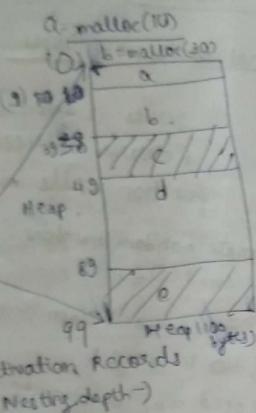
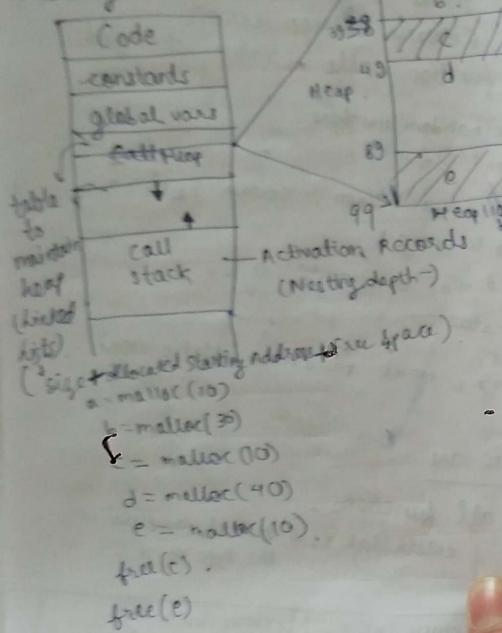


Dt: 09/02/18

Heap Management

Memory

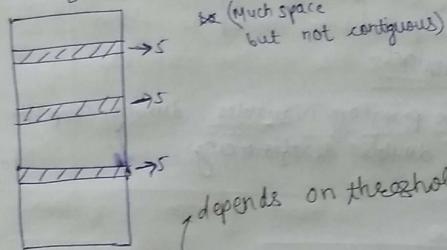


First fit algorithm: First free area(hole)

Best fit algorithm: size of memory requested
(or closest to size of memory).

Worst fit algorithm: Return free area of maximum size.

→ Disadvantage: external fragmentation.



internal fragmentation:
16 bytes allocated to any requested.

If 10 bytes asked, we waste 6 bytes
because keeping overhead of 6 bytes is more trouble.

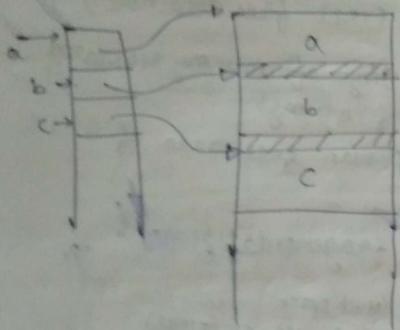
(Granularity - min. size allocated by heap)

Soln for external fragmentation:

Compaction: Move the allocated spaces ahead

→ create larger holes.

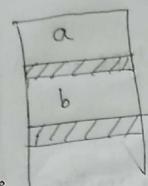
Updation of program variables is the Q ue.



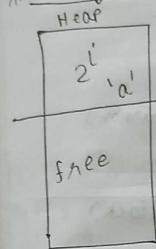
Improvement.

Change program variables during compaction
(No double dereferencing).

Dt: 12/02/18



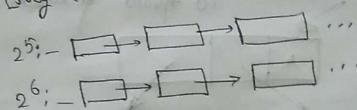
* Buddy System



$a - \infty$ bytes
 $2^i \geq x$
 $2^{i-1} < x$

Find such an i .

Free lists of different sizes
[say threshold 2^5]



Cost: Too big internal fragmentation.

* Fibonacci Heap

The sizes we look for is Fibonacci Numbers
(closest to the request).

1, 1, 2, 3, 5, 8, 13, ...

