



**ISTANBUL TECHNICAL UNIVERSITY**

**FACULTY OF COMPUTER AND INFORMATICS**

**DEPARTMENT OF COMPUTER ENGINEERING**

**BLG212E**

**MICROPROCESSOR SYSTEM**

**HOMEWORK 2 REPORT**

**Çağla Mıdıklı - 150200011**

Question 1)

	A	B	C	D
1	Index	Student No	CPU Frequency (MHz)	Timer Interrupt Period (ms)
85	84	150200011	8	324
86	85	150200012	8	324

Frequency = 8 MHz =  $8 \times 10^6$  (Hz)

Period = 324 ms =  $324 \times 10^{-3}$  (s)

Period = (Reload Value +1)/Frequency

Reload Value +1 =  $324 \times 10^{-3}$  (s) \*  $8 \times 10^6$  (Hz) = 2592000

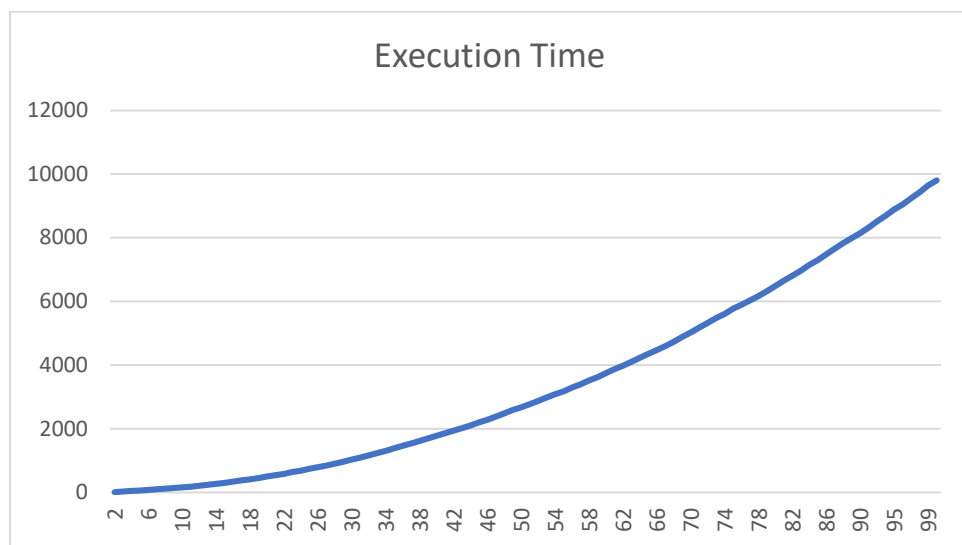
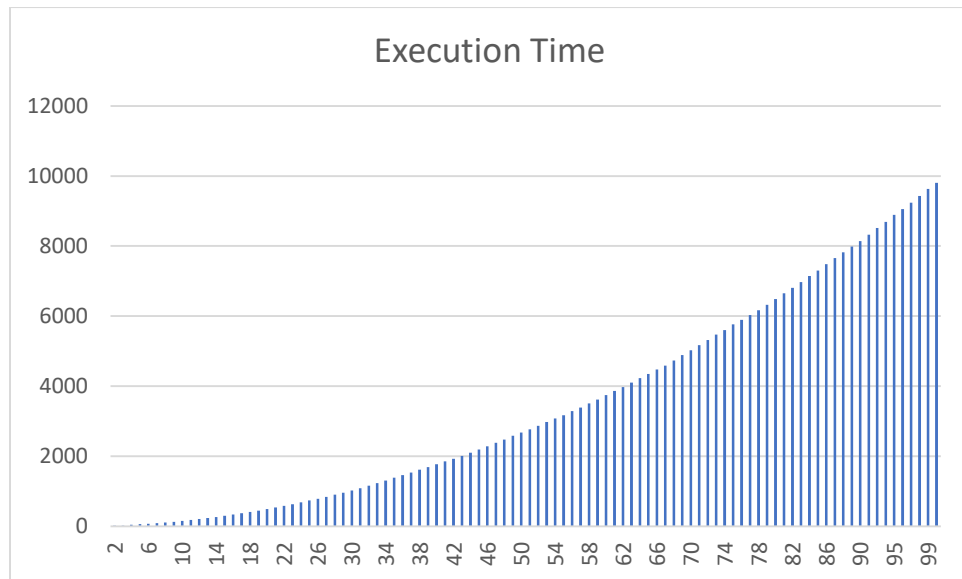
Reload Value = 2591999(decimal) = 0x00278CFF(hex)


2591999 value should be loaded into the SysTick Reload Value Register.

