



Affordable and Fast Geosteering Inversion Using A Physics-Driven Deep Learning Network

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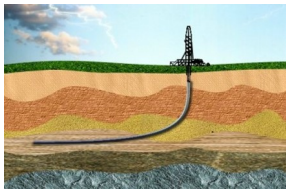


Figure: The schema of directional drilling. (www.amerexco.com)

- Geosteering is a key technique in directional drilling.
 - 1 The drilling tool could emit a series of electromagnetic waves.
 - 2 Reflected EM waves are collected by sensors. (**Logging**)
 - 3 The drilling angle would be adjusted by analyzing collected data. (**Drilling**)
- Logging and drilling need to be synchronous.
- This work is focus on **fast logging**.

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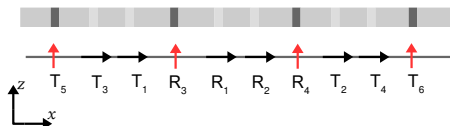


Figure: FWI logging tool with antennas.

- T represents transmitting antennas, and R represents receiving antennas.
- The collected data for each receiver is a combination of the reflected transmitting signals.

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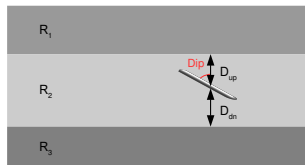


Figure: Directional drilling schema for an example of 3-layer model.

- The **earth model** are formulated by geophysical parameters.
- R represents resistivities, D_{up} and D_{dn} are boundaries, and Dip is the dip angle.
- The **observed measurements** are collected by the receiving antennas.

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Geosteering Inverse Problem

$$\begin{aligned}\hat{\mathbf{x}} &= \arg \min_{\mathbf{x}} \mathcal{L}(\mathbf{x}) \\ &= \arg \min_{\mathbf{x}} \|\mathbf{y} - \mathcal{F}(\mathbf{x})\|_2^2 + \lambda \mathcal{R}(\mathbf{x}).\end{aligned}\tag{1}$$

$$\frac{\partial \mathcal{L}}{\partial \mathbf{x}} = 2(\mathbf{y} - \mathcal{F}(\mathbf{x})) \frac{\partial \mathcal{F}}{\partial \mathbf{x}} + \lambda \frac{\partial \mathcal{R}}{\partial \mathbf{x}}.\tag{2}$$

- In (1), the **electromagnetic forward model** could be regarded as a function \mathcal{F} which accepts the **earth model** and produces **synthetic measurements**. \mathcal{R} is a regularization term.
- (2) is usually used in **deterministic optimization** [1, 2]. The gradient $\frac{\partial \mathcal{F}}{\partial \mathbf{x}}$ is a *Jacobian* matrix which could be numerically calculated.

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Introduction

Challenge

- Two methods for logging.

Table: Different logging methods.

	On ground	Underground
Data Amount	Inadequate	Adequate
Computation	Fast	Slow
Memory	Large	Small

- On ground method.
 - Data is **not enough** but hardware is powerful.
 - Use optimization method.
- Underground method.
 - All data is available but hardware is limited.
 - Use lookup table.

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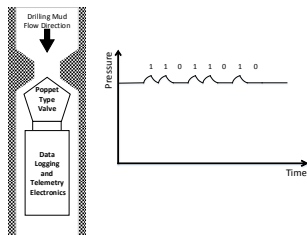


Figure: Positive Pulse Pressure Wave Generator and Corresponding Pressure Waveform with Encoded Digital Data. [3]

- The collected data need to be transmitted back to the ground by **pressure wave**.
- The **communication rate** would be a bottle neck.

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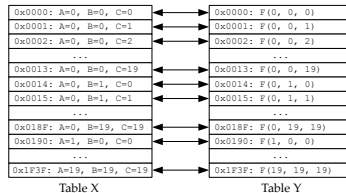


Figure: Lookup table method for fast estimation of the inversion.

- Use the **best-matched sample** in the table to estimate a coarse solution.
- Drawbacks:
 - Large **memory consumption**.
 - Samples are extremely **coarse**.

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Proposed Method

Network Structure

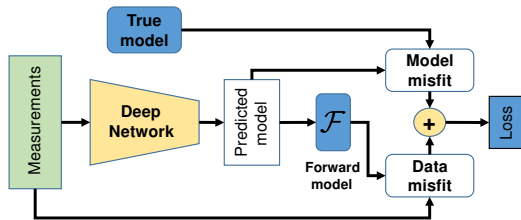


Figure: The deep physics-driven CNN structure.

- The deep network is a 1D network which is adapted from VGG16 model. The model is trained by Adam optimizer [4].
- Each convolutional layer composes of a convolution, an instance normalization [5] and a PReLU activation [6].
- The loss function of the network includes a model misfit and a data misfit.

