

R CODA Club - Creating a descriptives table using gtsummary and other bits and bobs

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2022-10-19

Basic descriptives table

An example:

Participants

Eight adults in the healthy control group had a mean age of 33.8 (11.34). Participant characteristics are displayed in Table 1.

Table 1: **Participant Characteristics** (n = 16)

Characteristic	hc, (n = 8)	pp, (n = 8)
Age in years		
Mean (SD)	33.8 (11.34)	55.9 (18.53)
Range	19 - 51	18 - 76
Gender		
Female	4 (57%)	3 (43%)
Male	2 (29%)	3 (43%)
Non-binary	1 (14%)	1 (14%)
Missing	1	1
Education		
High school	1 (12%)	1 (12%)
Higher degree	3 (38%)	5 (62%)
Tertiary	4 (50%)	2 (25%)
WCST score		
Mean (SD)	35.0 (15.46)	16.1 (11.06)
Range	13 - 56	9 - 43
Stroop score		
Mean (SD)	52.4 (31.55)	46.0 (17.27)
Range	24 - 120	22 - 67

Stacking tables together

Table 2: **Participant Characteristics** (n = 16)

Characteristic	hc, (n = 8)	pp, (n = 8)
Age in years		
Mean (SD)	33.8 (11.34)	55.9 (18.53)
Range	19 - 51	18 - 76
Gender		
Female	4 (57)	3 (43)
Male	2 (29)	3 (43)
Non-binary	1 (14)	1 (14)
Missing	1	1
Education		
High school	1 (12)	1 (12)
Higher degree	3 (38)	5 (62)
Tertiary	4 (50)	2 (25)
WCST score		
Mean (SD)	35.0 (15.46)	16.1 (11.06)
Range	13 - 56	9 - 43
Stroop score		
Mean (SD)	52.4 (31.55)	46.0 (17.27)
Range	24 - 120	22 - 67
Pain diagnosis		
CRPS	0 (0)	2 (25)
Endometriosis	0 (0)	2 (25)
Fibromyalgia	0 (0)	3 (38)
Migraine	0 (0)	1 (12)

Other useful packages:

- ggstatsplot (presents linear models as visual plots)
- jtools (similar to ggstatsplot but overlays two models onto a single visual plot)
- report (automated reporting of results from statistical tests)

```
##
## Call:
## lm(formula = wcst ~ group + age + education_level, data = data)
##
## Residuals:
##      Min       1Q   Median       3Q      Max
## -23.671  -5.615  -1.573   9.837  15.486
##
## Coefficients:
##              Estimate Std. Error t value Pr(>|t|)
## (Intercept)    27.7619    13.1014   2.119  0.0577 .
## grouppp        -12.2002     8.5361  -1.429  0.1807
## age            -0.1570     0.2294  -0.684  0.5080
## education_levelHigher degree    7.0070    10.2511   0.684  0.5084
## education_levelTertiary    19.8156    10.2548   1.932  0.0795 .
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
```

```
## Residual standard error: 12.46 on 11 degrees of freedom
## Multiple R-squared:  0.5684, Adjusted R-squared:  0.4114
## F-statistic: 3.621 on 4 and 11 DF,  p-value: 0.0406

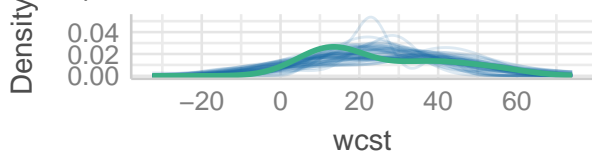
##
## Call:
## lm(formula = stroop ~ group + age + education_level, data = data)
##
## Residuals:
##      Min       1Q   Median       3Q      Max
## -33.556  -7.450  -1.385   6.918  65.906
##
## Coefficients:
##              Estimate Std. Error t value Pr(>|t|)
## (Intercept)      80.5277    26.9205   2.991  0.0123 *
## grouppp          2.1247    17.5398   0.121  0.9058
## age             -0.2037     0.4714  -0.432  0.6741
## education_levelHigher degree -33.4480    21.0637  -1.588  0.1406
## education_levelTertiary    -17.4727    21.0713  -0.829  0.4246
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 25.59 on 11 degrees of freedom
## Multiple R-squared:  0.2185, Adjusted R-squared:  -0.06563
## F-statistic: 0.769 on 4 and 11 DF,  p-value: 0.5673

## Anova Table (Type II tests)
##
## Response: wcst
##              Sum Sq Df F value Pr(>F)
## group          316.92  1  2.0428 0.1807
## age             72.62  1  0.4681 0.5080
## education_level  785.86  2  2.5327 0.1245
## Residuals      1706.58 11

## Anova Table (Type II tests)
##
## Response: stroop
##              Sum Sq Df F value Pr(>F)
## group           9.6  1  0.0147 0.9058
## age           122.3  1  0.1867 0.6741
## education_level 1845.8  2  1.4089 0.2853
## Residuals      7205.4 11
```

