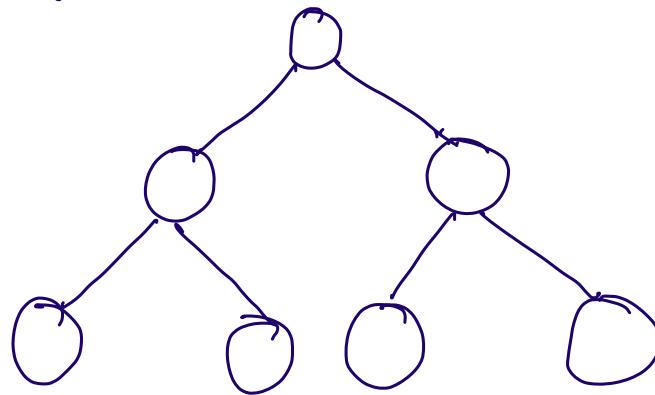


① Invert Binary tree



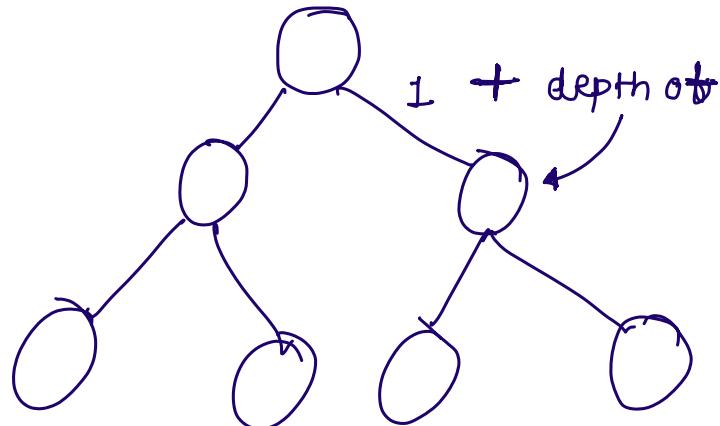
swap `root.left` & `root.right`.

& now let recursion do the work.

`invertTree (root.left)`

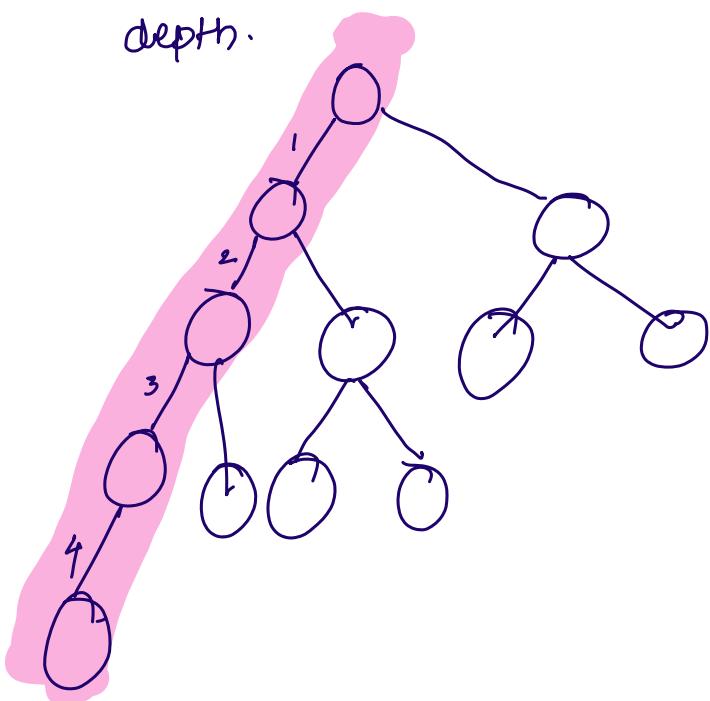
`invertTree (root.right)`

② Maximum depth of binary tree -



$1 + \text{maxdepth}(\text{root.left})$

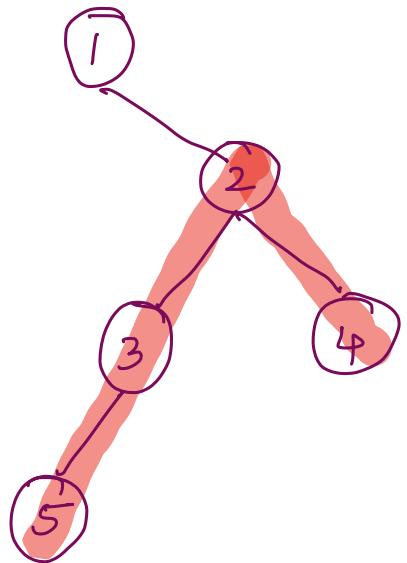
$1 + \text{maxdepth}(\text{root.right})$