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Train a deep neural network

$$\arg \min_{\Theta} \beta_1 \mathcal{L}_{\text{ml}}(\mathbf{y}, \Theta) + \beta_2 \mathcal{L}_{\text{dl}}(\mathbf{y}, \mathcal{F}, \Theta), \quad (3-1)$$

$$\mathcal{L}_{\text{ml}}(\mathbf{y}, \Theta) = \|\mathbf{x} - N(\mathbf{y}, \Theta)\|_2^2, \quad (3-2)$$

$$\mathcal{L}_{\text{dl}}(\mathbf{y}, \mathcal{F}, \Theta) = \|\mathbf{y} - \mathcal{F}(N(\mathbf{y}, \Theta))\|_2^2, \quad (3-3)$$

- In training phase, we adjust the network parameters Θ .
- The **model misfit** \mathcal{L}_{ml} is calculated by fitting the ground truth of **earth models** in train set.
- The **data misfit** \mathcal{L}_{dl} is calculated by letting the **synthetic measurements** fit the **observed ones**.

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Get test results

$$\mathcal{F}^{-1}(\mathbf{y}) \approx N(\mathbf{y}, \Theta). \quad (4)$$

- In testing phase, the network parameters Θ are fixed.
- The **feed-forward** network could produce the predictions **quickly**.

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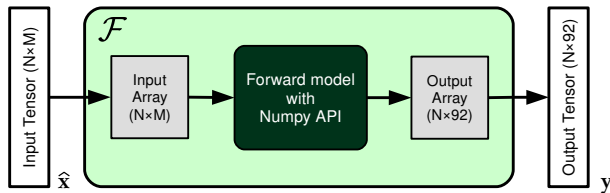


Figure: The implement of the forward model.

- The forward model function is **highly nonlinear**.
- It accepts the **earth model parameters** ($1 \times M$ vector) and produces the **synthetic measurements** (1×92 vector).
- We use N to represent N samples.

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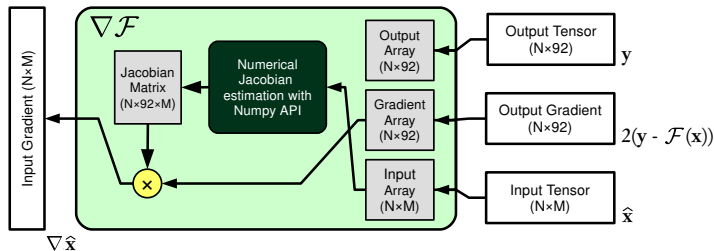


Figure: The implement of the forward model.

- The **back-propagation** only uses the current synthetic input of the forward model ($\hat{\mathbf{x}}$) and the gradient from the next layer ($2(\mathbf{y} - \mathcal{F}(\mathbf{x}))$).
- The gradient would be back-propagated to the previous layer in the deep network.

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Proposed Method

Advantages

- The network could be deployed for underground method.
 - The network is totally **feed-forward** and only requires **light computation** (about 0.3s for 80 points). The lookup table is slower (about 60s) while the optimization method is much slower (about 400s).
 - The network has a **small data size** (lower than 30MB) compared to a lookup table (about 1.6GB), which requires **lower memory consumption**.
- The network could make use of **all data** by taking advantage of underground method, while the optimization method could not.
- The network could get a far more **accurate prediction** compared to lookup table.
- The **computational cost** of the network **would not increase** with the data amount.

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Example: 3-layer model inversion

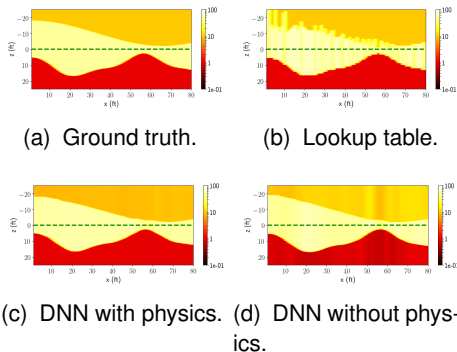


Figure: The result of an example.

- The results show the comparison of the predicted earth models.
- The proposed network achieves better resistivity prediction compared to that of the conventional data-driven network.

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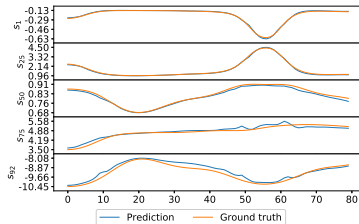
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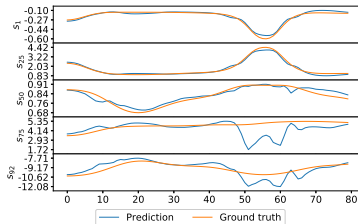


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Example: 3-layer model inversion



(a) With physics engine.



(b) Without physics engine.

Figure: The result of an example.

- We select some curves which show that the **physics-driven network(PhDNN)** could achieve a better curve fitness.

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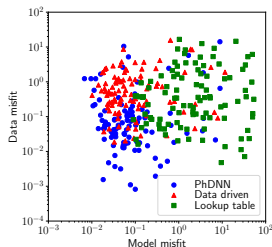


Figure: The numerical tests over compared methods.

- We generated 100 examples earth models like the shown one.
- The test over the 100 examples show that compared to the **data-driven network**, the proposed one could achieve the **same** model misfit but a **better** data misfit.

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Reference II



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The background image shows a large, light-colored stone building with a red-tiled roof and a central tower featuring a blue-tinted window. In the foreground, there is a large, active fountain with multiple jets of water. To the right, a large, leafy green tree stands next to the building. The scene is set outdoors on a grassy area.

Thank you for listening!

IT'S TIME FOR Q&A.