

Hyperprofile-based Computation Offloading in Mobile Edge Networks

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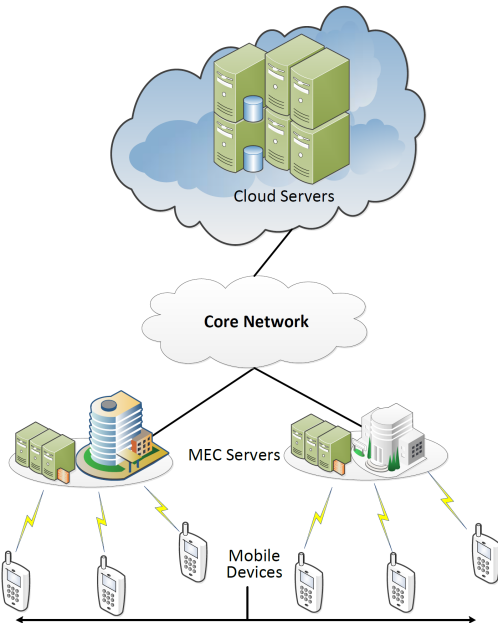
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What we'll cover

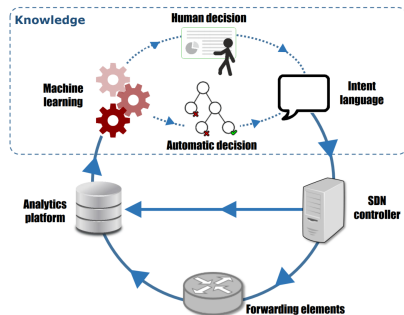
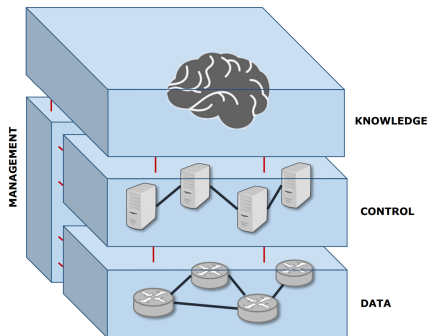
- Background and problems
- General overview of our solution
- Distance metrics
- Developing our prediction model

