit(north(1,1))
-----Resolve Breezy(1,1) || Wall(north(1,1)) || Wumpus(north(1,1)) and !Breezy(1,1)
-----Result Wall(north(1,1)) || Wumpus(north(1,1))
-----Resolve Breezy(1,1) || Wall(north(1,1)) || Wumpus(north(1,1)) and !Wall(north(1,1))
-----Result Breezy(1,1) || Wumpus(north(1,1))
-----Resolve Breezy(1,1) || Wall(north(1,1)) || Wumpus(north(1,1)) and Stinky(g) || !Wumpus(north(g))
-----Result Stinky(1,1) || Breezy(1,1) || Wall(north(1,1))
-----Resolve Breezy(1,1) || Wumpus(north(1,1)) and !Breezy(1,1)
-----Result Wumpus(north(1,1))
-----Resolve Breezy(1,1) || Wumpus(north(1,1)) and Stinky(g) || !Wumpus(north(g))
-----Result Stinky(1,1) || Breezy(1,1)
-----Resolve Stinky(1,1) || Pit(north(1,1)) and !Stinky(1,1)
-----Result Pit(north(1,1))
-----Resolve Stinky(1,1) || Pit(north(1,1)) and Breezy(c) || !Pit(north(c))
-----Result Breezy(1,1) || Stinky(1,1)
-----Resolve Wumpus(north(1,1)) and Stinky(g) || !Wumpus(north(g))
-----Result Stinky(1,1)
-----Resolve Stinky(1,1) || Breezy(1,1) and !Stinky(1,1)
----The rule Breezy(1,1) is a tautology.
The result is: 0

```

We are trying to prove:

```

IsClear(south(1,1))
-Resolve !IsClear(south(1,1)) and IsClear(j) || Pit(j) || Wall(j) || Wumpus(j)
-----Result Pit(south(1,1)) || Wall(south(1,1)) || Wumpus(south(1,1))
-----Resolve Pit(south(1,1)) || Wall(south(1,1)) || Wumpus(south(1,1)) and Breezy(d) || !Pit(south(d))
-----Result Breezy(1,1) || Wall(south(1,1)) || Wumpus(south(1,1))
-----Resolve Pit(south(1,1)) || Wall(south(1,1)) || Wumpus(south(1,1)) and Stinky(h) || !Wumpus(south(h))
-----Result Stinky(1,1) || Pit(south(1,1)) || Wall(south(1,1))
-----Resolve Breezy(1,1) || Wall(south(1,1)) || Wumpus(south(1,1)) and !Breezy(1,1)
-----Result Wall(south(1,1)) || Wumpus(south(1,1))
-----Resolve Breezy(1,1) || Wall(south(1,1)) || Wumpus(south(1,1)) and Stinky(h) || !Wumpus(south(h))
-----Result Stinky(1,1) || Breezy(1,1) || Wall(south(1,1))
-----Resolve Stinky(1,1) || Pit(south(1,1)) || Wall(south(1,1)) and !Stinky(1,1)
-----Result Pit(south(1,1)) || Wall(south(1,1))
-----Resolve Stinky(1,1) || Pit(south(1,1)) || Wall(south(1,1)) and Breezy(d) || !Pit(south(d))
-----Result Breezy(1,1) || Stinky(1,1) || Wall(south(1,1))
-----Resolve Wall(south(1,1)) || Wumpus(south(1,1)) and Stinky(h) || !Wumpus(south(h))
-----Result Stinky(1,1) || Wall(south(1,1))
-----Resolve Stinky(1,1) || Breezy(1,1) || Wall(south(1,1)) and !Stinky(1,1)
-----Result Breezy(1,1) || Wall(south(1,1))
-----Resolve Stinky(1,1) || Breezy(1,1) || Wall(south(1,1)) and !Breezy(1,1)
-----Result Stinky(1,1) || Wall(south(1,1))
-----Resolve Stinky(1,1) || Wall(south(1,1)) and !Stinky(1,1)
----The rule Wall(south(1,1)) is a tautology.
The result is: 0

```

We are trying to prove:

```

IsClear(east(1,1))
-Resolve !IsClear(east(1,1)) and IsClear(j) || Pit(j) || Wall(j) || Wumpus(j)
-----Result Pit(east(1,1)) || Wall(east(1,1)) || Wumpus(east(1,1))
-----Resolve Pit(east(1,1)) || Wall(east(1,1)) || Wumpus(east(1,1)) and !Wall(east(1,1))
-----Result Pit(east(1,1)) || Wumpus(east(1,1))
-----Resolve Pit(east(1,1)) || Wall(east(1,1)) || Wumpus(east(1,1)) and Breezy(b) || !Pit(east(b))
-----Result Breezy(1,1) || Wall(east(1,1)) || Wumpus(east(1,1))
-----Resolve Pit(east(1,1)) || Wall(east(1,1)) || Wumpus(east(1,1)) and Stinky(f) || !Wumpus(east(f))
-----Result Stinky(1,1) || Pit(east(1,1)) || Wall(east(1,1))
-----Resolve Pit(east(1,1)) || Wumpus(east(1,1)) and Breezy(b) || !Pit(east(b))
-----Result Breezy(1,1) || Wumpus(east(1,1))
-----Resolve Pit(east(1,1)) || Wumpus(east(1,1)) and Stinky(f) || !Wumpus(east(f))
-----Result Stinky(1,1) || Pit(east(1,1))
-----Resolve Breezy(1,1) || Wall(east(1,1)) || Wumpus(east(1,1)) and !Breezy(1,1)

```