$\text{left} = \text{height}(\text{n.left})$

$\text{right} = \text{height}(\text{n.right})$

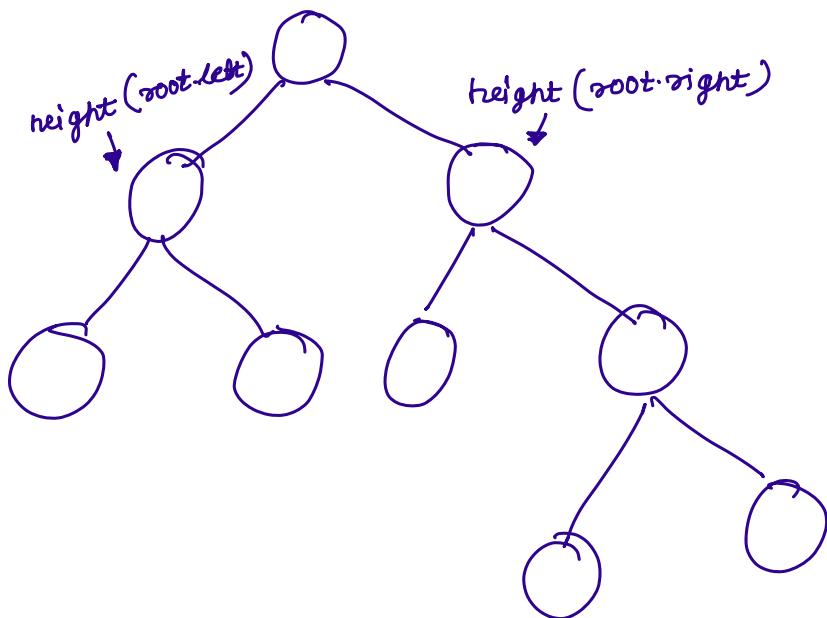
③ Diameter of Binary tree -



- diameter would be
longest distance between two
nodes

```
public int height (TreeNode n, int [ ] arr)  
    int left = height (n.left, arr)  
    int right = height (n.right, arr)  
    arr[0] = max (left, right)  
    1 + max (left, right)
```

