Lecture 6 Stochastic Search

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This week

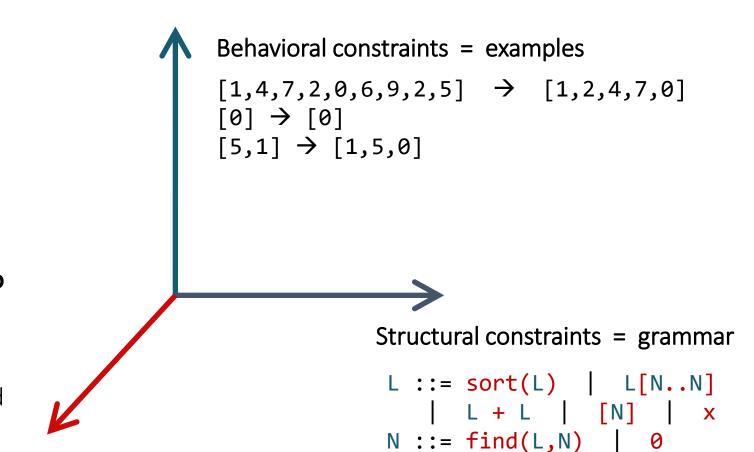
Topics:

- Stochastic Search
- Constraint solvers
- Constraint-based search

Paper: Sumit Gulwani, Susmit Jha, Ashish Tiwari, Ramarathnam

Venkatesan: Synthesis of loop-free programs. PLDI'11

The problem statement



Search strategy?

Enumerative

Stochastic

Representation-based

Constraint-based

Stochastic search in synthesis

Weimer, Nguyen, Le Goues, Forrest. *Automatically Finding Patches Using Genetic Programming*. ICSE'09

Schkufza, Sharma, Aiken: *Stochastic superoptimization*. ASPLOS 2013

Shi, Steinhardt, Liang: FrAngel: Component-Based Synthesis with Control Structures. POPL'19

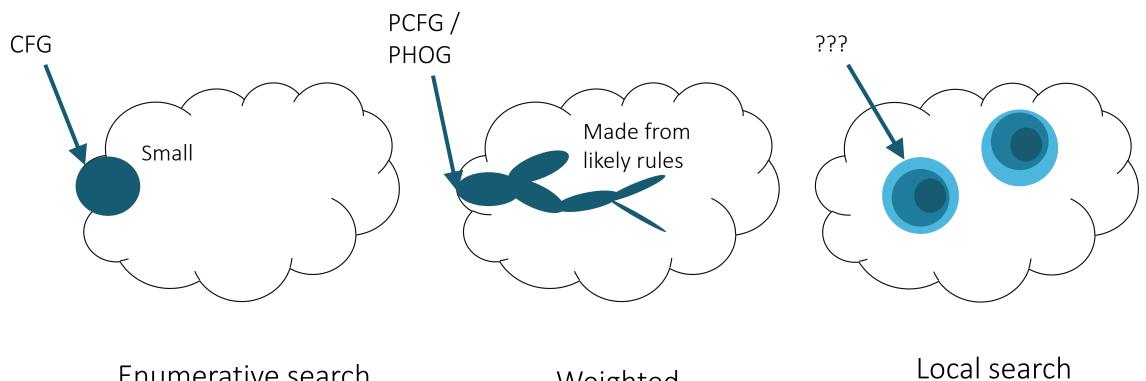
Stochastic search in synthesis

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Search space



Enumerative search

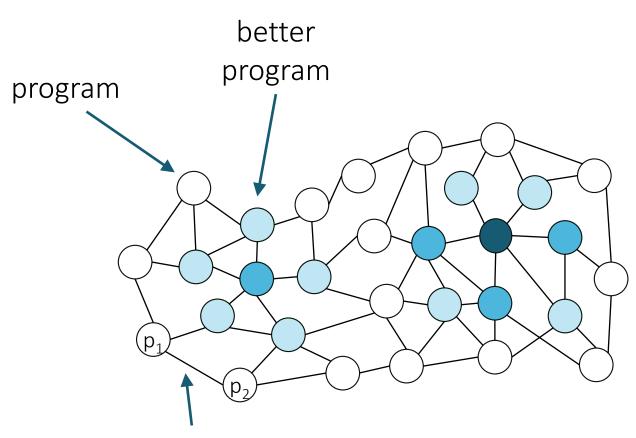
Weighted enumerative search

Naïve local search

To find the best program:

```
p := random()
while (true) {
   p' := mutate(p);
   if (cost(p') < cost(p))
      p := p';
}</pre>
```

