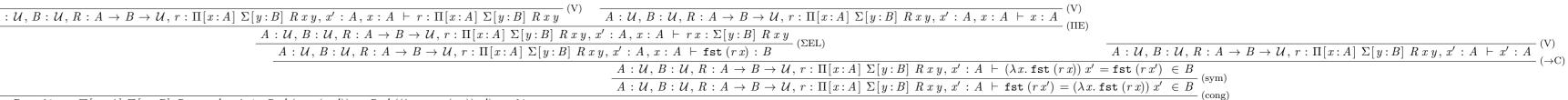
	(V) - (V)	$\phantom{AAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAA$	$\frac{- \vdash r x : \Sigma[y : B] R x y}{-, x : A \vdash fst(r x) : B} (\Sigma EL) \qquad \qquad \frac{-}{-} \vdash x' : A (V)$
${- \vdash r : \Pi[x : A] \ \Sigma[y : B] \ R x y} \overset{\text{(V)}}{-} {- \vdash x : A} \overset{\text{(V)}}{}$	$\frac{- \vdash r : \Pi[x : A] \ \Sigma[y : B] \ R \ x \ y}{- \vdash r \ x' : \Sigma[y : B] \ R \ x' \ y} \frac{- \vdash x' : A}{(\text{NE})}$	$\frac{- \vdash R \ x' : B \to \mathcal{U}}{- \vdash R \ x' = R \ x' \in B \to \mathcal{U}} $ (refl)	$\frac{- \vdash (\lambda x. \operatorname{fst}(r x)) x' = \operatorname{fst}(r x') \in B}{- \vdash \operatorname{fst}(r x') = (\lambda x. \operatorname{fst}(r x)) x' \in B} \text{(sym)}$
$\frac{- \vdash r x : \Sigma[y : B] R x y}{-, x : A \vdash fst(r x) : B} \overset{(\text{DEL})}{(\to \text{I})}$		$x':A \vdash \operatorname{snd}(rx') \in Rx'\left(\left(\lambdax.\operatorname{fst}(rx)\right)x'\right)$	$= R x' ((\lambda x. fst (r x)) x') \in \mathcal{U}_{(conv)}$
	$ \begin{array}{c} - \vdash \lambda z \\ \hline \end{bmatrix} \; R \; x \; y \; \vdash \; ((\lambda x. \; fst \; (r \; x)) , \; (\lambda x'. \; snd \; (r \; x'))) \; : \; \Sigma[f \colon A \to B] \\ (\lambda x. \; fst \; (r \; x)) , \; (\lambda x'. \; snd \; (r \; x'))) \; : \; (\Pi[x \colon A] \; \Sigma[y \colon B] \; R \; x \; y) \; . \end{array} $		
	$(A \otimes A \otimes$, 2[j.:11 , 2] II[a ::11] Iva (j.a)	
			$A:\mathcal{U},B:\mathcal{U},$

 $\frac{A: \mathcal{U}, B: \mathcal{U}, R: A \rightarrow B \rightarrow \mathcal{U}, r: \Pi[x:A] \ \Sigma[y:B] \ R \ x \ y \ \vdash ((\lambda x. \ \mathsf{fst} \ (r \ x)), (\lambda x'. \ \mathsf{snd} \ (r \ x'))): \Sigma[f:A \rightarrow B] \ \Pi[x':A] \ R \ x' \ (f \ x')}{A: \mathcal{U}, B: \mathcal{U}, R: A \rightarrow B \rightarrow \mathcal{U} \ \vdash \lambda r. ((\lambda x. \ \mathsf{fst} \ (r \ x)), (\lambda x'. \ \mathsf{snd} \ (r \ x'))): (\Pi[x:A] \ \Sigma[y:B] \ R \ x \ y) \rightarrow \Sigma[f:A \rightarrow B] \ \Pi[x':A] \ R \ x' \ (f \ x')} \xrightarrow{(\rightarrow \mathsf{I})} (\rightarrow \mathsf{I})$



 $A: \mathcal{U}, B: \mathcal{U}, R: A \rightarrow B \rightarrow \mathcal{U}, r: \Pi[x:A] \ \Sigma[y:B] \ R \ x \ y, \ x': A \ \vdash R \ x' \ (\mathtt{fst} \ (r \ x')) = R \ x' \ ((\lambda x. \ \mathtt{fst} \ (r \ x)) \ x') \ \in \ \mathcal{U}$

 $\frac{A:\mathcal{U},B:\mathcal{U},R:A\to B\to\mathcal{U},r:\Pi[x:A]\;\Sigma[y:B]\;R\;x\;y,\;x':A\;\vdash R:A\to B\to\mathcal{U}}{A:\mathcal{U},B:\mathcal{U},R:A\to B\to\mathcal{U},r:\Pi[x:A]\;\Sigma[y:B]\;R\;x\;y,\;x':A\;\vdash x':A} \underbrace{A:\mathcal{U},B:\mathcal{U},R:A\to B\to\mathcal{U},r:\Pi[x:A]\;\Sigma[y:B]\;R\;x\;y,\;x':A\;\vdash R\;x':B\to\mathcal{U}}_{(\to I)} \underbrace{A:\mathcal{U},B:\mathcal{U},R:A\to B\to\mathcal{U},r:\Pi[x:A]\;\Sigma[y:B]\;R\;x\;y,\;x':A\;\vdash R\;x':B\to\mathcal{U}}_{(\to I)} \underbrace{A:\mathcal{U},B:\mathcal{U},R:A\to B\to\mathcal{U},r:\Pi[x:A]\;\Sigma[y:B]\;R\;x\;y,\;x':A\;\vdash R\;x':B\to\mathcal{U}}_{(\to I)}$

 $\frac{A:\mathcal{U},B:\mathcal{U},R:A\to B\to\mathcal{U},r:\Pi[x:A]\;\Sigma[y:B]\;R\;x\;y,\;x':A\;\vdash\;\mathsf{snd}\;(r\;x')\;\in\;R\;x'\;((\lambda x.\;\mathsf{fst}\;(r\;x))\;x')}{A:\mathcal{U},B:\mathcal{U},R:A\to B\to\mathcal{U},\;r:\Pi[x:A]\;\Sigma[y:B]\;R\;x\;y\;\vdash\;\lambda x'.\;\mathsf{snd}\;(r\;x'):\Pi[x':A]\;R\;x'\;((\lambda x.\;\mathsf{fst}\;(r\;x))\;x')} \stackrel{(\Pi I)}{\subset}$