Summary of: Learning Decentralized Controllers for Robotic Swarms with Graph Neural Networks

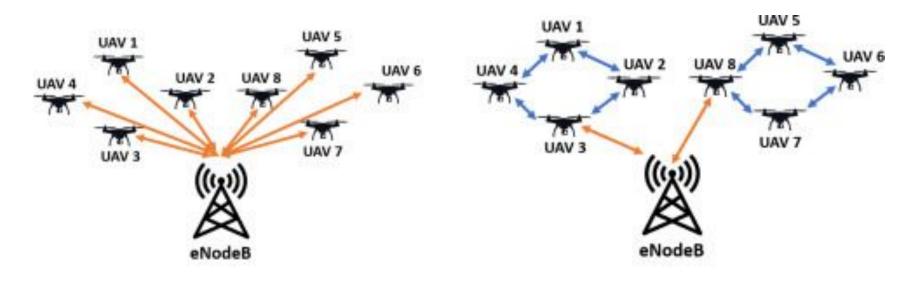
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Outline

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- Background
- Model
- Theoretical Results
- Simulation Results
- Summary
- Future Work

Motivation



(a) Centralized Model

(b) Decentralized Model

Relevant Background Literature

Referenced Papers:

- Imitation Control J. Paulos, S. W. Chen, D. Shishika, and K. Vijay. Decentralization of multiagent policies by learning what to communicate. In 2019 IEEE International Conference on Robotics and Automation (ICRA), Montreal, May 2019.
- Aggregation NN F. Gama, A. G. Marques, G. Leus, and A. Ribeiro. Convolutional neural network architectures for signals supported on graphs. IEEE Trans. Signal Process., 67(4):1034–1049, Feb. 2019.
- Local Controller/Global Controller H. G. Tanner, A. Jadbabaie, and G. J. Pappas. Stable flocking of mobile agents part ii: dynamic topology. In Decision and Control, 2003. Proceedings. 42nd IEEE Conference on, volume 2, pages 2016–2021. IEEE, 2003.

Main Contribution:

Train Graph NN to do flocking

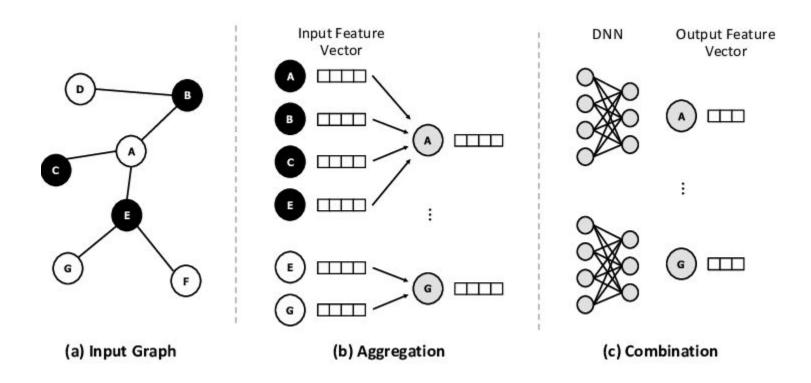
Imitation Control

Monkey See, Monkey Do



Presenter generated with Dalle3

Aggregation Graph Neural Networks



Global Controller

$$U(r_i, r_j) = \begin{cases} \frac{1}{\|r_{ij}\|^2} - \log(\|r_{ij}\|^2) & \text{if } \|r_{ij}\| > \rho \\ \frac{1}{\rho^2} - \log(\rho^2) & \text{otherwise} \end{cases}$$

$$\nabla_{r_i} U(r_i, r_j) = \begin{cases} -\frac{2r_{ij}}{\|r_{ij}\|^4} + \frac{2r_{ij}}{\|r_{ij}\|^2} & \text{if } \|r_{ij}\| > \rho \\ 0 & \text{otherwise} \end{cases}$$

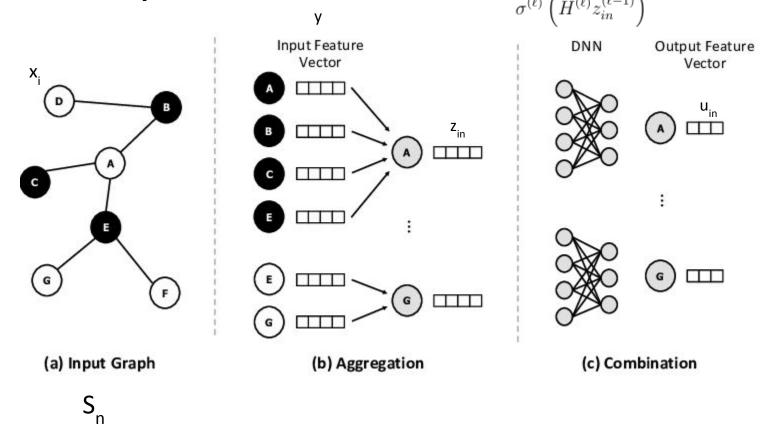
$$u_i^* = -\sum_{i=1}^N (v_i - v_j) - \sum_{i=1}^N \nabla_{r_i} U(r_i, r_j).$$

Local Controller

$$u_i^{\dagger} = -\sum_{j \in \mathcal{N}_i} (v_i - v_j) - \sum_{j \in \mathcal{N}_i} \nabla_{r_i} U(r_i, r_j).$$