Posterior Predictive Check

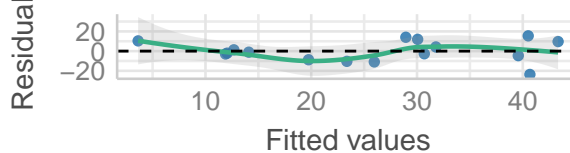
Model-predicted lines should resemble observed data



— Model-predicted data — Observed data

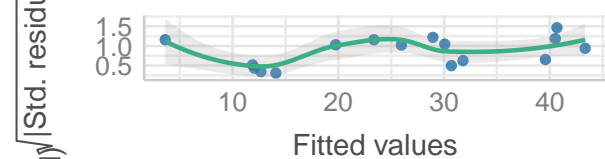
Linearity

Reference line should be flat and horizontal



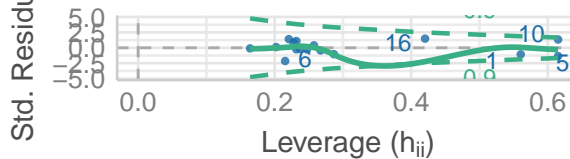
Homogeneity of Variance

Reference line should be flat and horizontal



Influential Observations

Points should be inside the contour lines



Collinearity

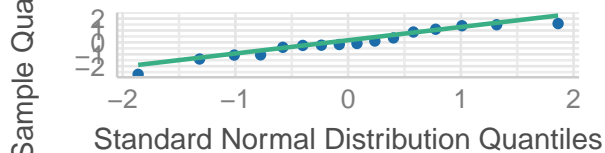
High collinearity (VIF) may inflate parameter uncertainty



● Low (< 5) ● Moderate (< 10) ● High (> 10)

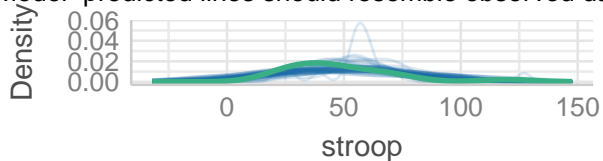
Normality of Residuals

Dots should fall along the line



Posterior Predictive Check

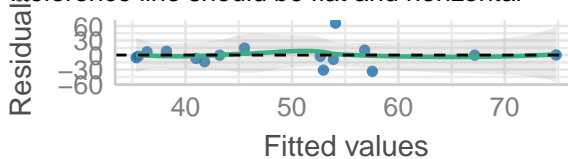
Model-predicted lines should resemble observed data



— Model-predicted data — Observed data

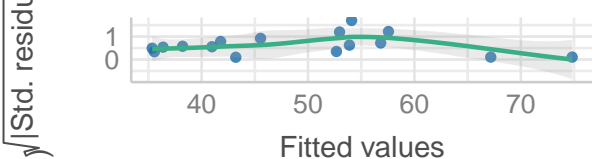
Linearity

Reference line should be flat and horizontal



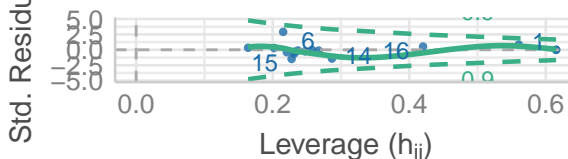
Homogeneity of Variance

Reference line should be flat and horizontal



Influential Observations

Points should be inside the contour lines



Collinearity

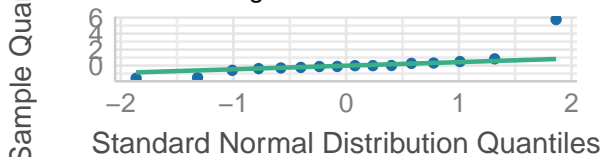
High collinearity (VIF) may inflate parameter uncertainty



