Answer to assignment8

December 14, 2015

Preparing data

```
setwd("~/Documents/R/DAE/Lab5/Lab5instruction/Ordination/")

# Import the data from CSV files

spe <- read.csv("DoubsSpe.csv", row.names = 1)
env <- read.csv("DoubsEnv.csv", row.names = 1)
data <- data.frame(LOC = spe$LOC, pho = env$pho, alt = env$alt)</pre>
```

ANalysis Of VAriance (ANOVA)

Q1: How does pho affect LOC's abundance?

We can use aov function to fit an analysis of variance model.

The F-test of pho (p=0.0106<0.05) indicates that pho does affect LOC's abundance and it can account for 22.70/(22.70+84.66)*100=0.2114 variance of LOC. However, the output of acv function can not quantitatively measure how pho affects LOC's abundance. Hence, we can first fit the one-way ANOVA model using the lm function.

```
lm1 <- lm(LOC ~ pho, data = data)
summary(lm1)</pre>
```

```
##
## Call:
## lm(formula = LOC ~ pho, data = data)
## Residuals:
      Min
##
               1Q Median
                               3Q
                                      Max
## -2.9862 -1.5092 -0.1738 1.2732 2.6094
##
## Coefficients:
##
              Estimate Std. Error t value Pr(>|t|)
## (Intercept) 2.9963 0.3782 7.924 1.25e-08 ***
                           0.3684 - 2.740
               -1.0096
                                            0.0106 *
## pho
```

```
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 1.739 on 28 degrees of freedom
## Multiple R-squared: 0.2115, Adjusted R-squared: 0.1833
## F-statistic: 7.509 on 1 and 28 DF, p-value: 0.01057
```

Since this model is a univariate linear model, the Multiple R-squared (0.2115) is actual the proportion of LOC's variance that pho can explain.

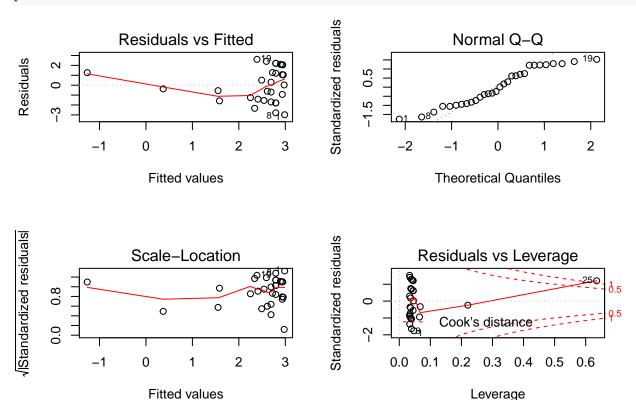
Then an analysis of variance table for this model can be produced via the anova command.

anova(lm1)

The output of anova is the same as that of aov, but the coefficient of pho (-1.0096) from 1m suggests that there is a negative relation between LOC and pho.

At last, we need to investigate the model diagnostics to ensure that the various assumptions are broadly valid.

```
par(mfrow = c(2, 2))
plot(lm1)
```



Q2: How do pho and alt affect LOC's abundance?

To answer Q2, we can conduct a two-way ANOVA model using the methods described in Q1.

```
# two-way ANOVA
aov2 <- aov(LOC ~ pho + alt, data = data)</pre>
summary(aov2)
##
              Df Sum Sq Mean Sq F value Pr(>F)
## pho
                  22.70
                         22.705
                                   7.741 0.00973 **
## alt
               1
                   5.47
                           5.471
                                   1.865 0.18330
## Residuals
              27 79.19
                           2.933
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
```

From the analysis of variance table we can see alt can explain only 0.0510 variance of LOC and the p-value of F-test of alt is 0.18330, which is far greater than 0.05.

```
lm2 <- lm(LOC ~ pho + alt, data = data)
summary(lm2)</pre>
```

```
##
## lm(formula = LOC ~ pho + alt, data = data)
##
## Residuals:
      Min
               1Q Median
                               30
                                      Max
## -3.6598 -1.1645 -0.2851 1.4251
                                   2.9051
##
## Coefficients:
##
               Estimate Std. Error t value Pr(>|t|)
## (Intercept) 2.001055
                          0.818416
                                     2.445
                                             0.0213 *
              -0.765350
                          0.404524
                                    -1.892
                                             0.0693 .
## pho
## alt
               0.001784
                          0.001306
                                    1.366
                                             0.1833
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 1.713 on 27 degrees of freedom
## Multiple R-squared: 0.2624, Adjusted R-squared: 0.2078
## F-statistic: 4.803 on 2 and 27 DF, p-value: 0.01642
```

anova(lm2)

Though including alt into predictors improves the Multiple R-squared by 0.0510, but the coefficients of both pho and alt are not statistically significant the level of $\alpha = 0.05$. Another usage of anova function is to compare models. To determine whether the inclusion of alt is appropriate, we can use anova to compare lm2 with lm1.

```
anova(lm2, lm1)
```

```
## Analysis of Variance Table
##
## Model 1: LOC ~ pho + alt
## Model 2: LOC ~ pho
## Res.Df RSS Df Sum of Sq F Pr(>F)
## 1 27 79.191
## 2 28 84.662 -1 -5.4706 1.8652 0.1833
```

Here anova performs the Chi-square test to compare lm2 and lm1. It tests whether reduction in the residual sum of squares are statistically significant or not. From the output of anova, the reducation in the residual sum of squares is -5.4706 and the p-value of the test is 0.1833. It means that the fitted model lm2 is not significantly different from lm1 at the level of $\alpha = 0.05$. Therefore, for the simplicity of fitted model and avoiding overfitting, it's more appropriate not to include alt as a predictor.

In this case, of course, it is unnessary to further consider the interaction of pho and alt.