$\nabla\cdot\mathbf{D}=\rho,\quad \nabla\cdot\mathbf{B}=0,\quad \nabla\times\mathbf{H}=\mathbf{J}+\frac{\partial\mathbf{D}}{\partial t},\quad \nabla\times\mathbf{E}=-\frac{\partial\mathbf{B}}{\partial t}$ Maxwell's Equations (6.6)

$\mathbf{E}(\mathbf{x})=\frac{1}{4\pi\epsilon_0}\int\rho(\mathbf{x}')\frac{\mathbf{x}-\mathbf{x}'}{|\mathbf{x}-\mathbf{x}'|^3}d^3x'$ Coulomb's Law (1.5)

$\delta(f(x))=\sum_i\frac{1}{\left|\frac{\mathrm{d}f}{\mathrm{d}x}(x_i)\right|}\delta(x-x_i)$ Delta function Rule 5

$\mathbf{E}=-\nabla\Phi$ Electric field in terms of scalar potential (1.16)

$\Phi(\mathbf{x})=\frac{1}{4\pi\epsilon_0}\int\frac{\rho(\mathbf{x}')}{|\mathbf{x}-\mathbf{x}'|}d^3x'$ Scalar potential in terms of charge density (1.17)

$\nabla^2\Phi=-\rho/\epsilon_0$ Poisson Equation (1.28)

$q=\int\rho(\mathbf{x}')\ d^3x'$ Monopole (4.4)

$\mathbf{p}=\int\mathbf{x}'\rho(\mathbf{x}')\ d^3x'$ Dipole (4.8)

$Q_{ij}=\int(3x_i'x_j'-r'\delta_{ij})\rho(\mathbf{x}')d^3x'=3M_{ij}-\mathrm{Tr}(\mathbf{M}\delta_{ij})$ Quadrupole (4.9)

$M_{ij}=\int x_i'x_j'\rho(x')\ d^3x$ Dana definition

$\Phi(\mathbf{x})=\frac{1}{4\pi\epsilon_0}\left[\frac{q}{r}+\frac{\mathbf{p}\cdot\mathbf{x}}{r^3}+\frac{1}{2}\sum_{i,j}Q_{ij}\frac{x_ix_j}{r^5}+\ldots\right]$ Multipole Expansion (4.10)

$\mathbf{D}=\epsilon_0\mathbf{E}+\mathbf{P}$ Electric displacement(4.34)

$\mathbf{P}=\epsilon_0\chi_e\mathbf{E}$ Induced polarization (4.36)

$\mathbf{P}=(\epsilon-\epsilon_0)\mathbf{E}$ Better expression for polarization

$\mathbf{D}=\epsilon\mathbf{E}$ Electric displacement (4.37)

$\epsilon=\epsilon_0(1+\chi_e)$ Electric permittivity (4.38)

$\sigma_b=\mathbf{P}\cdot\hat{\mathbf{n}},\quad \rho_b=-\nabla\cdot\mathbf{P}$ Electric bound charge density (G. 4.11)

$\begin{cases}(\mathbf{D}_2-\mathbf{D}_1)\cdot\mathbf{n}_{21}=\sigma\\(\mathbf{E}_2-\mathbf{E}_1)\times\mathbf{n}_{21}=0\end{cases}$ Boundary conditions (4.40)

$\begin{cases}\Phi_{\mathrm{in}}=-\left(\frac{3}{\epsilon/\epsilon_0+2}\right)E_0r\cos\theta\\\Phi_{\mathrm{out}}=-E_0r\cos\theta+\left(\frac{\epsilon/\epsilon_0-1}{\epsilon/\epsilon_0+2}\right)E_0\frac{a^3}{r^2}\cos\theta\end{cases}$ Dielectric sphere in $\mathbf{E}=E_0\hat{\mathbf{z}}$ (4.54)

$W=\int\rho(\mathbf{x})\Phi(\mathbf{x})\ d^3x=\frac{1}{2}\int\mathbf{E}\cdot\mathbf{D}\ d^3x$ Energy to bring charges from ∞ (4.83,89)

$\Delta W=-\frac{1}{2}\int_{V_1}\mathbf{P}\cdot\mathbf{E}_0\ d^3x$ Dielectric placed in $\mathbf{E}_0$ (4.93)

$W=q\Phi(0)-\mathbf{p}\cdot\mathbf{E}(0)-\frac{1}{6}\sum_i\sum_jQ_{ij}\frac{\partial E_j}{\partial x_i}(0)+\ldots$ Work multipole expsn. (4.24)

$\mathbf{N}=\mathbf{p}\times\mathbf{E}$ Torque on electric dipole (G. 4.4)

