



MIDDLE EAST TECHNICAL UNIVERSITY
NORTHERN CYPRUS CAMPUS

CNG 462
Artificial Intelligence
Assignment 2

Prepared by

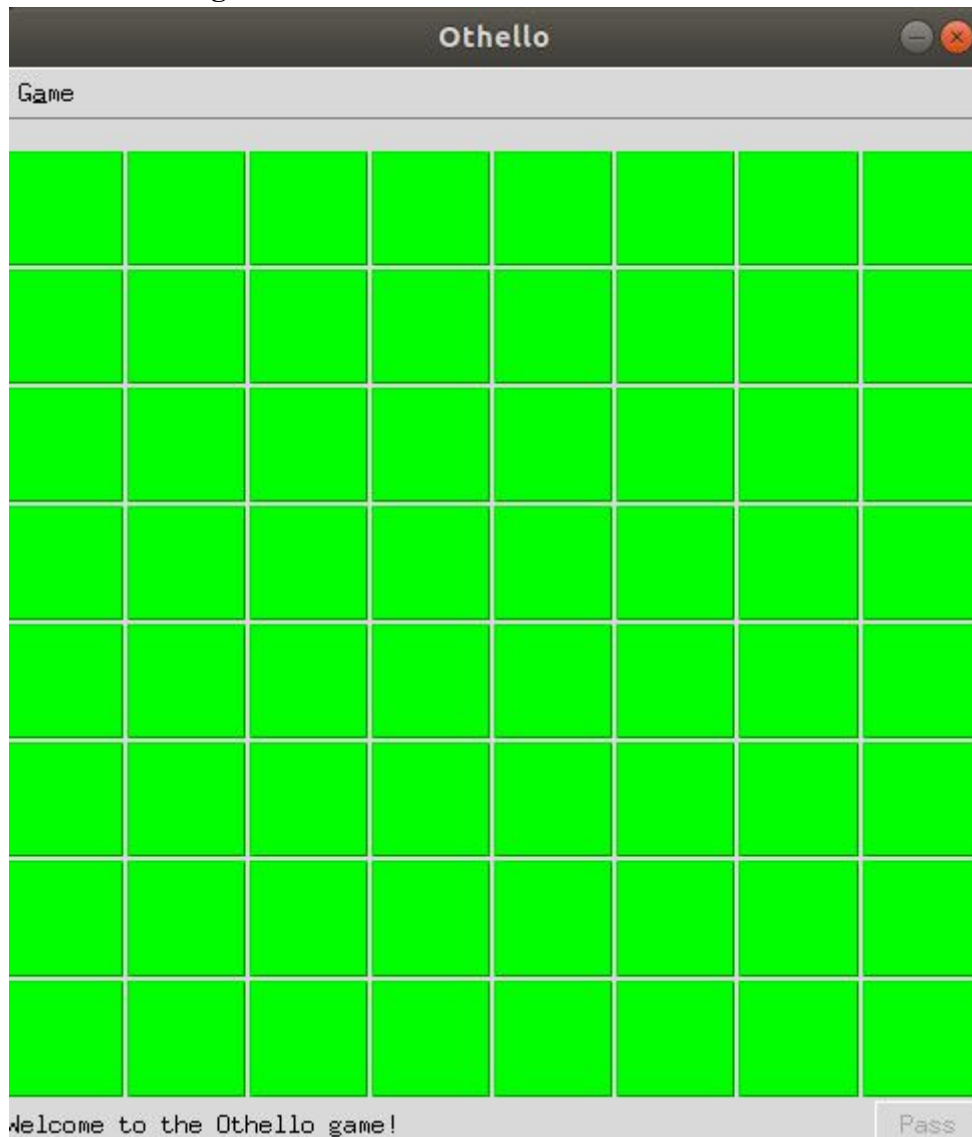
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Overview