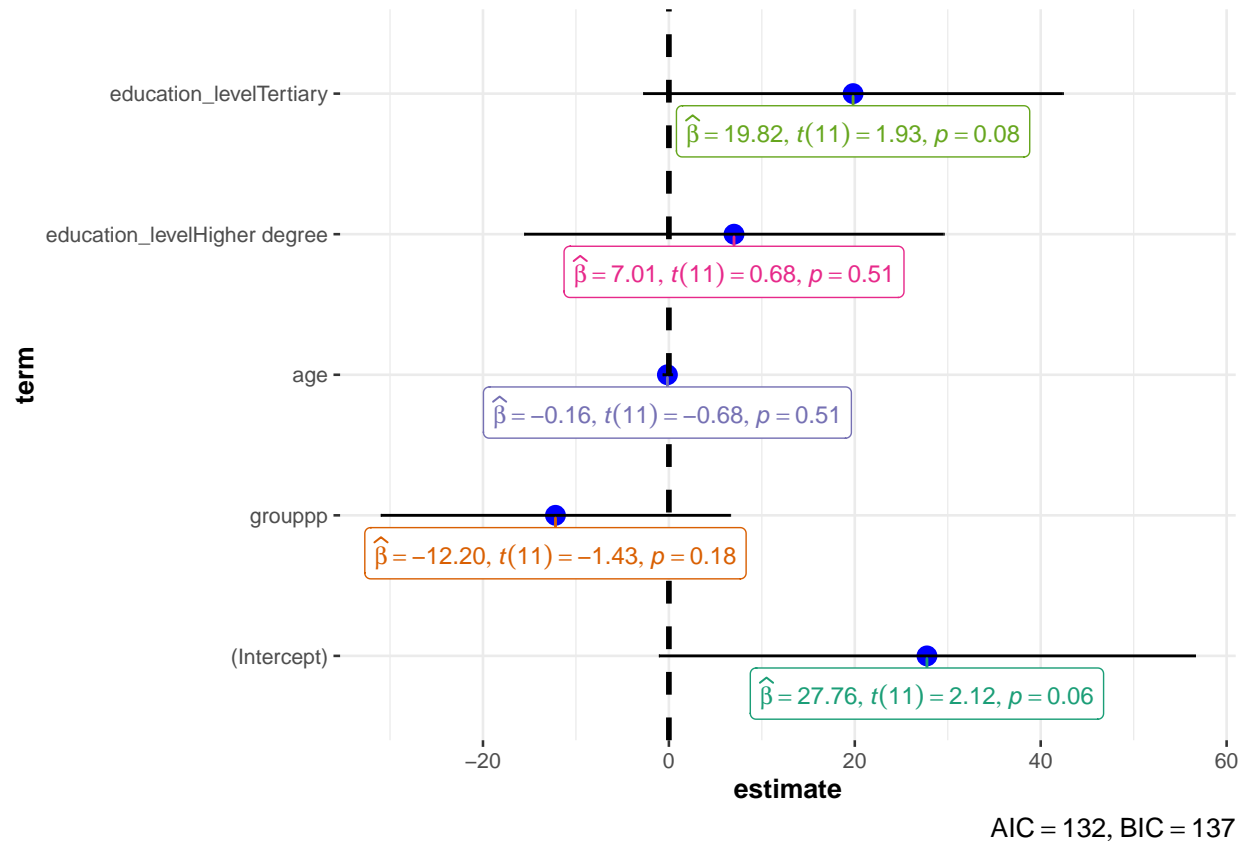
● Low (< 5) ● Moderate (< 10) ● High (> 10)