```

-----Result Wall(east(1,1)) || Wumpus(east(1,1))
-----Resolve Breezy(1,1) || Wall(east(1,1)) || Wumpus(east(1,1)) and !Wall(east(1,1))
-----Result Breezy(1,1) || Wumpus(east(1,1))
-----Resolve Breezy(1,1) || Wall(east(1,1)) || Wumpus(east(1,1)) and Stinky(f) || !Wumpus(east(f))
-----Result Stinky(1,1) || Breezy(1,1) || Wall(east(1,1))
-----Resolve Breezy(1,1) || Wumpus(east(1,1)) and !Breezy(1,1)
-----Result Wumpus(east(1,1))
-----Resolve Breezy(1,1) || Wumpus(east(1,1)) and Stinky(f) || !Wumpus(east(f))
-----Result Stinky(1,1) || Breezy(1,1)
-----Resolve Stinky(1,1) || Pit(east(1,1)) and !Stinky(1,1)
-----Result Pit(east(1,1))
-----Resolve Stinky(1,1) || Pit(east(1,1)) and Breezy(b) || !Pit(east(b))
-----Result Breezy(1,1) || Stinky(1,1)
-----Resolve Wumpus(east(1,1)) and Stinky(f) || !Wumpus(east(f))
-----Result Stinky(1,1)
-----Resolve Stinky(1,1) || Breezy(1,1) and !Stinky(1,1)
----The rule Breezy(1,1) is a tautology.
The result is: 0

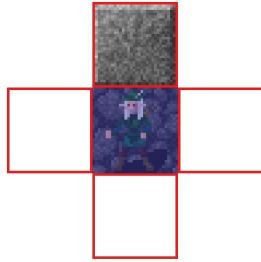
```

We are trying to prove:

```

IsClear(west(1,1))
-Resolve !IsClear(west(1,1)) and IsClear(j) || Pit(j) || Wall(j) || Wumpus(j)
-----Result Pit(west(1,1)) || Wall(west(1,1)) || Wumpus(west(1,1))
-----Resolve Pit(west(1,1)) || Wall(west(1,1)) || Wumpus(west(1,1)) and !Wall(west(1,1))
-----Result Pit(west(1,1)) || Wumpus(west(1,1))
-----Resolve Pit(west(1,1)) || Wall(west(1,1)) || Wumpus(west(1,1)) and Breezy(e) || !Pit(west(e))
-----Result Breezy(1,1) || Wall(west(1,1)) || Wumpus(west(1,1))
-----Resolve Pit(west(1,1)) || Wall(west(1,1)) || Wumpus(west(1,1)) and Stinky(i) || !Wumpus(west(i))
-----Result Stinky(1,1) || Pit(west(1,1)) || Wall(west(1,1))
-----Resolve Pit(west(1,1)) || Wumpus(west(1,1)) and Breezy(e) || !Pit(west(e))
-----Result Breezy(1,1) || Wumpus(west(1,1))
-----Resolve Pit(west(1,1)) || Wumpus(west(1,1)) and Stinky(i) || !Wumpus(west(i))
-----Result Stinky(1,1) || Pit(west(1,1))
-----Resolve Breezy(1,1) || Wall(west(1,1)) || Wumpus(west(1,1)) and !Wall(west(1,1))
-----Result Breezy(1,1) || Wumpus(west(1,1))
-----Resolve Breezy(1,1) || Wall(west(1,1)) || Wumpus(west(1,1)) and !Breezy(1,1)
-----Result Wall(west(1,1)) || Wumpus(west(1,1))
-----Resolve Breezy(1,1) || Wall(west(1,1)) || Wumpus(west(1,1)) and Stinky(i) || !Wumpus(west(i))
-----Result Stinky(1,1) || Breezy(1,1) || Wall(west(1,1))
-----Resolve Breezy(1,1) || Wumpus(west(1,1)) and !Breezy(1,1)
-----Result Wumpus(west(1,1))
-----Resolve Breezy(1,1) || Wumpus(west(1,1)) and Stinky(i) || !Wumpus(west(i))
-----Result Stinky(1,1) || Breezy(1,1)
-----Resolve Stinky(1,1) || Pit(west(1,1)) and !Stinky(1,1)
-----Result Pit(west(1,1))
-----Resolve Stinky(1,1) || Pit(west(1,1)) and Breezy(e) || !Pit(west(e))
-----Result Breezy(1,1) || Stinky(1,1)
-----Resolve Wumpus(west(1,1)) and Stinky(i) || !Wumpus(west(i))
-----Result Stinky(1,1)
-----Resolve Stinky(1,1) || Breezy(1,1) and !Stinky(1,1)
----The rule Breezy(1,1) is a tautology.
The result is: 0

```



We are trying to prove:

