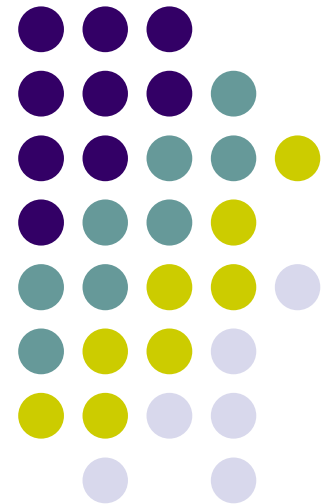


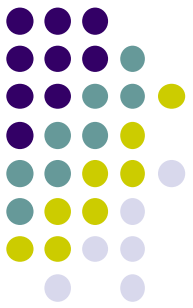
Computer Graphics (CS 4731)

Clipping and Culling

Joshua Cuneo

*Computer Science Dept.
Worcester Polytechnic Institute (WPI)*

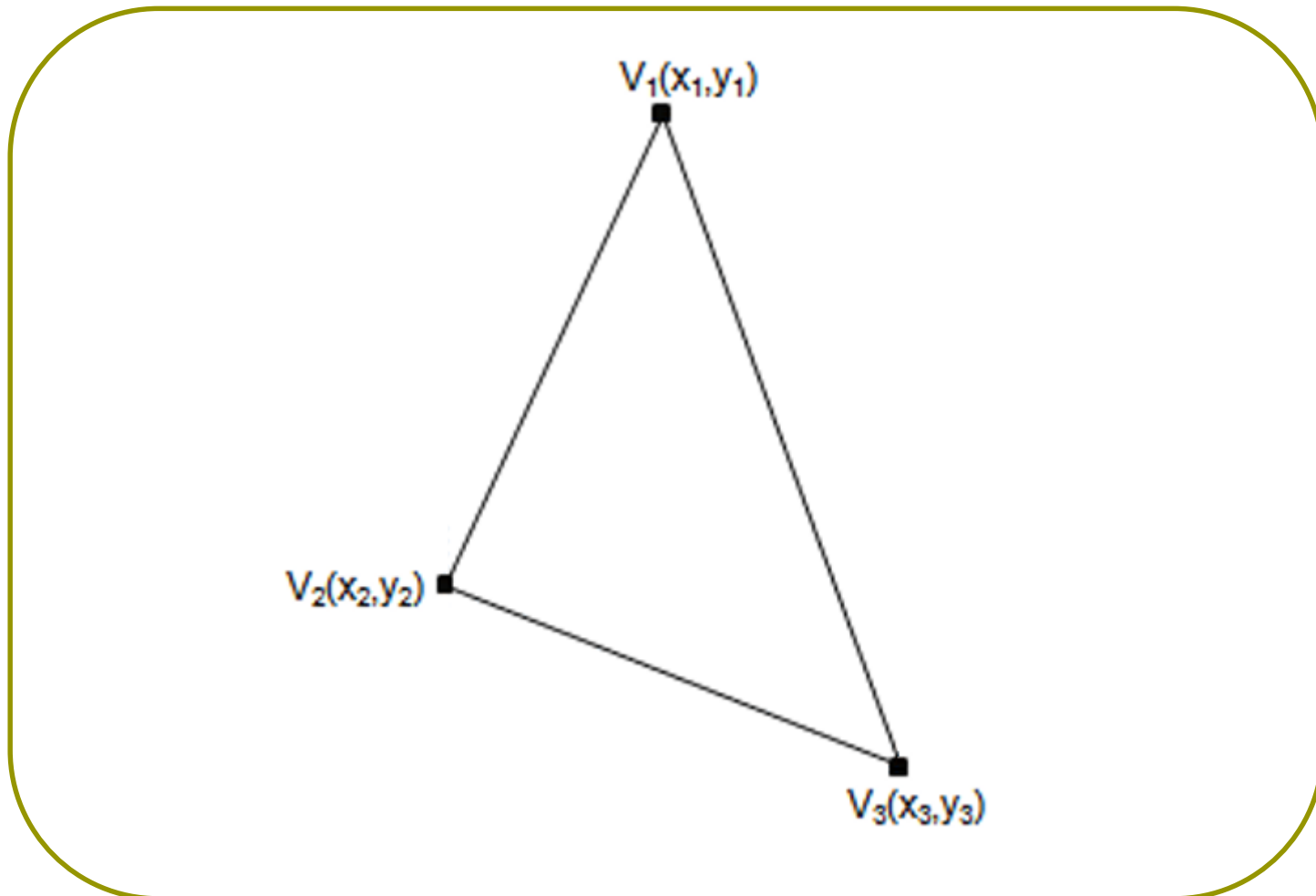




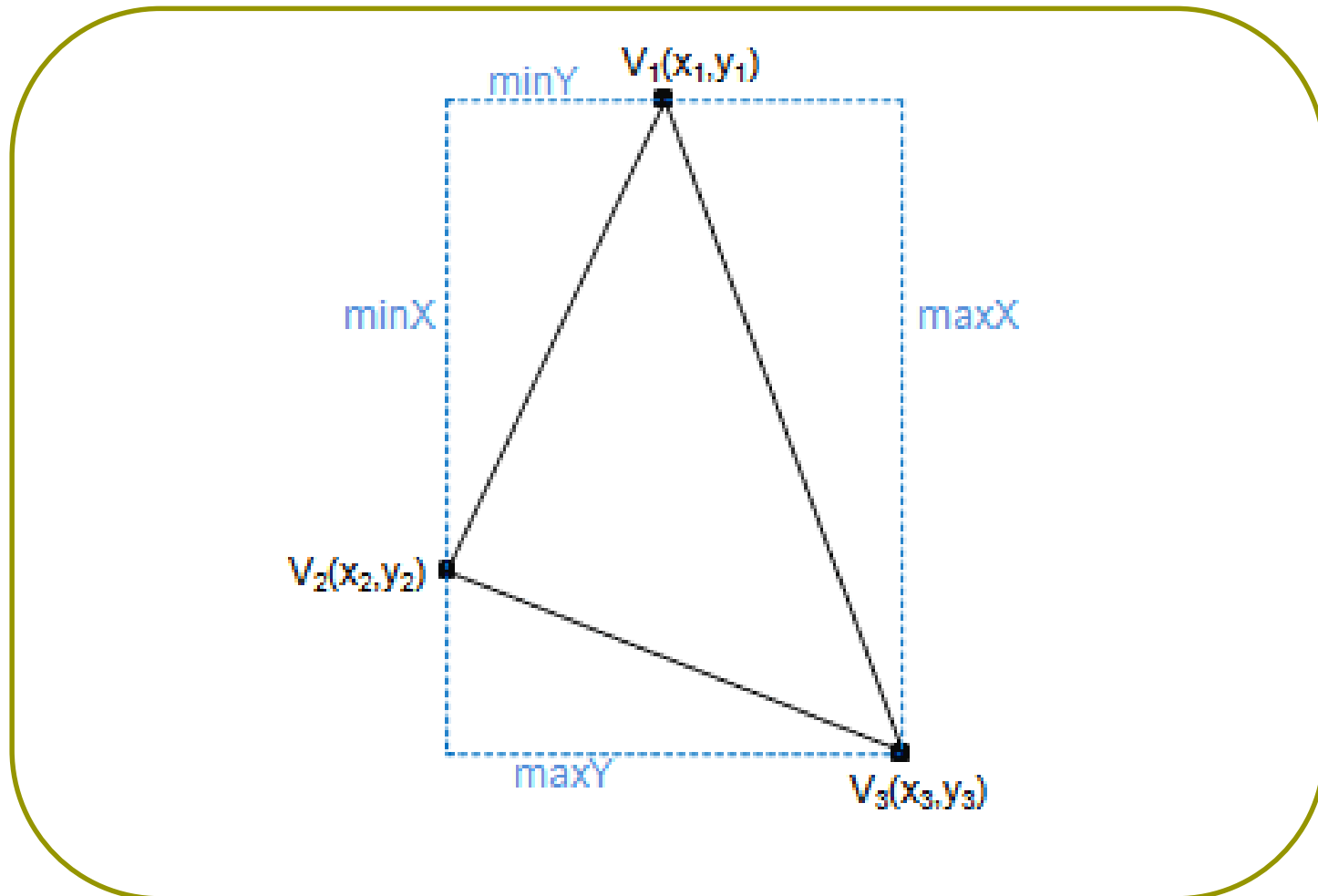
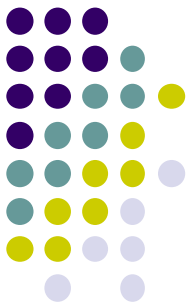
Think-Pair-Share

What's the problem and how can we improve it?

Screen



Bounding Boxes!



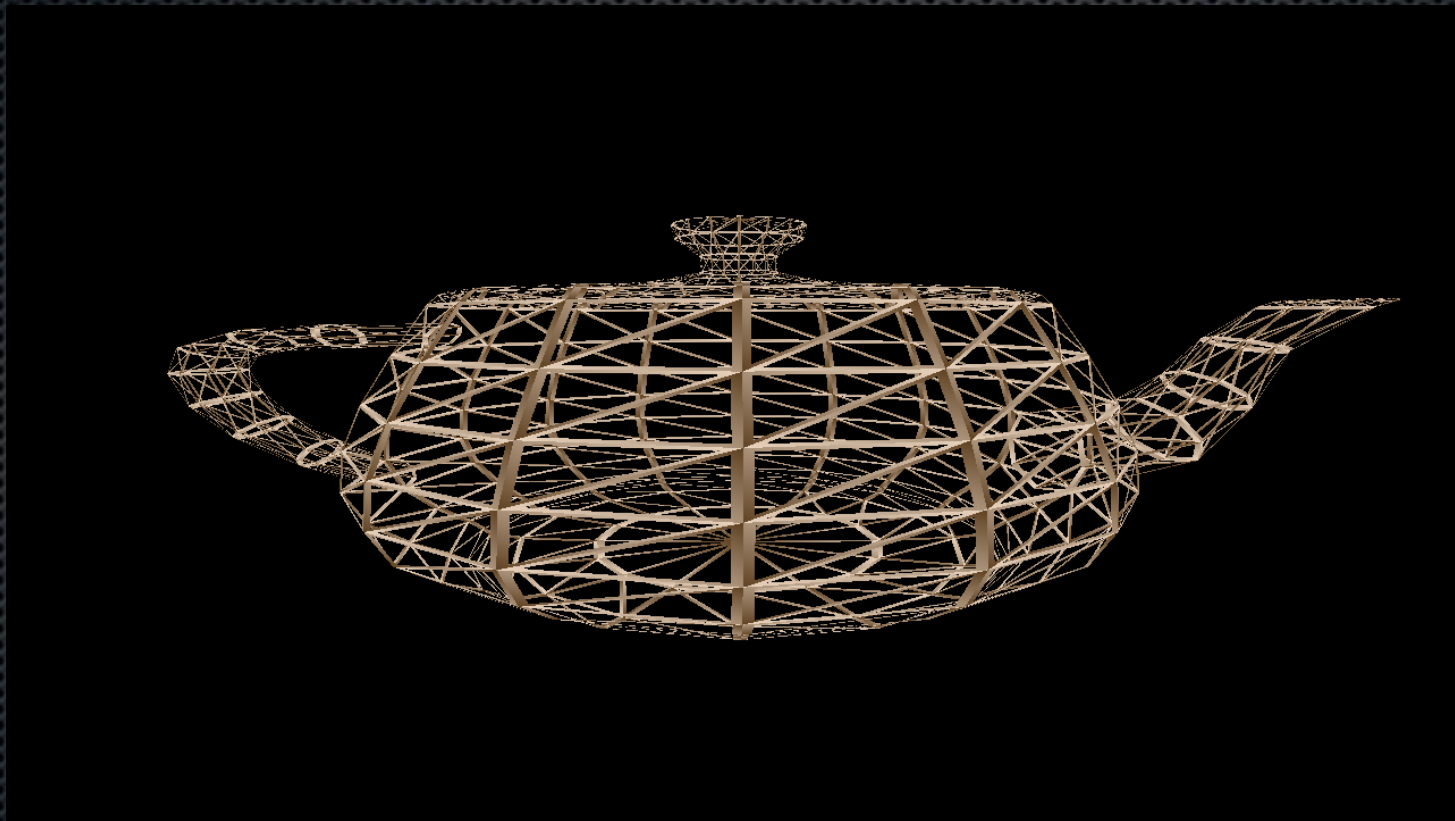
Cull (verb)

to reduce or control the size of by removal



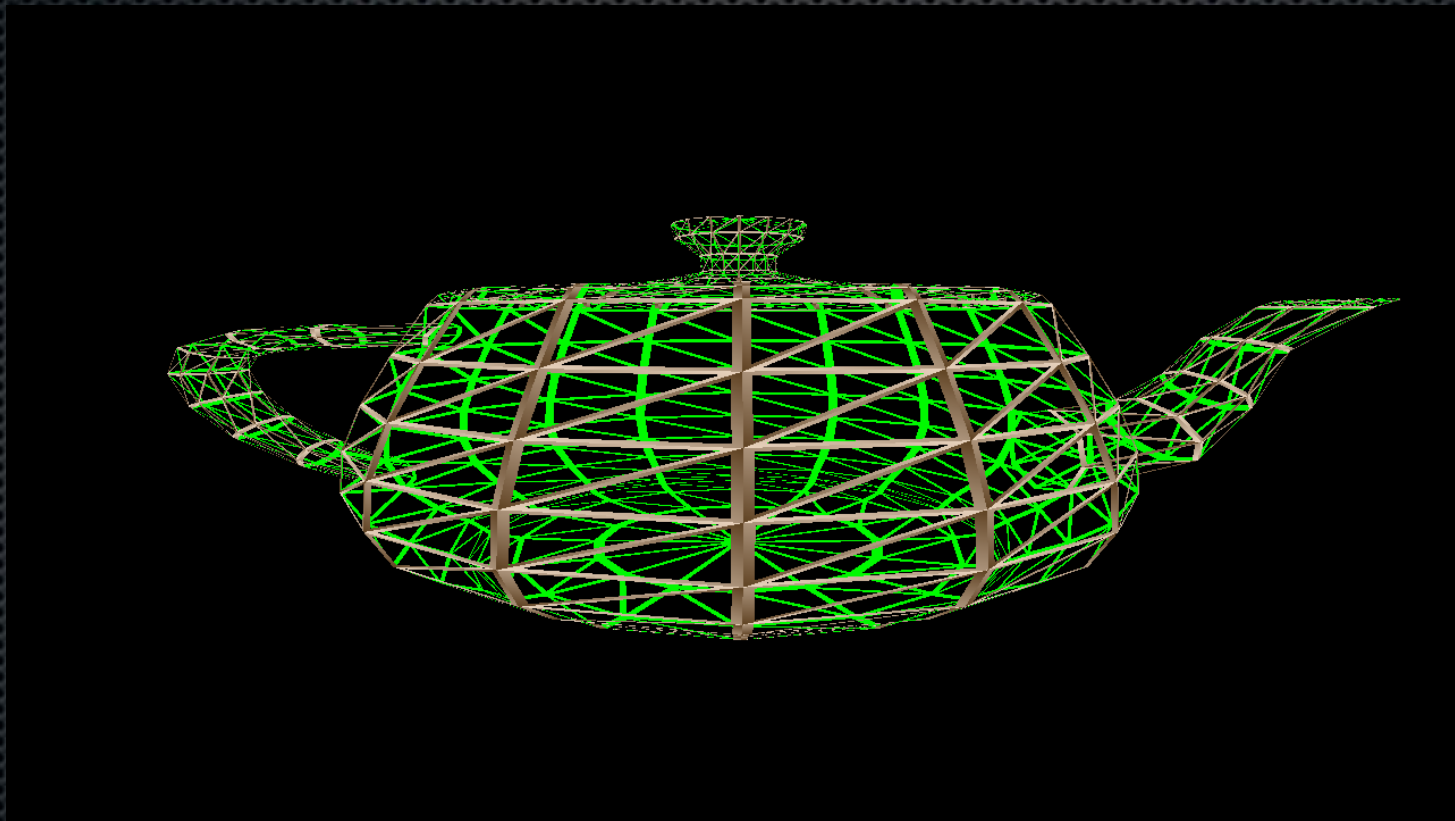
Cull (verb)