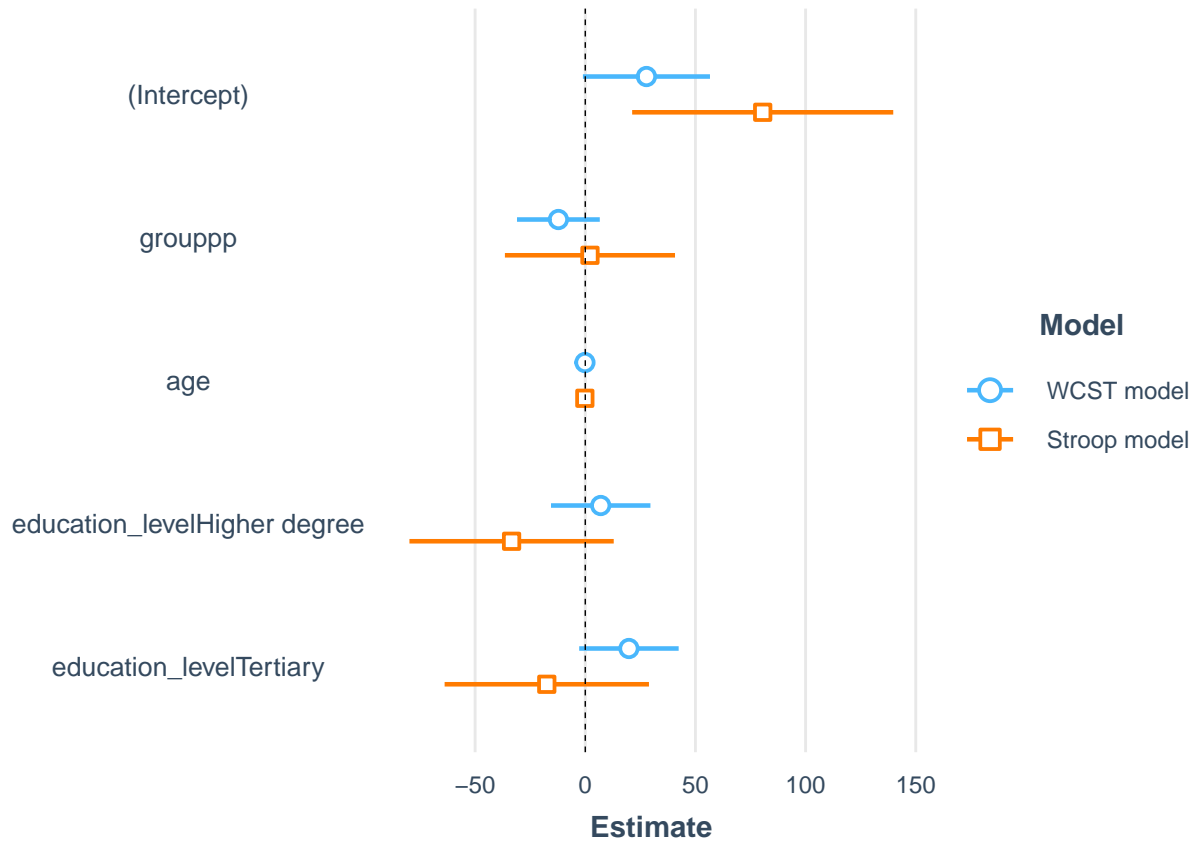
Normality of Residuals

Points should fall along the line



Characteristic	Beta	95% CI	p-value
group			0.2
hc			
pp	-14	-36, 7.4	
age	0.00	-0.62, 0.63	>0.9
education_level			0.2
High school			
Higher degree	12	-13, 37	
Tertiary	22	-3.1, 47	
gender			0.3
Male			
Female	-3.7	-21, 14	
Non-binary	-19	-47, 8.3	





$$\widehat{wcst} = 27.76 - 12.2(\text{group}_{pp}) - 0.16(\text{age}) + 7.01(\text{education_level}_{\text{Higher degree}}) + 19.82(\text{education_level}_{\text{Tertiary}}) \quad (1)$$

$$\widehat{stroop} = 80.53 + 2.12(\text{group}_{pp}) - 0.2(\text{age}) - 33.45(\text{education_level}_{\text{Higher degree}}) - 17.47(\text{education_level}_{\text{Tertiary}}) \quad (2)$$

```
## We fitted a linear model (estimated using OLS) to predict wcst with group
## (formula: wcst ~ group + age + education_level). The model explains a
## statistically significant and substantial proportion of variance (R2 = 0.57,
## F(4, 11) = 3.62, p = 0.041, adj. R2 = 0.41). The model's intercept,
## corresponding to group = hc, is at 27.76 (95% CI [-1.07, 56.60], t(11) = 2.12,
## p = 0.058). Within this model:
##
## - The effect of group [pp] is statistically non-significant and negative (beta
## = -12.20, 95% CI [-30.99, 6.59], t(11) = -1.43, p = 0.181; Std. beta = -0.75,
## 95% CI [-1.91, 0.41])
## - The effect of age is statistically non-significant and negative (beta =
## -0.16, 95% CI [-0.66, 0.35], t(11) = -0.68, p = 0.508; Std. beta = -0.18, 95%
## CI [-0.76, 0.40])
## - The effect of education level [Higher degree] is statistically
## non-significant and positive (beta = 7.01, 95% CI [-15.56, 29.57], t(11) =
## 0.68, p = 0.508; Std. beta = 0.43, 95% CI [-0.96, 1.82])
```

```

## - The effect of education level [Tertiary] is statistically non-significant and
## positive (beta = 19.82, 95% CI [-2.75, 42.39], t(11) = 1.93, p = 0.079; Std.
## beta = 1.22, 95% CI [-0.17, 2.61])
##
## Standardized parameters were obtained by fitting the model on a standardized
## version of the dataset. 95% Confidence Intervals (CIs) and p-values were
## computed using a Wald t-distribution approximation., We fitted a linear model
## (estimated using OLS) to predict wcst with age (formula: wcst ~ group + age +
## education_level). The model explains a statistically significant and
## substantial proportion of variance (R2 = 0.57, F(4, 11) = 3.62, p = 0.041, adj.
## R2 = 0.41). The model's intercept, corresponding to age = 0, is at 27.76 (95%
## CI [-1.07, 56.60], t(11) = 2.12, p = 0.058). Within this model:
##
## - The effect of group [pp] is statistically non-significant and negative (beta
## = -12.20, 95% CI [-30.99, 6.59], t(11) = -1.43, p = 0.181; Std. beta = -0.75,
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## Standardized parameters were obtained by fitting the model on a standardized
## version of the dataset. 95% Confidence Intervals (CIs) and p-values were
## computed using a Wald t-distribution approximation. and We fitted a linear
## model (estimated using OLS) to predict wcst with education_level (formula: wcst
## ~ group + age + education_level). The model explains a statistically
## significant and substantial proportion of variance (R2 = 0.57, F(4, 11) = 3.62,
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## version of the dataset. 95% Confidence Intervals (CIs) and p-values were
## computed using a Wald t-distribution approximation.

## We fitted a linear model (estimated using OLS) to predict stroop with group

