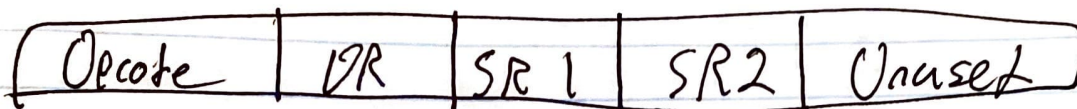


A3 - Caleb Kravtsov



32 bits total represent the instruction.

8 opcodes
10 registers

a) $\lceil \log_2(8) \rceil = 3$, exact value is ~~3~~ 3

The minimum amount of bits to represent the opcodes is 3 bits. This is the minimum because none of the unused bits are required to form the bits of ~~the~~ opcode and $\log_2(\text{opcodes})$ rounded to the ceiling is equal to the amount of bits necessary to represent the opcodes. $2^3 = 8$, so 3 is the minimum amount of bits required, $2^2 + 2^1 + 2^0 = 7$

b) $\lceil \log_2(10) \rceil = 4$, exact value ≈ 3.32192809489

There are ~~10~~ 10 registers, ~~the~~ to find minimum amount of bits to represent the registers, we ~~set~~ take $\log_2(\text{registers})$ and round to its ceiling giving us 4 in this case. The amount of bits required for any of our registers, DR, SR1, SR2 are equal.

DR is represented by at minimum 4-bits

$2^4 = 16$, $2^3 = 8$, $2^2 = 4$, $2^1 = 2$, $2^0 = 1$ 24 bits is the minimum for representing 10 registers.

AS Caleb Kranter

C.

$$\begin{aligned}\text{Total bits} &= 32 \text{ bits} = T \\ \text{Minimum opcode bits} &= 3 = op \\ \text{Minimum DR Bits} &= 4 = r_1 \\ \text{Minimum SRL Bits} &= 4 = r_2 \\ \text{Minimum SR2 Bits} &= 4 = r_3\end{aligned}$$

$$T - (op + r_1 + r_2 + r_3) = \text{Unused}$$

$$32 - (3 + 4 + 4 + 4) = 17$$

UNUSED = 17-bits, this is the maximum possible amount of unused bits since all registers and opcodes are using the minimum amount of bits to calculate 17 unused bits.