```

IsClear(north(1,1))
-Resolve !IsClear(north(1,1)) and IsClear(j) || Pit(j) || Wall(j) || Wumpus(j)
-----Result Pit(north(1,1)) || Wall(north(1,1)) || Wumpus(north(1,1))
-----Resolve Pit(north(1,1)) || Wall(north(1,1)) || Wumpus(north(1,1)) and !Wall(north(1,1))
-----Result Pit(north(1,1)) || Wumpus(north(1,1))
-----Resolve Pit(north(1,1)) || Wall(north(1,1)) || Wumpus(north(1,1)) and Breezy(c) || !Pit(north(c))
-----Result Breezy(1,1) || Wall(north(1,1)) || Wumpus(north(1,1))
-----Resolve Pit(north(1,1)) || Wall(north(1,1)) || Wumpus(north(1,1)) and Stinky(g) || !Wumpus(north(g))
-----Result Stinky(1,1) || Pit(north(1,1)) || Wall(north(1,1))
-----Resolve Pit(north(1,1)) || Wumpus(north(1,1)) and Breezy(c) || !Pit(north(c))
-----Result Breezy(1,1) || Wumpus(north(1,1))
-----Resolve Pit(north(1,1)) || Wumpus(north(1,1)) and Stinky(g) || !Wumpus(north(g))
-----Result Stinky(1,1) || Pit(north(1,1))
-----Resolve Breezy(1,1) || Wall(north(1,1)) || Wumpus(north(1,1)) and !Breezy(1,1)
-----Result Wall(north(1,1)) || Wumpus(north(1,1))
-----Resolve Breezy(1,1) || Wall(north(1,1)) || Wumpus(north(1,1)) and !Wall(north(1,1))
-----Result Breezy(1,1) || Wumpus(north(1,1))
-----Resolve Breezy(1,1) || Wall(north(1,1)) || Wumpus(north(1,1)) and Stinky(g) || !Wumpus(north(g))
-----Result Stinky(1,1) || Breezy(1,1) || Wall(north(1,1))
-----Resolve Breezy(1,1) || Wumpus(north(1,1)) and !Breezy(1,1)

```

```

-----Result Wumpus(north(1,1))
-----Resolve Breezy(1,1) || Wumpus(north(1,1)) and Stinky(g) || !Wumpus(north(g))
-----Result Stinky(1,1) || Breezy(1,1)
-----Resolve Stinky(1,1) || Pit(north(1,1)) and !Stinky(1,1)
-----Result Pit(north(1,1))
-----Resolve Stinky(1,1) || Pit(north(1,1)) and Breezy(c) || !Pit(north(c))
-----Result Breezy(1,1) || Stinky(1,1)
-----Resolve Wumpus(north(1,1)) and Stinky(g) || !Wumpus(north(g))
-----Result Stinky(1,1)
-----Resolve Stinky(1,1) || Breezy(1,1) and !Stinky(1,1)
----The rule Breezy(1,1) is a tautology.
The result is: 0

```

```

We are trying to prove:
IsClear(south(1,1))
-Resolve !IsClear(south(1,1)) and IsClear(j) || Pit(j) || Wall(j) || Wumpus(j)
-----Result Pit(south(1,1)) || Wall(south(1,1)) || Wumpus(south(1,1))
-----Resolve Pit(south(1,1)) || Wall(south(1,1)) || Wumpus(south(1,1)) and Breezy(d) || !Pit(south(d))
-----Result Breezy(1,1) || Wall(south(1,1)) || Wumpus(south(1,1))
-----Resolve Pit(south(1,1)) || Wall(south(1,1)) || Wumpus(south(1,1)) and Stinky(h) || !Wumpus(south(h))
-----Result Stinky(1,1) || Pit(south(1,1)) || Wall(south(1,1))
-----Resolve Breezy(1,1) || Wall(south(1,1)) || Wumpus(south(1,1)) and !Breezy(1,1)
-----Result Wall(south(1,1)) || Wumpus(south(1,1))
-----Resolve Breezy(1,1) || Wall(south(1,1)) || Wumpus(south(1,1)) and Stinky(h) || !Wumpus(south(h))
-----Result Stinky(1,1) || Breezy(1,1) || Wall(south(1,1))
-----Resolve Stinky(1,1) || Pit(south(1,1)) || Wall(south(1,1)) and !Stinky(1,1)
-----Result Pit(south(1,1)) || Wall(south(1,1))
-----Resolve Stinky(1,1) || Pit(south(1,1)) || Wall(south(1,1)) and Breezy(d) || !Pit(south(d))
-----Result Breezy(1,1) || Stinky(1,1) || Wall(south(1,1))
-----Resolve Wall(south(1,1)) || Wumpus(south(1,1)) and Stinky(h) || !Wumpus(south(h))
-----Result Stinky(1,1) || Wall(south(1,1))
-----Resolve Stinky(1,1) || Breezy(1,1) || Wall(south(1,1)) and !Stinky(1,1)
-----Result Breezy(1,1) || Wall(south(1,1))
-----Resolve Stinky(1,1) || Breezy(1,1) || Wall(south(1,1)) and !Breezy(1,1)
-----Result Stinky(1,1) || Wall(south(1,1))
-----Resolve Stinky(1,1) || Wall(south(1,1)) and !Stinky(1,1)
----The rule Wall(south(1,1)) is a tautology.
The result is: 0

```