④ Balanced binary tree -

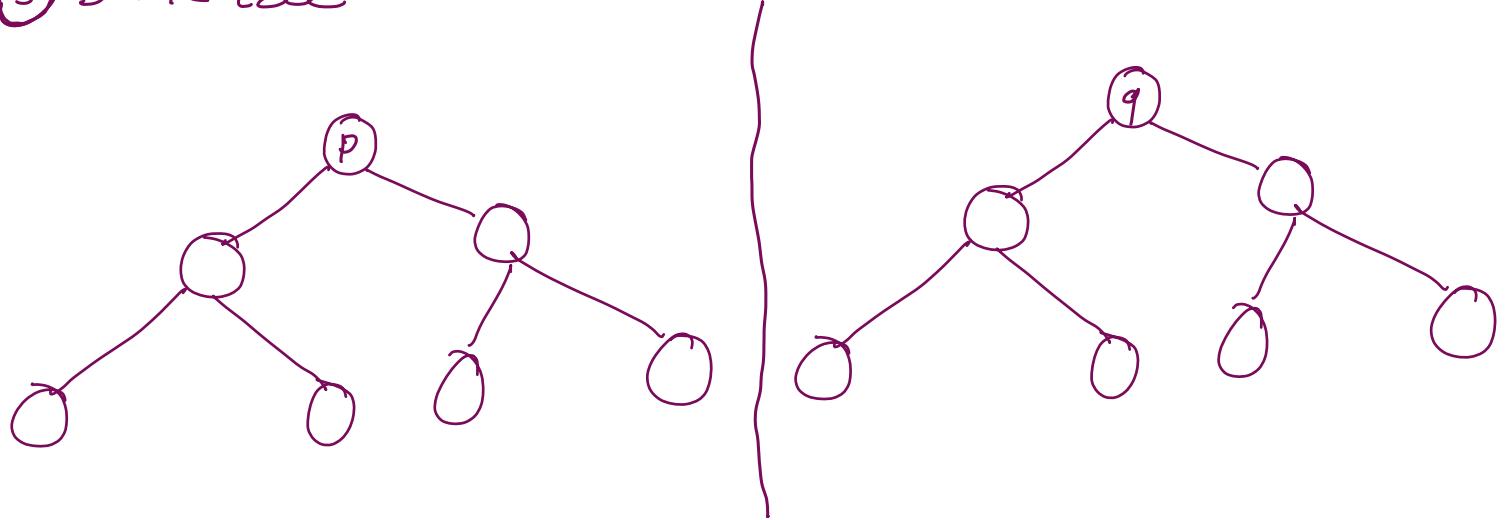


it

$\text{height}(\text{root.left}) - \text{height}(\text{root.right}) > 1$
return false;

return isbalance(root.left) && isbalance(root.right)

⑤ same tree



if ($P == q$)

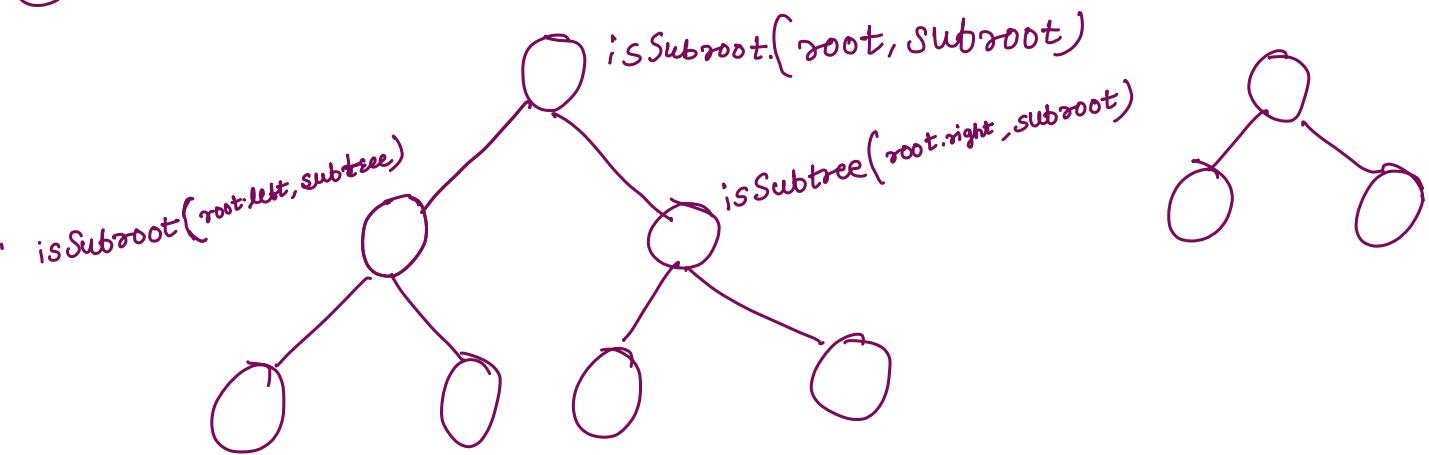
if recursion(P.left, q.left) &&
recursion(q.right, q.right)

return false.

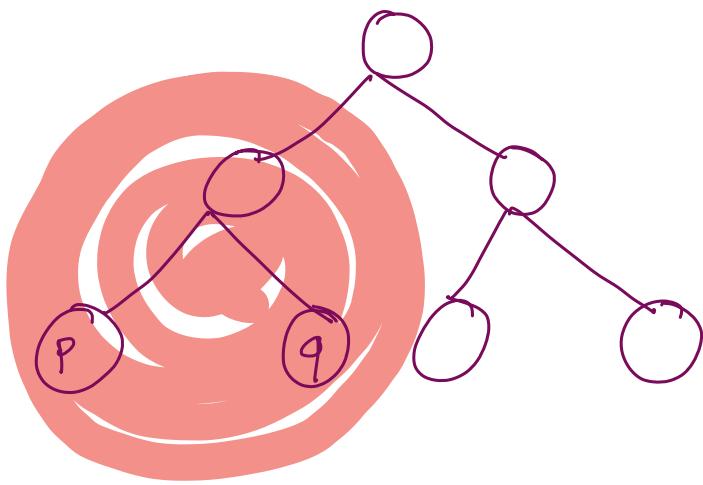
else

true.