- Edge networks
- KDN / SDN
- Computation Offloading

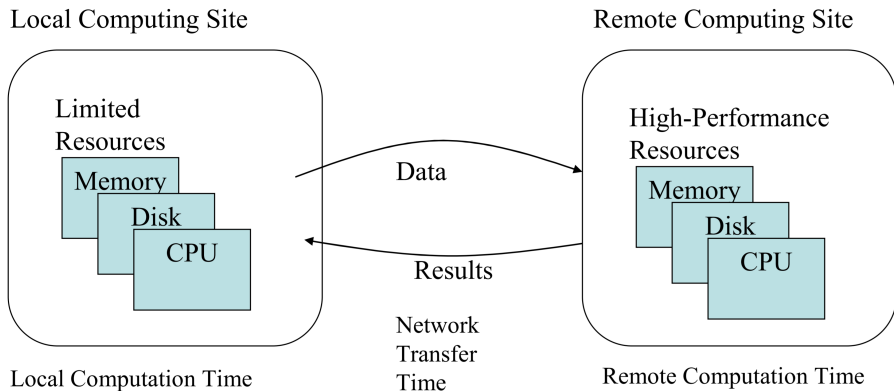
Edge Network



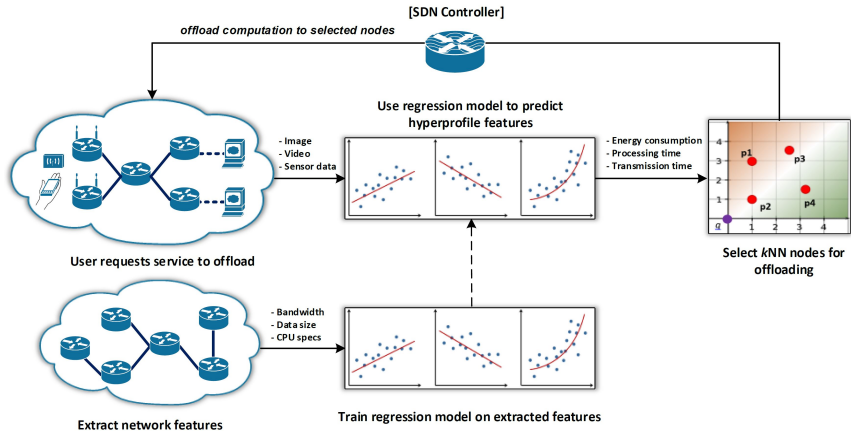
Knowledge Defined Networking



Computation Offloading



Our Solution



Using our network model, we can build a hyperprofile

Definition

A hyperprofile for a set of edge server nodes is a collection of profiles that consist of dynamic metrics that are predicted in real-time by a predefined network model and related data sets.

The hyperprofile can help with our offloading decision

How can we query points in the hyperprofile?

The k -Nearest Neighbors algorithm suits the problem representation

Definition

Consider a set P of points and a point q then

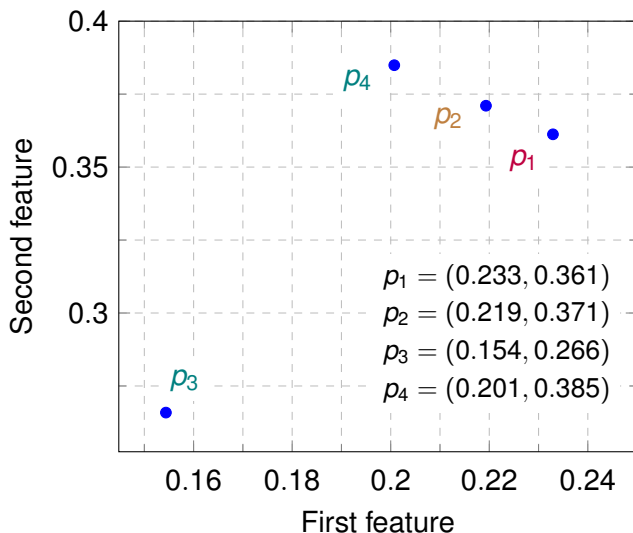
$$p \in k\text{NN}(q) \text{ iff } |\{j \in P : d(j, q) < d(p, q)\}| < k$$

where d is a distance metric (typically Euclidean).

Alternatives to Euclidean Distance

- k NN with a Euclidean distance metric minimizes the sum of squares of coordinates
 - e.g. if $x_1^2 + y_1^2 < x_2^2 + y_2^2$ then (x_1, y_1) is selected by k NN first
- Other methods e.g. in Chen 2015 use a minimization of the sum of the coordinates i.e. $x + y$ rather than $x^2 + y^2$
- So what's the difference?

Example scenario where $k = 3$ and $q = (0, 0)$



✓ Both ✓ Euclidean ✓ Rectilinear

What's happening when there's a mismatch?

Suppose $p_1 = (x_1, y_1)$, $p_2 = (x_2, y_2)$ and

$$x_1^2 + y_1^2 < x_2^2 + y_2^2 \quad (1)$$

$$x_2 + y_2 < x_1 + y_1 \quad (2)$$

then

$$NN(0, 0) = \{p_1\}$$

$$NN_+(0, 0) = \{p_2\}$$

where NN_+ returns the nearest neighbor based on a sum of coordinates.

Proposition

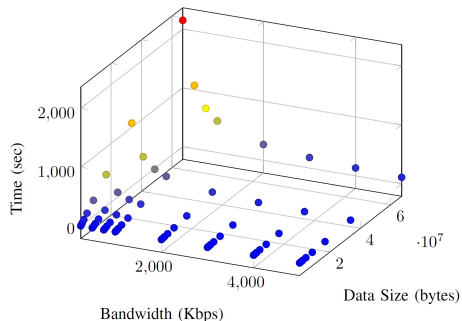
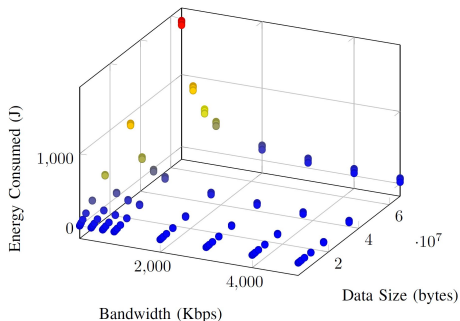
If (1) and (2) hold then

$$|x_1 - y_1| < |x_2 - y_2|.$$

Can we leverage KDN to construct accurate hyperprofiles for querying?