DL 13 Feb 2018 | Garbage Collection | CPL

* Type Descriptor

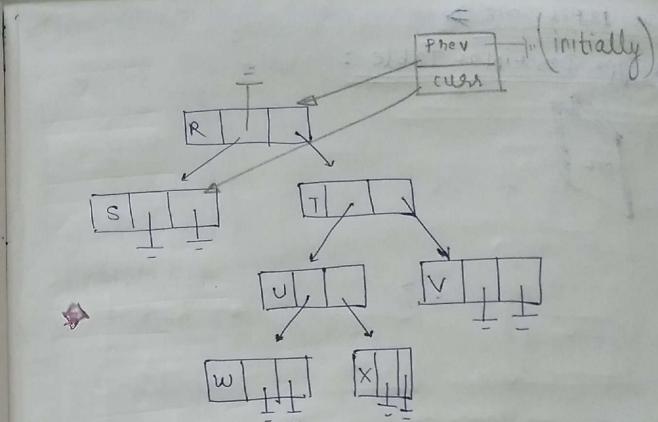
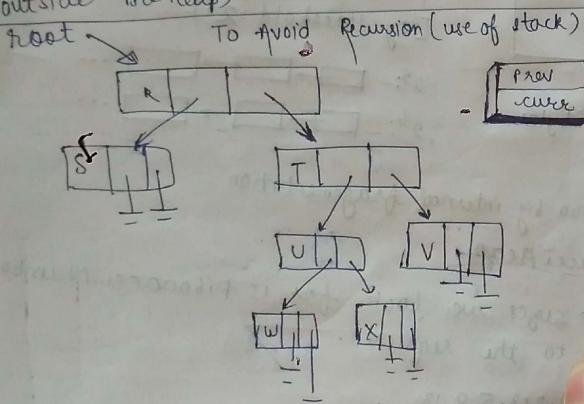
- Keeps track of pointers in a type.

* Mark & Sweep Garbage Collection:

- Trace the heap; mark everything as being inactive.
- starting from pointers outside the heap, mark the pointed heap element as active.
- Collect out the inactive elements.

e.g.:  (Uses Recursion)

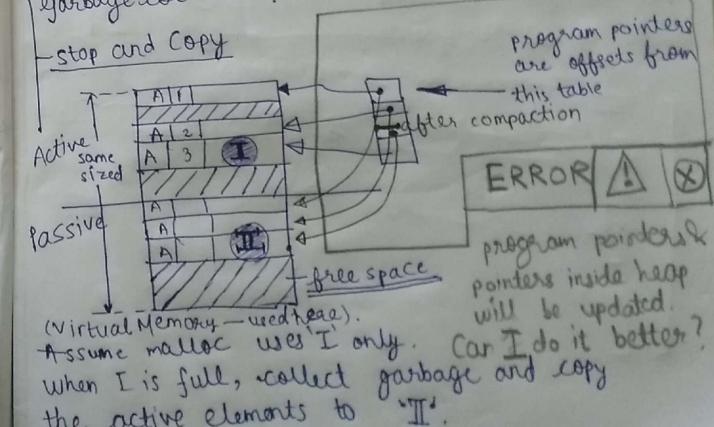
(outside the heap)



{ gc-garbage collector for Java explicitly }
Any n-ary tree can be converted to binary tree. *

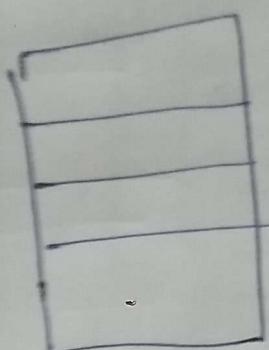
* How can we do compaction after garbage collection? *