⑥ Subtree of another tree



⑦ Lowest common ancestor



if $p < \text{root.val}$ & f

$q < \text{root.val}$



recursion($\text{root.left}, p, q$)

suppose we are at root.

if $p & q$ both are less than root.val

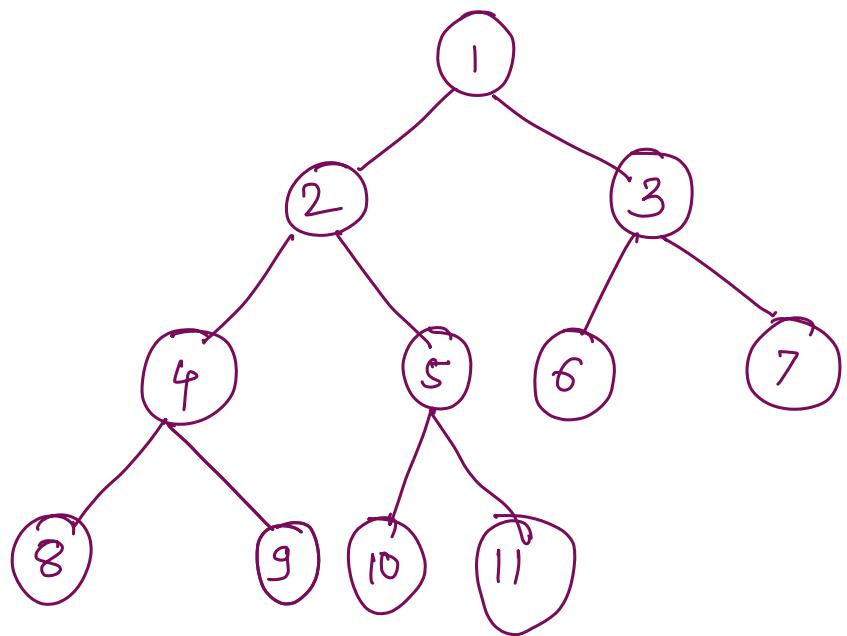
we know they would be in left side

so, we apply recursion on root.left .

likewise, if $p & q$ are greater than root.val

we apply recursion on right side of tree.

⑧ Level order traversal -



queue -

put root in queue.

1

queue -

put the neighbour

remove

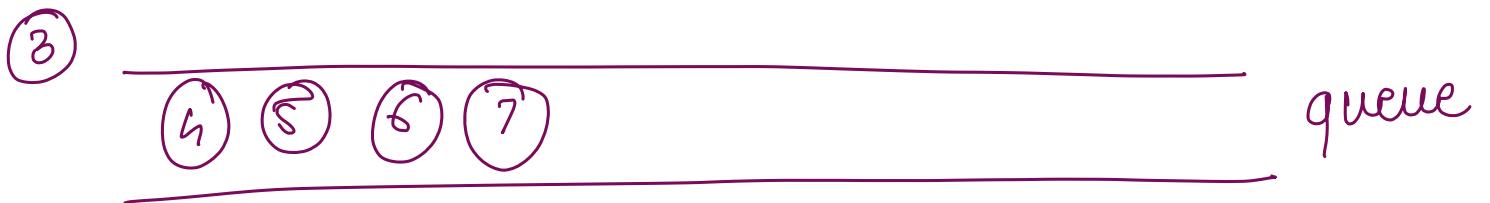
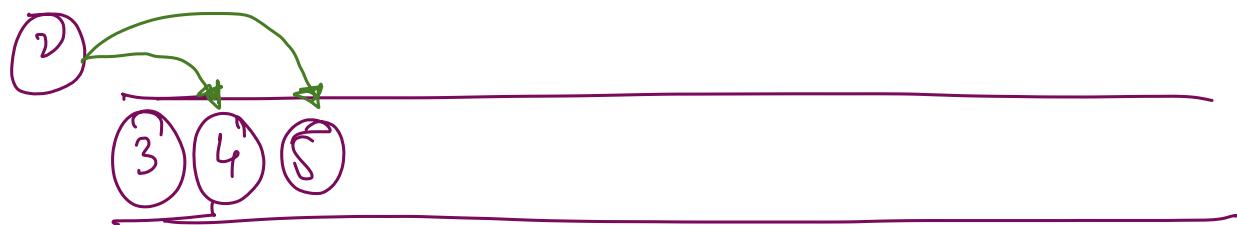
1 2 3

