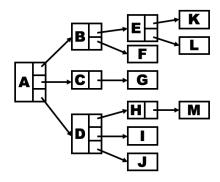
Lab 9 Report Template

1. Given a tree, say in linked list, construct another tree using FirstChild-NextSibling representation.

1.1 linked list tree:

The linked list tree is organized in this way:



1.1.1 coding in Python:

```
class linked_node(object):
    def __init__(self, value=None):
        self.next = []
class linked_list_tree(object):
    def __init__(self, value=None):
        self.root = linked_node(value)
    def add_as_child(self, father, *child):
        current_level = [self.root]
        next_level = []
        while current_level != []:
            for node in current_level:
                if node.value == father:
                   node.next += list(map(linked_node, child))
                    next_level += node.next
           next_level = []
    def show(self, node=None):
        if not node:
        nodes = node.next
        for no in nodes:
            self.show(no)
```

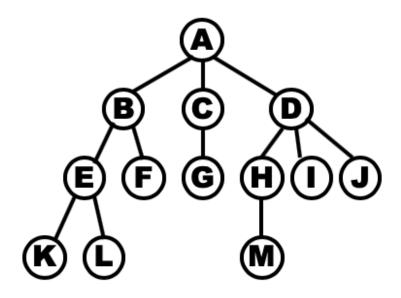
1.1.2 details:

Every node in the tree contain a value and a list called next, which contain the next nodes of this node. When I try to add some value into the tree, I find a special value and generate a node as one of the next nodes of this node. Use the method show, to get the preorder traversal of this tree.

1.1.3 test:

```
Tree = linked_list_tree("A")
Tree.add_as_child("A", "B", "C", "D")
Tree.add_as_child("B", "E", "F")
Tree.add_as_child("E", "K", "L")
Tree.add_as_child("C", "G")
Tree.add_as_child("D", "H", "I", "J")
Tree.add_as_child("H", "M")
Tree.show()
```

1.1.4 The tree:

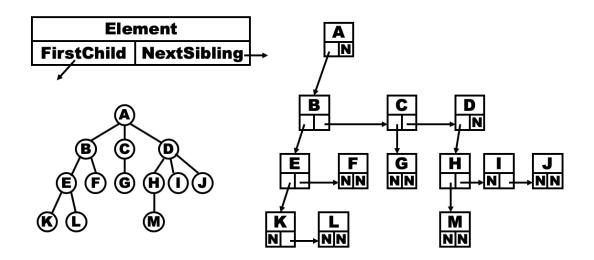


1.1.5 Output:

ABEKLFCGDHMIJ

In fact, this is the preorder traversal of the tree.

1.2 FirstChild-NextSibling tree:



1.2.1: code in Python:

```
class FCNS_node(object):

def __init__(self, value, first_child=None, next_sibling=None):
    self.value = value
    self.first_child = first_child
    self.next_sibling = next_sibling
```

```
class FCNS_tree(object):
    def __init__(self):
        self.root = None

    def set_root(self, value, first_child=None, next_sibling=None):
        self.root = FCNS_node(value, first_child, next_sibling)

    def get_root(self):
        return self.root
```

```
def add_as_next_sibling(self, node, value):
   current_level = [self.root]
   next_level = []
   while current_level:
       for current_node in current_level:
          if current_node.value == node:
              if not current_node.next_sibling:
                 current_node.next_sibling = FCNS_node(value)
          elif current_node.first_child:
              point = current_node.first_child
              while point.next_sibling:
                 next_level.append(point)
                 point = point.next_sibling
              next_level.append_(point)
      current_level = next_level
      next_level = []
def show(self):
    current_level = [self.root]
    next_level = []
    while current_level:
         print()
         for current_node in current_level:
              print(current_node.value, end=" ")
              if current_node.first_child:
                  point = current_node.first_child
                  while point.next_sibling:
                       next_level.append(point)
                       point = point.next_sibling
                  next_level.append (point)
         current_level = next_level
         next_level = []
```

1.2.2

Every node in this tree has a first child and a next sibling, which all can be none. Every tree has a specific root node. There are two methods can be

used to build a tree.

1.2.3 Test:

```
Tree = FCNS_tree()

Tree.set_root("A")

Tree.add_as_first_child("A", "B")

Tree.add_as_next_sibling("B", "C")

Tree.add_as_first_child("B", "E")

Tree.add_as_first_child("B", "F")

Tree.add_as_next_sibling("E", "F")

Tree.add_as_first_child("E", "K")

Tree.add_as_first_child("C", "G")

Tree.add_as_first_child("C", "G")

Tree.add_as_first_child("D", "H")

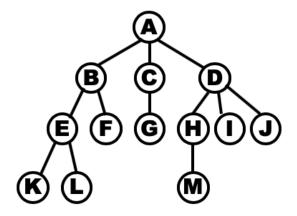
Tree.add_as_next_sibling("H", "I")

Tree.add_as_next_sibling("I", "J")

Tree.add_as_first_child("H", "M")

Tree.show()
```

1.2.4 the tree:



1.2.4 Output:

```
A
BCD
EFGHIJ
KLM
```

2.Implement inorder, preoder, postorder and levelorder tree traversal algorithms.