```

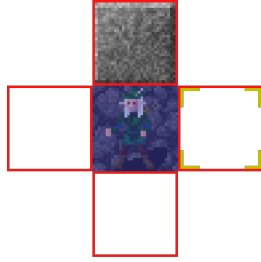
We are trying to prove:
IsClear(east(1,1))
-Resolve !IsClear(east(1,1)) and IsClear(j) || Pit(j) || Wall(j) || Wumpus(j)
-----Result Pit(east(1,1)) || Wall(east(1,1)) || Wumpus(east(1,1))
-----Resolve Pit(east(1,1)) || Wall(east(1,1)) || Wumpus(east(1,1)) and !Wall(east(1,1))
-----Result Pit(east(1,1)) || Wumpus(east(1,1))
-----Resolve Pit(east(1,1)) || Wall(east(1,1)) || Wumpus(east(1,1)) and Breezy(b) || !Pit(east(b))
-----Result Breezy(1,1) || Wall(east(1,1)) || Wumpus(east(1,1))
-----Resolve Pit(east(1,1)) || Wall(east(1,1)) || Wumpus(east(1,1)) and Stinky(f) || !Wumpus(east(f))
-----Result Stinky(1,1) || Pit(east(1,1)) || Wall(east(1,1))
-----Resolve Pit(east(1,1)) || Wumpus(east(1,1)) and Breezy(b) || !Pit(east(b))
-----Result Breezy(1,1) || Wumpus(east(1,1))
-----Resolve Pit(east(1,1)) || Wumpus(east(1,1)) and Stinky(f) || !Wumpus(east(f))
-----Result Stinky(1,1) || Pit(east(1,1))
-----Resolve Breezy(1,1) || Wall(east(1,1)) || Wumpus(east(1,1)) and !Breezy(1,1)
-----Result Wall(east(1,1)) || Wumpus(east(1,1))
-----Resolve Breezy(1,1) || Wall(east(1,1)) || Wumpus(east(1,1)) and !Wall(east(1,1))
-----Result Breezy(1,1) || Wumpus(east(1,1))
-----Resolve Breezy(1,1) || Wall(east(1,1)) || Wumpus(east(1,1)) and Stinky(f) || !Wumpus(east(f))
-----Result Stinky(1,1) || Breezy(1,1) || Wall(east(1,1))
-----Resolve Breezy(1,1) || Wumpus(east(1,1)) and !Breezy(1,1)
-----Result Wumpus(east(1,1))
-----Resolve Breezy(1,1) || Wumpus(east(1,1)) and Stinky(f) || !Wumpus(east(f))
-----Result Stinky(1,1) || Breezy(1,1)
-----Resolve Stinky(1,1) || Pit(east(1,1)) and !Stinky(1,1)
-----Result Pit(east(1,1))
-----Resolve Stinky(1,1) || Pit(east(1,1)) and Breezy(b) || !Pit(east(b))
-----Result Breezy(1,1) || Stinky(1,1)
-----Resolve Wumpus(east(1,1)) and Stinky(f) || !Wumpus(east(f))
-----Result Stinky(1,1)
-----Resolve Stinky(1,1) || Breezy(1,1) and !Stinky(1,1)
----The rule Breezy(1,1) is a tautology.
The result is: 0

```

```

We are trying to prove:
IsClear(west(1,1))
-Resolve !IsClear(west(1,1)) and IsClear(j) || Pit(j) || Wall(j) || Wumpus(j)
-----Result Pit(west(1,1)) || Wall(west(1,1)) || Wumpus(west(1,1))
-----Resolve Pit(west(1,1)) || Wall(west(1,1)) || Wumpus(west(1,1)) and !Wall(west(1,1))
-----Result Pit(west(1,1)) || Wumpus(west(1,1))
-----Resolve Pit(west(1,1)) || Wall(west(1,1)) || Wumpus(west(1,1)) and Breezy(e) || !Pit(west(e))
-----Result Breezy(1,1) || Wall(west(1,1)) || Wumpus(west(1,1))
-----Resolve Pit(west(1,1)) || Wall(west(1,1)) || Wumpus(west(1,1)) and Stinky(i) || !Wumpus(west(i))
-----Result Stinky(1,1) || Pit(west(1,1)) || Wall(west(1,1))
-----Resolve Pit(west(1,1)) || Wumpus(west(1,1)) and Breezy(e) || !Pit(west(e))
-----Result Breezy(1,1) || Wumpus(west(1,1))
-----Resolve Pit(west(1,1)) || Wumpus(west(1,1)) and Stinky(i) || !Wumpus(west(i))
-----Result Stinky(1,1) || Pit(west(1,1))
-----Resolve Breezy(1,1) || Wall(west(1,1)) || Wumpus(west(1,1)) and !Wall(west(1,1))
-----Result Breezy(1,1) || Wumpus(west(1,1))
-----Resolve Breezy(1,1) || Wall(west(1,1)) || Wumpus(west(1,1)) and !Breezy(1,1)
-----Result Wall(west(1,1)) || Wumpus(west(1,1))
-----Resolve Breezy(1,1) || Wall(west(1,1)) || Wumpus(west(1,1)) and Stinky(i) || !Wumpus(west(i))
-----Result Stinky(1,1) || Breezy(1,1) || Wall(west(1,1))
-----Resolve Breezy(1,1) || Wumpus(west(1,1)) and !Breezy(1,1)
-----Result Wumpus(west(1,1))
-----Resolve Breezy(1,1) || Wumpus(west(1,1)) and Stinky(i) || !Wumpus(west(i))
-----Result Stinky(1,1) || Breezy(1,1)
-----Resolve Stinky(1,1) || Pit(west(1,1)) and !Stinky(1,1)
-----Result Pit(west(1,1))
-----Resolve Stinky(1,1) || Pit(west(1,1)) and Breezy(e) || !Pit(west(e))
-----Result Breezy(1,1) || Stinky(1,1)
-----Resolve Wumpus(west(1,1)) and Stinky(i) || !Wumpus(west(i))
-----Result Stinky(1,1)
-----Resolve Stinky(1,1) || Breezy(1,1) and !Stinky(1,1)
----The rule Breezy(1,1) is a tautology.
The result is: 0

```



We are trying to prove:

