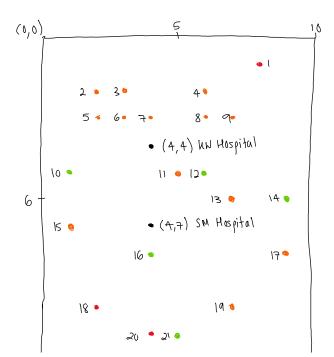
Project Planning

November 21, 2023 12:54 AM

Demand Model:

Assumptions:

- demand is constant
 - · severe patient
 - • moderate patient
 - • low severity patient
- Nitchener Waterloo demand can be captured by the following 10km > 13 km gnd (based on demand data online)
- resource allocation in order of node number
 - closer ambulance, farther ambulance, closer ERV, farther ERV
 - • closer ambulance, closer ERV, forther ambulance, forther ERV
 - . doser ERV, closer ambulance, faither ERV, father ambulance



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Variables:

$$\begin{array}{c} \text{design} \longrightarrow & \text{X-gr} : \left[\text{X1-gr}, \text{X2-gr} \right] \\ \text{vectors} \longrightarrow & \text{X-Sm} : \left[\text{X1-5m}, \text{X2-5m} \right] \end{array}$$

where:

XI.gr = number of ambulances at Grand River

12-91 = number of ERVs at Grand River

XISM - Number of ambulances at St. Many's

X2. SM: number of ERVs at St. Many's

other
$$\longrightarrow$$
 t= transport type adjustment factor (ERV=1, ambulance = 2) accounts for cost and d=distance between demand node and hospital (Euclidian)

indicies
$$\rightarrow$$
 m \rightarrow demand nodes (0-21)
 $j \rightarrow$ number of ambulances (0-48)
 $k \rightarrow$ number of ERVs (0-8)

Objective Functions:

$$\frac{\cos t \rightarrow c(x) = \frac{i=21}{i=0}}{(\min i)(i)} = \frac{i=21}{i=0} t_i \left(0.1 d_i\right)$$

Survival
$$\rightarrow s(x) = \sum_{i=0}^{i=2l} t_i(\frac{1}{d_i})$$
 of ambulance/ E

Survival $\rightarrow s(x) = \sum_{i=0}^{i=2l} t_i(\frac{1}{d_i})$

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Objective Functions: $cost \rightarrow c(x) = \begin{cases} i=21 \\ i=0 \end{cases}$ $t_i = \begin{cases} 0.1 & d_i \end{cases}$ $t_i = \begin{cases} 0.1 &$

Constraints:

$$x_1 - gr + x_1 - sm = 48 \longrightarrow x_1 - gr + 48 - x_1 - sm$$

 $x_2 - gr + x_2 - sm = 8 \longrightarrow x_2 - gr = 8 - x_2 - sm$

OneNote