to reduce or control the size of by removal



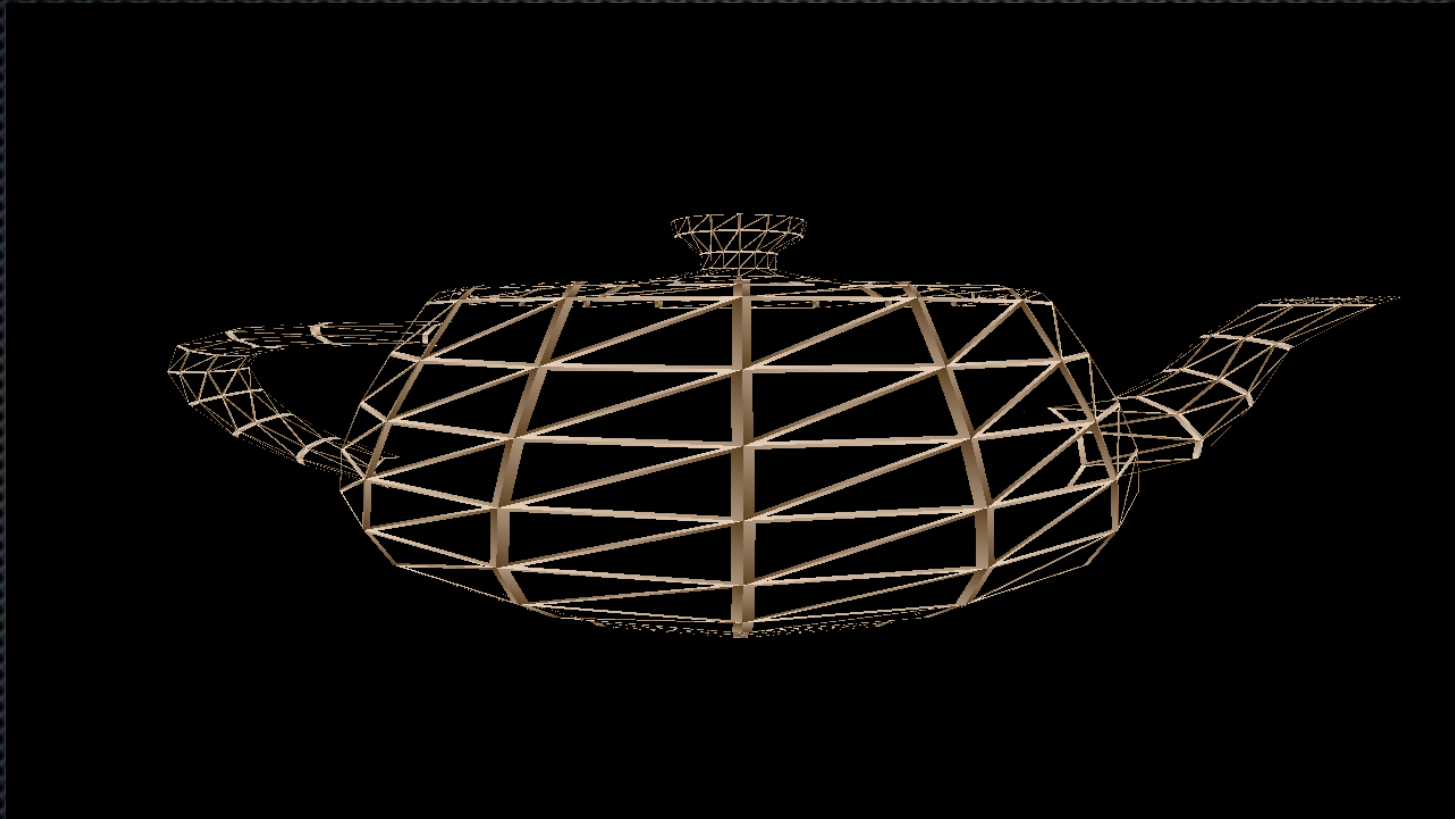
Cull (verb)

to reduce or control the size of by removal



Back-Face Culling

Drew 37% (382 of 1024) of triangles in scene

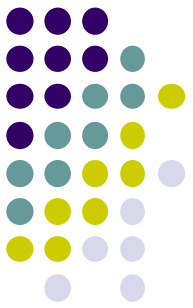


Back-Face Culling



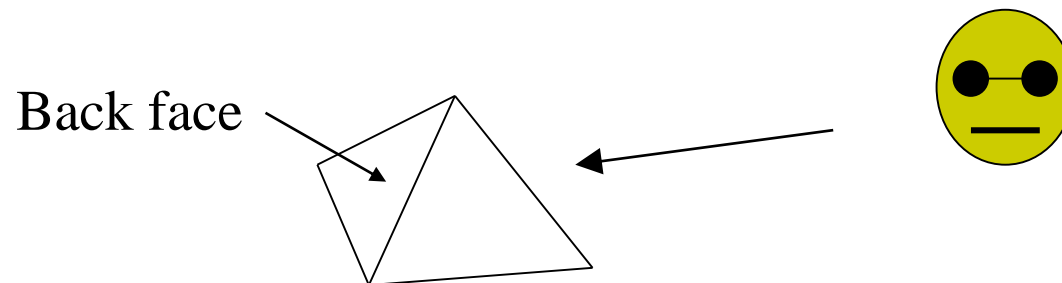
Drew 37% (382 of 1024) of triangles in scene





Back Face Culling

- **Back faces:** faces of opaque object that are “pointing away” from viewer
- **Back face culling:** do not draw back faces (saves resources)



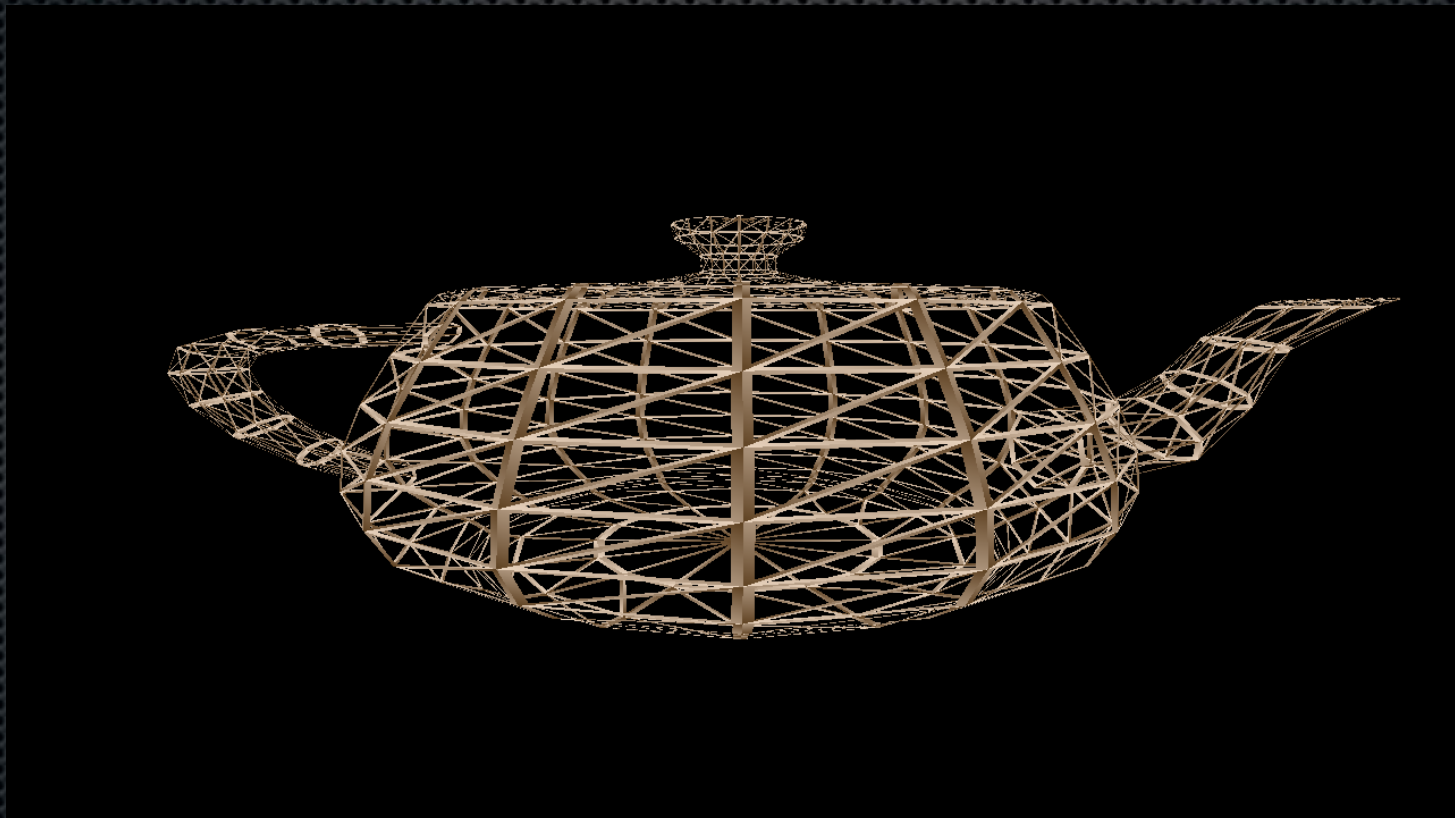
Back-Face Culling

Which triangles are back-facing?



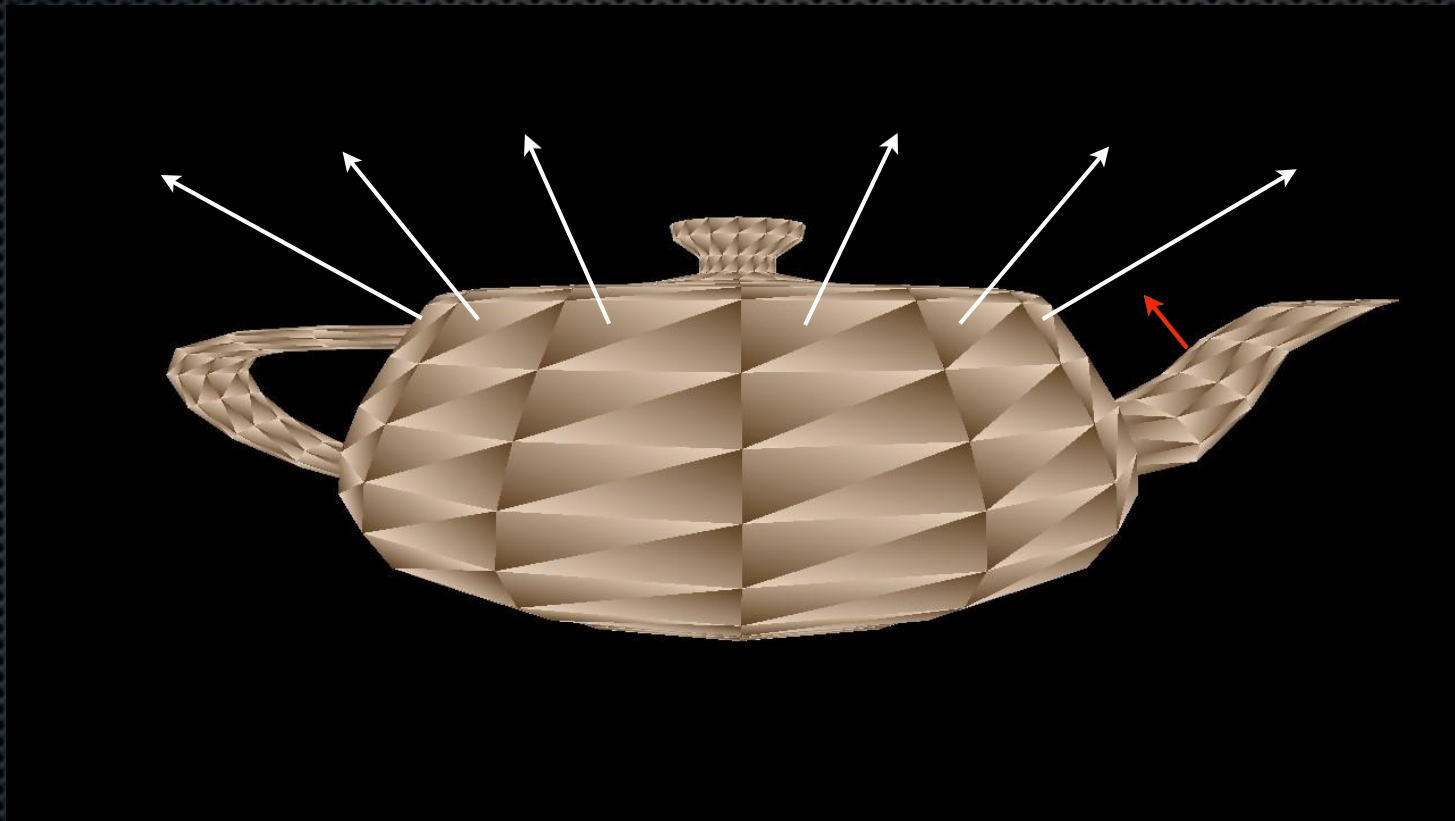
Think-Pair-Share

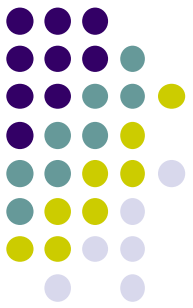
How can we determine which triangles are back-facing?



Back-Face Culling

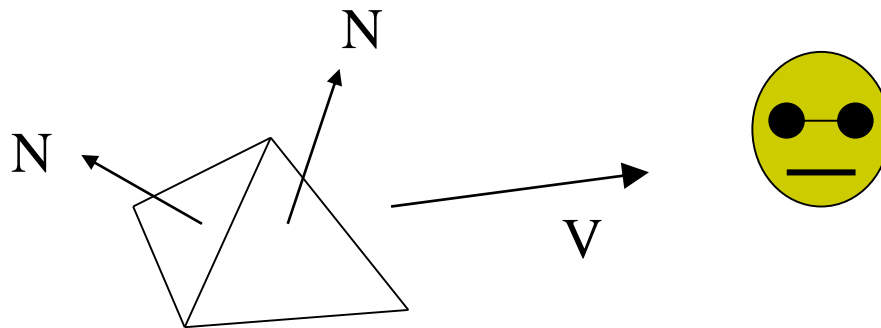
Triangle normal of back-facing triangles points “away”





Back Face Culling

- Goal: Test if a face F is is backface
- How? Form vectors
 - View vector, V
 - Normal N to face F



Backface test: F is backface if $N \cdot V < 0$ why??

Back-Face Culling

What is the triangle's normal?

