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function x = propagateState(oe0,t,t_0,mu,J2,Re)
%DESCRIPTION: Computes the propagated position and velocity in km, km/
%accounting for approximate J2 perturbations
%INPUTS:
% oe0
            Orbit elements [a,e,i,Om,om,f] at time t0 (km,s,rad)
            Current time (s)
% t
            Time at the initial epoch (s)
% tO
% MU
            Central body's gravitational constant (km<sup>3</sup>/s<sup>2</sup>)
% J2
            Central body's J2 parameter (dimensionless)
            Radius of central body (km)
% Re
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%OUTPUTS:
% X
             Position and velocity vectors of the form [r; rdot] (6x1)
at
               time t
%make sure that function has outputs
x = NaN(6,1);
%1) Compute the mean orbit elements oe(t) at time t due to J2
 perturbations
    a = oe0(1);
    e = oe0(2);
    i = oe0(3);
    Om = oe0(4);
    om = 0e0(5);
    f = oe0(6);
    Om_dot = -((3/2)*((sqrt(mu)*J2*Re^2)/(2*(1-e^2)^2*a^(7/2)))) *
 cos(i);
    om dot = Om dot * ((5/2)*\sin(i)^2 - 2) / \cos(i);
    % Effects of peterbations
    Om = Om + Om_dot * (t - t_0);
    om = om + om_dot * (t - t_0);
    % Normalize to domain
    Om = Om - 2*pi*(floor(Om/(2*pi)));
    om = om - 2*pi*(floor(om/(2*pi)));
%2) Solve the time-of-flight problem to compute the true anomaly at
 tiem t
    h = sqrt(mu*a*(1-e^2));
    n = sqrt(mu/a^3);
    P = 2*pi/n;
    M = @(t) 2*pi/P*t;
    \mathbf{M}_{-} = \mathbf{M}(\mathsf{t}-\mathsf{t}_{-}\mathsf{0});
    tol = 1e-9;
    [E_f, f_f] = \text{keptof}(2*pi*i/length(t), e, M_, tol);
```

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%3) Compute r(t), rdot(t) in the perifocal frame
    r = a*(1-e^2) / (1 + e*cos(f));
    %Position
    r_f = [r*cos(f_f) r*sin(f_f) 0]';
    % Velocity
    r_dot_f = (mu/h)*[-sin(f_f) e+cos(f_f) 0]';
%4) Compute r(t), rdot(t) in the ECI frame, save into x
    PN = angle2dcm(Om,i,om,'ZXZ');
    r_ECI = PN' * r_f;
    r_dot_ECI = PN * r_dot_f;
    x = [r_ECI;r_dot_ECI];
function [E,f] = keptof(E_0,e,M,tol)
f_{calc} = @(E) 2*atan(sqrt((1+e)/(1-e)) * tan(E/2));
ratio = 1;
E_{-} = E_{-}0;
f_ = f_{calc(E_0)};
%i = 2;
    while ratio > tol
        ratio = (E_ - e*sin(E_) - M)/(1 - e*cos(E_));
        E_{-} = E_{-} - ratio;
        f_{(i)} = f_{calc}(E_{(i)});
        %i = i+1;
    end
%iteration = 1:i-1;
E = E_{i}
f = f_calc(E_);
end
end
Not enough input arguments.
Error in propagateState (line 22)
    a = oe0(1);
```

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