

Year 1 Assessed Problems

Semester 2

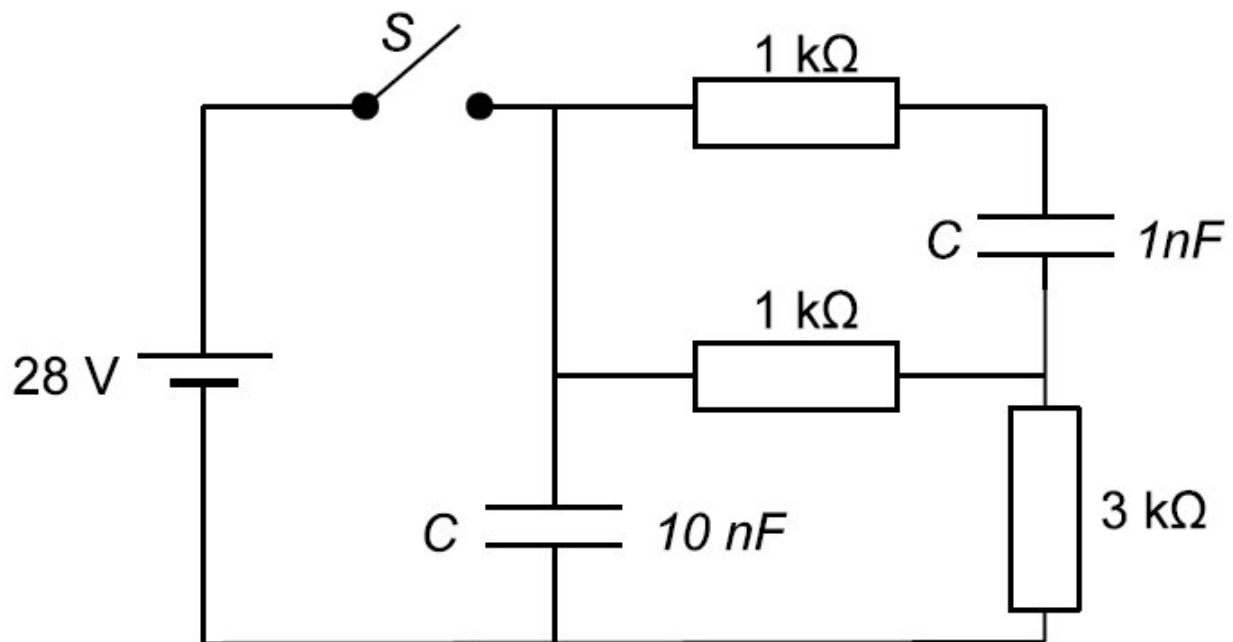
Assessed Problems 6

SOLUTIONS TO BE SUBMITTED  
ON CANVAS BY

**Wednesday 5<sup>th</sup> March 2025 at  
17:00**

Assessed problem EC

Q: In the circuit shown below, find the initial and final values of the voltage across the  $3\text{ k}\Omega$  resistor after the switch,  $S$ , is closed. Find the initial and final values of the power dissipated in the network.



Quiz Question 1:

In the circuit shown above, what is the initial voltage across the  $3\text{ k}\Omega$  resistor immediately after the switch  $S$  is closed?

[2 points]

Quiz Question 2:

In the circuit shown above, what is the final voltage across the  $3\text{ k}\Omega$  resistor after the switch  $S$  has been closed for a long time?

[2 points]

Quiz Question 3:

In the circuit shown above, what is the initial power dissipated in the network immediately after the switch  $S$  is closed?

[3 points]

Quiz Question 4:

In the circuit shown above, what is the final power dissipated in the network after the switch  $S$  has been closed for a long time?

[3 points]

## Continuous Assessment III

Continuous Assessment for Chaos is centred around two analogue exam questions which can be found on canvas.

5. Explain why the trajectory might also be described by

$$\frac{d^2 X}{dt^2} + X = -\frac{3}{4}R^2 [1 + \cos 2\omega(t - t_0)] - \frac{1}{8}R^3 \cos 3\omega(t - t_0) - \frac{3}{8}R^2 X$$

with an appropriate choice of  $\omega$  that you should choose. Solve this new equation and compare the new solution to the previous, suggesting which one is physically more appropriate. [5]

Consider the non-linear mapping

$$x_{n+1} = \frac{ax_n}{1 - x_n^2}$$

where  $a$  is a control parameter.

6. Find all the 1-cycles and establish when they are stable. [5]

## Maths for Physicists 1B Assessed Problem 3

- (a) Find the solution of the differential equation

$$\frac{d^2y}{dx^2} + \frac{dy}{dx} - 2y = 2x^2$$

where  $y(0) = y'(0) = 0$ . [5]

- (b) Find the solution of the differential equation

$$\frac{dy}{dx} + y^2 = \frac{2}{x^2}$$

where  $y(1) = 1$ . You may find useful the substitution  $y = \frac{1}{u} \frac{du}{dx}$ . [5]