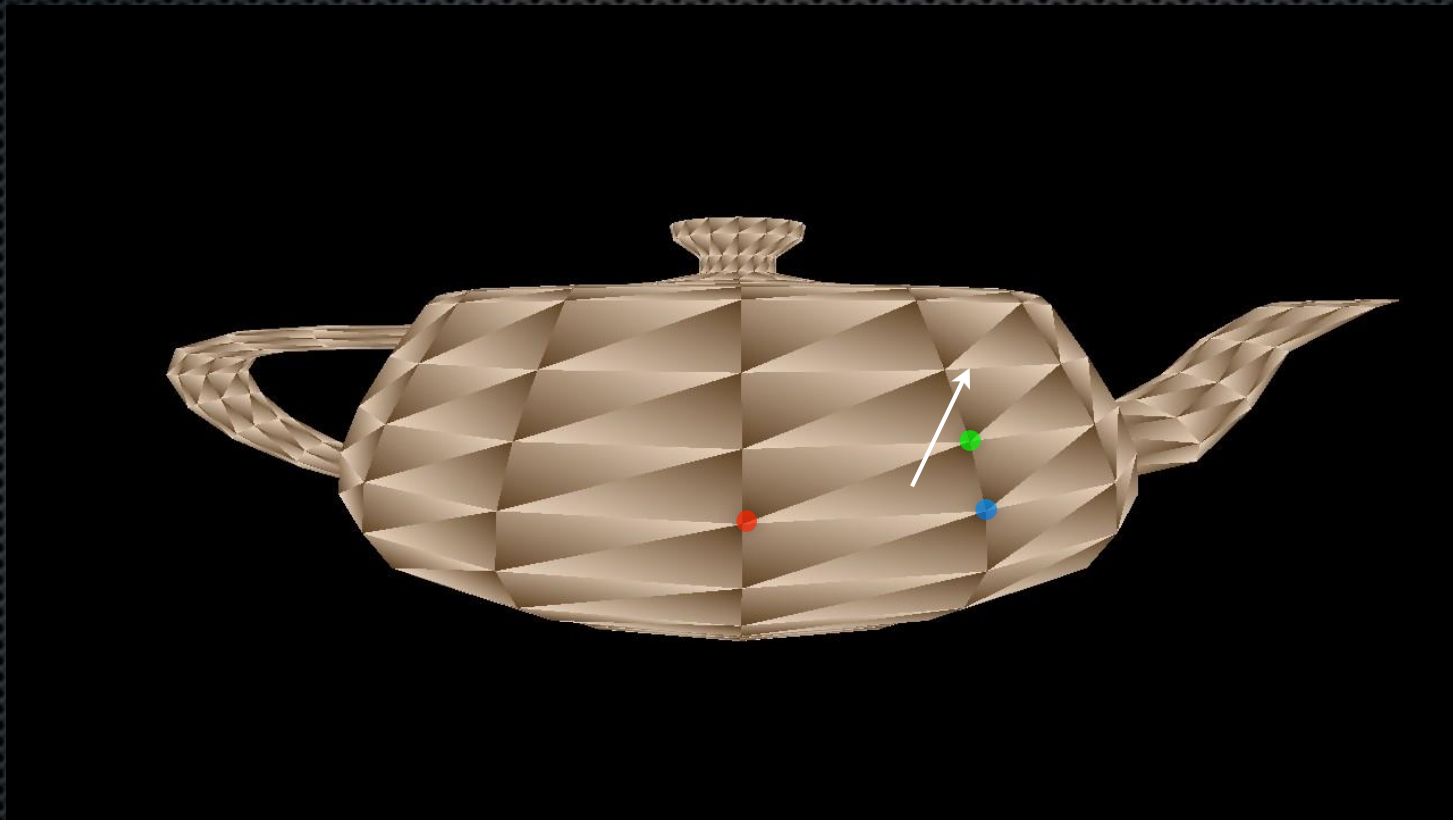


Back-Face Culling

A

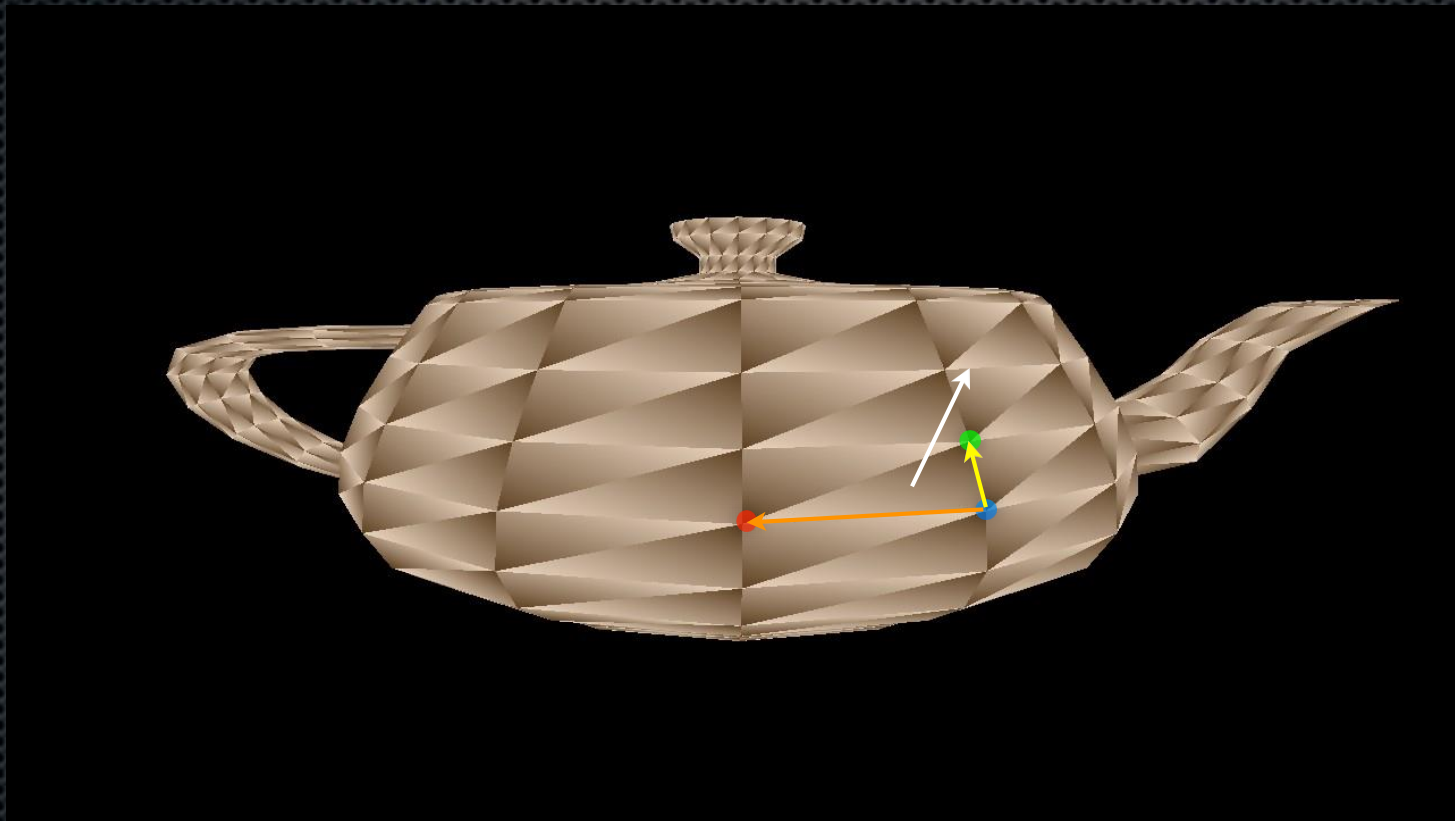
B

C



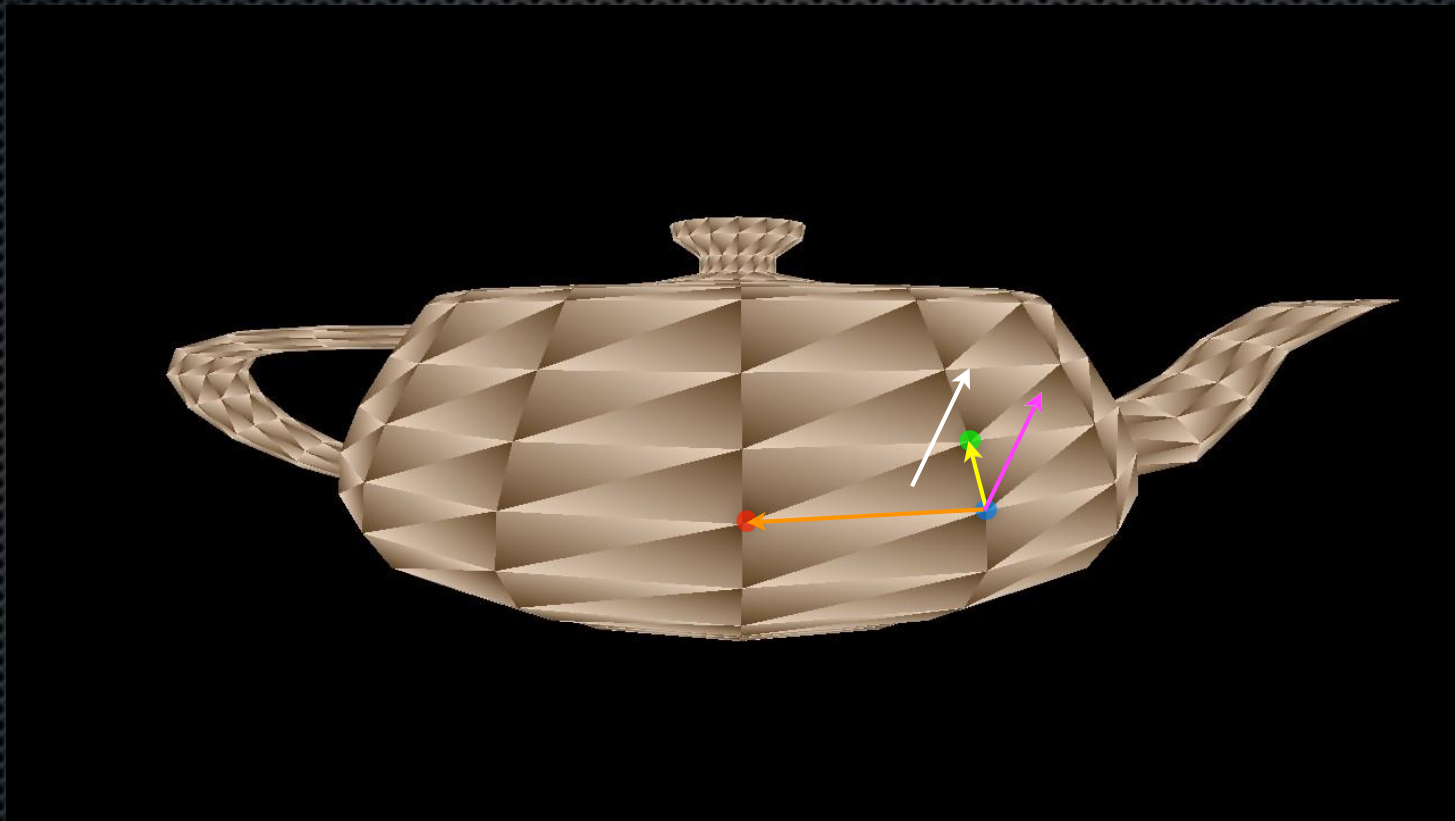
Back-Face Culling

$$v_0 = B - A \quad v_1 = C - A$$



Back-Face Culling

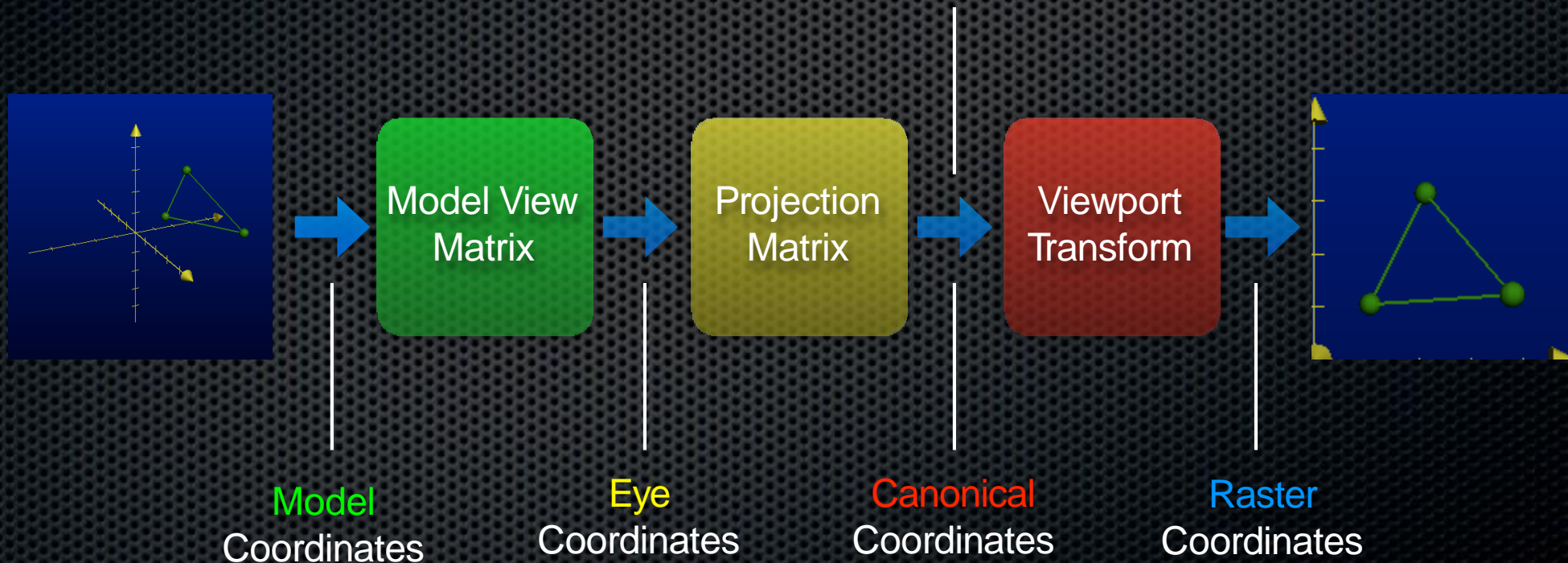
$$\begin{aligned} \mathbf{v}_0 &= \mathbf{B} - \mathbf{A} & \mathbf{v}_1 &= \mathbf{C} - \mathbf{A} \\ \mathbf{n} &= \mathbf{v}_0 \times \mathbf{v}_1 \end{aligned}$$



Back-Face Culling

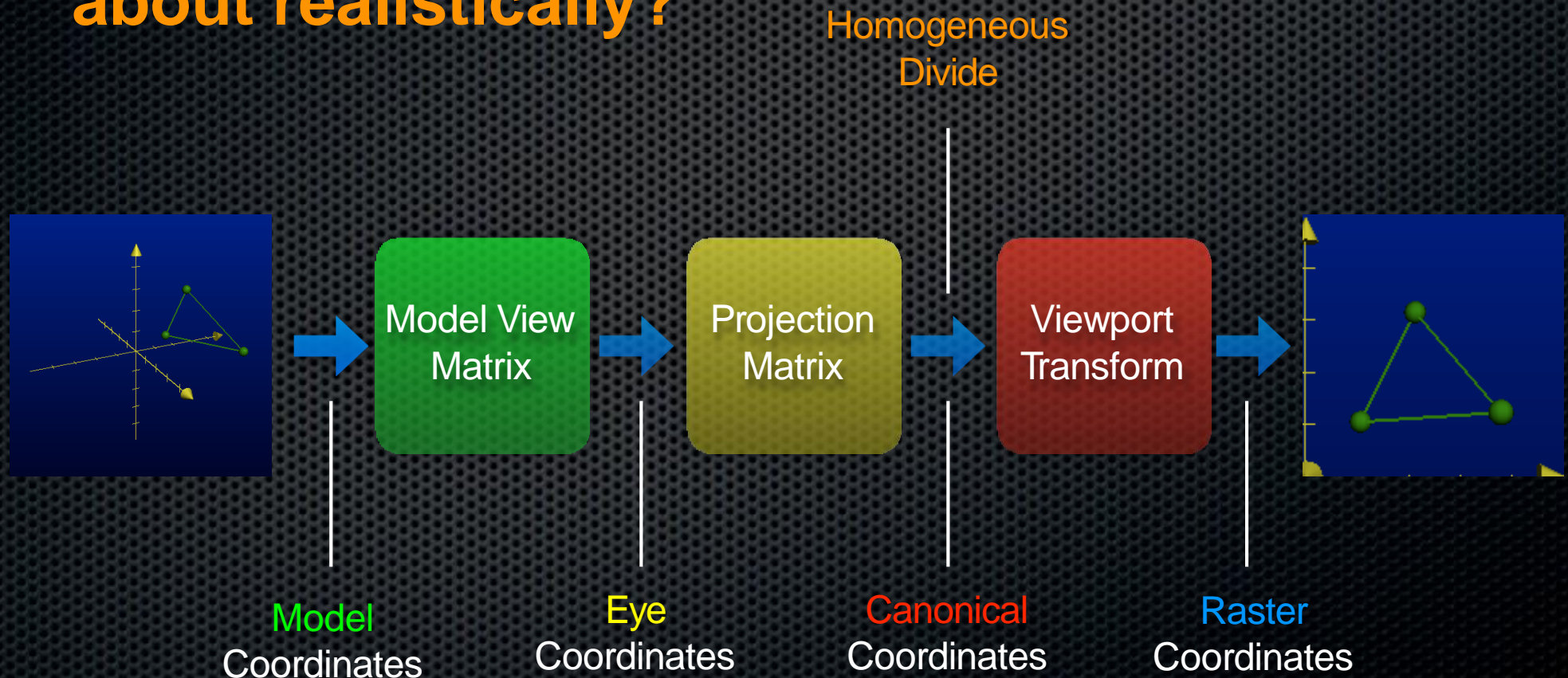


- When to back-face cull?



Think-Pair-Share

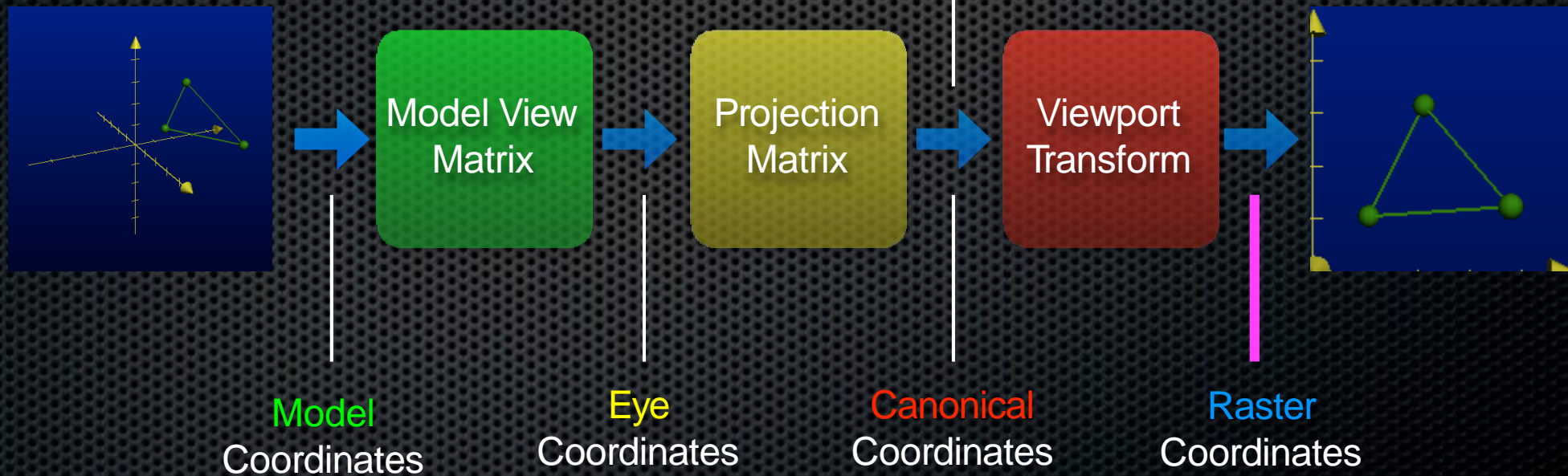
Ideally, where is the best place to cull? What about realistically?