Stop and Copy



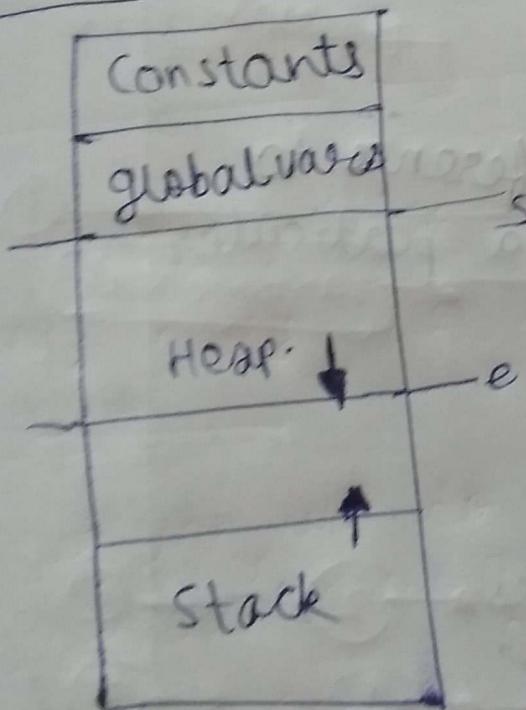
*Generational collection:

Divide the heap into multiple small parts.



Perform promotion.

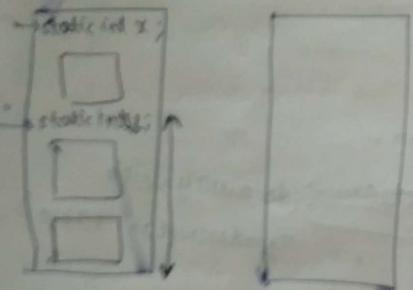
*Conservative Collection : (do away with Typedescriptor table).



Some of inactive elements are not freed/up (collected).

Compaction not possible.

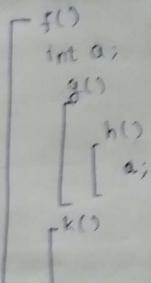
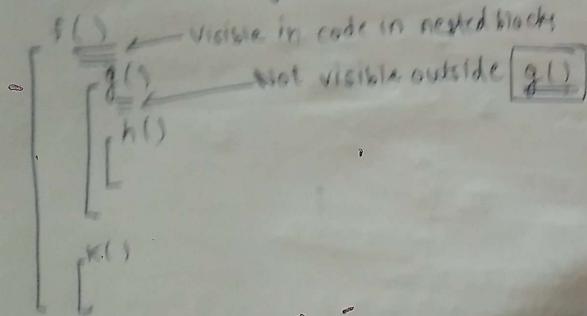
Names & Scopes



Static Scoping Languages: Every reference to a variable can be mapped to a particular definition.

Block Structured Languages

Inside function begins becomes local to outside function



Dynamic Scoping Languages:

f()
a;
} access to a
g()
int a;
f();
}
h()
float d;
f();
}

} }
 }
 }
 }
 }
 }

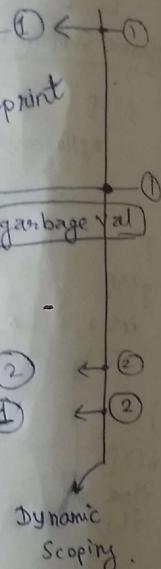
searches for definition in f();
if (not found)
then looks where it was called from.

Scanned by CamScanner

O/P depends on what kind of
scoping a lang. supports.

```
program abc;
var a: integer;
procedure first;
begin
  a := 1;
end;
procedure second;
var a: integer;
begin
  first;
  a := 2;
end;
begin // main */
  a := 3;
  second;
end.
```

Static Scoping

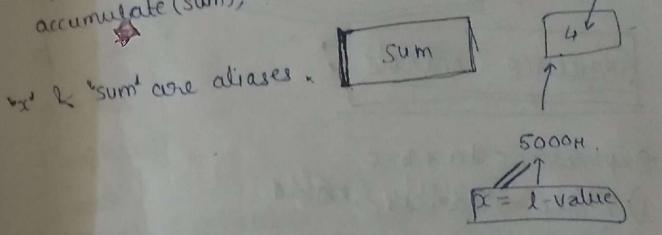


```
double sum, sum_of_squares;
void accumulate(double& x) { // CPP
  sum += x;
  sum_of_squares += x*x;
}
```

$$\sum = 8 \quad \text{sum_of_squares} = 64$$

sum = 4; sum_of_squares = 0;
accumulate(sum);

↳ "sum" are aliases.