```



```

## (formula: stroop ~ group + age + education_level). The model explains a
## statistically not significant and moderate proportion of variance ( $R^2 = 0.22$ ,
##  $F(4, 11) = 0.77$ ,  $p = 0.567$ , adj.  $R^2 = -0.07$ ). The model's intercept,
## corresponding to group = hc, is at 80.53 (95% CI [21.28, 139.78],  $t(11) = 2.99$ ,
##  $p = 0.012$ ). Within this model:
##
## - The effect of group [pp] is statistically non-significant and positive (beta
## = 2.12, 95% CI [-36.48, 40.73],  $t(11) = 0.12$ ,  $p = 0.906$ ; Std. beta = 0.09, 95%
## CI [-1.47, 1.64])
## - The effect of age is statistically non-significant and negative (beta =
## -0.20, 95% CI [-1.24, 0.83],  $t(11) = -0.43$ ,  $p = 0.674$ ; Std. beta = -0.15, 95%
## CI [-0.94, 0.63])
## - The effect of education level [Higher degree] is statistically
## non-significant and negative (beta = -33.45, 95% CI [-79.81, 12.91],  $t(11) =$ 
## -1.59,  $p = 0.141$ ; Std. beta = -1.35, 95% CI [-3.22, 0.52])
## - The effect of education level [Tertiary] is statistically non-significant and
## negative (beta = -17.47, 95% CI [-63.85, 28.90],  $t(11) = -0.83$ ,  $p = 0.425$ ; Std.
## beta = -0.70, 95% CI [-2.58, 1.17])
##
## Standardized parameters were obtained by fitting the model on a standardized
## version of the dataset. 95% Confidence Intervals (CIs) and p-values were
## computed using a Wald t-distribution approximation., We fitted a linear model
## (estimated using OLS) to predict stroop with age (formula: stroop ~ group + age
## + education_level). The model explains a statistically not significant and
## moderate proportion of variance ( $R^2 = 0.22$ ,  $F(4, 11) = 0.77$ ,  $p = 0.567$ , adj.  $R^2$ 
## = -0.07). The model's intercept, corresponding to age = 0, is at 80.53 (95% CI
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## version of the dataset. 95% Confidence Intervals (CIs) and p-values were
## computed using a Wald t-distribution approximation. and We fitted a linear
## model (estimated using OLS) to predict stroop with education_level (formula:
## stroop ~ group + age + education_level). The model explains a statistically not
## significant and moderate proportion of variance ( $R^2 = 0.22$ ,  $F(4, 11) = 0.77$ ,  $p$ 
## = 0.567, adj.  $R^2 = -0.07$ ). The model's intercept, corresponding to
## education_level = High school, is at 80.53 (95% CI [21.28, 139.78],  $t(11) =$ 
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## CI [-1.47, 1.64])

```

```
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##
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## computed using a Wald t-distribution approximation.
```

Useful resources for gtsummary:

- gtsummary paper: <https://journal.r-project.org/archive/2021/RJ-2021-053/RJ-2021-053.pdf>
- gtsummary cheatsheet: <https://www.rstudio.com/resources/cheatsheets/>
- R Ladies STL recently held a workshop with the package developer of gtsummary (Daniel Sjöberg)
 - the workshop will be posted on the R Ladies STL Youtube channel in a few days time: <https://www.youtube.com/channel/UCQ7DcXWJm3es06U7lGmBDkw>

Citing R packages:

```
citation("tidyverse")
citation("gtsummary")
citation("report")
citation("equatiomatic")
citation("jtools")
citation("ggstatsplot")
```