$\mathbf{F}=(\mathbf{P}\cdot\nabla)\mathbf{E}$ Force on electric dipole (G. 4.5)

$\Phi=-E_0\left(r-\frac{a^3}{r^2}\right)$ Electric potential of conducting sphere in $\mathbf{E}=E_0\hat{\mathbf{z}}$ (2.14)

$E_r=\frac{2p\cos\theta}{4\pi\epsilon_0r^3},\quad E_\theta=\frac{p\sin\theta}{4\pi\epsilon_0r^3}$ Electric dipole at origin in $\hat{\mathbf{z}}$ (4.12)

$\mathbf{E}(\mathbf{x})=\frac{3\mathbf{n}(\mathbf{p}\cdot\mathbf{n})-\mathbf{p}}{4\pi\epsilon_0|\mathbf{x}-\mathbf{x}_0|^3}$ **E**-field due to dipole **p** (4.13)

$\mathbf{N}=\mathbf{m}\times\mathbf{B}$ Torque on magnetic dipole moment (5.1)

$\nabla\cdot\mathbf{J}=0$ Condition of magnetostatics (5.3)

$d\mathbf{B}=kI\frac{d\mathbf{l}\times\mathbf{x}}{|\mathbf{x}|^3}$ Biot-Savart Law (5.4)

$\oint_C\mathbf{B}\cdot d\mathbf{l}=\mu_0I$ Ampère's law (5.25)

$\mathbf{B}(\mathbf{x})=\nabla\times\mathbf{A}(\mathbf{x})$ Magnetic vector potential (5.27)

$\mathbf{A}(\mathbf{x})=\frac{\mu_0}{4\pi}\int\frac{\mathbf{J}(\mathbf{x}')}{|\mathbf{x}-\mathbf{x}'|}d^3x'$ Magnetic vector potential of current distribution (5.32)

$\mathbf{m}=\frac{1}{2}\int\mathbf{x}'\times\mathbf{J}(\mathbf{x}')\ d^3x$ Magnetic moment definition (5.54)

$\mathbf{m}=\frac{I}{2}\oint\mathbf{x}\times d\mathbf{l}$ Magnetic moment of closed circuit (J. pg. 186)

$|\mathbf{m}|=I\times(\mathrm{Area})$ Magnetic moment of plane loop (5.57)

$\mathbf{A}(\mathbf{x})=\frac{\mu_0}{4\pi}\frac{\mathbf{m}\times\mathbf{x}}{|\mathbf{x}|^3}$ Dipole vector potential (5.55)

$\mathbf{B}(\mathbf{x})=\frac{\mu_0}{4\pi}\left[\frac{3\mathbf{n}(\mathbf{n}\cdot\mathbf{m})-\mathbf{m}}{|\mathbf{x}|^3}\right]$ Dipole induction (5.56)

$\mathbf{F}=\nabla(\mathbf{m}\cdot\mathbf{B})$ Force on dipole (5.69)

$\mathbf{H}=\frac{1}{\mu_0}\mathbf{B}-\mathbf{M}$ Magnetic field (5.81)

$\mathbf{M}=(\mu/\mu_0-1)\mathbf{H}$ Magnetization in linear media (G. 6.29)

$\mathbf{B}=\mu\mathbf{H}$ Linear condition (5.84)

$\begin{cases}(\mathbf{B}_2-\mathbf{B}_1)\cdot\mathbf{n}=0\\\mathbf{n}\times(\mathbf{H}_2-\mathbf{H}_1)=\mathbf{K}_f\end{cases}$ Interface BC (5.86)

$\mathbf{H}=-\nabla\Phi_M$ Magnetic scalar potential (5.93)

$\mathbf{J}_M=\nabla\times\mathbf{M},\quad \mathbf{K}_b=\mathbf{M}\times\mathbf{n}$ Bound current density (G. 6.13,14)

$\rho_M=-\nabla\cdot\mathbf{M},\quad \sigma_M=\mathbf{n}\cdot\mathbf{M}$ Effective magnetic charge density (5.96,99)

$\Phi_M(\mathbf{x})=\frac{\mathbf{m}\cdot\mathbf{x}}{4\pi r^3}$ Magnetic scalar potential of dipole (J. pg. 196)

$\mathbf{m}=\int\mathbf{M}\ d^3x$ Total magnetic moment (J. pg. 197)

$\nabla^2\mathbf{A}=-\mu_0\mathbf{J}_M$ Poisson equation in terms of magnetic vector potential (5.101)

