# Statistics of boundary, luminance, and pattern information predict occluding target detection in natural backgrounds

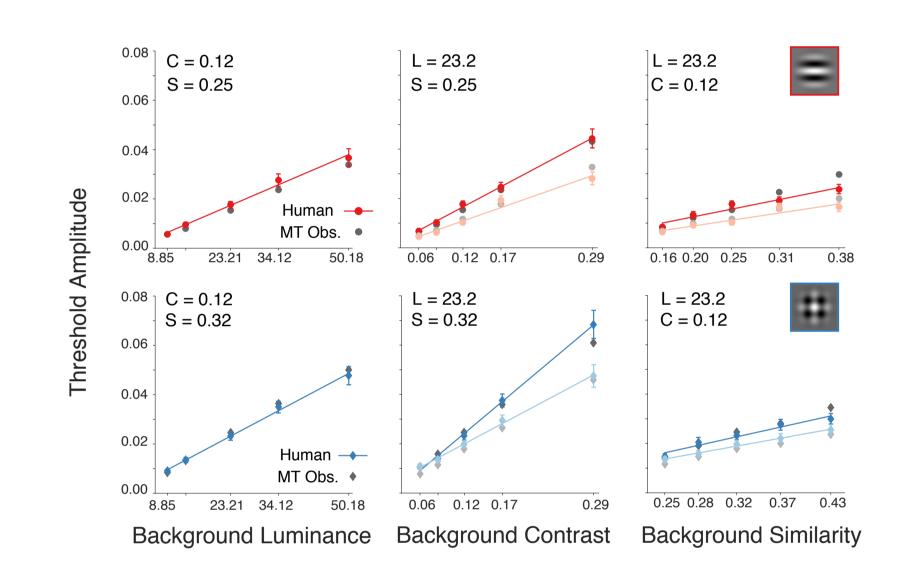
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# **Background and Motivation**

- 1. Masking laws are well characterized for additive targets.
- 2. Luminance, contrast and similarity identified as fundamental stimulus dimensions.
- 3. Well developed ideal observer models for additive targets in artificial and natural backgrounds.
- 4. Currently very little known about occluding target detection.



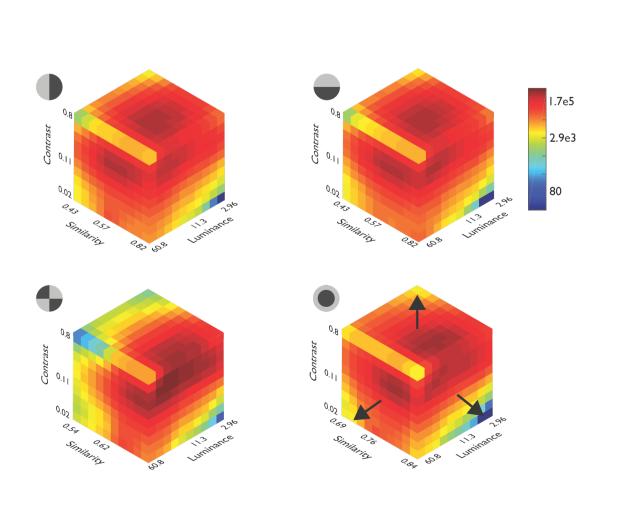
## Goals

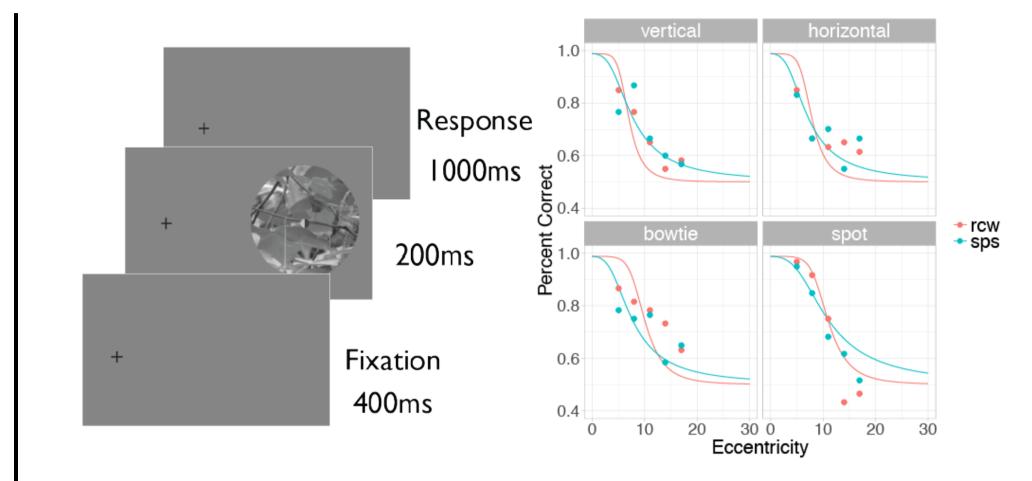
- 1. Measure masking laws for human detection of occluding targets.
- 2. Develop an ideal observer and compare with human thresholds.