```

IsClear(north(1,1))
-Resolve !IsClear(north(1,1)) and IsClear(j) || Pit(j) || Wall(j) || Wumpus(j)
-----Result Pit(north(1,1)) || Wall(north(1,1)) || Wumpus(north(1,1))
-----Resolve Pit(north(1,1)) || Wall(north(1,1)) || Wumpus(north(1,1)) and Breezy(c) || !Pit(north(c))
-----Result Breezy(1,1) || Wall(north(1,1)) || Wumpus(north(1,1))
-----Resolve Pit(north(1,1)) || Wall(north(1,1)) || Wumpus(north(1,1)) and Stinky(g) || !Wumpus(north(g))
-----Result Stinky(1,1) || Pit(north(1,1)) || Wall(north(1,1))
-----Resolve Breezy(1,1) || Wall(north(1,1)) || Wumpus(north(1,1)) and !Breezy(1,1)
-----Result Wall(north(1,1)) || Wumpus(north(1,1))
-----Resolve Breezy(1,1) || Wall(north(1,1)) || Wumpus(north(1,1)) and Stinky(g) || !Wumpus(north(g))
-----Result Stinky(1,1) || Breezy(1,1) || Wall(north(1,1))
-----Resolve Stinky(1,1) || Pit(north(1,1)) || Wall(north(1,1)) and !Stinky(1,1)
-----Result Pit(north(1,1)) || Wall(north(1,1))
-----Resolve Stinky(1,1) || Pit(north(1,1)) || Wall(north(1,1)) and Breezy(c) || !Pit(north(c))
-----Result Breezy(1,1) || Stinky(1,1) || Wall(north(1,1))
-----Resolve Wall(north(1,1)) || Wumpus(north(1,1)) and Stinky(g) || !Wumpus(north(g))
-----Result Stinky(1,1) || Wall(north(1,1))
-----Resolve Stinky(1,1) || Breezy(1,1) || Wall(north(1,1)) and !Stinky(1,1)
-----Result Breezy(1,1) || Wall(north(1,1))
-----Resolve Stinky(1,1) || Breezy(1,1) || Wall(north(1,1)) and !Breezy(1,1)
-----Result Stinky(1,1) || Wall(north(1,1))
-----Resolve Stinky(1,1) || Wall(north(1,1)) and !Stinky(1,1)
----The rule Wall(north(1,1)) is a tautology.
The result is: 0

```

We are trying to prove:

```

IsClear(south(1,1))
-Resolve !IsClear(south(1,1)) and IsClear(j) || Pit(j) || Wall(j) || Wumpus(j)
-----Result Pit(south(1,1)) || Wall(south(1,1)) || Wumpus(south(1,1))
-----Resolve Pit(south(1,1)) || Wall(south(1,1)) || Wumpus(south(1,1)) and Breezy(d) || !Pit(south(d))
-----Result Breezy(1,1) || Wall(south(1,1)) || Wumpus(south(1,1))
-----Resolve Pit(south(1,1)) || Wall(south(1,1)) || Wumpus(south(1,1)) and Stinky(h) || !Wumpus(south(h))
-----Result Stinky(1,1) || Pit(south(1,1)) || Wall(south(1,1))
-----Resolve Breezy(1,1) || Wall(south(1,1)) || Wumpus(south(1,1)) and !Breezy(1,1)
-----Result Wall(south(1,1)) || Wumpus(south(1,1))
-----Resolve Breezy(1,1) || Wall(south(1,1)) || Wumpus(south(1,1)) and Stinky(h) || !Wumpus(south(h))
-----Result Stinky(1,1) || Breezy(1,1) || Wall(south(1,1))
-----Resolve Stinky(1,1) || Pit(south(1,1)) || Wall(south(1,1)) and !Stinky(1,1)
-----Result Pit(south(1,1)) || Wall(south(1,1))
-----Resolve Stinky(1,1) || Pit(south(1,1)) || Wall(south(1,1)) and Breezy(d) || !Pit(south(d))
-----Result Breezy(1,1) || Stinky(1,1) || Wall(south(1,1))
-----Resolve Wall(south(1,1)) || Wumpus(south(1,1)) and Stinky(h) || !Wumpus(south(h))
-----Result Stinky(1,1) || Wall(south(1,1))
-----Resolve Stinky(1,1) || Breezy(1,1) || Wall(south(1,1)) and !Stinky(1,1)
-----Result Breezy(1,1) || Wall(south(1,1))
-----Resolve Stinky(1,1) || Breezy(1,1) || Wall(south(1,1)) and !Breezy(1,1)
-----Result Stinky(1,1) || Wall(south(1,1))
-----Resolve Stinky(1,1) || Wall(south(1,1)) and !Stinky(1,1)
----The rule Wall(south(1,1)) is a tautology.
The result is: 0

```

We are trying to prove:

```

IsClear(east(1,1))
-Resolve !IsClear(east(1,1)) and IsClear(j) || Pit(j) || Wall(j) || Wumpus(j)
-----Result Pit(east(1,1)) || Wall(east(1,1)) || Wumpus(east(1,1))
-----Resolve Pit(east(1,1)) || Wall(east(1,1)) || Wumpus(east(1,1)) and !Wall(east(1,1))
-----Result Pit(east(1,1)) || Wumpus(east(1,1))
-----Resolve Pit(east(1,1)) || Wall(east(1,1)) || Wumpus(east(1,1)) and Breezy(b) || !Pit(east(b))
-----Result Breezy(1,1) || Wall(east(1,1)) || Wumpus(east(1,1))
-----Resolve Pit(east(1,1)) || Wall(east(1,1)) || Wumpus(east(1,1)) and Stinky(f) || !Wumpus(east(f))
-----Result Stinky(1,1) || Pit(east(1,1)) || Wall(east(1,1))
-----Resolve Pit(east(1,1)) || Wumpus(east(1,1)) and Breezy(b) || !Pit(east(b))
-----Result Breezy(1,1) || Wumpus(east(1,1))
-----Resolve Pit(east(1,1)) || Wumpus(east(1,1)) and Stinky(f) || !Wumpus(east(f))
-----Result Stinky(1,1) || Pit(east(1,1))
-----Resolve Breezy(1,1) || Wall(east(1,1)) || Wumpus(east(1,1)) and !Breezy(1,1)
-----Result Wall(east(1,1)) || Wumpus(east(1,1))
-----Resolve Breezy(1,1) || Wall(east(1,1)) || Wumpus(east(1,1)) and !Wall(east(1,1))
-----Result Breezy(1,1) || Wumpus(east(1,1))
-----Resolve Breezy(1,1) || Wall(east(1,1)) || Wumpus(east(1,1)) and Stinky(f) || !Wumpus(east(f))
-----Result Stinky(1,1) || Breezy(1,1) || Wall(east(1,1))
-----Resolve Breezy(1,1) || Wumpus(east(1,1)) and !Breezy(1,1)
-----Result Wumpus(east(1,1))
-----Resolve Breezy(1,1) || Wumpus(east(1,1)) and Stinky(f) || !Wumpus(east(f))

```

```

-----Result Stinky(1,1) || Breezy(1,1)
-----Resolve Stinky(1,1) || Pit(east(1,1)) and !Stinky(1,1)
-----Result Pit(east(1,1))
-----Resolve Stinky(1,1) || Pit(east(1,1)) and Breezy(b) || !Pit(east(b))
-----Result Breezy(1,1) || Stinky(1,1)
-----Resolve Wumpus(east(1,1)) and Stinky(f) || !Wumpus(east(f))
-----Result Stinky(1,1)
-----Resolve Stinky(1,1) || Breezy(1,1) and !Stinky(1,1)
----The rule Breezy(1,1) is a tautology.
The result is: 0

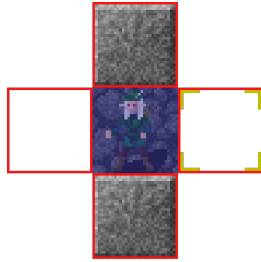
```

We are trying to prove:

```

IsClear(west(1,1))
-----Resolve !IsClear(west(1,1)) and IsClear(j) || Pit(j) || Wall(j) || Wumpus(j)
-----Result Pit(west(1,1)) || Wall(west(1,1)) || Wumpus(west(1,1))
-----Resolve Pit(west(1,1)) || Wall(west(1,1)) || Wumpus(west(1,1)) and !Wall(west(1,1))
-----Result Pit(west(1,1)) || Wumpus(west(1,1))
-----Resolve Pit(west(1,1)) || Wall(west(1,1)) || Wumpus(west(1,1)) and Breezy(e) || !Pit(west(e))
-----Result Breezy(1,1) || Wall(west(1,1)) || Wumpus(west(1,1))
-----Resolve Pit(west(1,1)) || Wall(west(1,1)) || Wumpus(west(1,1)) and Stinky(i) || !Wumpus(west(i))
-----Result Stinky(1,1) || Pit(west(1,1)) || Wall(west(1,1))
-----Resolve Pit(west(1,1)) || Wumpus(west(1,1)) and Breezy(e) || !Pit(west(e))
-----Result Breezy(1,1) || Wumpus(west(1,1))
-----Resolve Pit(west(1,1)) || Wumpus(west(1,1)) and Stinky(i) || !Wumpus(west(i))
-----Result Stinky(1,1) || Pit(west(1,1))
-----Resolve Breezy(1,1) || Wall(west(1,1)) || Wumpus(west(1,1)) and !Wall(west(1,1))
-----Result Breezy(1,1) || Wumpus(west(1,1))
-----Resolve Breezy(1,1) || Wall(west(1,1)) || Wumpus(west(1,1)) and !Breezy(1,1)
-----Result Wall(west(1,1)) || Wumpus(west(1,1))
-----Resolve Breezy(1,1) || Wall(west(1,1)) || Wumpus(west(1,1)) and Stinky(i) || !Wumpus(west(i))
-----Result Stinky(1,1) || Breezy(1,1) || Wall(west(1,1))
-----Resolve Breezy(1,1) || Wumpus(west(1,1)) and !Breezy(1,1)
-----Result Wumpus(west(1,1))
-----Resolve Breezy(1,1) || Wumpus(west(1,1)) and Stinky(i) || !Wumpus(west(i))
-----Result Stinky(1,1) || Breezy(1,1)
-----Resolve Stinky(1,1) || Pit(west(1,1)) and !Stinky(1,1)
-----Result Pit(west(1,1))
-----Resolve Stinky(1,1) || Pit(west(1,1)) and Breezy(e) || !Pit(west(e))
-----Result Breezy(1,1) || Stinky(1,1)
-----Resolve Wumpus(west(1,1)) and Stinky(i) || !Wumpus(west(i))
-----Result Stinky(1,1)
-----Resolve Stinky(1,1) || Breezy(1,1) and !Stinky(1,1)
----The rule Breezy(1,1) is a tautology.
The result is: 0

```



We are trying to prove:

```

IsClear(north(1,1))
-----Resolve !IsClear(north(1,1)) and IsClear(j) || Pit(j) || Wall(j) || Wumpus(j)
-----Result Pit(north(1,1)) || Wall(north(1,1)) || Wumpus(north(1,1))
-----Resolve Pit(north(1,1)) || Wall(north(1,1)) || Wumpus(north(1,1)) and Breezy(c) || !Pit(north(c))
-----Result Breezy(1,1) || Wall(north(1,1)) || Wumpus(north(1,1))
-----Resolve Pit(north(1,1)) || Wall(north(1,1)) || Wumpus(north(1,1)) and Stinky(g) || !Wumpus(north(g))
-----Result Stinky(1,1) || Pit(north(1,1)) || Wall(north(1,1))
-----Resolve Breezy(1,1) || Wall(north(1,1)) || Wumpus(north(1,1)) and !Breezy(1,1)
-----Result Wall(north(1,1)) || Wumpus(north(1,1))
-----Resolve Breezy(1,1) || Wall(north(1,1)) || Wumpus(north(1,1)) and Stinky(g) || !Wumpus(north(g))
-----Result Stinky(1,1) || Breezy(1,1) || Wall(north(1,1))
-----Resolve Stinky(1,1) || Pit(north(1,1)) || Wall(north(1,1)) and !Stinky(1,1)
-----Result Pit(north(1,1)) || Wall(north(1,1))
-----Resolve Stinky(1,1) || Pit(north(1,1)) || Wall(north(1,1)) and Breezy(c) || !Pit(north(c))
-----Result Breezy(1,1) || Stinky(1,1) || Wall(north(1,1))
-----Resolve Wall(north(1,1)) || Wumpus(north(1,1)) and Stinky(g) || !Wumpus(north(g))
-----Result Stinky(1,1) || Wall(north(1,1))
-----Resolve Stinky(1,1) || Breezy(1,1) || Wall(north(1,1)) and !Stinky(1,1)
-----Result Breezy(1,1) || Wall(north(1,1))
-----Resolve Stinky(1,1) || Breezy(1,1) || Wall(north(1,1)) and !Breezy(1,1)
-----Result Stinky(1,1) || Wall(north(1,1))
-----Resolve Stinky(1,1) || Wall(north(1,1)) and !Stinky(1,1)
----The rule Wall(north(1,1)) is a tautology.
The result is: 0

```

We are trying to prove:

```

IsClear(south(1,1))
-Resolve !IsClear(south(1,1)) and IsClear(j) || Pit(j) || Wall(j) || Wumpus(j)
-----Result Pit(south(1,1)) || Wall(south(1,1)) || Wumpus(south(1,1))
-----Resolve Pit(south(1,1)) || Wall(south(1,1)) || Wumpus(south(1,1)) and Breezy(d) || !Pit(south(d))
-----Result Breezy(1,1) || Wall(south(1,1)) || Wumpus(south(1,1))
-----Resolve Pit(south(1,1)) || Wall(south(1,1)) || Wumpus(south(1,1)) and Stinky(h) || !Wumpus(south(h))
-----Result Stinky(1,1) || Pit(south(1,1)) || Wall(south(1,1))
-----Resolve Breezy(1,1) || Wall(south(1,1)) || Wumpus(south(1,1)) and !Breezy(1,1)
-----Result Wall(south(1,1)) || Wumpus(south(1,1))
-----Resolve Breezy(1,1) || Wall(south(1,1)) || Wumpus(south(1,1)) and Stinky(h) || !Wumpus(south(h))
-----Result Stinky(1,1) || Breezy(1,1) || Wall(south(1,1))
-----Resolve Stinky(1,1) || Pit(south(1,1)) || Wall(south(1,1)) and !Stinky(1,1)
-----Result Pit(south(1,1)) || Wall(south(1,1))
-----Resolve Stinky(1,1) || Pit(south(1,1)) || Wall(south(1,1)) and Breezy(d) || !Pit(south(d))
-----Result Breezy(1,1) || Stinky(1,1) || Wall(south(1,1))
-----Resolve Wall(south(1,1)) || Wumpus(south(1,1)) and Stinky(h) || !Wumpus(south(h))
-----Result Stinky(1,1) || Wall(south(1,1))
-----Resolve Stinky(1,1) || Breezy(1,1) || Wall(south(1,1)) and !Stinky(1,1)
-----Result Breezy(1,1) || Wall(south(1,1))
-----Resolve Stinky(1,1) || Breezy(1,1) || Wall(south(1,1)) and !Breezy(1,1)
-----Result Stinky(1,1) || Wall(south(1,1))
-----Resolve Stinky(1,1) || Wall(south(1,1)) and !Stinky(1,1)
---The rule Wall(south(1,1)) is a tautology.
The result is: 0

```