$\Phi_M(r,\theta)=\frac{1}{3}M_0a^2\frac{r_<}{r_>^2}\cos\theta$ Sphere with $\mathbf{M}=M_0\hat{\mathbf{z}}$ $[(r_<,r_>),\ (r,a)]$ (5.104)

$\mathbf{M}=\frac{3}{\mu_0}\left(\frac{\mu-\mu_0}{\mu+2\mu_0}\right)\mathbf{B}_0$ Permeable sphere in uniform magnetic field $\mathbf{B}_0$ (5.115)

$F=\int_S\mathbf{B}\cdot\mathbf{n}\ da$ Magnetic flux (5.133)

$\mathscr{E}=\oint_C\mathbf{E}'\cdot d\mathbf{l}$ Electromotive force (5.134)

$\mathscr{E}=-k\frac{\mathrm{d}F}{\mathrm{d}t}$ Faraday's Law (5.135)

$W=\frac{1}{2}\int\mathbf{J}\cdot\mathbf{A}\ d^3x$ Energy to ramp current from zero (4.83)::(5.149)

$W=\frac{1}{2}\int\mathbf{H}\cdot\mathbf{B}\ d^3x$ Magnetic energy in fields (4.89)::(5.148)

$\frac{\mathrm{d}W}{\mathrm{d}t}=\int\mathbf{H}\cdot\frac{\mathrm{d}\mathbf{B}}{\mathrm{d}t}\ d^3x$ Power in magetic field (5.147)

$\Delta W=\frac{1}{2}\int_{V_1}\mathbf{M}\cdot\mathbf{B}_0\ d^3x$ Energy to place permeable object in $\mathbf{B}_0$ (4.93)::(5.150)

$\frac{\mathrm{d}W}{\mathrm{d}t}=-\int\mathbf{J}\cdot\mathbf{E}\ d^3x$ Change in energy due to EMF

$W=\frac{\mu_0}{2}\int|\mathbf{H}|^2\ d^3x=\frac{\mu_0}{2}\sum_{i=1}^N\sum_{j=1}^N\int\Phi_{M_j}(\mathbf{x})\rho_{M_i}(\mathbf{x})\ d^3x$ N ferromagnets (HW 8.2b)

$W=\frac{1}{2}\sum_{i=1}^NL_iI_i^2+\sum_{i=1}^N\sum_{j>i}^NM_{ij}I_iI_j$ Inductive energy (5.152)

$M_{ij}=\frac{1}{I_j}F_{ij}$ Mutual inductance (5.156)

$\mathbf{A}_{\mathrm{dip}}=\frac{\mu_0}{4\pi}\frac{m\sin\theta}{r^2}\Rightarrow\mathbf{B}_{\mathrm{dip}}=\frac{\mu_0m}{4\pi r^3}(2\cos\theta\hat{\mathbf{r}}+\sin\theta\hat{\boldsymbol{\theta}})$ Field of dipole (G 5.87,88)

$\mathbf{B}(z)=\frac{\mu_0I}{2}\left[\frac{a^2}{(a^2+z^2)^{3/2}}\right]\hat{\mathbf{z}}$ On-axis magnetic field of current loop (G. 5.41)

$\mathbf{B}=\frac{\mu_0NI}{L}\hat{\mathbf{z}}$ Magnetic field inside solenoid (5.59)

$\mathbf{B}=\frac{\mu_0NI}{2\pi\rho}\hat{\boldsymbol{\phi}}$ Magnetic field inside toroidal coil (G. 5.60)

$\nabla\cdot\mathbf{J}+\frac{\partial\rho}{\partial t}=0$ Continuity Equation (6.3)

$\mathbf{E}=-\nabla\Phi-\frac{\partial\mathbf{A}}{\partial t}$ Potentials in dynamic systems (6.9)

$\nabla^2\Phi-\frac{1}{c^2}\frac{\partial^2\Phi}{\partial t^2}=-\rho/\epsilon_0$ Inhomogenous wave equation in Φ (6.15)

$\nabla^2\mathbf{A}-\frac{1}{c^2}\frac{\partial^2\mathbf{A}}{\partial t^2}=-\mu_0\mathbf{J}$ Inhomogenous wave equation in $\mathbf{A}$ (6.16)

$\nabla\cdot\mathbf{A}'+\frac{1}{c^2}\frac{\partial\Phi}{\partial t}=0$ Lorenz gauge condition (6.17)

$u=\frac{1}{2}(\mathbf{E}\cdot\mathbf{D}+\mathbf{B}\cdot\mathbf{H})$ Total energy density (6.106)

$\frac{\partial u}{\partial t}+\nabla\cdot\mathbf{S}=-\mathbf{J}\cdot\mathbf{E}$ Differential continuity equation (6.108)