Question 2

I initially implemented the Bubble Sort algorithm in my code and captured the current values of the SysTick timer before and after each invocation of the Bubble Sort algorithm. I was able to determine how many cycles the Bubble Sort algorithm needed to execute for that particular input size by subtracting these figures. I divided the result by the frequency value, in this case 8 MHz, to translate this to time. The value obtained is expressed in microseconds. An important note is that  $M = 10^6$  and a microseconds =  $10^{-6}$  seconds. When entering the interrupt, I set up a counter to increment by 1 each time an interrupt occurs since the current value is reset. While calculating the time, I multiply the counter value with the reload value, add the start current value, and subtract the last current value. Finally, I divide everything by the frequency. Since the result is required in microseconds, I divided by 8 instead of  $8 \times 10^6$ , as micro is  $10^{-6}$ .

### Question 3



Address:	0x20000004					
0x20000004:	0014900465	0064634662	0087189553	0245669050	0246949813	
0x20000018:	0280758725	0284239475	0340477087	0372937696	0392765028	
0x2000002C:	0417027244	0440151139	0490964731	0536855191	0541970562	
0x20000040:	0558848418	0576710762	0694894443	0729953797	0730927192	
0x20000054:	0763252058	0787416846	0787968636	0843544929	0870468526	
0x20000068:	0895465076	0952946260	0974357170	1086364575	1264650872	
0x2000007C:	1287714564	1314998912	1430510379	1501583967	1514861734	
0x20000090:	1550196229	1570447789	1785898810	1862841745	1923130233	
0x200000A4:	1990519977	2007637142	2020772779	2108564367	2204259110	
0x200000B8:	2218162469	2222010251	2238214715	2251566410	2278411724	
0x200000CC:	2338593824	2414430348	2516207000	2554958012	2555280366	
0x200000E0:	2585051240	2667114332	2760581988	2793078606	2824062139	
0x200000F4:	2942530061	2961555144	2971092831	2988766824	3012359258	
0x20000108:	3038858172	3072620544	3119816605	3179002887	3187461713	
0x2000011C:	3290743083	3321592011	3327805323	3348832871	3356236520	
0x20000130:	3423692909	3499822065	3503838013	3540994501	3601671271	
0x20000144:	3624845437	3649718771	3653480512	3657507297	3675722122	
0x20000158:	3779594794	3870484241	3895302494	3907052087	3949877314	
0x2000016C:	3951777370	3999588828	4042866969	4110485569	4135785058	
0x20000180:	4211641831	4263636488	4265258539	4283354583	4294967295	
0x20000194:	0000000013	0000000021	0000000032	0000000045	0000000059	
0x200001A8:	0000000074	0000000092	0000000111	0000000131	0000000154	
0x200001BC:	0000000180	0000000208	0000000234	0000000266	0000000300	
0x200001D0:	0000000336	0000000374	0000000409	0000000451	0000000497	
0x200001E4:	0000000540	0000000581	0000000634	0000000681	0000000735	
0x200001F8:	0000000785	0000000844	0000000904	0000000960	0000001026	
0x2000020C:	0000001091	0000001157	0000001231	0000001306	0000001385	
0x20000220:	0000001464	0000001536	0000001615	0000001694	0000001775	
0x20000234:	0000001856	0000001931	0000002012	0000002097	0000002196	
0x20000248:	0000002280	0000002382	0000002476	0000002585	0000002674	
0x2000025C:	0000002769	0000002871	0000002981	0000003077	0000003171	
0x20000270:	0000003289	0000003390	0000003510	0000003616	0000003745	
0x20000284:	0000003863	0000003973	0000004099	0000004227	0000004349	
0x20000298:	0000004473	0000004591	0000004735	0000004884	0000005024	
0x200002AC:	0000005169	0000005321	0000005477	0000005605	0000005768	
0x200002C0:	0000005898	0000006032	0000006170	0000006322	0000006486	
0x200002D4:	0000006653	0000006803	0000006969	0000007142	0000007300	
0x200002E8:	0000007480	0000007654	0000007825	0000007988	0000008141	
0x200002FC:	0000008320	0000008517	0000008694	0000008890	0000009051	
0x20000310:	0000009235	0000009427	0000009635	0000009806	0000000000	

As seen in the tables and graphics above and in memory, the execution time of the Bubble Sort increases proportionally with the size of the input array. Time array starts in 0x20000194. Bubble sort algorithm exhibits an increasing time complexity as the size of the sorted array grows. The bubble sort algorithm's average/worst time complexity is  $O(n^2)$ . And given input array is reverse order and this situation equals to worst case. As seen in the graph, the time complexity curve of my written code resembles the  $n^2$  curve. This means that the bubble sort algorithm I implemented adheres to the literature, and its time complexity increases as the value of 'i' grows.