Dt: 26 Feb 2018
Aliases: Two or more names referring to the same object.

int a, b;
int *p, *q; *p = 10; q
a = *p;
*q = 3;
b = *p;

if p & q refer to
same object

* Value Model of Variables

a = 2
b = 2
c = a + b

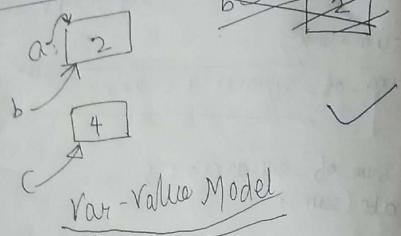
a: [2] b: [2]

c: [4]

Value Model

Execution Efficiency ↑

In Var-Value Model,



Sequence Controls

Expressions: $a + b - c$

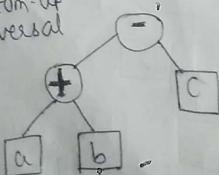
1) Three-address code:

$R_1 \leftarrow a$
 $R_2 \leftarrow b$
 ~~$R_3 \leftarrow c$~~
 $R_1 \leftarrow R_1 + R_2$
 $R_2 \leftarrow c$,
 $R_1 \leftarrow R_1 - R_2$.

$d \leftarrow R_1$

2) Expression Tree

bottom-up traversal



* $a - f(b) - c * d$.

⇒ Postfix form / Prefix

↓
Operators after
operands.

$a b c * +$

* $a b * c +$

$a + Res$

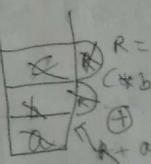
Final Result

* Order of evaluation

$a - f(b) - c * d$.

↓
function

may have
side effects.



why
order of
evaluation left
to compiler
designer?

$a = B[i]$

$C = a * 2 + d * 3$

Pipeline Stalling

I → wait till
II finishes

Bt. 01/03/18

* Boolean Expression

if ((a > b) and (b > c))
then
 $x = x + 1$

else
 $x = 0$.

end.

short-circuiting of Boolean Expression

p = head;
while (lp != NULL) && (p->val == v)
{
 p = p->next;

}
if ((a > b) and (c > d)) or (e != f))
then S1;
else S2;

Syntax directed

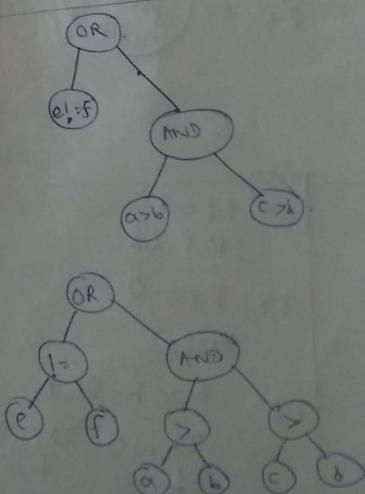
R1 $\leftarrow a$

CMP R1, R2
JLE L1 ; A <= B Jump
L1: CMP R3, R4
JLE L2
L2: CMP R5, R6
JE L3
S
JMP L4

w/o

pack-patching
filling label
addresses.

S2.
JMP L4.



• CMP R1, R2
 JLE L1
 CMP R3, R4
 JGT L2
 L1: CMP R5, R6
 JEL L3

L2: S1
 JMP L4.
 L3: S2
 L4:

CMP R1, R2
 JGT L1
 JLE L2
~~L1:~~ CMP R3, R4
 JGT L4
 JLE L5

L1: R7 ← 1
 JMP L3
 L2: R7 ← 0
 JMP L3
 L4: R8 ← 1
 JMP L9
 L5: R8 ← 0
 JMP L9

R7 ← R7 & R8
 CMP R5, R6
 JNE L6
 JE L7

Without ghost circuiting

L6: R8 ← 1
 JMP L8
 L7: R8 ← 0
~~JMP~~
 L8: R7 ← R7 OR R8
 JFL10 (JMP ON
 FALSE)
 L10: JMP L11
 L11: ← L2

With ghost circuiting

Consider a switch stmt & convert it to multi-legged if statements. (Homework)

