Chapter Twelve: From Randomness to Probability

Recall: A random event is an event in which Re-
member that in the short term there is no structure to probability but is easily predictable in the long term. To talk about randomness in a more mathematical way we introduce the concept of
Let's consider a simple example. Suppose you have to pass a specific intersection everyday to get to school. We note that the rate at which the light turns a specific colour is not only on a timer but is dependent on the flow of traffic at any given moment. However since you approach the stoplight at the same time each day you can assume traffic is relatively similar across most days. So why might we consider this to be a scenario in which randomness is at play?
Trial:
Outcome:
Event:
Sample Space:
Applying this vocabulary to our example,
Random Phenomenon: The colour of the traffic light
Trial: Each time you approach the light
Outcome: The colour of the light when you approach it
Event: $\{yellow, red\} \rightarrow \text{stop}, \{green, yellow\} \rightarrow \text{pass through the intersection}$
Sample Space: red, yellow, and green

Three Types of Probability

1. Subjective Probability:

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2. Empirical Probability:	
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3. Theoretical Probability:	
, and the second	
The Law of Large Numbers (LLN):	
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In otherwords, the	gets closer to the
as you con	duct repeated trials of the event.
Example A standard deck of 52 cards, excluding	jokers consists of:
- 26 red cards where 13 are diamonds and 13 are hand 13 are clubs	vearts - 26 black cards where 13 are spades
Using the fact that if we were to repeatedly draw of theoretical probability of drawing a specific card (W questions:	
• The probability of drawing a red card	
• The probability of drawing a heard	

Using simulation to understand theory:

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