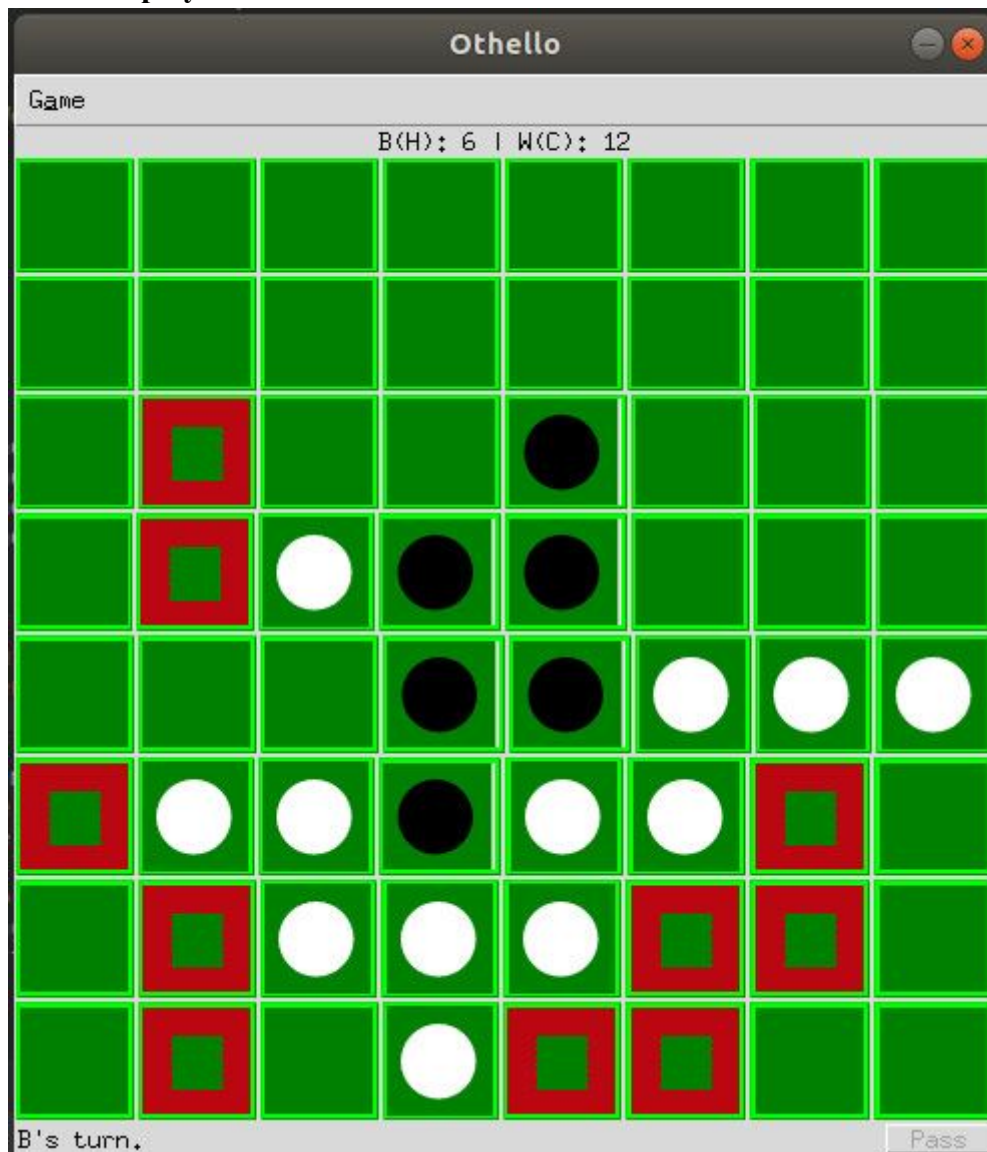
In this assignment I have implemented a game, Othello, in order to practice the skills I have learnt in the class. This game is implemented using Minimax algorithm with Alpha-Beta pruning. I have used 2 different heuristics when implementing the game and let the user will choose it. I used Python 3.6 for my implementation and used *tkinter* module for GUI implementation. My system is Ubuntu 18.04.

Illustrations

Outlook of the game:



After few plays:



Note that **RED** zones indicate possible valid positions to play. They can be opened/closed using menu.

Heuristics

I have chosen my heuristics according to the paper of “An Analysis of Heuristics in Othello ” written by Sannidhanam and Annamalai from University of Washington [1].

1) Greedy

The first approach is to use greedy strategy. In greedy strategy players try to maximize the number of coins at any point.

Below is the code I have used:

First if statement check whether the current turn is equal to **White** or **Black** then returns the current number of pieces on the board.

```
def greedy(board, turn):  
    if turn == "W":  
        return count_pieces(board, "W")  
    else:  
        return count_pieces(board, "B")
```

2) Coin-Parity

My second approach is to use coin-parity as a heuristic. This heuristic captures the difference in coins between the max player and the min player. We determine the return value as follows:

Coin Parity Heuristic Value =

$$100 * (\text{Max Player Coins} - \text{Min Player Coins}) / (\text{Max Player Coins} + \text{Min Player Coins})$$

Below is the code I have written to implement. First it determines who is the maximizing player and vice versa. Then it directly uses this information to find the heuristic value.

```
def coin_parity(board, turn):  
    if turn == PLAYER:  
        max_player = "W"  
        min_player = "B"  
    else:  
        max_player = "B"  
        min_player = "W"  
  
    return 100 * (count_pieces(board, max_player) - count_pieces(board, min_player)) / (count_pieces(board, max_player) + count_pieces(board, min_player))
```