Back-Face Culling



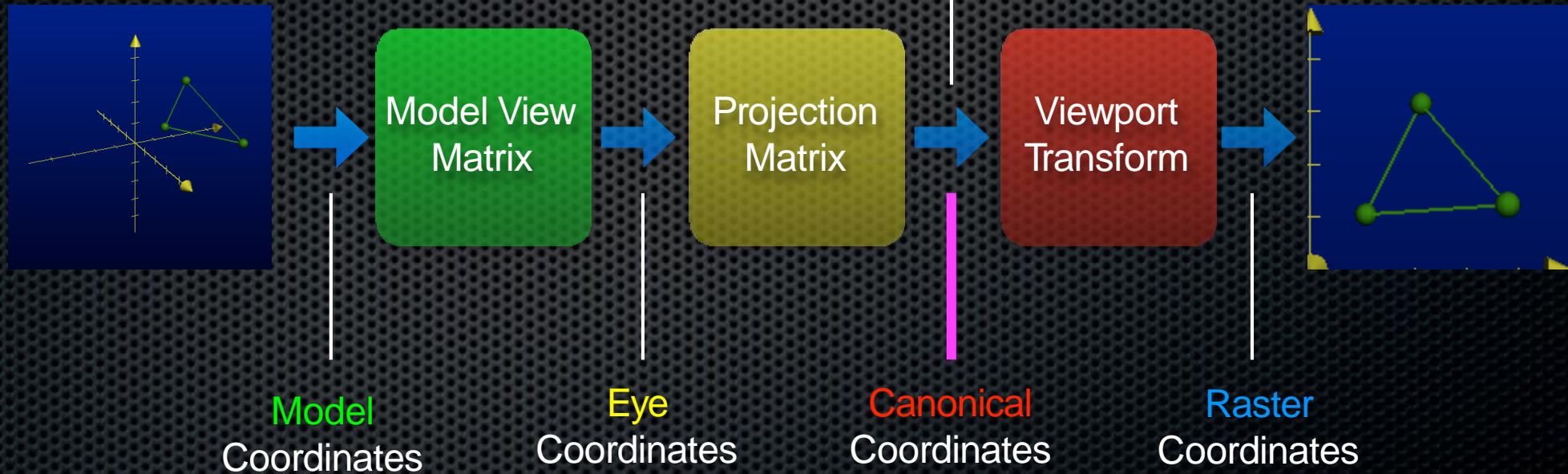
if ($n.z < 0$)
cull



Back-Face Culling



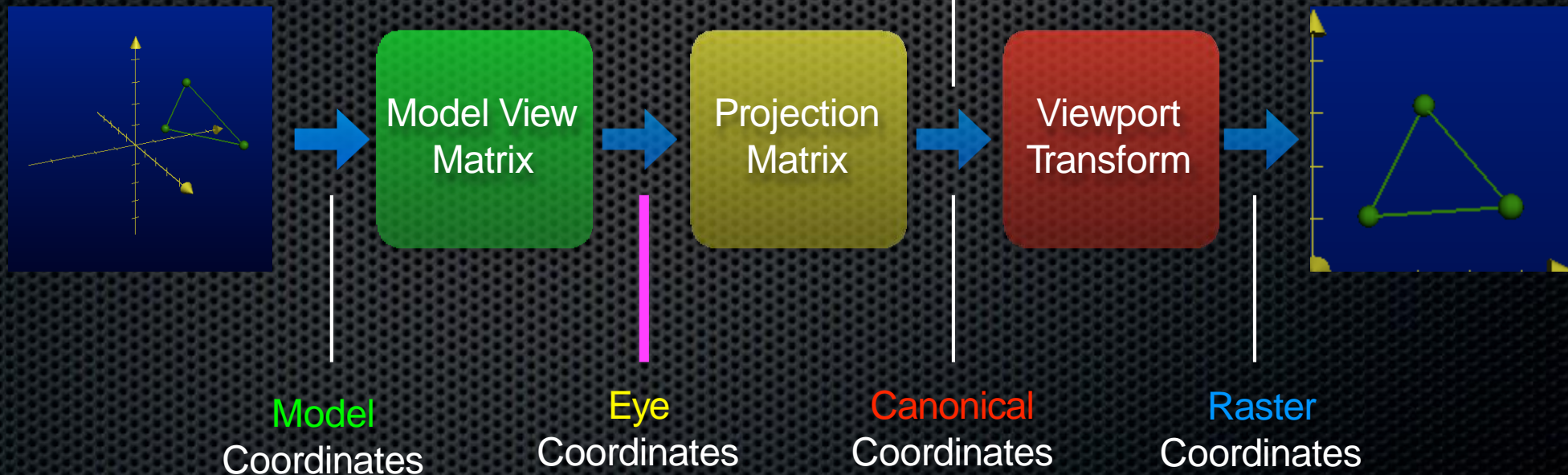
if ($n.z < 0$)
cull



Back-Face Culling



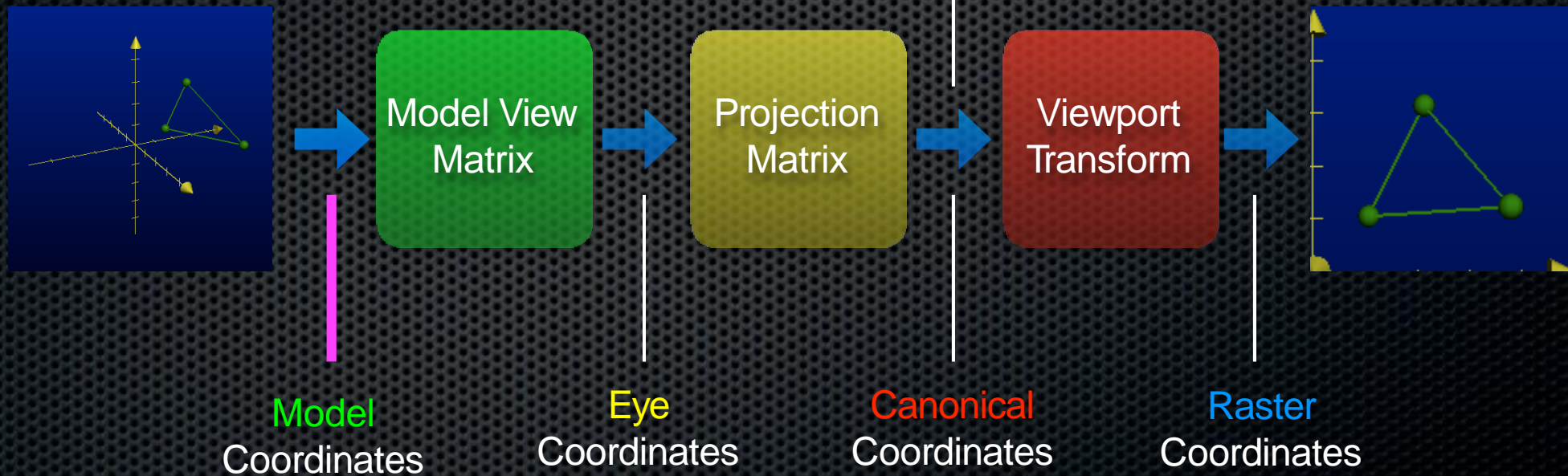
if $(n \cdot (t_{\text{center}} - \text{origin}) > 0)$
cull



Back-Face Culling

transform eye to model coordinates

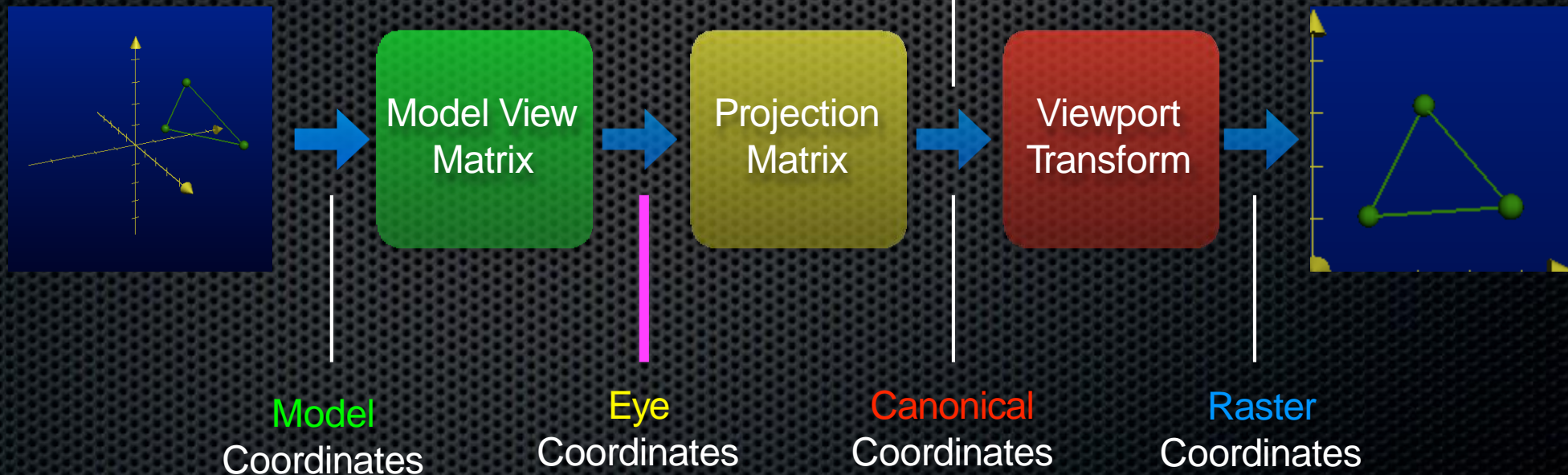
if $(n \cdot (t_{\text{center}} - \text{eye}) > 0)$
cull



Back-Face Culling



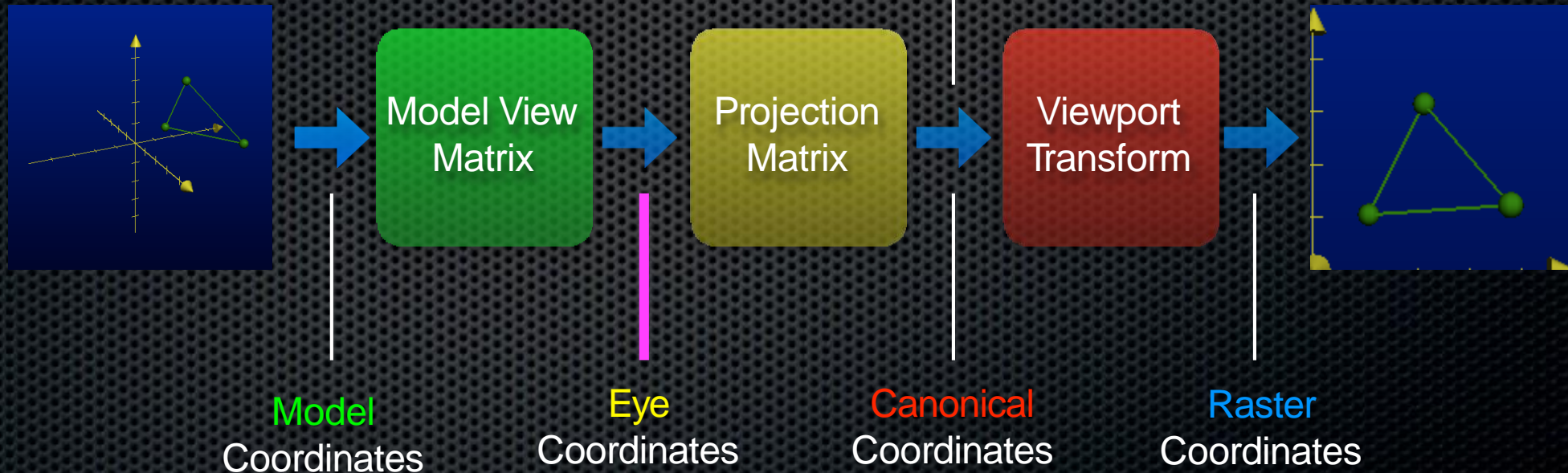
if $(n \cdot (t_{\text{center}} - \text{origin}) > 0)$
cull



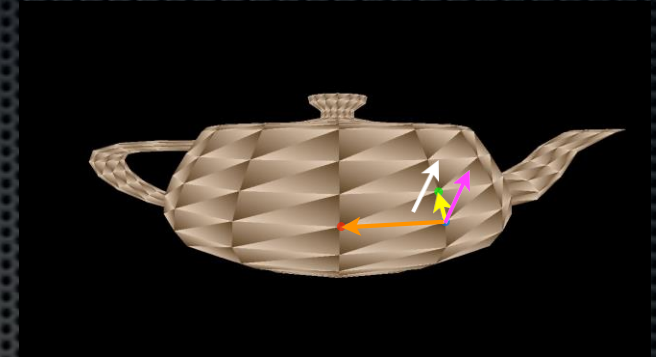
Back-Face Culling



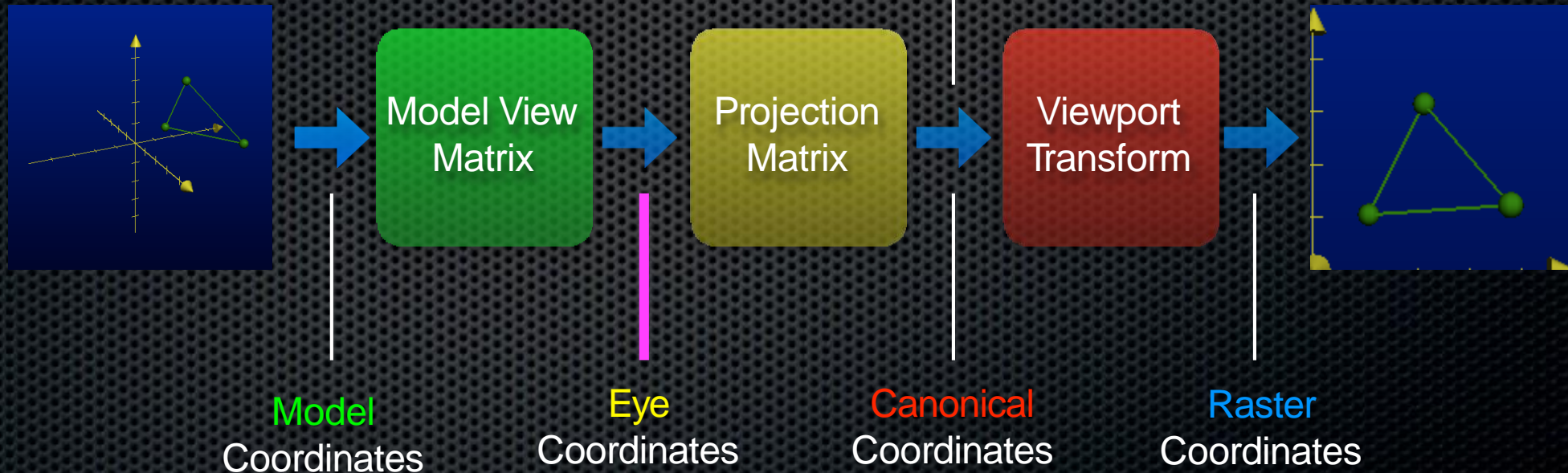
if $(\mathbf{n} \cdot \mathbf{t}_{\text{center}} > 0)$
cull