```

We are trying to prove:
IsClear(east(1,1))
-Resolve !IsClear(east(1,1)) and IsClear(j) || Pit(j) || Wall(j) || Wumpus(j)
-----Result Pit(east(1,1)) || Wall(east(1,1)) || Wumpus(east(1,1))
-----Resolve Pit(east(1,1)) || Wall(east(1,1)) || Wumpus(east(1,1)) and !Wall(east(1,1))
-----Result Pit(east(1,1)) || Wumpus(east(1,1))
-----Resolve Pit(east(1,1)) || Wall(east(1,1)) || Wumpus(east(1,1)) and Breezy(b) || !Pit(east(b))
-----Result Breezy(1,1) || Wall(east(1,1)) || Wumpus(east(1,1))
-----Resolve Pit(east(1,1)) || Wall(east(1,1)) || Wumpus(east(1,1)) and Stinky(f) || !Wumpus(east(f))
-----Result Stinky(1,1) || Pit(east(1,1)) || Wall(east(1,1))
-----Resolve Pit(east(1,1)) || Wumpus(east(1,1)) and Breezy(b) || !Pit(east(b))
-----Result Breezy(1,1) || Wumpus(east(1,1))
-----Resolve Pit(east(1,1)) || Wumpus(east(1,1)) and Stinky(f) || !Wumpus(east(f))
-----Result Stinky(1,1) || Pit(east(1,1))
-----Resolve Breezy(1,1) || Wall(east(1,1)) || Wumpus(east(1,1)) and !Breezy(1,1)
-----Result Wall(east(1,1)) || Wumpus(east(1,1))
-----Resolve Breezy(1,1) || Wall(east(1,1)) || Wumpus(east(1,1)) and !Wall(east(1,1))
-----Result Breezy(1,1) || Wumpus(east(1,1))
-----Resolve Breezy(1,1) || Wall(east(1,1)) || Wumpus(east(1,1)) and Stinky(f) || !Wumpus(east(f))
-----Result Stinky(1,1) || Breezy(1,1) || Wall(east(1,1))
-----Resolve Breezy(1,1) || Wumpus(east(1,1)) and !Breezy(1,1)
-----Result Wumpus(east(1,1))
-----Resolve Breezy(1,1) || Wumpus(east(1,1)) and Stinky(f) || !Wumpus(east(f))
-----Result Stinky(1,1) || Breezy(1,1)
-----Resolve Stinky(1,1) || Pit(east(1,1)) and !Stinky(1,1)
-----Result Pit(east(1,1))
-----Resolve Stinky(1,1) || Pit(east(1,1)) and Breezy(b) || !Pit(east(b))
-----Result Breezy(1,1) || Stinky(1,1)
-----Resolve Wumpus(east(1,1)) and Stinky(f) || !Wumpus(east(f))
-----Result Stinky(1,1)
-----Resolve Stinky(1,1) || Breezy(1,1) and !Stinky(1,1)
---The rule Breezy(1,1) is a tautology.
The result is: 0

```

```

We are trying to prove:
IsClear(west(1,1))
-Resolve !IsClear(west(1,1)) and IsClear(j) || Pit(j) || Wall(j) || Wumpus(j)
-----Result Pit(west(1,1)) || Wall(west(1,1)) || Wumpus(west(1,1))
-----Resolve Pit(west(1,1)) || Wall(west(1,1)) || Wumpus(west(1,1)) and Breezy(e) || !Pit(west(e))
-----Result Breezy(1,1) || Wall(west(1,1)) || Wumpus(west(1,1))
-----Resolve Pit(west(1,1)) || Wall(west(1,1)) || Wumpus(west(1,1)) and Stinky(i) || !Wumpus(west(i))
-----Result Stinky(1,1) || Pit(west(1,1)) || Wall(west(1,1))
-----Resolve Breezy(1,1) || Wall(west(1,1)) || Wumpus(west(1,1)) and !Breezy(1,1)
-----Result Wall(west(1,1)) || Wumpus(west(1,1))
-----Resolve Breezy(1,1) || Wall(west(1,1)) || Wumpus(west(1,1)) and Stinky(i) || !Wumpus(west(i))
-----Result Stinky(1,1) || Breezy(1,1) || Wall(west(1,1))
-----Resolve Stinky(1,1) || Pit(west(1,1)) || Wall(west(1,1)) and !Stinky(1,1)
-----Result Pit(west(1,1)) || Wall(west(1,1))
-----Resolve Stinky(1,1) || Pit(west(1,1)) || Wall(west(1,1)) and Breezy(e) || !Pit(west(e))
-----Result Breezy(1,1) || Stinky(1,1) || Wall(west(1,1))
-----Resolve Wall(west(1,1)) || Wumpus(west(1,1)) and Stinky(i) || !Wumpus(west(i))
-----Result Stinky(1,1) || Wall(west(1,1))
-----Resolve Stinky(1,1) || Breezy(1,1) || Wall(west(1,1)) and !Stinky(1,1)
-----Result Breezy(1,1) || Wall(west(1,1))
-----Resolve Stinky(1,1) || Breezy(1,1) || Wall(west(1,1)) and !Breezy(1,1)
-----Result Stinky(1,1) || Wall(west(1,1))
-----Resolve Stinky(1,1) || Wall(west(1,1)) and !Stinky(1,1)
---The rule Wall(west(1,1)) is a tautology.
The result is: 0

```

