

# Optics and Waves

School of Physics and Astronomy  
University of Birmingham



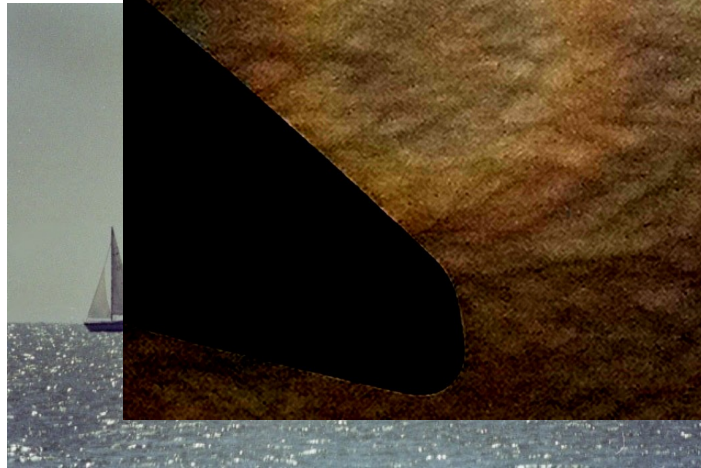
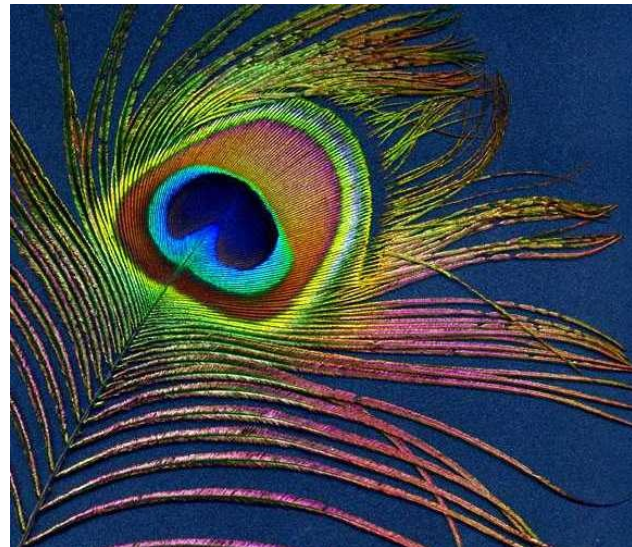
Why is the sky blue?



Why is the Sun red at sunrise/sunset?  
Why does the Sun look squashed?



How does a rainbow form?  
Why do rainbows come in pairs sometimes?



What gives a peacock its pretty colour?





<http://newt.phys.unsw.edu.au/jw/brassacoustics.html>

# Optics and Waves

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11.00 Tues. Law LT1

12.00 pm Weds. Arts Main

## Canvas: Optics and Waves

22 lectures + 1 revision

## Objectives

- Have a sound understanding of basic wave properties.
- Have a basic understanding of interference effects, including diffraction.
- Be able to use simple geometrical optics and understand the fundamentals of optical instruments.

## Textbooks:

Young and Freedman, (University Physics)

Chapters: 15, 16, ..... 33, 34, 35, 36 (Waves-Optics)

Knight (Physics for Scientists and Engineers) Chapters:

20, 21, ..... 22, 23, 24 (Waves – Optics)

Tipler and Mosca (5th Ed.)

Chapters: 15, 16, ..... 31, 32, 33 (Waves – Optics)

