

a) TRUE/FALSE : The analysis is for zero state solution.

c) Correct the \pm sign error. (Show your steps, Remember that all four analyses describe the same circuit. Explain your reasoning)

$$\dot{V}_2 = V_1 - 4V_2$$

(I)

$$(3D^2 + 15D + 15)i_1 = 0$$

(II)

$$\dot{I}_2 + 2I_2 + I_3 = 0$$

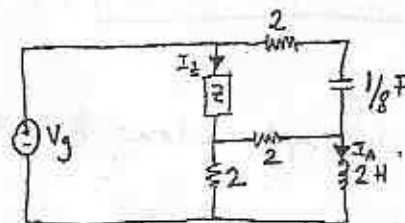
$$\dot{I}_2 - 5I_2 + \dot{I}_3 + 5\dot{I}_3$$

(II)

$$e_a + 5e_b - \frac{1}{4}e_c = 0$$

$$-5e_a + 2\dot{e}_b + \dot{e}_c = 0$$

$$b_{eu} + e_u = 0$$

$$(\text{IV})$$
$$V_g = 30 \cos(2t)$$


a) If $I_A = 10 \cos(2t)$, what is the circuit element denoted by z ?

b) If $I_2 = \cos(2t)$, what is the circuit element denoted by z ?

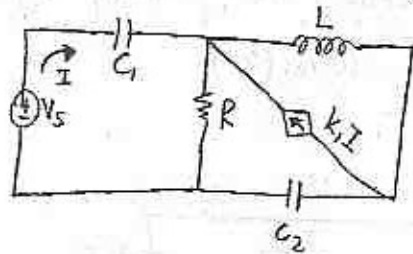
c) Assume that, the circuit element in the box has the following terminal relation:

$$V_z = K \cdot \frac{d^2 I_z(t)}{dt^2}$$

A circuit diagram showing a resistor with voltage V_2 across it and current I_2 flowing through it.

What's the phasor domain equivalent of this element?

③ a) Find the State Eqn's for the given circuit.



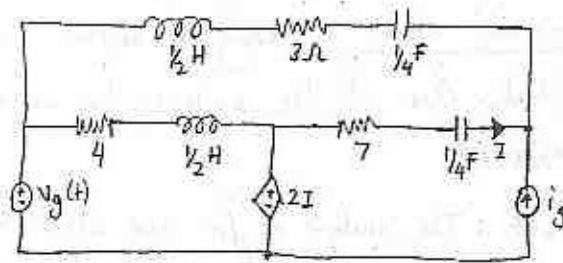
b) Determine the state eqn. when $k = -1$.

c) Show that when $k = -1$, there exists a mode with zero eigenvalue. Show that the mode with zero eigenvalue preserves its initial condition. That is, $V_C(t) = V_C(0)$ for $t \geq 0$.

d) Find the initial condition to ^{only} excite the mode with zero eigenvalue.

③

④



$$V_g(t) = 4 \sin 4t$$

$$I_g(t) = 5 \cos(4t + 30^\circ)$$

a) Find current I , and average power absorbed by 7Ω resistor when V_g is on, I_g is off. (I_g is disconnected).

b) Find current I , and average power absorbed by 7Ω resistor when I_g is on, V_g is off.

c) Find the current I , the consumed power by 7Ω resistor when both sources are on.

d) Do you expect total power calculated in part c to be sum of the calculated powers in parts a and b? Explain your reasoning.