$\mathbf{S}=\mathbf{E}\times\mathbf{H}$ Poynting vector definition (6.109)

$\mathbf{g}=\frac{1}{c^2}(\mathbf{E}\times\mathbf{H})$ Electromagnetic momentum density (6.118)

$\mathbf{J}=\sigma\mathbf{E},\quad V=IR$ Ohm's Law (G. 7.3,4)

$P=IV=I^2R$ Joule heating law (G. 7.7)

$\frac{\partial^2V}{\partial t^2}=\frac{1}{\mathcal{LC}}\frac{\partial^2V}{\partial z^2}=c^2\frac{\partial^2V}{\partial z^2}$ Wave formulation of telegrapher's equations (L. 23)

$V(z,t)=f(t-z/c)+g(t+z/c)$ Voltage solutions to telegrapher's equations (L. 25)

$I(z,t)=\frac{1}{Z}\left[f(t-z/c)-g(t+z/c)\right]$ Current solutions to telegrapher's equations (L. 30)

$(a+x)^n=a^n+na^{n-1}x+\frac{n(n-1)}{2!}a^{n-2}x^2+\ldots=$ Binomial Expansion

$f(x)\approx f(a)+\frac{f'(a)}{1!}(x-a)+\frac{f''(a)}{2!}(x-a)^2+\ldots$ Taylor Series

$$\begin{pmatrix}\hat{\boldsymbol{\rho}}\\\hat{\boldsymbol{\phi}}\\\hat{\mathbf{z}}\end{pmatrix}=\begin{pmatrix}\cos\phi&\sin\phi&0\\-\sin\phi&\cos\phi&0\\0&0&1\end{pmatrix}\begin{pmatrix}\hat{\mathbf{x}}\\\hat{\mathbf{y}}\\\hat{\mathbf{z}}\end{pmatrix},\quad \begin{pmatrix}\hat{\mathbf{r}}\\\hat{\boldsymbol{\theta}}\\\hat{\boldsymbol{\phi}}\end{pmatrix}=\begin{pmatrix}\sin\theta\cos\phi&\sin\theta\sin\phi&\cos\theta\\\cos\theta\cos\phi&\cos\theta\sin\phi&-\sin\theta\\-\sin\phi&\cos\phi&0\end{pmatrix}\begin{pmatrix}\hat{\mathbf{x}}\\\hat{\mathbf{y}}\\\hat{\mathbf{z}}\end{pmatrix}$$

$$\begin{pmatrix}\hat{\mathbf{r}}\\\hat{\boldsymbol{\theta}}\\\hat{\boldsymbol{\phi}}\end{pmatrix}=\begin{pmatrix}\sin\theta&0&\cos\theta\\\cos\theta&0&-\sin\theta\\0&1&0\end{pmatrix}\begin{pmatrix}\hat{\boldsymbol{\rho}}\\\hat{\boldsymbol{\phi}}\\\hat{\mathbf{z}}\end{pmatrix},\quad \begin{pmatrix}\hat{\boldsymbol{\rho}}\\\hat{\boldsymbol{\phi}}\\\hat{\mathbf{z}}\end{pmatrix}=\begin{pmatrix}\rho/\sqrt{\rho^2+z^2}&z/\sqrt{\rho^2+z^2}&0\\0&0&1\\z/\sqrt{\rho^2+z^2}&-\rho/\sqrt{\rho^2+z^2}&0\end{pmatrix}\begin{pmatrix}\hat{\mathbf{r}}\\\hat{\boldsymbol{\theta}}\\\hat{\boldsymbol{\phi}}\end{pmatrix}$$

	Wiggly	Decaying
x,y,z	$e^{\pm ik_nx},\ A\cos(k_nx)+B\sin(k_nx)$	$e^{\pm k_nx},\ A\cosh(k_nx)+B\sinh(k_nx)$
ρ,ϕ,z	$e^{im\phi},\ AJ_m(k_n\rho)+BY_m(k_n\rho)$	$AI_m(k_n\rho)+BK_m(k_n\rho)$
ρ,ϕ	$e^{im\phi}$	$A_0+B_0\ln\rho+\sum A_m\rho^m+B_m\rho^{-m}$
r,θ	$P_\ell(\cos\theta)$	$A\left(\frac{r}{a}\right)^\ell+B\left(\frac{r}{a}\right)^{-(\ell+1)}$
r,θ,ϕ	$Y_{\ell m}(\theta,\phi)$	$A\left(\frac{r}{a}\right)^\ell+B\left(\frac{r}{a}\right)^{-(\ell+1)}$