

Lecture 1 – Atomic Structure

Lecture 2 – The Ultraviolet Catastrophe

Lecture 3 - Particle Nature of Light

Lecture 4 – Atomic Energy Levels and Spectra

Lecture 5 – X-ray Production and Diffraction

Lecture 6 – X-ray Spectra

Lecture 7 – Matter Waves

Lecture 8 – Wave-Particle Duality

Lecture 9 – Wave functions for Quantum Particles

Lecture 10 – A Quantum Mechanical Wave Equation Lecture 11 – Applications of Schrödinger's Equation



Recap of Lecture 8

- Wave-particle duality interference, but also singleparticle detections
- Waviness gives quantisation of energy in a bound system eg potential well
- Energy levels depend on the 'shape' of the potential
- Heisenberg Uncertainty Principle $\Delta p_x \Delta x \ge h/4p$ the better we know momentum, the worse we know position

In this lecture

- Reminder of the classical wave equation building to the (complex) quantum mechanical version
- The idea of probability density and probability amplitude
- Standing waves and the particle-in-the-box as a wave

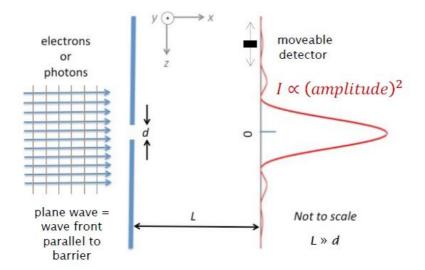
Probability interpretation



Max Born (1882-1970)

- The probability interpretation of the QM wave function was proposed by Max Born in a paper entitled "Zur Quantenmechanik" in 1926
- This is the first time that the term *Quantum Mechanics* appears in the scientific literature.
- Max Born shared the 1954 Nobel Prize with Walther Bothe for the development of QM

Probability density as Intensity



Standing Waves