queue -

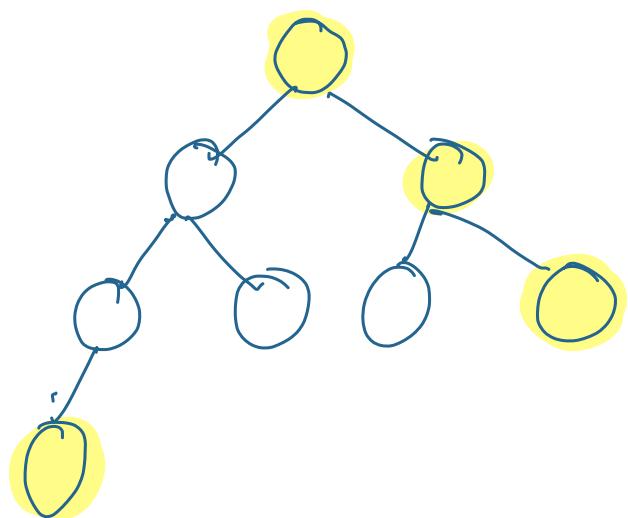
1

2 3

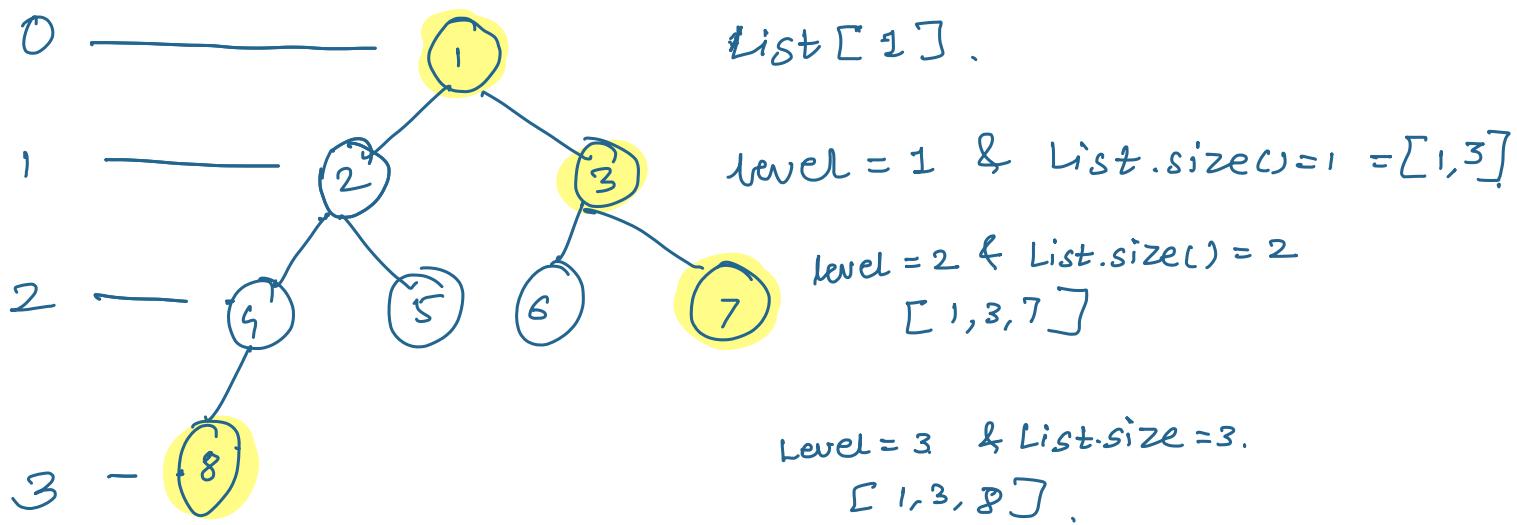
for '2' times call neighbour at 2 & 3.



