References for

"Advances in Numerical Analysis and Mathematical Modelling: exponential integrators for systems of Ordinary Differential Equations"

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This is a (non-exhaustive) list of references for the PhD course "Advances in Numerical Analysis and Mathematical Modelling: exponential integrators for systems of Ordinary Differential Equations" (A.Y. 2024-2025).

- Numerical methods for ODEs, A-stability, and stiffness: [10, 11]
- Exponential integrators: [15, 14, 13, 16]
- IMEX methods: [3, 4]
- Funcions of matrices (generic): [12]
- Matrix exponential and φ-functions: [1, 17, 21]
- Action of the matrix exponential and linear combinations of φ-functions: [2, 7, 18, 9, 19, 20]
- Kronecker-structured problems: [6, 5, 8]

References

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