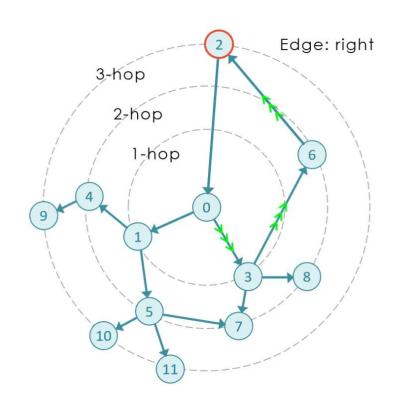
Summary



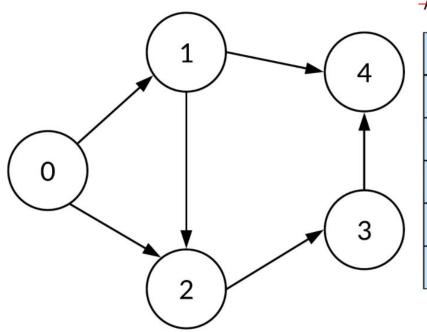
k-hops

$$\mathcal{N}_{in}^{k} = \{ j' \in \mathcal{N}_{j(n-1)}^{k-1} \mid j' \in \mathcal{N}_{in} \}$$

$$\mathcal{H}_{in} = \bigcup_{k=0}^{K-1} \{ x_{j(n-k)} : j \in \mathcal{N}_{in}^{k} \}$$



Graph Shift Operator



Adjacency Matrix Graph Shift Operator [S_n]

	0	1	2	3	4
0	0	1	1	0	0
1	0	0	1	0	1
2	0	0	0	1	0
3	0	0	0	0	1
4	0	0	0	0	0

Feature Matrix

$$y_{kn} = S_n y_{(k-1)(n-1)},$$

$$[y_{0n}]_i = [x_n]_i = x_{in}^T$$

$$z_{in} = [[y_{0n}]_i; [y_{1n}]_i; \dots; [y_{(K-1)n}]_i]$$

Feature Vector

$$[x_n]_i = \left| \sum_{j \in \mathcal{N}_i} (v_{i,n} - v_{j,n}), \sum_{j \in \mathcal{N}_i} \frac{r_{ij,n}}{\|r_{ij,n}\|^4}, \sum_{j \in \mathcal{N}_i} \frac{r_{ij,n}}{\|r_{ij,n}\|^2} \right|$$

Final Control / Loss Function

$$z_{in}^{(\ell)} = \sigma^{(\ell)} \left(H^{(\ell)} z_{in}^{(\ell-1)} \right)$$

$$H^* = \underset{H}{\operatorname{argmin}} \sum_{(x_n, \pi^*(x_n)) \in \mathcal{T}} \mathcal{L}(u_n, u_n^*)$$

DAgger (Dataset Aggregation)

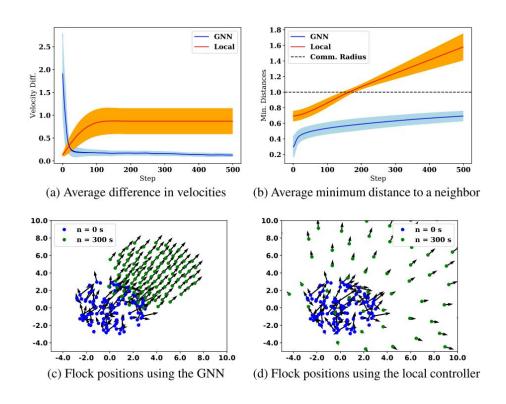
For each iteration:

- Generate a trajectory where, for each timestep, the expert policy is selected with probability β and the learner's policy is selected with probability 1 β .
- Train using the generated trajectory.
- Decay β by a factor of γ until it reaches β_{\min} .

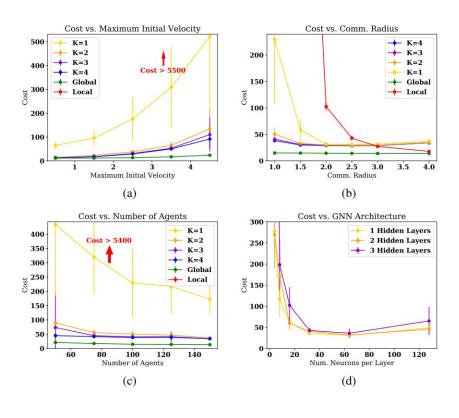
Theoretical Results

- Leans on the previous theoretical results demonstrating global controller convergence.
- Doesn't show much theory as to why training works.

Simulation Results



Simulation Results (Continued)

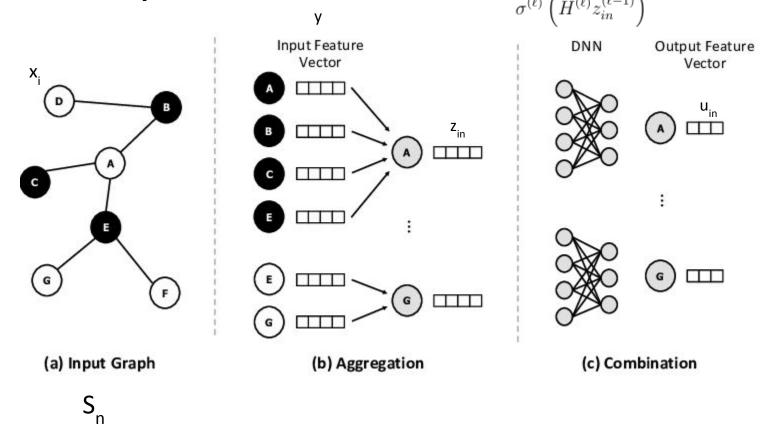


My Results/Their Results Again

Their code can be found at:

https://github.com/katetolstaya/multiagent gnn policie
s/tree/master

Summary



Future Work

- Hardware verification
- Many other imitation learning tasks
- Different Graph NN Architectures