Jenkins and White - Fundamentals of Optics

Pearson International Edition

YOUNG AND FREEDMAN

SEARS AND ZEMANSKY'S

# UNIVERSITY PHYSICS

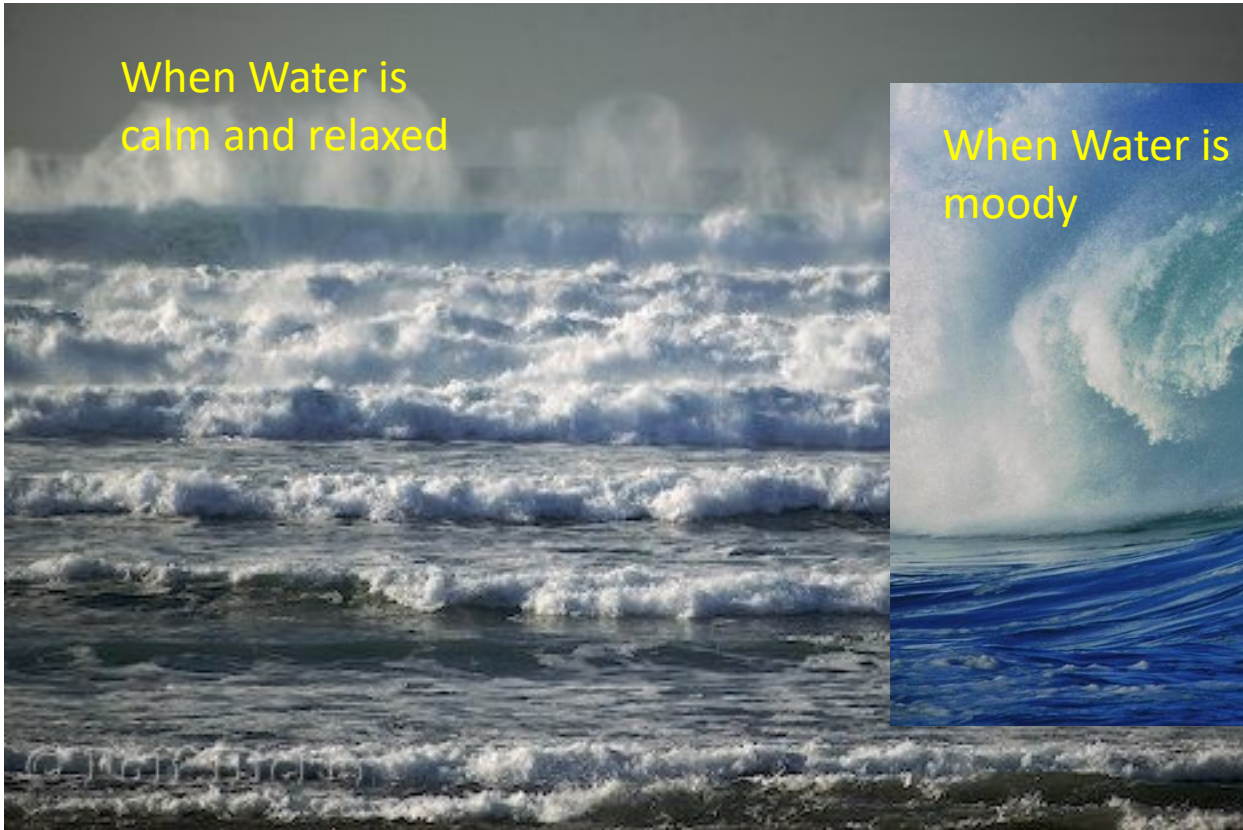
WITH MODERN PHYSICS



Waves can occur whenever a system is disturbed from equilibrium and when the disturbance can travel from one region to another. Waves carry Energy (Earthquake is a kind of wave).

## Familiar Waves <https://www.shutterstock.com/video/clip-7510351-water-drop-making-ripple-shot-high-speed>

When Water is  
calm and relaxed



When Water is  
moody



There are many types of waves. Light is a particular type of wave.

Aim of this lecture module is to derive **BASIC EQUATIONS** for describing waves, and learn the physical properties of waves.

[Mexican wave](#)

Waves are closely linked to periodic motion.  
In the following, we will briefly review periodic motion  
and see how this leads to the creation of waves.

Periodic motion (c



Periodic motion has the following characteristics:

It has a **period  $T$** : the time for one cycle.

It has a **frequency  $f$** : the number of cycles per unit time ( $f=1/T$ ).

It has an **amplitude  $A$** : the maximum displacement from the equilibrium point.

Q: What keeps the periodic motion going?

A: The restoring force. When the object is moved away from its equilibrium position, there is a restoring force trying to bring it back. When it returns to the equilibrium position, it has non zero speed, so it keeps on moving passing the equilibrium position. The process repeats, forever.



# Energy

- In terms of energy, exchange of kinetic energy and potential energy.
- Total energy is conserved.

When the restoring force is directly proportional to the displacement from equilibrium

$$F = -kx, \text{ (why } -kx, \text{ not just } kx?)$$

The periodic motion becomes a

Simple harmonic motion.

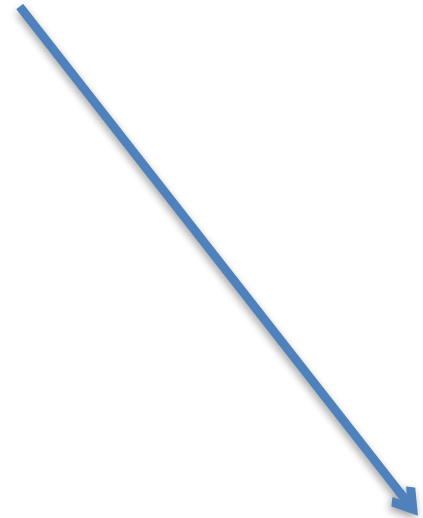
A body undergoes simple harmonic motion is called a harmonic oscillator.

