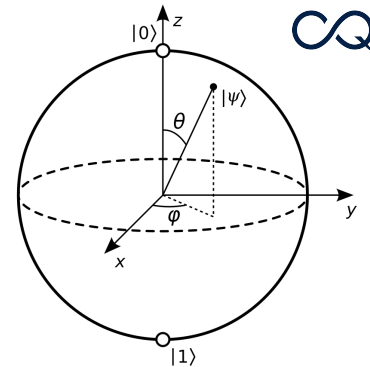


# Notebook 1 : Cheat Sheet








1. **Qubits** can be in a **superposition state**
  - $|\psi\rangle = \alpha|0\rangle + \beta|1\rangle$  with  $|\alpha|^2 + |\beta|^2 = 1$
  - Represented by a vector in a complex vector space
2. **Dirac** notation
  - A **ket**  $|\psi\rangle$  is a column vector and its associated **bra**  $\langle\psi|$  is a row vector obtained by taking the complex conjugate transpose.
3. **Bloch sphere**
  - **Visual representation of a qubit** as a vector on a sphere with  $\theta$  and  $\phi$  as coordinates for the state :  $|\psi\rangle = \cos\left(\frac{\theta}{2}\right)|0\rangle + e^{i\phi}\sin\left(\frac{\theta}{2}\right)|1\rangle$
4. Quantum **gates** are **unitary matrices** and act on qubits like **rotations** on the Bloch sphere.
5. A **quantum circuit** is a sequence of unitary transformations (gates) applied to an initial state.
  - $|\psi_{\text{final}}\rangle = U_n \cdots U_2 U_1 |\psi_{\text{initial}}\rangle$
  - **Measurement** gives **probabilistic** results based on the final state of the qubit

# Notebook 2 : Cheat Sheet



PENNYLANE 

## 1. Quantum circuits are composed of gates

Gate	Circuit Element	Matrix Representation	Action on Basis States
Hadamard Gate $H$		$\frac{1}{\sqrt{2}} \begin{pmatrix} 1 & 1 \\ 1 & -1 \end{pmatrix}$	$H 0\rangle = \frac{1}{\sqrt{2}}( 0\rangle +  1\rangle)$ $H 1\rangle = \frac{1}{\sqrt{2}}( 0\rangle -  1\rangle)$
Pauli-X Gate $X$		$\begin{pmatrix} 0 & 1 \\ 1 & 0 \end{pmatrix}$	$X 0\rangle =  1\rangle$ $X 1\rangle =  0\rangle$
Pauli-Y Gate $Y$		$\begin{pmatrix} 0 & -i \\ i & 0 \end{pmatrix}$	$Y 0\rangle = i 1\rangle$ $Y 1\rangle = -i 0\rangle$
Pauli-Z Gate $Z$		$\begin{pmatrix} 1 & 0 \\ 0 & -1 \end{pmatrix}$	$Z 0\rangle =  0\rangle$ $Z 1\rangle = - 1\rangle$
CNOT Gate		$\begin{pmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 \\ 0 & 0 & 1 & 0 \end{pmatrix}$	$CNOT 00\rangle =  00\rangle$ $CNOT 01\rangle =  01\rangle$ $CNOT 10\rangle =  11\rangle$ $CNOT 11\rangle =  10\rangle$

## 2. Quantum circuits must return a measurement

(`qml.state`, `qml.expval`, `qml.probs`, `qml.counts`)

## 3. Link a circuit and a device together with a Qnode

**Qnode**

**Quantum function**

```
def circuit():
    ...
    return qml.counts(0)
```

**Device**

```
qml.device(...)
```