10) Binary tree right side view



we go right
because we want right side view.
&
it's the level we are on
matches the size at our result list
we add that node.

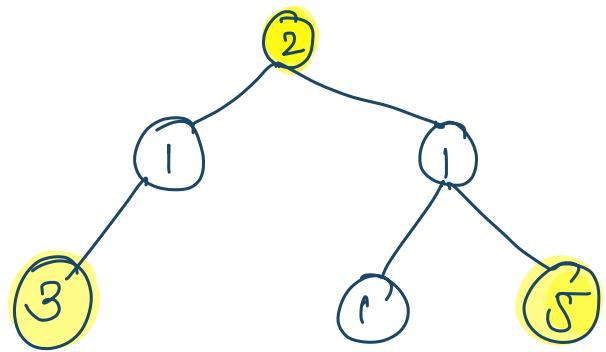


Base condition → level == list.size()
add

recursion(root.right, list, level+1)
recursion(root.left, list, level+1)

11 Count good nodes in binary tree :

Good \rightarrow path to that node from root should be like there should not be any node bigger than that node.



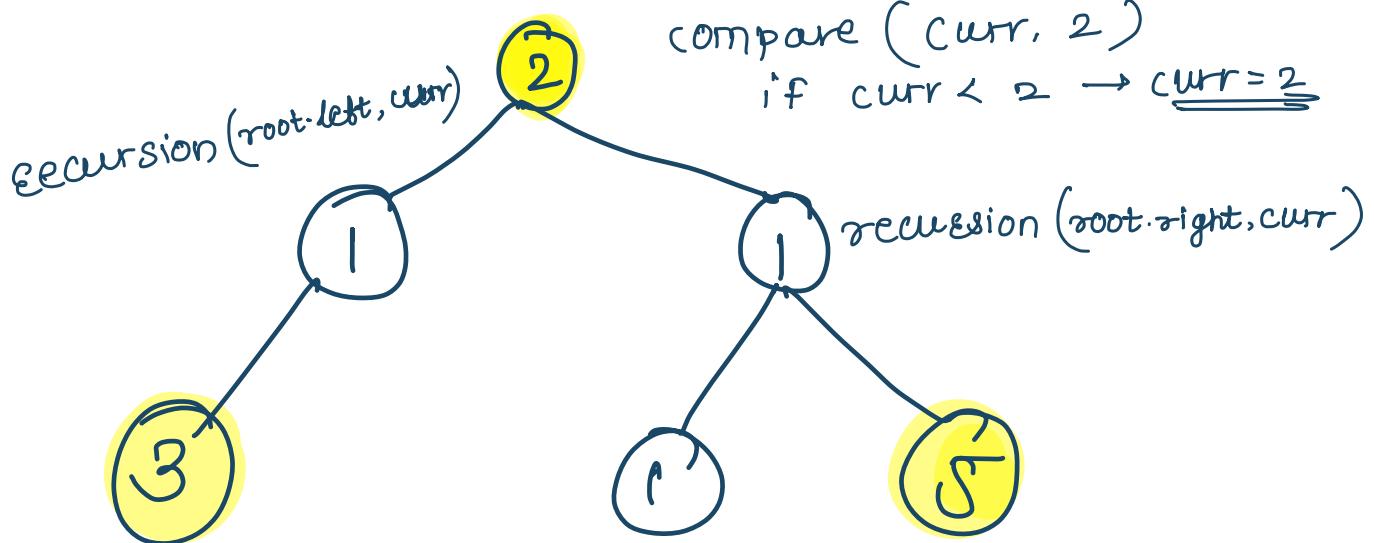
we will declare a variable curr = Integer.min.