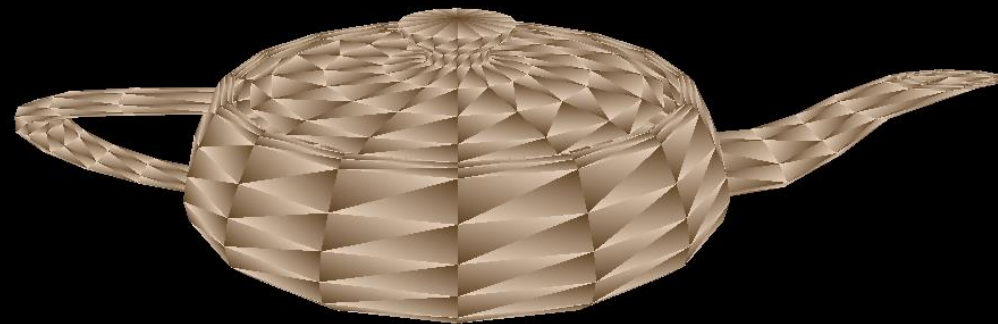
Back-Face Culling



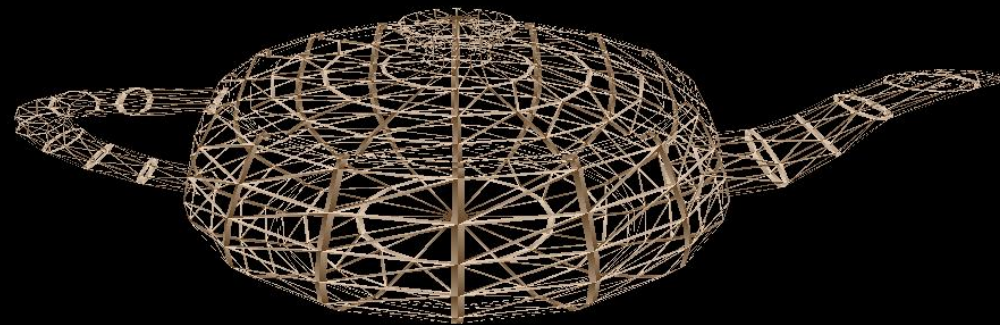
if $(n \cdot t_a > 0)$
cull



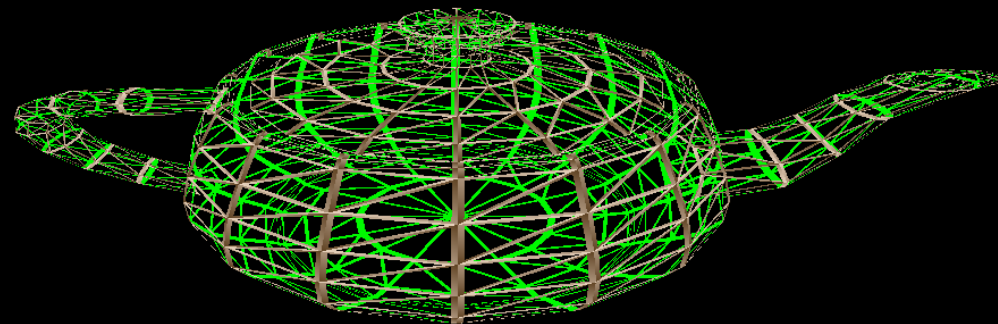
Back-Face Culling Issues



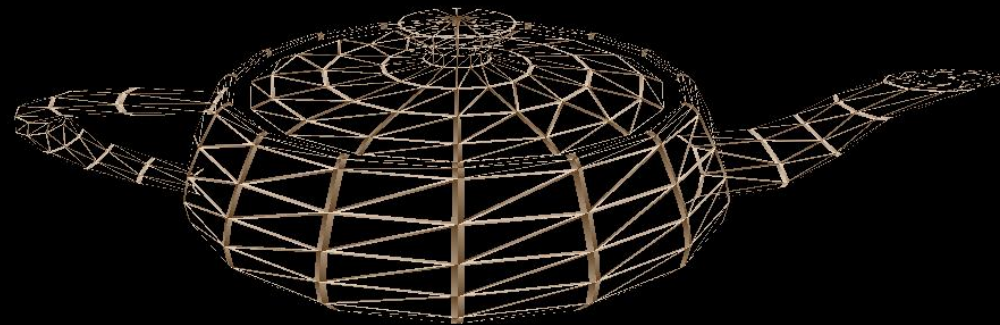
Back-Face Culling Issues



Back-Face Culling Issues

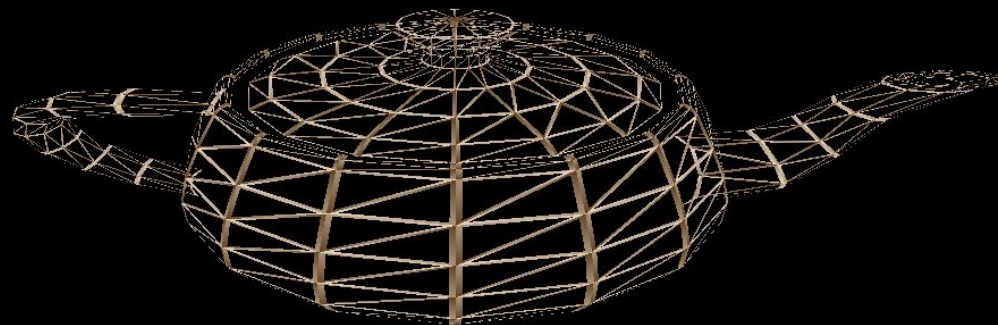


Back-Face Culling Issues

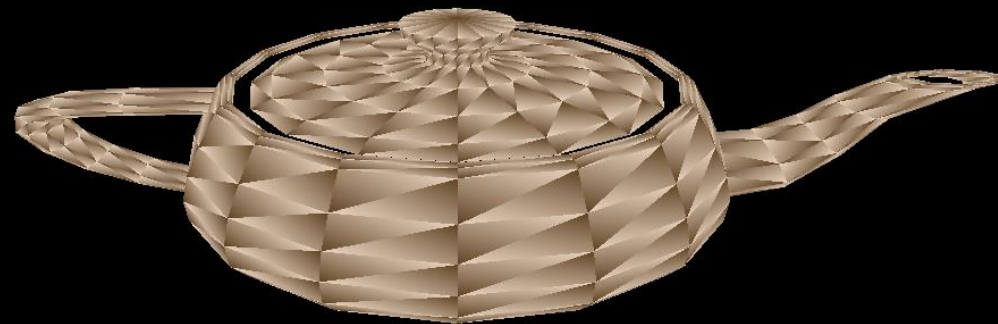


Think-Pair-Share

What's the problem here?

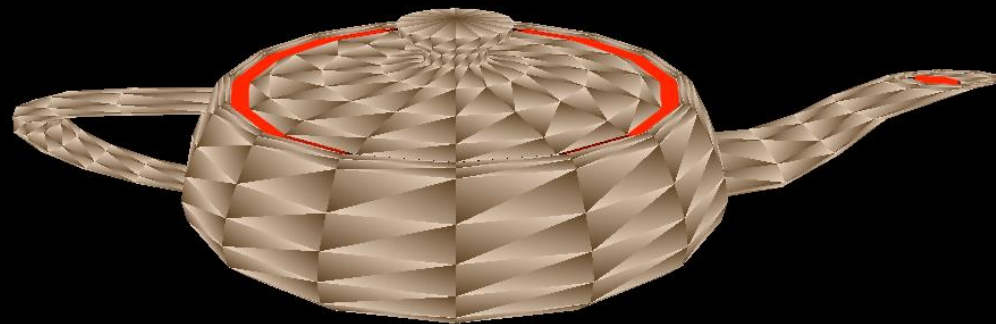


Back-Face Culling Issues



Back-Face Culling Issues

Objects drawn with back-face culling need to be solid



Other Culling Opportunities



Other Culling Opportunities



Other Culling Opportunities



Other Culling Opportunities

Important triangle?



Level of Detail (LOD)

LOD 0 - 5218 tris



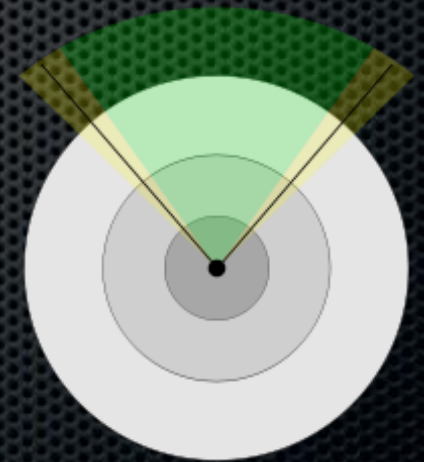
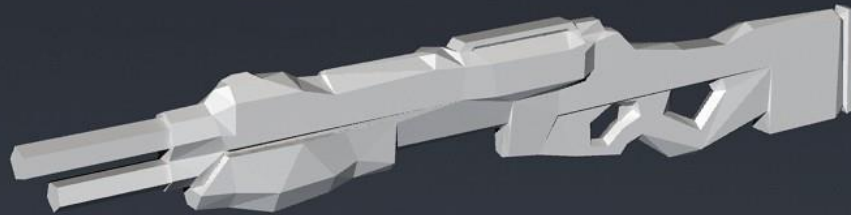
LOD 1 - 3776 tris



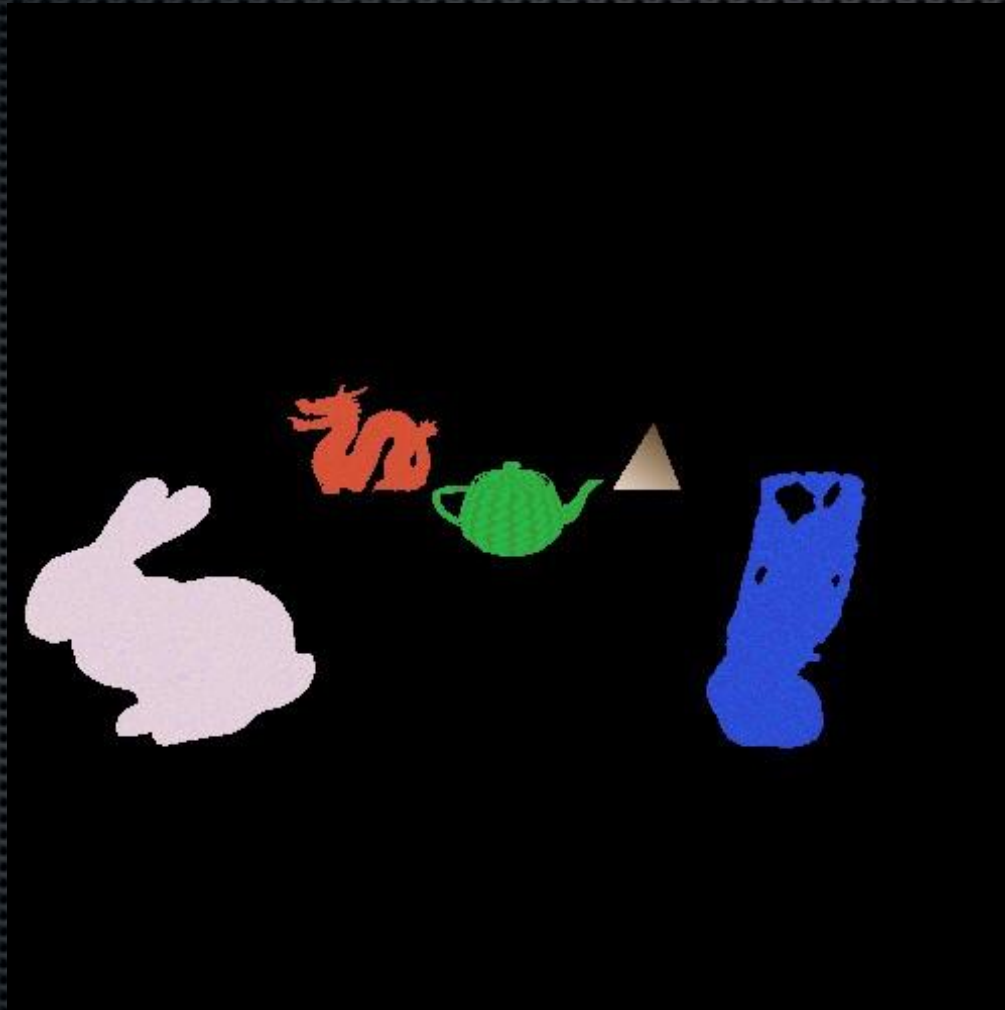
LOD 2 - 1804 tris

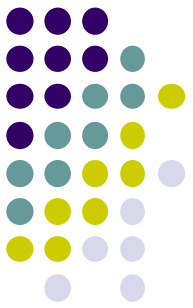


LOD 3 - 550 tris



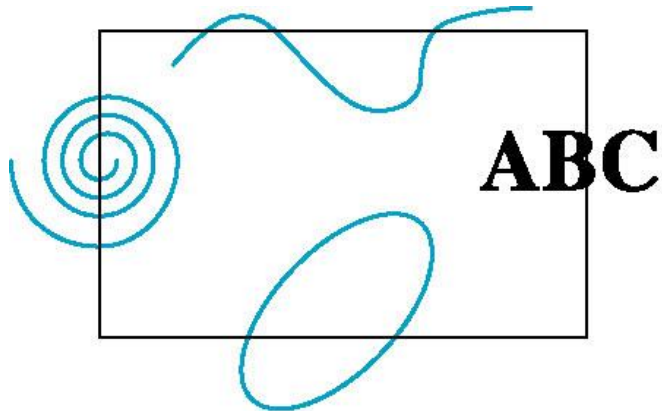
Clipping





Clipping

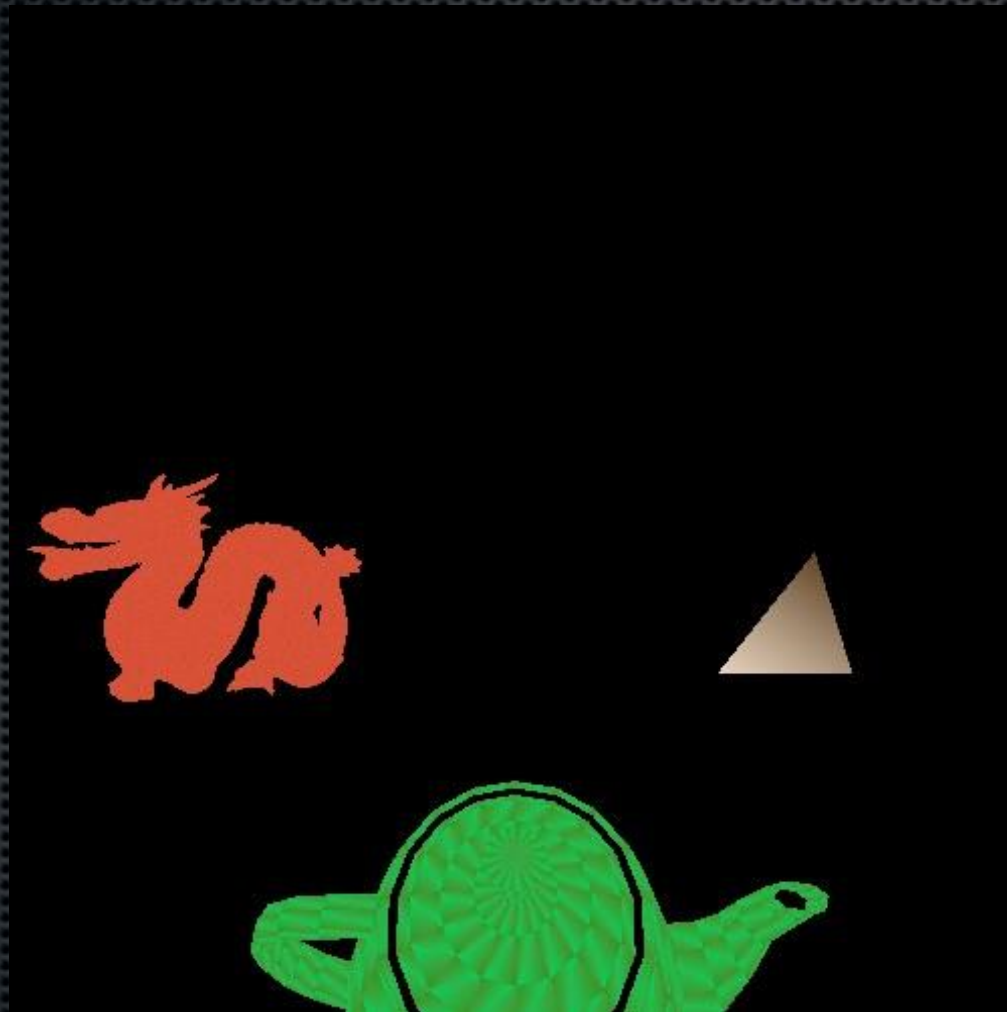
- **Clipping:** Remove primitives (lines, polygons, text, curves) outside view frustum (canonical view volume)



Clipping

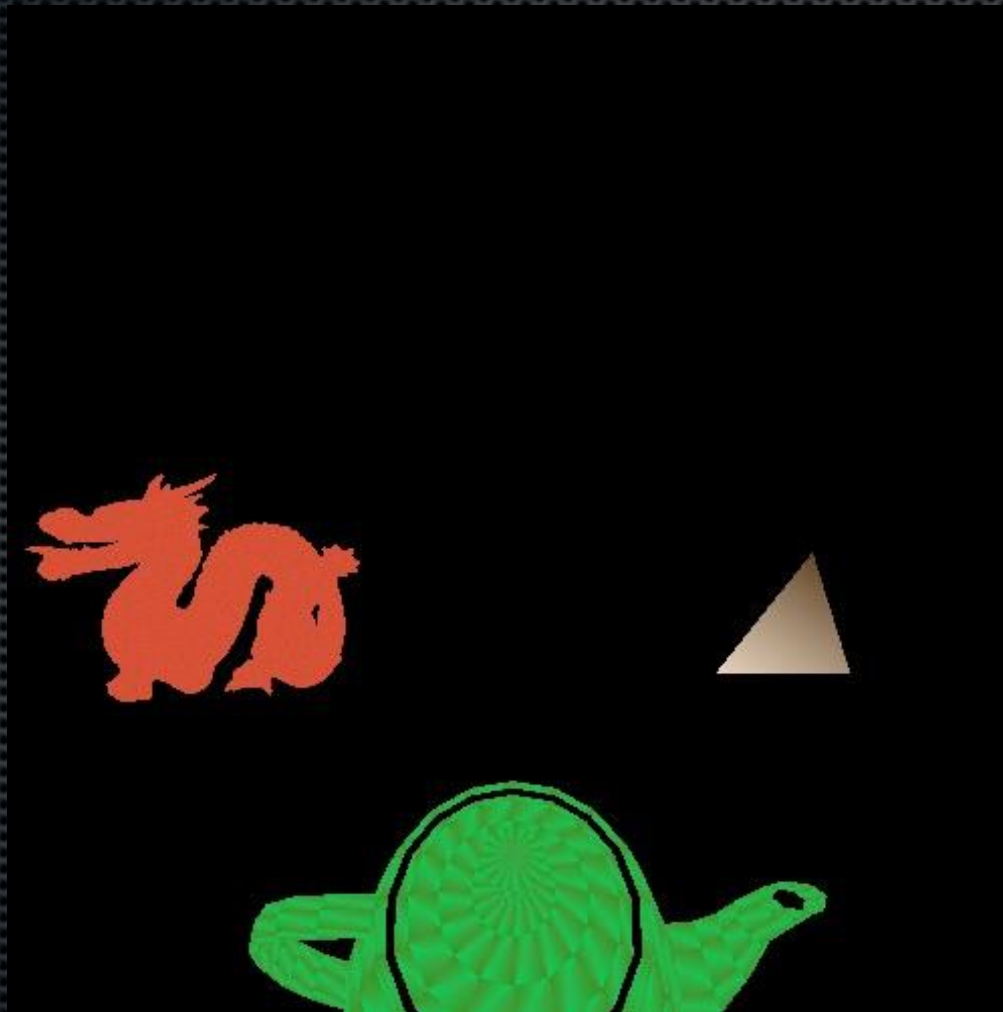


Clipping



Clipping

Need to draw
bunny?