2.1: background:

I used the FirstChild-NextSibling tree to finish the inorder, preoder, postorder and levelorder tree traversal algorithms.

2.2: inorder:

```
void inorder ( tree ptr tree )
{  if ( tree ) {
    inorder ( tree->Left );
    visit ( tree->Element );
    inorder ( tree->Right );
  }
}
```

2.2.1: coding in Python:

```
def __inorder(self, node):
    son = node.first_child
    if son:
        self.__inorder_(son)
        output_in.append_(node.value)
        while son.next_sibling:
            son = son.next_sibling
            self.__inorder(son)
    else:
        output_in.append(node.value)

def inoder_traversal(self):
    global output_in
    output_in = []
    self.__inorder(self.root)
    return output_in
```

2.3: preorder:

```
void preorder ( tree_ptr tree )
{ if ( tree ) {
    visit ( tree );
    for (each child C of tree )
        preorder ( C );
    }
}
```

2.3.1 coding in Python:

2.4: postorder:

```
def __preorder(self, node):
    output_pre.append(node.value)
    son = node.first_child
    if son:
        while son.next_sibling:
            self.__preorder(son)
            son = son.next_sibling
            self.__preorder(son)

def preorder_traversal(self):
    global output_pre
    output_pre = []
    self.__preorder(self.root)
    return output_pre
```

```
void postorder ( tree_ptr tree )
{ if ( tree ) {
    for (each child C of tree )
      postorder ( C );
    visit ( tree );
    }
}
```

2.4.1 coding in Python:

```
def __postorder(self, node):
    son = node.first_child
    if son:
        while son.next_sibling:
            self.__postorder_(son)
            son = son.next_sibling
            self.__postorder(son)
            output_post.append(node.value)

def postorder_traversal(self):
    global output_post
    output_post = []
    self.__postorder(self.root)
    return output_post
```

2.5: levelorder:

```
void levelorder ( tree_ptr tree )
{    enqueue ( tree );
    while (queue is not empty) {
       visit ( T = dequeue ( ) );
       for (each child C of T )
            enqueue ( C );
    }
}
```

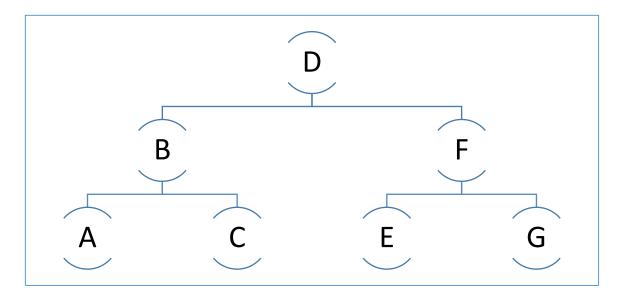
2.5.1 coding in Python:

```
def levelorder_traversal(self):
    global output_level
   output_level = []
   self.__levelorder([self.root])
    return output_level
def __levelorder(self, nodes):
    if nodes == \square:
        return
    sons =
    for node in nodes:
        output_level.append(node.value)
        son = node.first_child
        while son:
            sons.append(son)
            son = son.next_sibling
    self.__levelorder(sons)
```

2.6: Test:

```
tree = FCNS_tree()
tree.set_root("D")
tree.add_as_first_child("D", "B")
tree.add_as_next_sibling("B", "F")
tree.add_as_first_child("B", "A")
tree.add_as_first_child("F", "E")
tree.add_as_next_sibling("A", "C")
tree.add_as_next_sibling("E", "G")
tree.show()
print("levelorder: "+str(tree.levelorder_traversal()))
print("preorder"+str(tree.preorder_traversal()))
print("inorder"+str(tree.inoder_traversal()))
print("postorder"+str(tree.postorder_traversal()))
```

2.7: The tree:



2.8:Output:

```
D
B F
A C E G
levelorder: ['D', 'B', 'F', 'A', 'C', 'E', 'G']
preorder['D', 'B', 'A', 'C', 'F', 'E', 'G']
inorder['A', 'B', 'C', 'D', 'E', 'F', 'G']
postorder['A', 'C', 'B', 'E', 'G', 'F', 'D']
```