Base Case \rightarrow if root == null return 0;

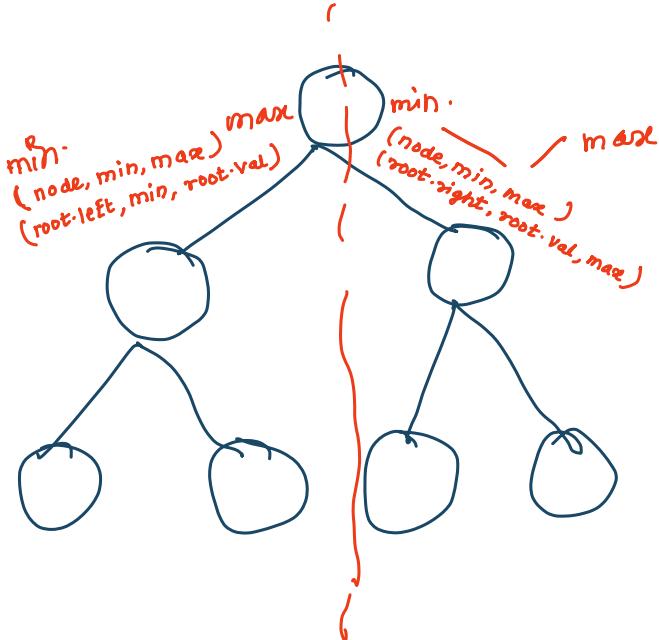
curr. = Int. max

compare (curr, 2)

if curr < 2 \rightarrow curr = 2



12) Validate Binary search tree .



Start with
two values

$\min \rightarrow \min.\text{Integer}$
 $\max \rightarrow \max.\text{Integer}$.

recursion $(\text{root}, \min, \max)$

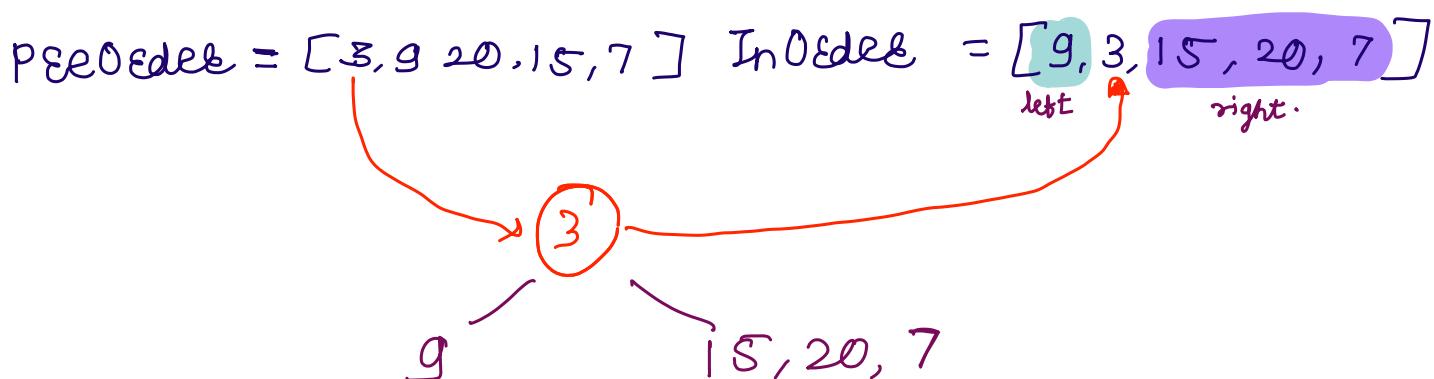
⑬ Construct Binary tree from Preorder & Inorder.

Preorder = [3, 9, 20, 15, 7]

Basically Preorder → root, left, right

Preorder will give us root -

once we know the root Inorder helps us figure out which elements are in right side of tree & left side of tree



tree builds up like this -

eg

Preorder Inorder
[1, 2, 4, 5, 3, 6] [4, 2, 5, 1, 3, 6].

If you decide root → '1'

& see the index at root in inorder

[4, 2, 5, 1, 3, 6]

Now we know for the left side of '1'
we would only search the order term

[4, 2, 5, 1, 3, 6]
left ↓ index-1

similarly for the right side at the root (1)
we would only search in range ($\text{index}+1$, right)

$[4, 2, 5, 1, \underline{\underline{3, 6}}]$
 $\underbrace{\text{index}+1}_{\text{right}}$

so,

we would form the root & make two recursive calls to the left at root & right at root.

14) Binary tree maximum path sum -

