# University of Brasília

**Electrical Engineering Department** 



## Topics in Biomedical Engineering Exercise 3.28 - Semmlow

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#### 1 Exercises

#### 1.1 Exercise 3.28:

The MATLAB's code:

```
1 % exercise 3.28 - Semmlow
2 clc; close all; clear all;
| d | fs = 1e3; \% sampling frequency
_{5} samples = [64,512]; % array of samples
6 windows = 'Rectangular Blackman Hamming';
 windows = string(split(windows)'); % windowed filter
|pos| = 1; % counter used in for loop to plot
 for N = samples
      [s, t] = sig_noise([200, 300], -4, N); \% signal with
          noise
      filters = [ones(1,N); blackman(N)'; hamming(N)']; %
12
          filters functions
      f = (0:N-1)*(fs/N); \% frequency axis
13
      for i = 1:3
          subplot(2, 3, pos);
          sf = s.*filters(i,:); % appling filter
          S_{-}mag = fft(sf); \% fft
          S_{mag} = (2/N)*abs(S_{mag}(1:N/2)); \% fft
19
             normalized mag
          plot (f(1:N/2), S_mag, 'linewidth', 1.1); \% only
               positive freqs plot
          xlabel('Frequency (Hz)');
21
          ylabel('Magnitude Spectrum');
          grid on;
          title (sprintf ('%s | N = \%d', windows (i), N));
          pos = pos + 1; \% + counter to subplot
      end
27 end
_{29}| sgtitle ('Comparison of windowed filters w/ N=[64,\ 512]
```

```
]', 'Interpreter', 'latex');
saveas(gcf, sprintf('%s.png', mfilename)); % save image
```

According to the Figure 1, it's notorious the difference between 64 and 512 samples in the three types of windows applied to the signal. The 512-samples has a better resolution of the signal spectrum and of the existing frequencies than the 64-samples, this better resolution happens because de sampling frequency is constant and only N changes (Equation 1) and generates a smaller step,  $f_i$ , between the N points. The difference of the plotted magnitude spectra of the three windowed filters is slightly, there's only a quite difference between the amplitude value and some points, but certainly there's a difference. The windowed filters (Rectangular, Hamming and Blackman) have their own particularities and the most appropriate varies according to the situation.

$$f_{axis} = (0: N-1) \cdot f_i, \quad f_i = \frac{f_s}{N}$$
 (1)

Comparison of windowed filters w/N = [64, 512]

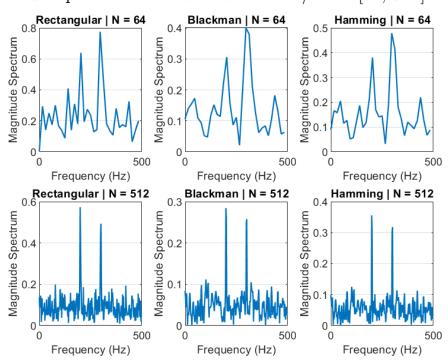


Figure 1: Comparison of windowed filters with different values of N