Dt: 05/03/18 (05th March 2018)

case x of L7 : (following case)

1: Stmt A
 2: Stmt B
 3: Stmt C
 4: Stmt D
 ELSE: Stmt E

END . Assembly

R1 ← x .
 CMP R1, #1
 JZ ~~stmt~~ L1
 CMP R1, #2
 JZ L2
 CMP R1, #7
 JZ L2
 CMP R1, #3
~~JEE~~
 JLT L6
 CMP R1, #5
 JLE L3
 CMP R1, #10
~~JZ L4~~
 JMP L5

L1: Stmt 1
 JMP L# ↗ # = 7
 L2: Stmt 2
 JMP L#
 L3: Stmt 3
 JMP L#
 L4: Stmt 4
 JMP L#
 L5: Stmt 5
 JMP L#

L7:

* Jump Table :

T: L1 L6: $r_1 \leftarrow x$
 & L2 CMP $r_1, \#1$
 & L3 JLT L5
 & L3 CMP $r_1, \#10$ (2 comparisons only)
 & L5 JGT L5
 & L5 DEC r_1 .
 & L2 $r_2 \leftarrow T[r_1]$. ; Jump Table
 & L2 JMP *r2;
 & L5
 & L5
 & L4

L1: Stmt A
JMP L7

L2: Stmt B
JMP L7

L3: Stmt C
JMP L7

L4: Stmt D
JMP L7

L5: Stmt E
L7:

* Loops

① for

for ($i \leftarrow 1$ to 10 step 2 do
 S1;

$r_1 \leftarrow \#1$ $r_2 \leftarrow \#2$
LOOP: \leq CMP $r_1, \#10$.

JGTEND.

S1

INR r_1 .

loop.

ADD $r_1, \#1, r_1$

JMP LOOP.

END.

~~$r_1 \leftarrow 1$~~
 ~~$r_2 \leftarrow 1$~~
 ~~$r_1 \leftarrow 1$~~
 ~~$r_1 \leq 10$~~ Step
~~lower limit~~
~~upper limit~~

Loops

for $i \leftarrow 1$ to 10 step 1 do
S1;

$r_3 \leftarrow i$
 $r_1 \leftarrow 1$ lower limit
 $r_2 \leftarrow 1$ step
 $r_4 \leftarrow 10$ upper limit
L1: $\text{CMP } r_3, r_1$
 JLT L2
 $\text{CMP } r_3, r_4$
 JGT L2
S1
 $\text{ADD } r_3, r_2$
 JMP L1
L2: $i \leftarrow r_3$

Optimization

$r_3 \leftarrow i$
 $r_1 \leftarrow \text{lower limit}$
 $r_2 \leftarrow \text{step}$
 $r_4 \leftarrow \text{upper limit}$
 $\text{CMP } r_3, r_1$
 JLT L3
 JMP L2
L1: S1
 $\text{ADD } r_3, r_2$
L2: $\text{CMP } r_3, r_4$
 JLE L1
L3: $i \leftarrow r_3$

Dt: 08/03/18

while loop

while ($(a < b) \& \& (c < d)$) do

S;
 R1 $\leftarrow a$ R3 $\leftarrow c$
 R2 $\leftarrow b$ R4 $\leftarrow d$.
LO: $\text{CMP } R1, R2$
 JGE L3
 $\text{CMP } R3, R4$
 JGE L1
S
 JMP LO.