In one dimension, the displacement of a harmonic oscillator is described by:

$$x = A \cos (\omega t + \phi)$$

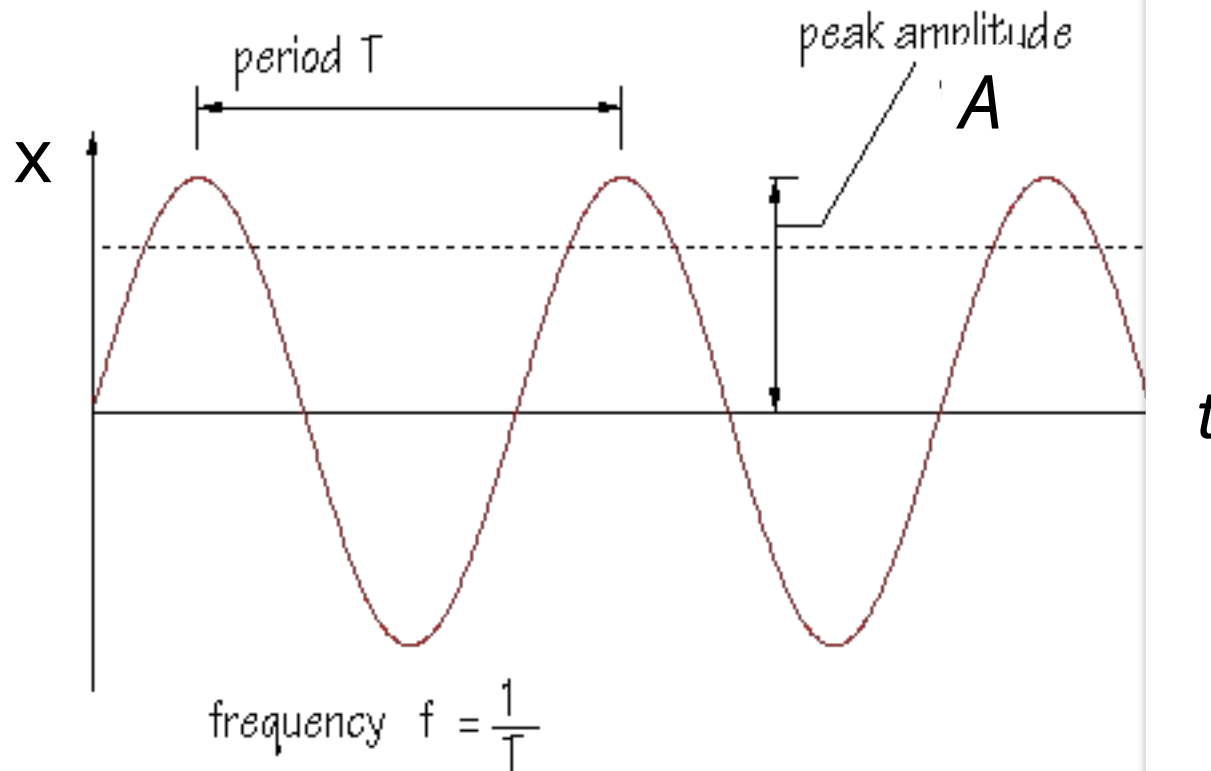
Where  $\omega = 2\pi f$  is the angular frequency, and  $\phi$  is the phase angle.

$$x = A \cos (\omega t + \phi)$$



$$-kx = ma = m \frac{dv}{dt} = m \frac{d}{dt} \left( \frac{dx}{dt} \right) = m \frac{d^2 x}{dt^2}$$

$$x = A \cos (\omega t + \phi)$$



[SHM-t](#)

Phase angle here is  $-90$  degrees, an equivalent expression is :

$$x = A \sin \omega t$$



Velocity in SHM (simple harmonic oscillator):

$$v_x = \frac{dx}{dt} = -\omega A \sin(\omega t + \phi)$$

Acceleration in SHM:

$$a_x = \frac{dv_x}{dt} = \frac{d^2x}{dt^2} = -\omega^2 A \cos(\omega t + \phi)$$

The signs are used to indicate the directions of velocity and acceleration. Both velocity and acceleration are **vectors**.

Energy in SHM:

With only the restoring force, the total energy is conserved. A swing slows down with time due to the presence of friction and air resistance.

The energy of the oscillator equals the kinetic energy when the object is at its peak speed: (PE+KE). At peak speed (KE), PE is zero.

$$v_x = \frac{dx}{dt} = -\omega A \sin(\omega t + \phi)$$

Peak speed in SHM:  $\omega A$

Energy in SHM:  $\frac{1}{2} m(\omega A)^2$

Each wave can be described by a Wavefunction.

Next Lecture, Wavefunction.