Breakeven occurs when return of credit bond equals return of govt bond.

If credit bond initially has rating i:

$$t_{i1}r_{i1} + \dots + t_{i8}r_{i8} = g$$

where

 t_{ij} is the probability of bond currently rated i ending up rated j

 r_{ij} is the return of a bond currently rated i which ends up rated j

g is the return of a government bond

Now

$$r_{ij} = \frac{q_j + c_j}{p_i} - 1$$

where

 p_i is the current price of a bond rated i

 q_i is the final price of a bond which ends up rated j

 c_i is the coupon of a bond which end up rated j

 $c_i = y$, for j = 1,...,7 where y is the (annualised) yield of a government bond

$$c_i = 0$$
, for $j = 8$

$$\therefore \sum_{j=1}^{8} t_{ij} \left(\frac{q_j + c_j}{p_i} - 1 \right) = g$$

$$\therefore \ \, \sum_{j=1}^8 t_{ij} q_j \ \, + \ \, y(1-\,t_{i8}) = \, p_i \, (g+1) \quad \, \text{since} \quad \, \sum_{j}^8 t_{ij} \ \, = \, 1$$

$$\therefore \ \, \sum_{j=1}^{8} t_{ij} q_{j} \, = \, p_{i} \, (g+1) \, \cdot \, y (1-t_{i8})$$

$$\therefore \ \ \Sigma_{j=1}^7 \, t_{ij} q_j \ = \ p_i \, (g+1) \, \cdot \, (y(1-t_{i8}) + \, t_{i8} q_8) \quad \ (\text{note summation range})$$

where q_8 is the assumed recovery rate

Rewrite this as:

$$Tq = p^*$$

$$\therefore \boldsymbol{q} = T^{-1} \boldsymbol{p}^*$$

In other words, this gives us the final prices of all credit bonds for breakeven, from which we can calculate the corresponding yields and spreads.