L1:

END

L3:
LO: $\text{CMP } R1, R2$
 JGE L1
 $\text{CMP } R3, R4$
 JGE L1
LOOP: S
 $\text{CMP } R1, R2$
 JGE L1
 $\text{CMP } R3, R4$
 JGE L1
 JMP LOOP

L1:

END

Optimization

```

JMP L0
L2: S
L0: CNP R1, R2
      JGE L1
      CMP R3, R4
      JLT L2
L1:   _____
  
```

```

S1
while S2 do
begin
  S4
  S3
end
  
```

```

for (Object i: Array)
{
  sout (Array[i]);
}
  
```

#define sout(x,y)

printf("%f,%f);

#define printfln()

printf("\n");

* SUBPROGRAMS

Signature →

~~f1: int x int → float~~

takes 2 integers returns float.

float f1 (int a, int b);

S;
f1(x,y);
S2;

code Segment - Code, intern static variables
| code segment/function

Code Segment

```

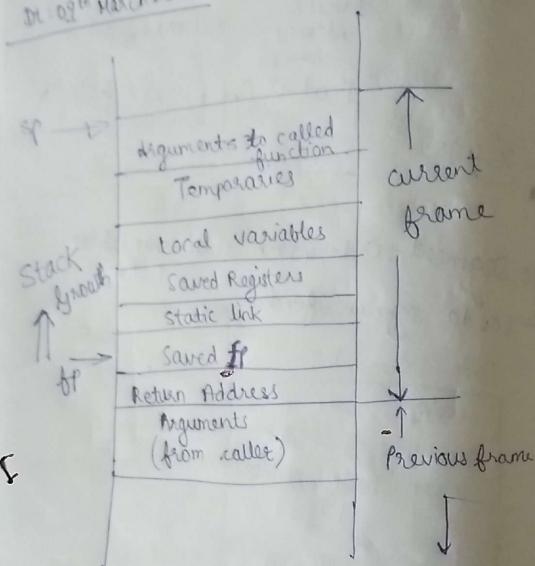
code
constants
intern static variables
  
```

- 1) parameters
- 2) local variables
- 3) return address
- 4) return value

Activation Record

Calling Sequence

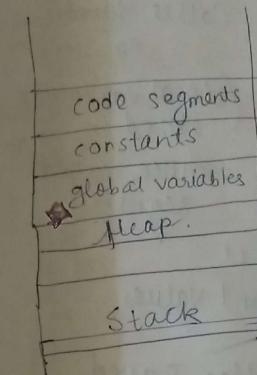
Dr. 09th March 2018



```
f(int b)
{
    int a,c; → fp[-dc]
    a = b + c;
    return; →
    fp[db]
```

$R_1 \leftarrow fp[d_b]$ (MOV R₁, fp[d_b])
 $R_2 \leftarrow fp[-dc]$ (MOV R₂, fp[-dc])
ADD R₁, R₂
MOV fp[-da], R₁

Stack



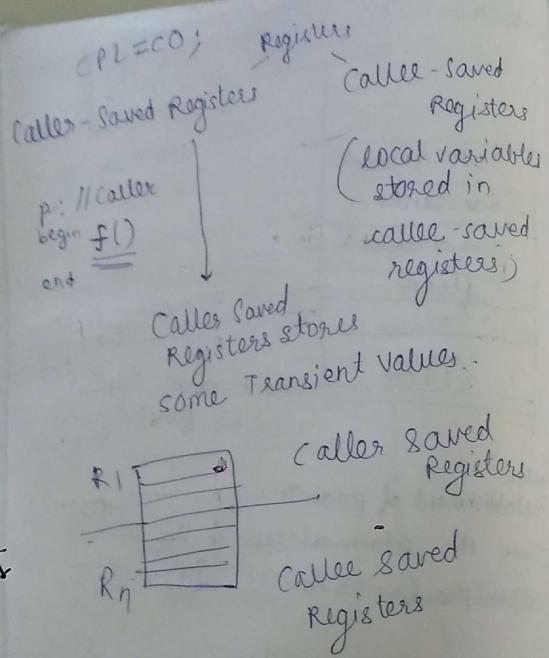
activation record of main function.

- 1) Caller establishment of parameters
- 2) Save the return address on the stack
- 3) Store the frame pointer (old) value.