# **Masking Experiment**

### **Constrained Scene Sampling**

- 1. 1200 images of the Austin area.
- 2. Extract millions of 21 pixel patches.
- 3. Measure luminance, contrast and similarity of each patch. Place in bins.
- 4. Select a bin and measure performance across the visual field.





# **Approximately Ideal Observer**

# **Stimulus Encoding**

### **Ganglion Cell Sampling**

The retinal stimulus  $(I_R)$  is filtered by midget retinal ganglion cell array.

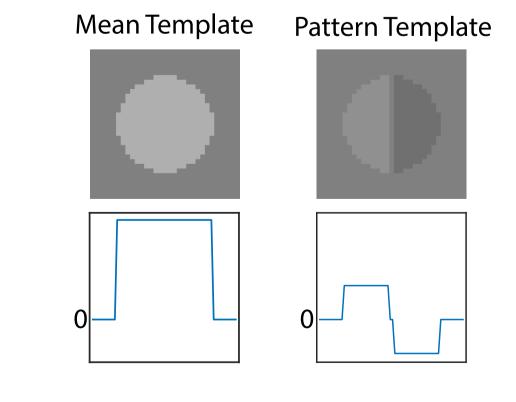
$$I_R(\mathbf{x}) = sample_e \left[ I(\mathbf{x}) * g(\mathbf{x}) * f_e(\mathbf{x}) \right],$$

- I(x) is the monitor stimulus.
- g(x) is the optical point spread function of the eye (4mm pupil).
- f(x) is a Gaussian kernel with  $\sigma_e$  matched to the average radius of midget receptive fields at eccentricity e:

# **Target Template**

Target template is the sum of the mean and pattern target signal.

$$\mathbf{T} = \mathbf{T}_m + \mathbf{T}_p$$



Note. Target is blurred and downsampled to match the eccentricity condition.

# **Apply Pattern Template**

$$R_p = \mathbf{T}_p \cdot \mathbf{I}_R$$

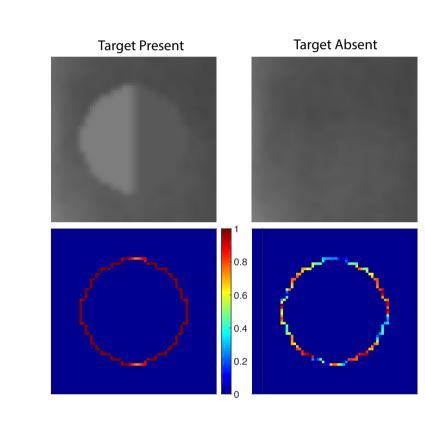
# **Apply Mean Template**

$$R_m = \mathbf{T}_m \cdot \mathbf{I}_R$$

### **Edge Response to stimulus**

$$R_e = \sum_{x \in boundary} \left| \frac{\nabla I(x)}{\nabla ||I(x)||} \cdot \frac{N(x)}{||N(x)||} \right|$$

N(x) is the boundary normal vector.



### Noisy stimulus encoding

The ideal stimulus responses are degraded with Gaussian noise.

$$R_{p'} = R_p + \mathcal{N} (0, k(e; \theta) R_p)$$

$$R_{l'} = R_l + \mathcal{N} (0, k(e; \theta) R_m)$$

$$R_{e'} = R_p + \mathcal{N} (0, k(e; \theta) R_e)$$

The noise is dependent on eccentricity.

 $(\mu_e, \mu_l, \mu_p)$ 

# **Optimal Response Decoding**

Measure the mean and covariance between cues for all stimulus conditions including present/absent.