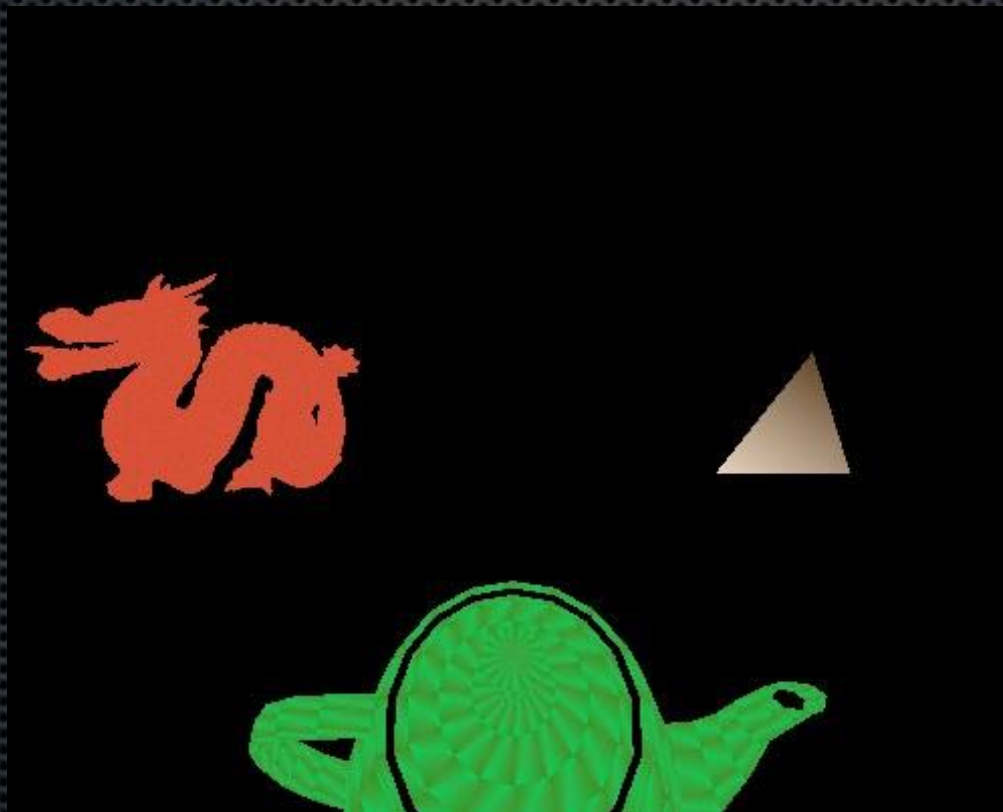


Need to draw
budda?

Think-Pair-Share

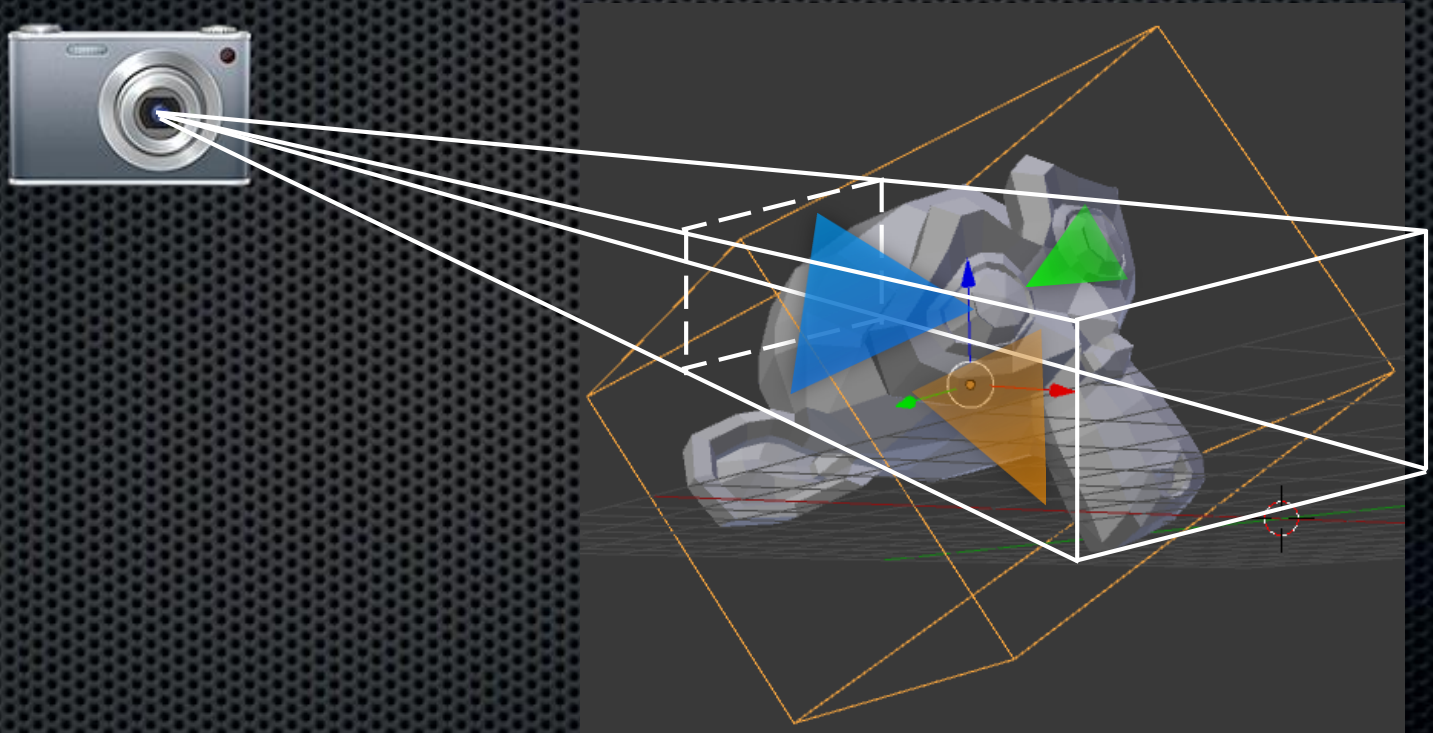
How do we determine if an object is off-screen?

Need to draw
bunny?

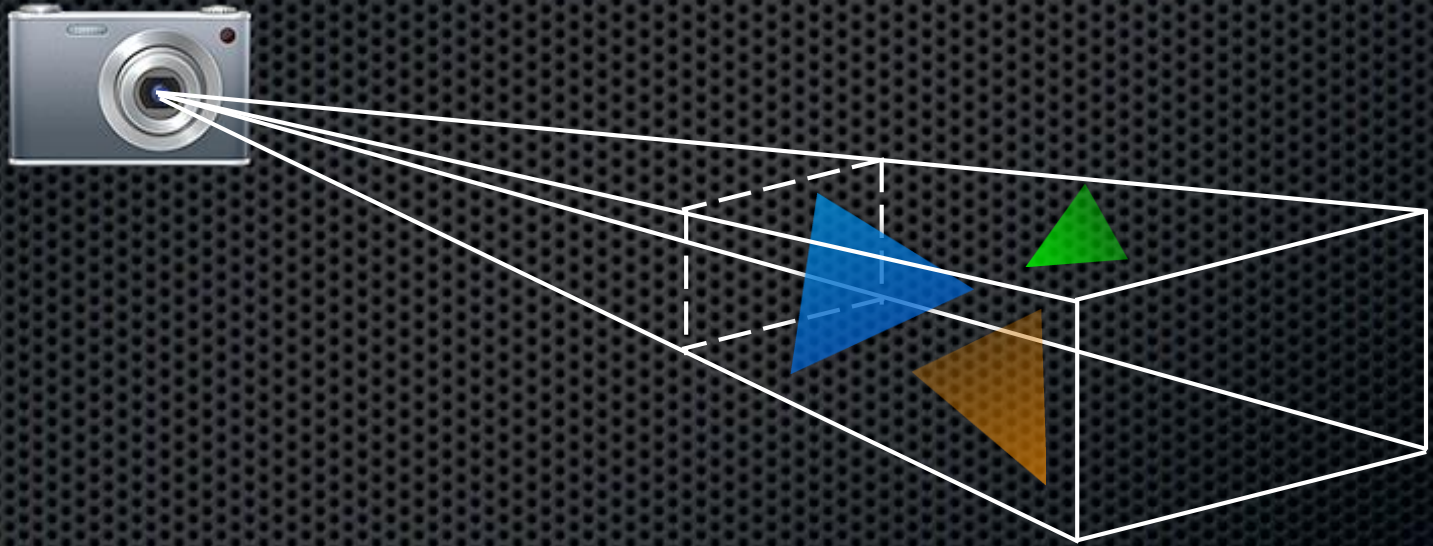


Need to draw
budda?