R₁ R₅ R₇ R₈ - callee

R₅ R₈ R₁₀ - caller

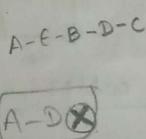
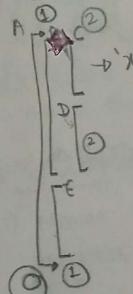
- 4) Store Registers
- 5) Update the value of fp to the new value.
- 6) Update the program counter.



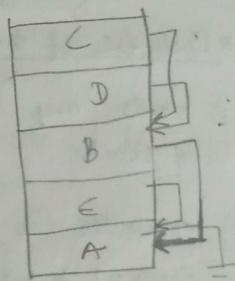
Dt: 12 March 2018

* Implementation of static scoping

Using 'static link', which is passed by the caller as an implicit additional parameter.



A-E-B-D-C
0 1 1



If $\text{Level}_{\text{callee}} = \text{Level}_{\text{caller}} + 1$

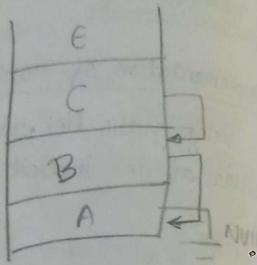
then $\text{Static Link}_{\text{callee}} = f_{\text{PCallee}}$

else Dereference $(l_{\text{callee}} - l_{\text{caller}} + 1)$ times the static link of the callee

Use this value as static link of callee.

A-B-C-C
0 1 2 1

A-B-C-E
0 1 2 1



* Prologue of the caller

- 1) saves any caller-saved registers on the stack.
- 2) computes the values of the arguments & moves them on the stack.
- 3) compute the static link & pass it as an extra hidden parameter.
- 4) Use a special subroutine 'call' instruction to jump to the callee & simultaneously store the return address.

* Prologue of the callee

- 1) allocates a frame on the stack by subtracting a value equal to the size of caller from the sp.
- 2) saves the old fp on the stack & assign a new value to the fp.
- 3) saves any caller-saved registers on the stack.

* Epilogue of the callee

- 1) Moves the return value to register / specified location on the stack.
- 2) Restore callee-saved registers.
- 3) restores fp > sp.
- 4) Jump back to the return address.

f() { g() {

D } }

g(); }

}

* Epilogue of the caller

- 1) Move the return value to the correct place
- 2) Restore the caller-saved registers.

Dt: 15/18. CPL.

- 1) leaf routine
- a) Not save ret. address if h/w stores in a register
- b) Static link computation & its passing not required.
- 2) avoid saving caller saved registers

```
#define DIVIDES(a,n) (! (n % a))
```

DIVIDES(y+z,x) y+z/x
(PROBLEM)

```
#define SWAP(a,b) { int t=a; a=b; b=t; }
```

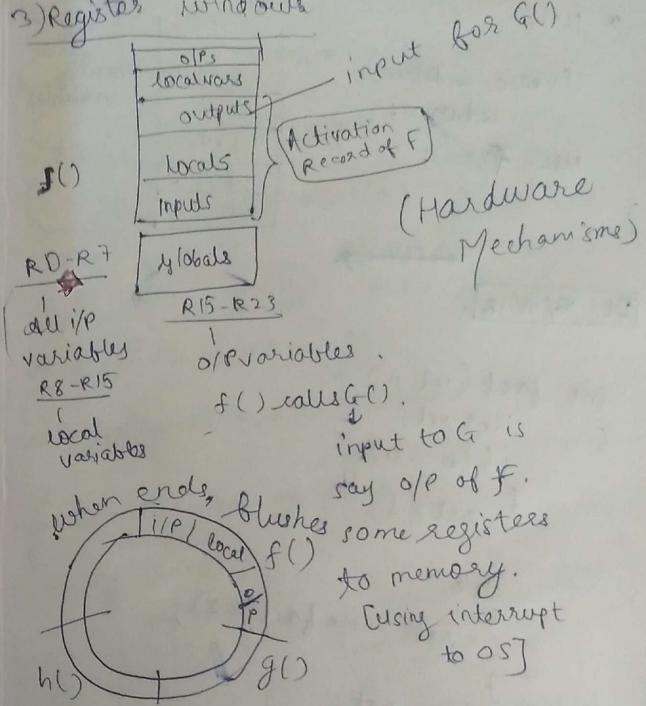
SWAP(x,t);