Respond with stimulus category that is most likely given the observed responses.

### Maximum Likelihood

1. Measure mean and covariance matrix for edge, luminance and pattern responses in all experimental conditions:

$$\Sigma = \begin{pmatrix} \operatorname{Var}(R_{e'}) & \operatorname{cov}(R_{e'}, R_{l'}) & \operatorname{cov}(R_{e'}, R_{p'}) \\ \operatorname{cov}(R_{e'}, R_{l'}) & \operatorname{Var}(R_{l'}) & \operatorname{cov}(R_{l'}, R_{p'}) \end{pmatrix}$$

### 2. Minimum error rate classification rule:

Multivariate normal likelihood function.

$$X = ln \frac{f\left(\mathbf{R}|\mu_{present}; \mathbf{\Sigma}_{present}\right)}{f\left(\mathbf{R}|\mu_{absent}; \mathbf{\Sigma}_{absent}\right)}$$

If  $X \ge 0$  then respond present else respond absent.

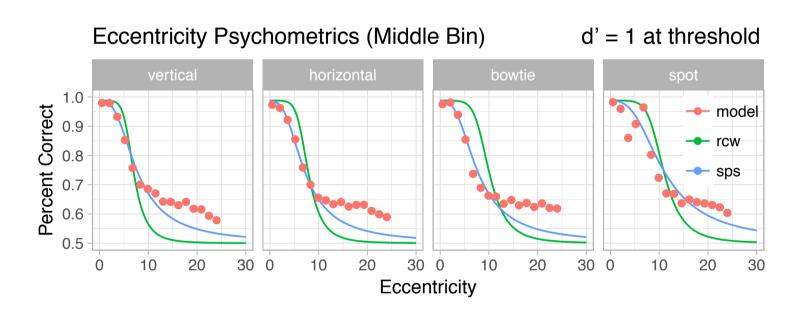
# **Model Fitting**

Select  $\hat{\theta}$  that maximizes the likelihood of the ideal observer given the measured human data.

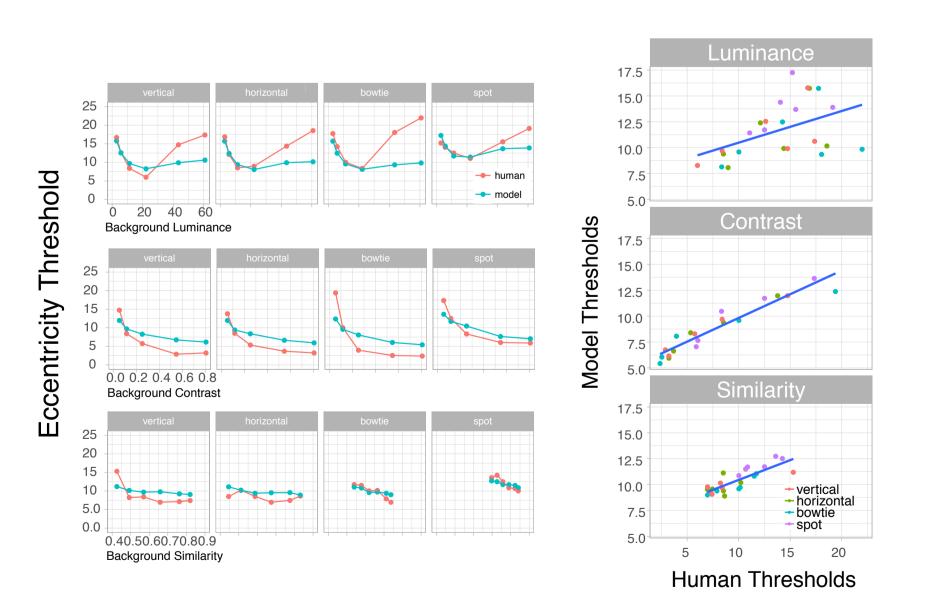
$$\hat{\theta} = \arg\max_{\theta} \hat{\ell}(\theta; x_1, \dots, x_n) \tag{1}$$

# Results

Fits of the model to human psychometric functions for the middle L,C,S bin:



Eccentricity Threshold Functions:



The ideal observer does a reasonable job to tracking human thresholds.

Early sensory limitations and the statistics of natural scenes can partially explain occluding target detection.