

#	PTS	SUBJECT	REMARKS
(14) 44	20	2-level problem: exact energies & eigenfns of $\mathcal{H} = \mathcal{H}_0 + V$.	#50, $\phi 507('94)$.
(40) 45	20	2-level problem: $V_{ke} = \begin{pmatrix} -a & \gamma \\ \gamma & \beta \end{pmatrix} U$. Establish level-crossing thm.	#51, $\phi 507('94)$.
(15) 46	20	Transition lineshape for "chirped" pulse: $U = 2\epsilon(t)\exp\{i[\theta(t) - \nu]t\}$.	#52, $\phi 507('94)$.
(40) 47	20	Analyse $\mathcal{O}(V^2)$ processes for pulse: $V = 2\hbar\Omega(x)\cos\omega t$, $0 \leq t \leq T$.	#53, $\phi 507('94)$.
(16) 48	20	TD pert ² : $V(t) = 2\hbar\Omega\cos\omega t$. Exact resonance $\omega = \omega_{km}$.	#54, $\phi 507('94)$.
(40) 49	10	$V(t) = (\hbar A/\tau\sqrt{\pi})e^{-t^2/\tau^2}$. Show: $P(\text{gnd} \rightarrow \text{out}) = (A^2)_{00} - (A_{00})^2$, as $\tau \rightarrow 0$.	-new-
(50)	10	1D SHO: Spring const $k \rightarrow Nk$, suddenly. Gnd-state probability?	#56, $\phi 507('94)$.
(17) 51	10	2-particle system: $m_1 + m_2$. Find \hat{P} , \hat{L} & \hat{K} in CM cds \mathbf{r} & \mathbf{R} .	#59, $\phi 507('94)$.
(45) 52	15	$V(r) = -B/r + A/r^2$. Show $E_{nl} = -\frac{1}{2}E_0/(n + \Delta_L)^2$. Analyse Δ_{nl} .	#60, $\phi 507('94)$.
(53)	10	Show $[J_x, J_y] = i\hbar J_z$ follows from relations between rotation operators.	-new-
(54)	10	Prove Dirac Identity: $(\mathbf{O} \cdot \mathbf{A})(\mathbf{O} \cdot \mathbf{B}) = \mathbf{A} \cdot \mathbf{B} + i\mathbf{O} \cdot (\mathbf{A} \times \mathbf{B})$.	#63, $\phi 507('94)$.
(18) 55	10	Explicit Clebsch-Gordan transform for \mathbf{H} : $2P_{3/2}$ & $2P_{1/2}$.	#65, $\phi 507('94)$.
(45) 56	15	Find CG coefficients for $s = 1/2$ and arbitrary l .	#66, $\phi 507('94)$.
(57)	10	Derive Landé g -factor. Apply to $2P$ & $2S$ states in \mathbf{H} .	#67, $\phi 507('94)$.
(58)	10	Find relative transition rates for $2P_{3/2} \rightarrow 2S_{1/2}$ in \mathbf{H} via $\mathbf{E} \cdot \mathbf{r}$.	#68, $\phi 507('94)$.
(19) 59	10	$\mathcal{H} = -\mu \cdot \mathbf{H}$ for spin $1/2$: eigenenergies & eigenspinors.	#69, $\phi 507('94)$.
(40) 60	10	For spin $1/2$, analyse: $\mathbf{E} = \mathbf{g}_1 \mathbf{g}_2 (\mu_B/r^3) [\mathbf{S}_1 \cdot \mathbf{S}_2 - 3(\mathbf{S}_1 \cdot \hat{\mathbf{r}})(\mathbf{S}_2 \cdot \hat{\mathbf{r}})]$.	#70, $\phi 507('94)$.
(61)	20	Derive hfs energies: $E_{hfs} = \zeta_{hfs}(\mathbf{L} \cdot \mathbf{J})$. Find ζ_{hfs} for 1e-atoms.	#71, $\phi 507('94)$.
(20) 62	15	KG Eqn: two-component formulation for a free particle.	#74, $\phi 507('94)$.
(40) 63	15	Classical scattering: relation of lab & CM scattering θ s.	#78, $\phi 507('93)$.
[290] 64	10	Verify $G(\mathbf{r}, t; \mathbf{r}_0, t_0) = -i\theta(t-t_0)\sum \langle \text{states} \rangle$ is Schrödinger's G -fnn.	#76, $\phi 507('94)$.
MID 1	40	Atomic tritium decay: ${}^3\text{H} \rightarrow {}^3\text{He} + e + \bar{\nu}$. Probability of He^+ ground state.	-new-