Collecting features to build our model

Visualization of network data from ns-3 simulations



Formally, we can represent the predicted variable as a linear function

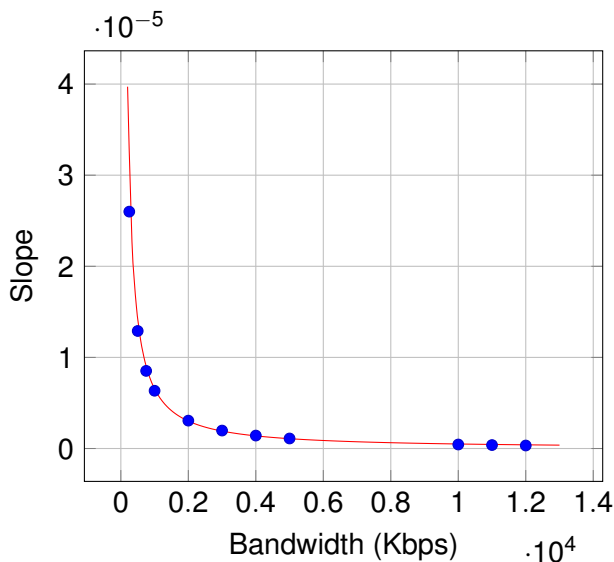
$$f_b(d_s) = m(b)d_s + c(b)$$

where the slope $m(b)$ and the y-intercept $c(b)$ are functions of bandwidth b .

In our study, f is either **energy** or **transmission time**.

Finding a line of best fit for our data

Graph of the function $m(b)$ on energy data

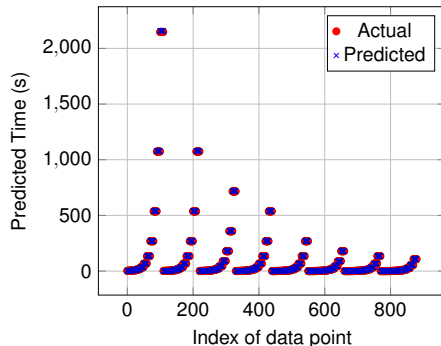
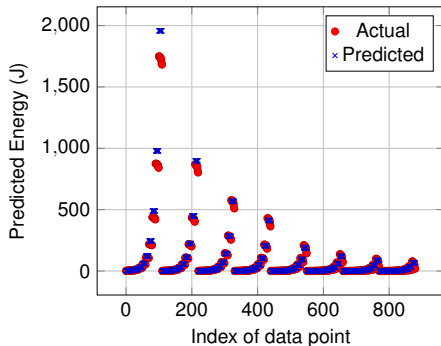


Regression Results

	Energy Consumption (e_c)	Time (t)
Bandwidth (b)	$m_1 = 0.015b^{-1.13}$ $R^2 = 0.997$	$m_2 = 8.04 \cdot 10^6 / b$ $R^2 = 1$ $c = 222873e^{0.0004b}$ $R^2 = 0.918$
Data Size (d_s)	$e_c = m_1 d_s$ Cross-validation: 0.99	$t = m_2 d_s + c$ Cross-validation: 0.99

Testing our model – varying physical distance

Comparing our model's predicted values versus actual values



- We showed that network metrics can be encoded meaningfully into a multidimensional space
- Using machine learning to compute hyperprofiles in the knowledge plane is a viable approach to select nodes for computation offloading
- We investigated relevant data structures for k NN queries along with how k NN differs from other approaches

- Setup an experiment to evaluate a hyperprofile based offloading scheme compared to standard schemes
 - offload images from a Google Glass device onto a set of servers running Tensorflow for object recognition
- Expand our idea of hyperprofile-based resource allocation to areas (e.g. routing) other than just computation offloading
- Explore the construction of feature spaces; investigate fitness profiles according to application requirements in edge networks

Thank You

Questions?

Our article:

Hyperprofile-based Computation Offloading for Mobile Edge Networks. arXiv preprint 1707.09422.