Will never get to \bigcirc from $p_1!$



can generate p₂ from p₁ (and vice versa) via mutation

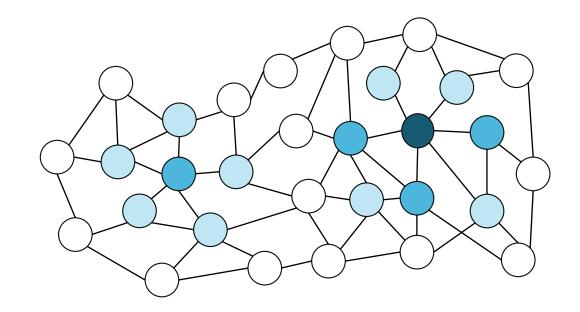
MCMC sampling

Avoid getting stuck in local minima:

```
p := random()
while (true) {
   p' := mutate(p);
   if (random(A(p -> p'))
      p := p';
}
```

where

- if p is better than p: $A(p \rightarrow p') = 1$
- otherswise: $A(p \rightarrow p')$ decreases with difference in cost between p' and p



MCMC sampling

Metropolis algorithm:

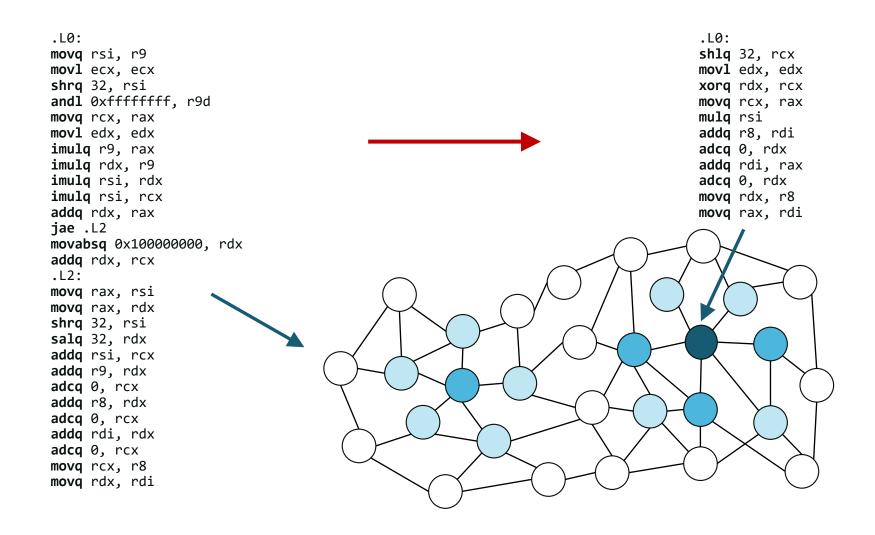
$$A(p \to p') = \min(1, e^{-\beta(C(p') - C(p))})$$

The theory of Markov chains tells us that in the limit we will be sampling with the probability proportional to

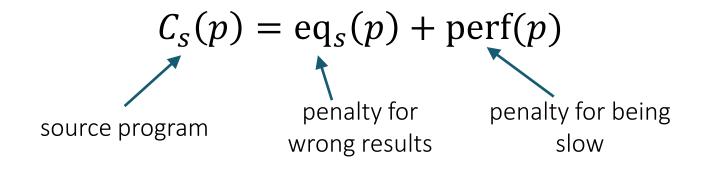
$$e^{-\beta * C(p)}$$

MCMC for superoptimization

[Schkufza, Sharma, Aiken '13]



Cost function



when $eq_s(p) = 0$, use a symbolic validator

Cost function

$$C_S(p) = \operatorname{eq}_S(p) + \operatorname{perf}(p)$$
source program

penalty for penalty for being wrong results slow

$$perf(p) = \sum_{i \in instr(p)} latency(i)$$

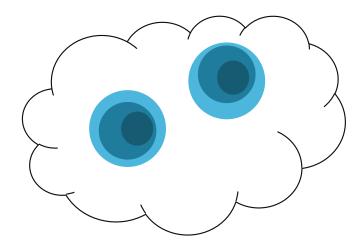
Local search: discussion

Strengths:

 can explore program spaces with no a-priori bias

Limitations?

- only applicable when there is a cost function that faithfully approximates correctness
- Counterexample: round to next power of two



Stochastic search in synthesis

Weimer, Nguyen, Le Goues, Forrest. *Automatically Finding Patches Using Genetic Programming*. ICSE'09

Similar but for program repair, uses genetic programming

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- Samples from a grammar with bias towards partial solutions
- I assume they use stochastic just for ease of sampling

Next



Search strategy?

Enumerative Stochastic Representation-based Constraint-based

Structural constraints = grammar

Behavioral constraints = examples

 $[0] \rightarrow [0]$

 $[5,1] \rightarrow [1,5,0]$

 $[1,4,7,2,0,6,9,2,5] \rightarrow [1,2,4,7,0]$