TERM 2	40	Moments $\langle r^N \rangle$ for 1e atom gnd state. r_{mp} & variance Δr .	-new-
(200) 3	40	For \mathbf{A} & \mathbf{B} as \mathbf{T} -vectors, show: $[\mathbf{J}, \mathbf{A} \cdot \mathbf{B}] = 0$. Why is $\mathbf{A} \cdot \mathbf{B}$ an inv ^t ?	#64, $\phi 507('94)$.
(pts) 4	40	Find the Schrödinger limit for Klein-Gordon plane waves.	#2, $\phi 507('92)$ MIDT.
5	40	Analyse scattering from pbl: $V(r) = V_0 \delta(r-a)$, via Born Approxn.	#5, $\phi 507('93)$ Final.
(21) 65	20	Scattering by a sph. well via Born approxn: total σ & validity.	(19-20), $\phi 507('93)$.
(45) 66	15	e-Atom Scattering via Born approxn. Notion of form-factor.	#22, $\phi 507('93)$.
(67)	10	Scattering from a screened Coulomb pot ^t via phase shifts.	#24, $\phi 507('93)$.
(22) 68	30	e-H atom scattering: form of $V(r)$ & total cross-section.	#23, $\phi 507('93)$.
(40) 69	10	2N identical particles in a SHO pot ^t : boson v. fermion energies & sizes.	-new-
(23) 70	10	Singlet-triplet splitting for 2e system: Dirac's Exchange Pot ^t .	#82, $\phi 507('94)$.
(40) 71	15	Average sizes in the Thomas-Fermi atom: Z -scaling.	#83, $\phi 507('94)$.
(72)	15	Size of the e-e repulsion term in the Thomas-Fermi atom.	#84, $\phi 507('94)$.
(24) 73	25	Ground-state of 2e-atom ^{ny} nucleus = Ze : variational calc ⁿ .	#85, $\phi 507('94)$.
(40) 74	15	For Dirac matrices: $\{\gamma_\mu, \gamma_\nu\} = 2\delta_{\mu\nu}$, find eigenvalues, Tr & rank.	#86, $\phi 507('94)$.
(25) 75	10	Continuity eqn for Dirac particle in an external field $(\mathbf{A}, i\phi)$.	#87, $\phi 507('94)$.
(35) 76	10	Dirac (q, m) in $(\mathbf{A}, i\phi)$. Show, by charge conj ⁿ : $\Psi(q, \mathbf{p}) \rightarrow \bar{\Psi}_c(-q, \mathbf{p})$.	#88, $\phi 507('94)$.
[490] 77	15	Dirac free particle: analyse $p_k = m c \alpha_k$ as a momentum operator.	#89, $\phi 507('94)$.

#	PTS	SUBJECT	REMARKS
26	35	2S _{1/2} - 2P _{1/2} system: measure S by rf & DC experiments.	~#42, φ 507 ('92).
(35)	~	no problem	~
FINAL EXAM			
1		Detailed balancing via 1 st order time-dept. pert ^b theory.	- new -
2		For 4 mom ^m ladder operators: $J_{\pm} jm\rangle = \begin{Bmatrix} A \\ B \end{Bmatrix} j, m \pm 1\rangle$, find A & B.	#4, φ 507 ('94) MT.
3		Spectroscopic features of μ^+e^- : Balmer α shift & ΔV (hfs).	#2, φ 507 ('93) FE.
(300)		Scattering from a periodic potential: $V(x+a) = V(x)$, via 1 st Born.	#3, φ 507 ('93) MT.
4		2 identical particles in N levels: count symm. & antisymm. states.	- new -
5		Free neutrino via the Dirac Eqn: 4 mom ^m conserved? helicity?	#5, φ 507 ('94) FE.
6		SHO quantization of scalar (π meson) field: proof of commutator.	#7, φ 507 ('92) FE.
7			

TOTALS: 35 homework problems, worth 525 pts (51%)

12 exam problems, worth 500 pts. (49%)

47

1025 pts