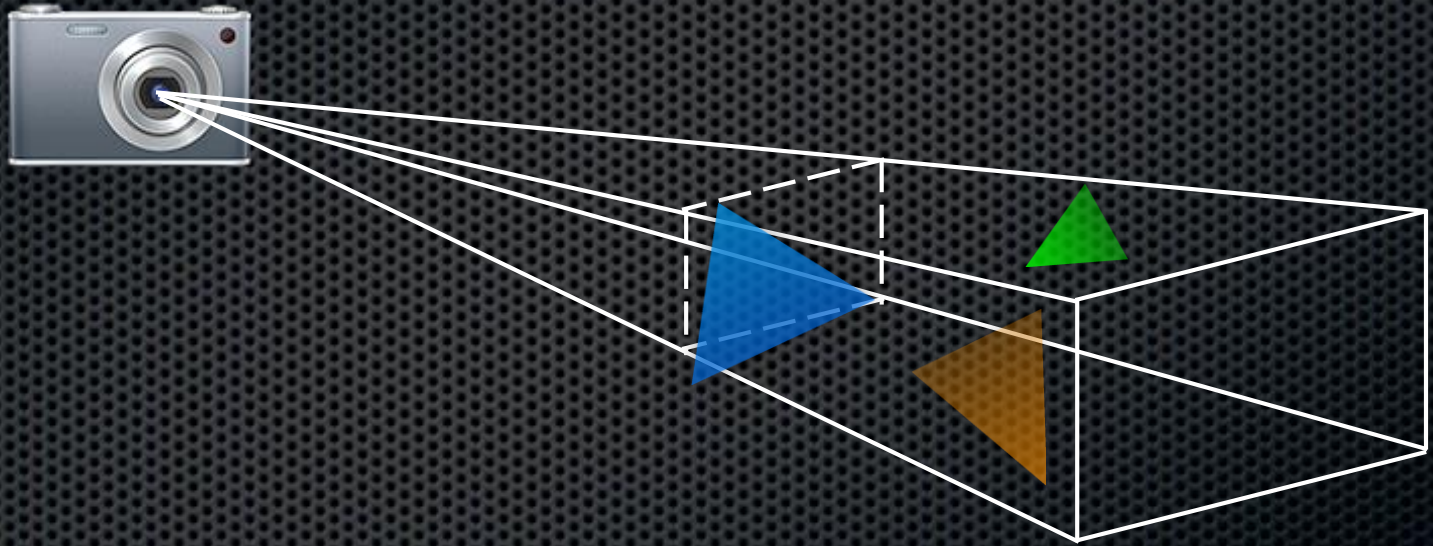
Clipping



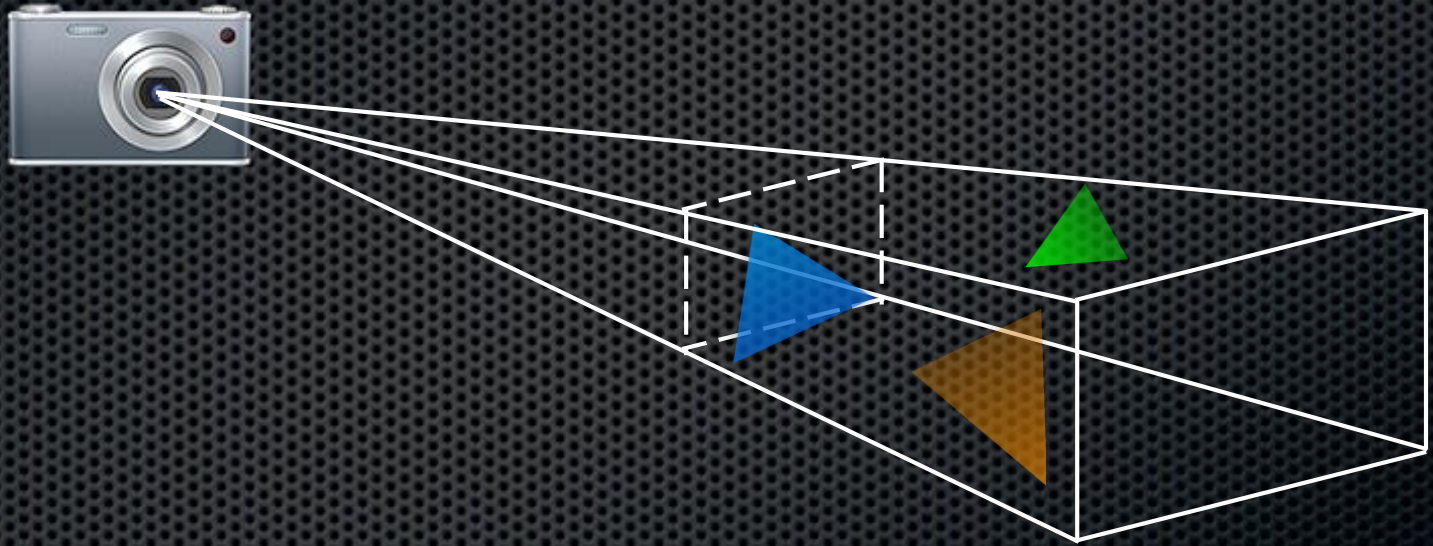
Clipping



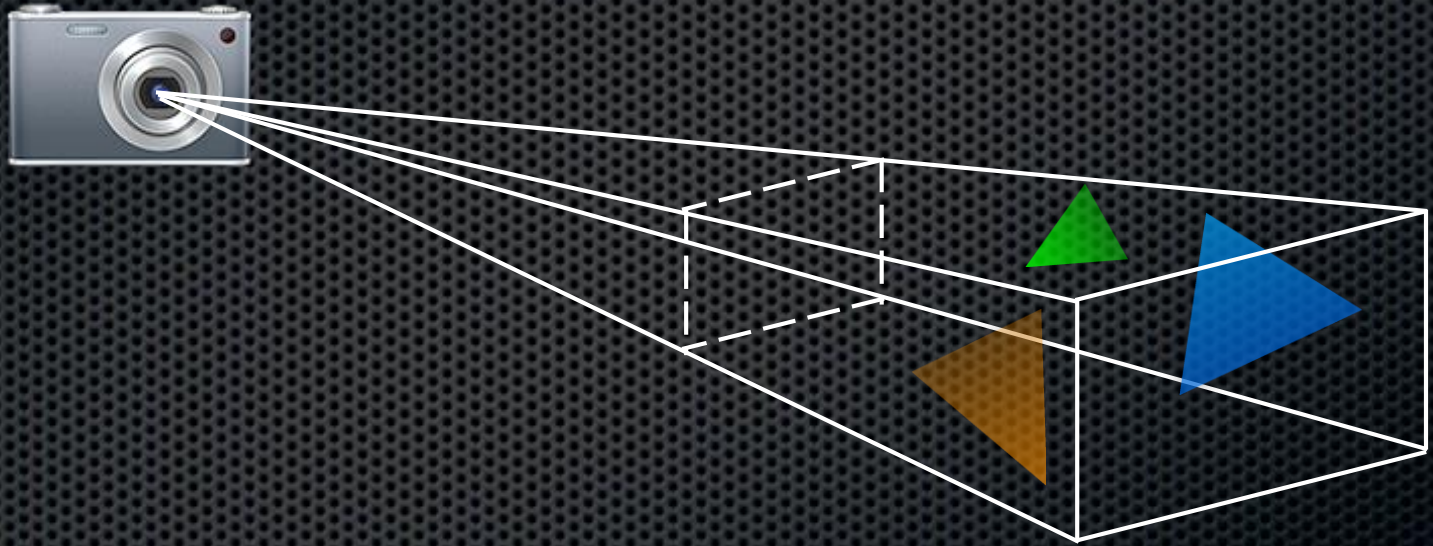
Clipping



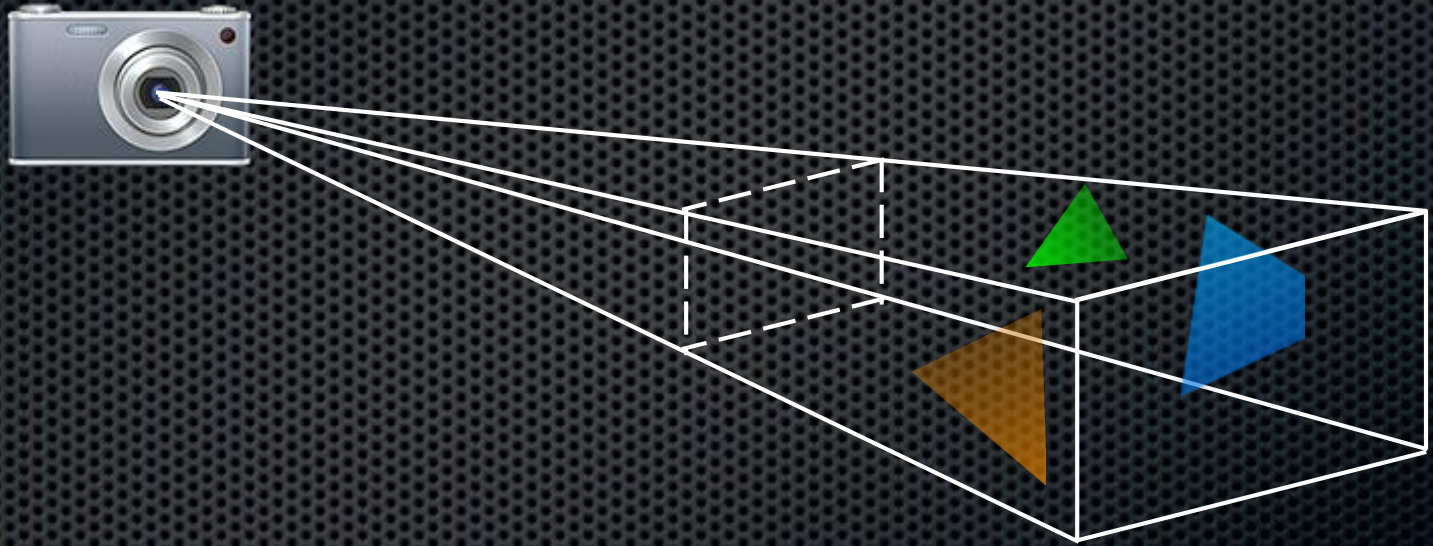
Clipping

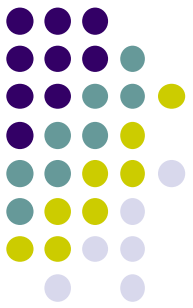


Clipping



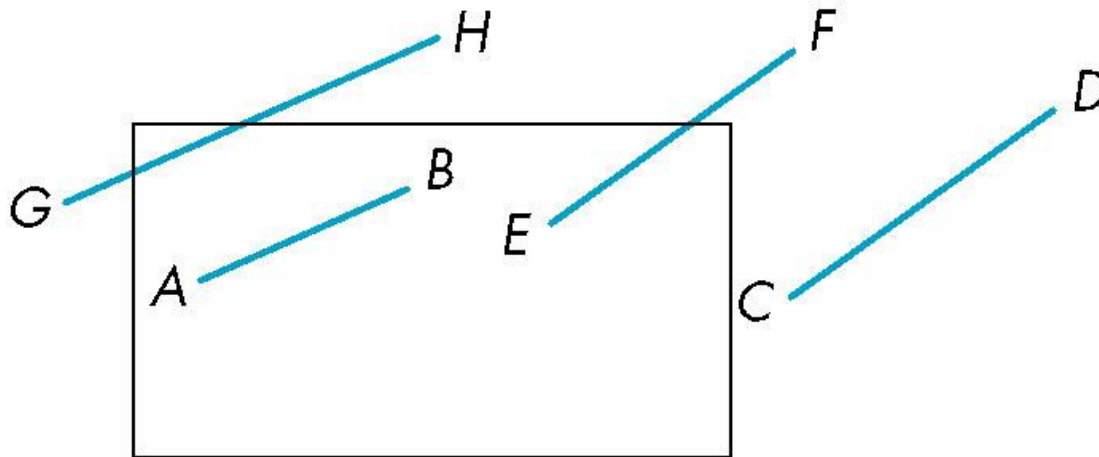
Clipping





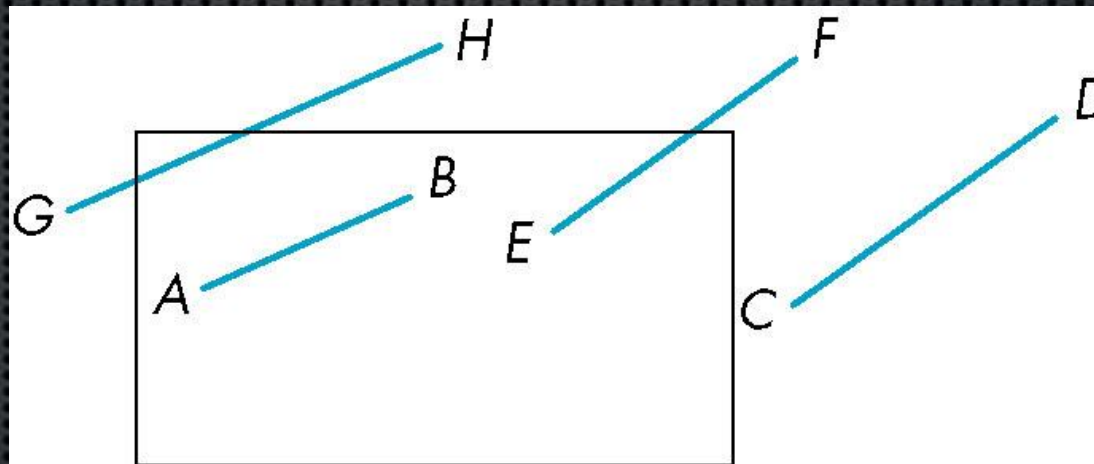
Clipping 2D Line Segments

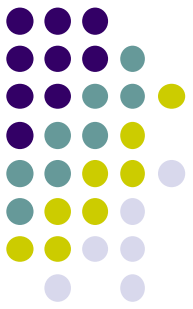
- **Brute force approach:** compute intersections with all sides of clipping window
 - Inefficient: one division per intersection



Think-Pair-Share

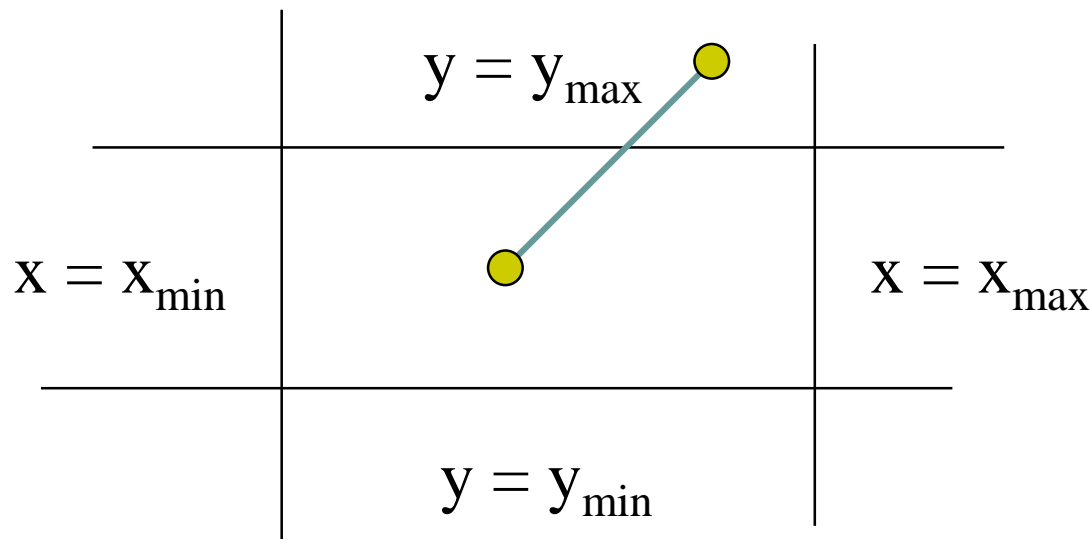
What's a faster approach?



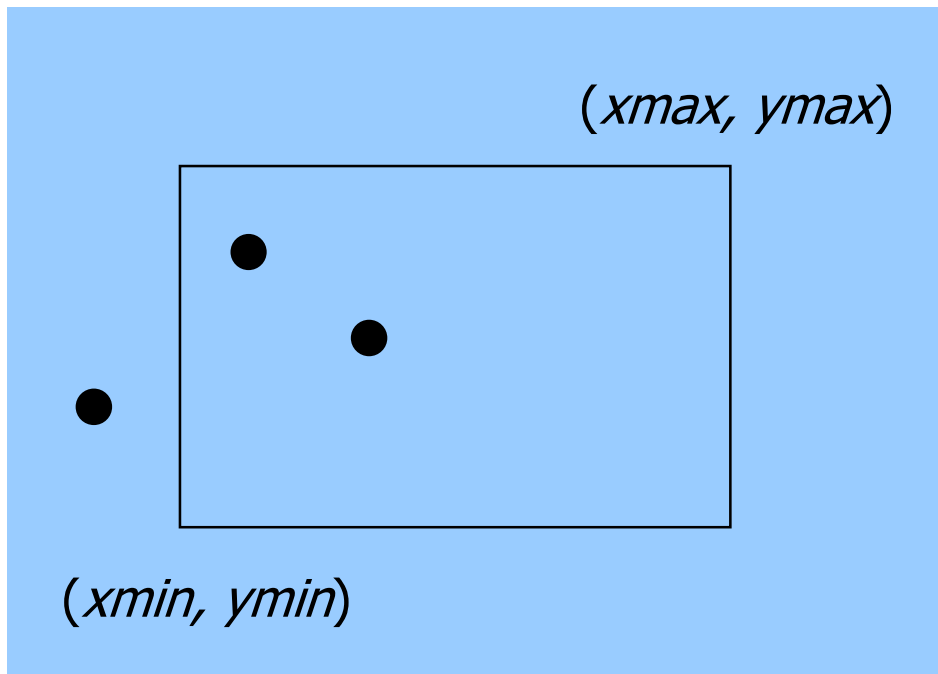
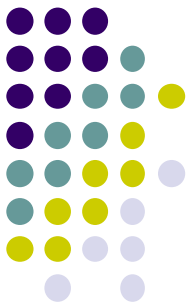


2D Clipping

- **Better Idea:** eliminate as many cases as possible without computing intersections



Clipping Points

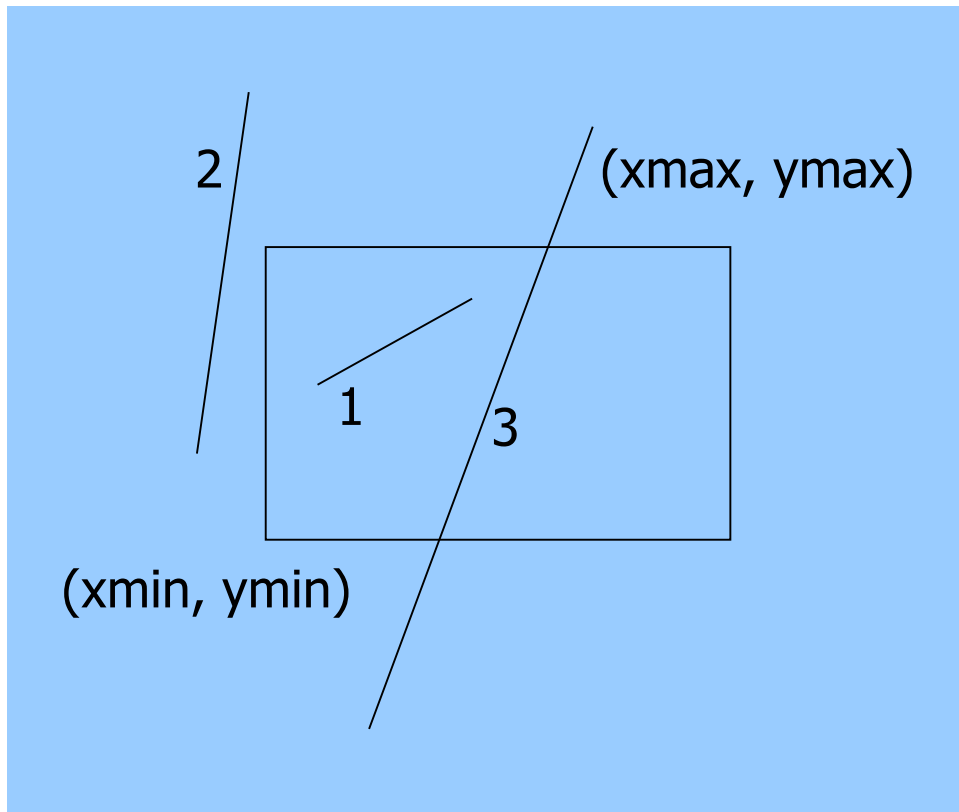
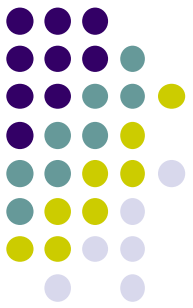


Determine whether a point (x,y) is inside or outside of the world window?

If $(xmin \leq x \leq xmax)$
and $(ymin \leq y \leq ymax)$

then the point (x,y) is inside
else the point is outside

Clipping Lines



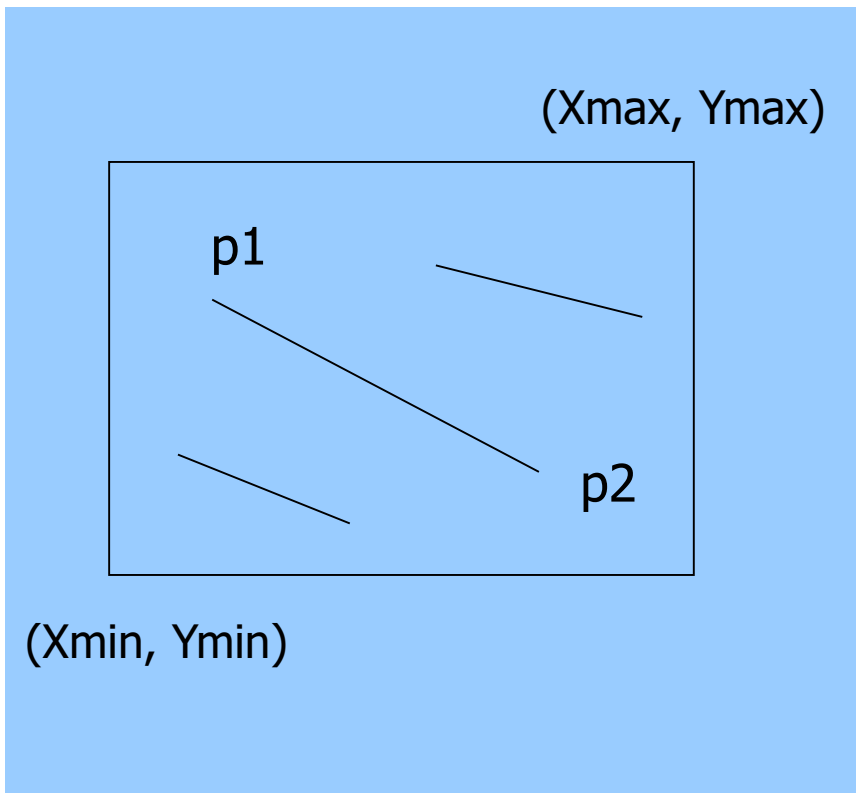
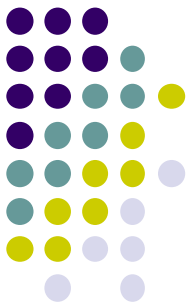
3 cases:

Case 1: All of line in

Case 2: All of line out

Case 3: Part in, part out

Clipping Lines: Trivial Accept



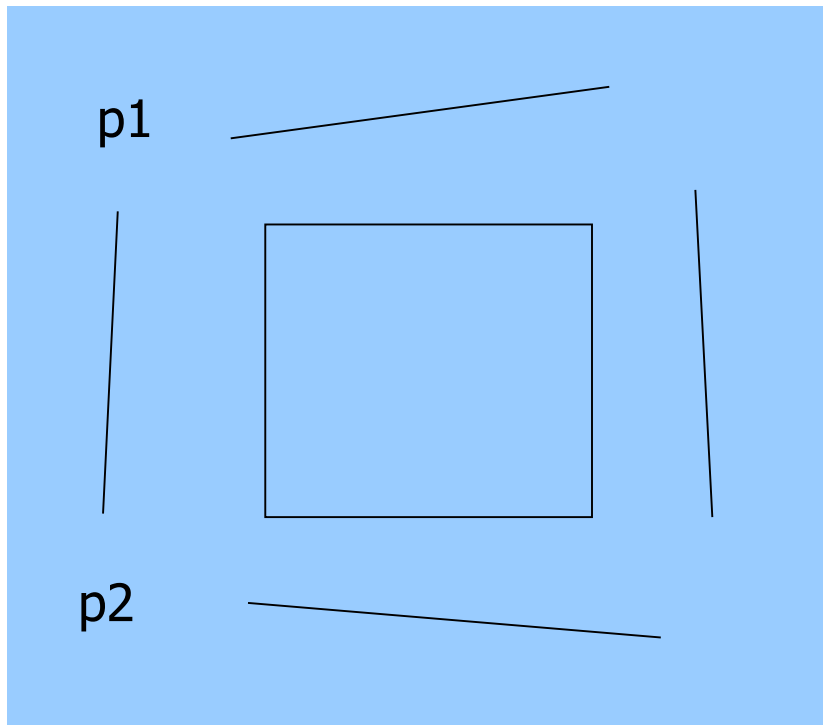
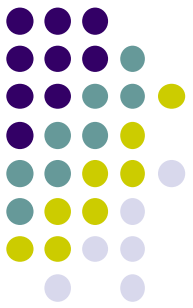
Case 1: All of line in
Test line endpoints:

$$Xmin \leq P1.x, P2.x \leq Xmax \text{ and} \\ Ymin \leq P1.y, P2.y \leq Ymax$$

Note: simply comparing x,y values of
endpoints to x,y values of rectangle

Result: trivially accept.
Draw line in completely

Clipping Lines: Trivial Reject



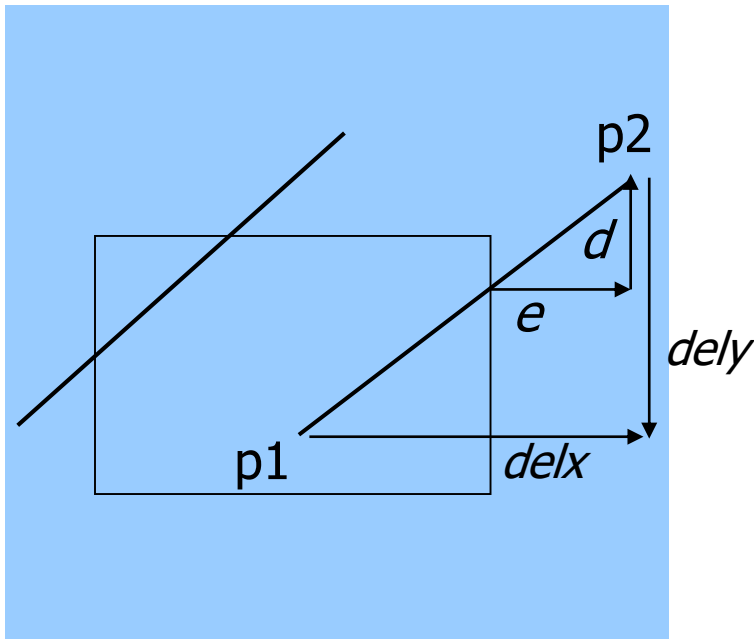
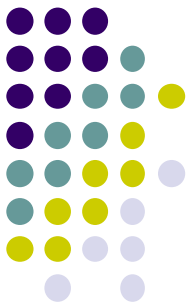
Case 2: All of line out
Test line endpoints:

- $p1.x, p2.x \leq Xmin$ OR
- $p1.x, p2.x \geq Xmax$ OR
- $p1.y, p2.y \leq ymin$ OR
- $p1.y, p2.y \geq ymax$

Note: simply comparing x,y values of endpoints to x,y values of rectangle

Result: trivially reject.
Don't draw line in

Clipping Lines: Non-Trivial Cases



Case 3: Part in, part out

Two variations:

- One point in, other out

- Both points out, but part of line cuts through viewport

Need to find inside segments

Use similar triangles to figure out length of inside segments

$$\frac{d}{dely} = \frac{e}{delx}$$

Clipping



Clipping

All 3 Points **Inside**

Outside

Inside



Clipping

All 3 Points **Outside**

Inside

Outside



Clipping

All 3 Points **Outside**

Inside

Outside

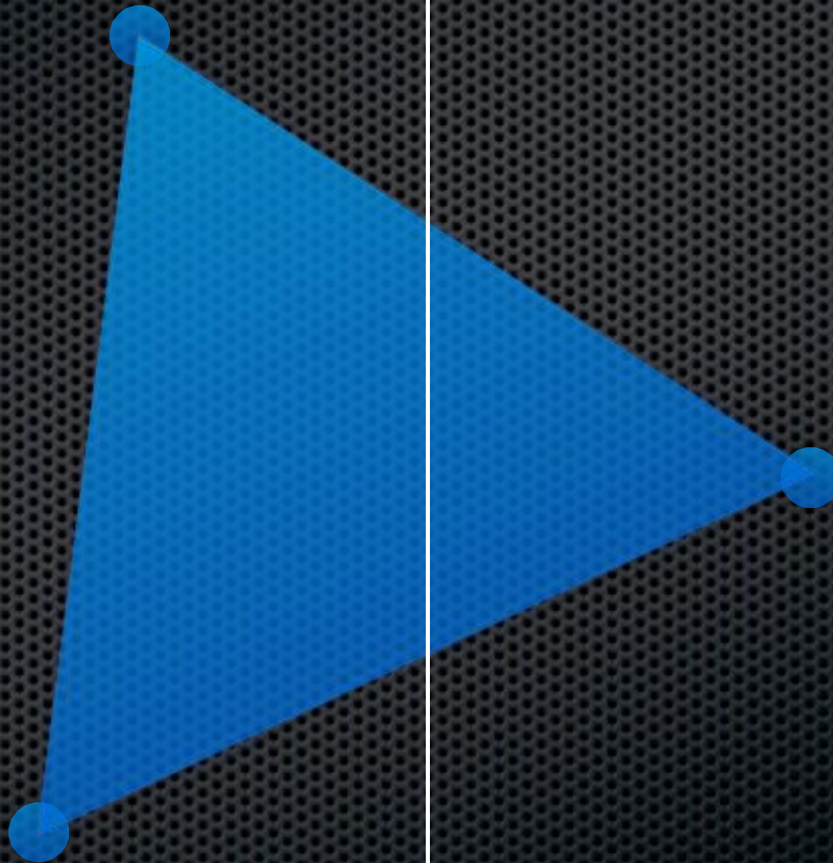


Clipping

Outside

1 Point **Inside**

Inside



Clipping

Outside



1 Point **Inside**



Inside

Clipping

1 Point **Inside**

Outside

Inside

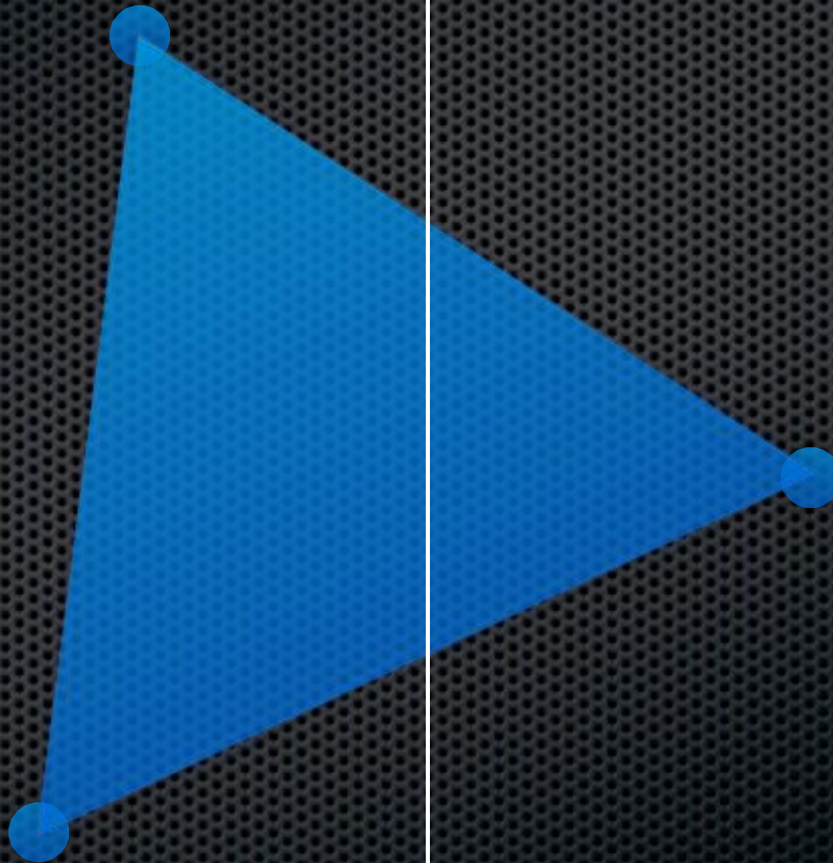


Clipping

Inside

2 Points **Inside**

Outside



Clipping

Inside



2 Points Inside

Outside



Clipping

Inside



2 Points **Inside**

Outside

Clipping

Inside



2 Points **Inside**

Outside

Need 2 Triangles!

Poor Man's Clip

All 3 Points **Inside**

Outside

Inside



Poor Man's Clip

All 3 Points **Outside**

Inside

Outside



Poor Man's Clip

1 Point **Inside**

Outside

Inside



Poor Man's Clip

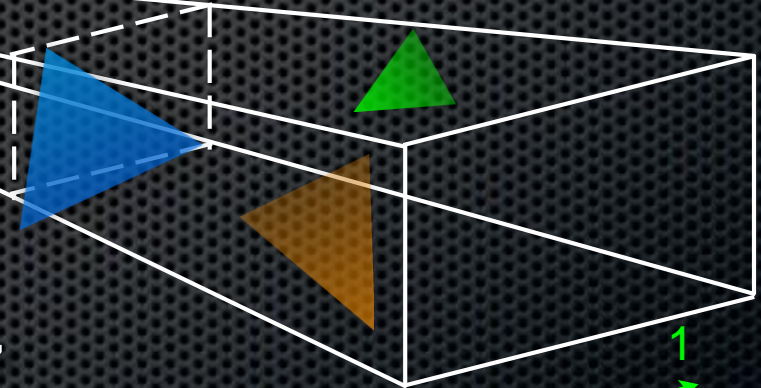
2 Points **Inside**

Inside

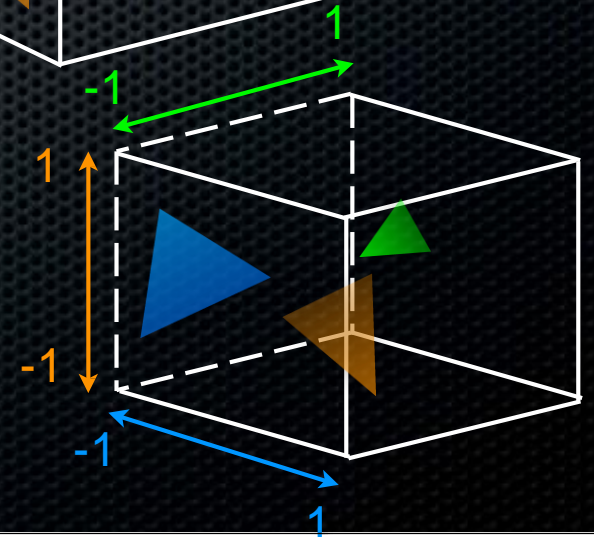
Outside



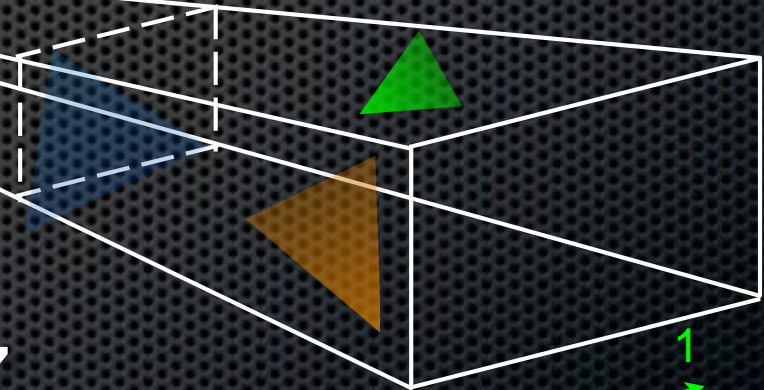
Poor Man's Clip



Check Min & Max of X,Y,Z



Poor Man's Clip

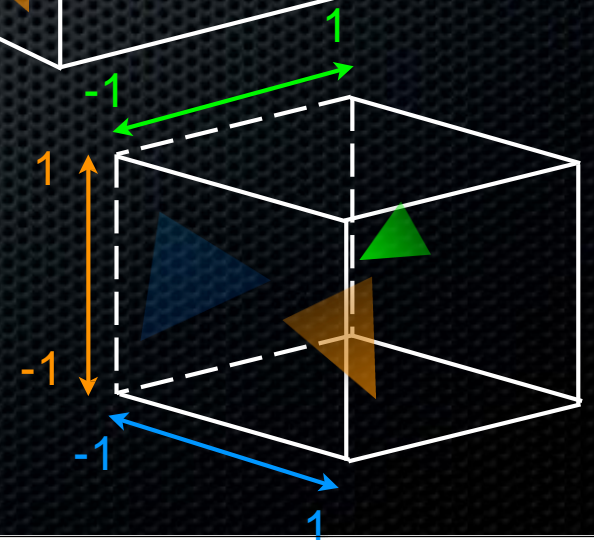


Check Min & Max of X,Y,Z

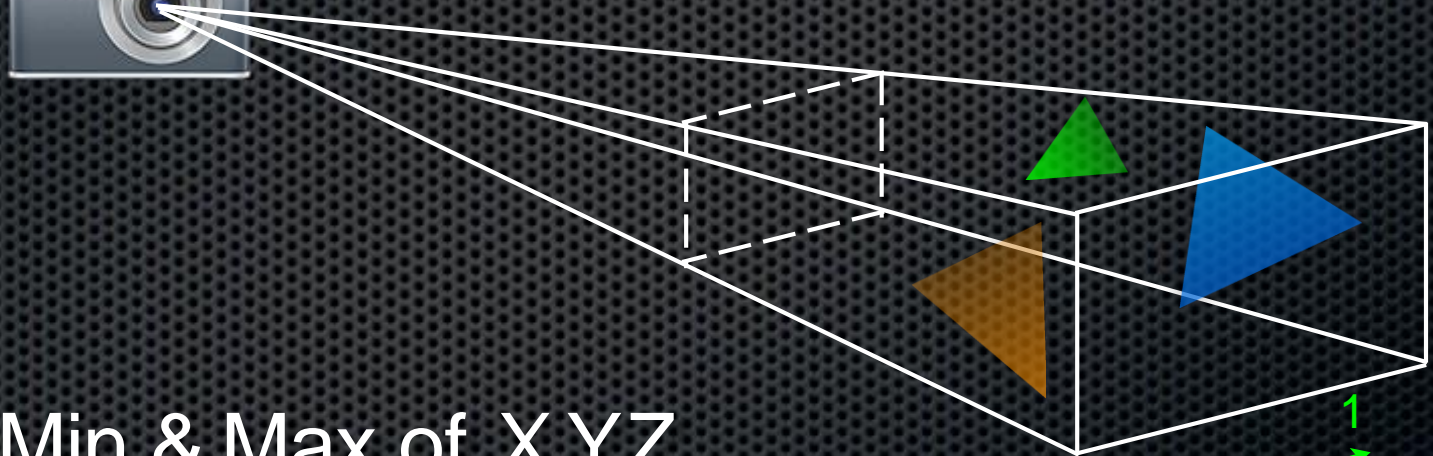
In Canonical Coordinates:

if $\text{Min} < -1$ or $\text{Max} > 1$

Ignore Triangle



Poor Man's Clip

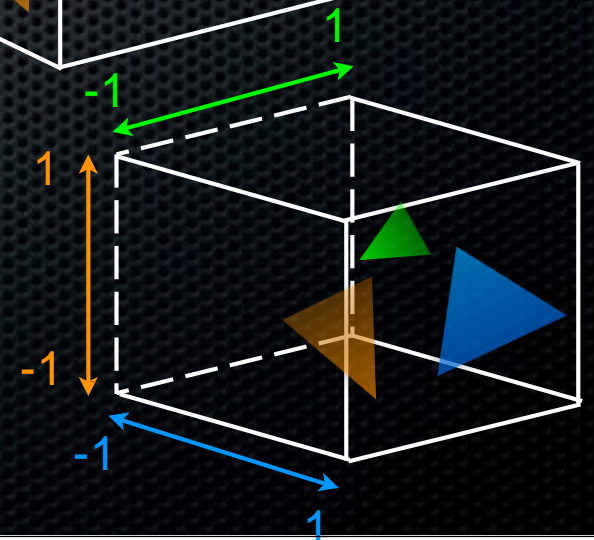


Check Min & Max of X,Y,Z

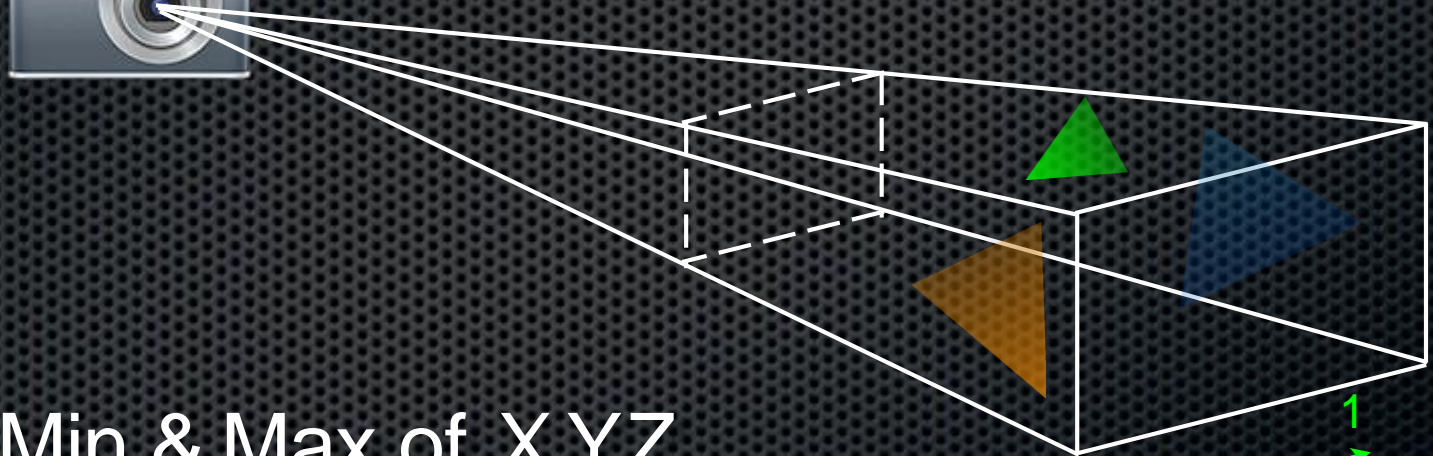
In Canonical Coordinates:

if $\text{Min} < -1$ or $\text{Max} > 1$

Ignore Triangle



Poor Man's Clip



Check Min & Max of X,Y,Z

In Canonical Coordinates:

if $\text{Min} < -1$ or $\text{Max} > 1$

Ignore Triangle