Minimax

I have followed the below pseudocode[2] to make my minimax algorithm.

```
function minimax(node, depth, isMaximizingPlayer, alpha, beta):
```

```
    if node is a leaf node :
```

```
        return value of the node
```

```
    if isMaximizingPlayer :
```

```
        bestVal = -INFINITY
```

```
        for each child node :
```

```
            value = minimax(node, depth+1, false, alpha, beta)
```

```
            bestVal = max( bestVal, value)
```

```
            alpha = max( alpha, bestVal)
```

```
            if beta <= alpha:
```

```
                break
```

```
        return bestVal
```

```
    else :
```

```
        bestVal = +INFINITY
```

```
        for each child node :
```

```
            value = minimax(node, depth+1, true, alpha, beta)
```

```
            bestVal = min( bestVal, value)
```

```
            beta = min( beta, bestVal)
```

```
            if beta <= alpha:
```

```
                break
```

```
        return bestVal
```

Below is the code for greedy heuristic with comments.

```
def greedy_alpha_beta_minimax(board, depth, turn, alpha, beta):
    #print("Depth: "+str(depth))
    global node_count # To change variable as global
    movement = None
    # If the depth is 0 or game has reached an end.
    if depth == 0 or driver.end_game(board):
        return greedy(board, PLAYER), movement
    else:
        valid = driver.valid_positions(board, turn) # Set of valid positions to play
        ties = [] # List of ties that may arise
        if not driver.has_valid_position(board, turn):
            child_node = copy(board)
            return greedy_alpha_beta_minimax(child_node, depth - 1, change_turn(turn), alpha, beta)[0], movement
        else:
            # if maximizing player
            if turn == PLAYER:
                best_value = -INF
                for position in valid: # For every valid position tuple
                    child_node = copy(board) # Not to use the original board we create a dummy one
                    move(child_node, position, turn) # Hypothetically move it
                    print("MAX-Depth in Situation 2: " + str(depth))
                    child_value = greedy_alpha_beta_minimax(child_node, depth - 1, change_turn(turn), alpha, beta)[0]
                    print("MAX-Child value: "+str(child_value))
                    del child_node # Then delete it
                    # best
                    best_value = max(best_value, alpha)
                    #print("x: "+str(x))
                    #alpha
                    alpha = max(alpha, best_value) # Best value that maximizer can currently guarantee
                    #print("alpha: "+str(alpha))
                    node_count += 1 # Increase node count by 1 to know that we have visited this node before pruning
                    if beta <= alpha: # Alpha-Beta pruning
                        break
                if best_value == child_value:
                    print("1-Best Value: " + str(best_value))
                    print("1-Position Value: " + str(position))
                    ties.append((best_value, position)) # Append the value to the ties list
                elif child_value > best_value:
                    best_value = child_value
                    print("2-Best Value: " + str(best_value))
                    print("2-Position Value: " + str(position))
                    ties = [(best_value, position)] # Get that best value and its position
                best_value, movement = random.choice(ties)
            return best_value, movement
        # if minimizing player
        else:
            best_value = INF
            for position in valid: # For every valid position tuple
                child_node = copy(board) # Not to use the original board we create a dummy one
                move(child_node, position, turn) # Hypothetically move it
                print("MIN-Depth in Situation 2: " + str(depth))
                child_value = greedy_alpha_beta_minimax(child_node, depth - 1, change_turn(turn), alpha, beta)[0]
                print("MIN-Child value: " + str(child_value))
                del child_node
                # best
                best_value = min(best_value, child_value)
                #print("y: "+str(y))
                node_count += 1
                # beta
                beta = min(beta, best_value) # Best value that minimizer can currently guarantee
                if beta <= alpha: # Alpha-Beta pruning
                    break
            if best_value == child_value:
                print("3-Best Value: " + str(best_value))
                print("3-Position Value: " + str(position))
```

```
    ties.append((best_value, position)) # Append the value to the ties list
elif child_value < best_value:
    best_value = child_value
    print("4-Best Value: " + str(best_value))
    print("4-Position Value: " + str(position))
    ties = [(best_value, position)] # Get that best value and its position

best_value, movement = random.choice(ties)
return best_value, movement
```

Node Count

To find the number of nodes visited by the algorithm what I have done is to put a global variable and increase that variable by 1 every time that my algorithm is called. This variable is put before the alpha-beta pruning since every time when the pruning happens there will be a break.

References

[1]: Vaishnavi Sannidhanam, Muthukaruppan Annamalai, "An Analysis of Heuristics in Othello "

Retrieved from

https://courses.cs.washington.edu/courses/cse573/04au/Project/mini1/RUSSIA/Final_Paper.pdf

[2]: Retrieved from

<https://www.geeksforgeeks.org/minimax-algorithm-in-game-theory-set-4-alpha-beta-pruning/>