↑
problem

Evaluation before expansion
in inline func' (of arguments)

- inline func' - expand func' in place
w/o any calling mechanism.
OR intelligent compilation

3) Register windows



```
* f(x){
    if(base-condition)
        return v;
    else f(x-1);
}
```

Dt: 16/09/18.

```
int fact(int n)
{
    int ret;
    if(n==0)
    {
        ret=1;
    }
    else
    {
        ret = n * fact(n-1);
    }
    return ret;
}
fact(4).
```

l.v.	local variable
x-1	
l.v.	
f()	
x	

0	$\rightarrow 1 * \text{fact}(0) = 1$
1	$\rightarrow 2 * \text{fact}(1) = 2 * 1 = 2$
2	$\rightarrow 3 * \text{fact}(2) = 3 * 2 = 6$
3	$\rightarrow 4 * \text{fact}(3) = 4 * 6 = 24$
4	$\rightarrow 24$

```
int fact(int n) int
{
    int fa=factorial(n,1);
}
```

```
}
```

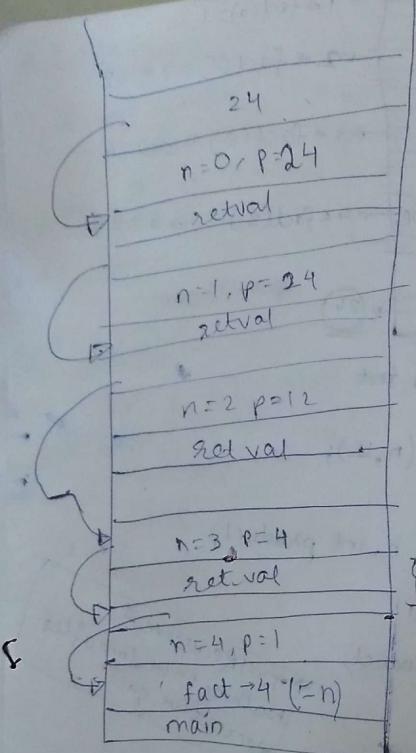
```
int factorial(int n, int product)
```

```
{
    int ret;
    if(n==0)
    {
        ret=product;
    }
    else
    {

```

Tail Recursive -
Nothing to be done after
Recursive call

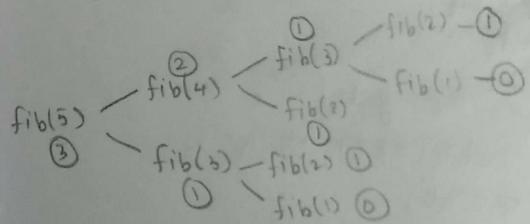
```
        ret=factorial(n-1, n*product);
    }
    return ret;
}
```



```

    1
    0 1 2 2 ...
int fib(int n)
{
    int ret;
    if(n==0)
    {
        ret=0;
    }
    else if(n==1)
    {
        ret=1;
    }
    else
    {
        ret=fib(n-1)+fib(n-2);
    }
    return ret;
}
fib(4)

```



int f[100] = { -1, -1, ... }

```

int fib(int n)
{
    int ret;
    if(n==0) { f[0]=0; }
    ret=0;
    } else if(n==1) { f[1]=1; }
    ret=1;
    } else {

```

```

if(f[n]==-1)
{
    net=f[n];
}
else
{
    net=f[n-1]+f[n-2];
    f[n]=net;
}
return net;
}

int get_act_num(FILE * s){
    char buf[100],*ps;
    ps=buf;
    do
    {
        *ps=getc(s);
    }while(*ps++ != '\n');
    *ps='\0';
    return atoi(buf);
}

```

