

The analysis of Time Complexity here is quite complex. In the queen\_func function the recursive call (which takes deals with n-1 queens) has a running time of  $T(n-1)$ , which will run only for safe cells. And the max safe cells will be at most equal to n or less than that.

So the queen\_func function will take a time of  $n \cdot T(n-1)$ .

Since the for loop in queen\_func function will run for N times, the on\_attack function runs for  $O(N-n)$  which is equal to  $O(N)$ .

The overall time function of the algorithm is

$$T(n) = O(N^2) + n \cdot (T(n-1))$$

we can write  $T(n-1)$  as  $O(N^2) + n \cdot (T(n-2))$ ,

thus,  $T(n) = O(N^2) + n \cdot (O(N^2) + n \cdot (T(n-2)))$

now replacing  $T(n-2)$  by appropriate value and so on...

we finally get,

$$T(n) = O(N^2)(O(n-2)!) + O(n!)$$

And finally the time complexity (Worst case) will be  $O(n!)$ .

Space Complexity:  $O(N \cdot N)$ , Here N is input size.