Homework 01 - Network Science

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Exercise 1

In exercise 1, was asked to find a value of p satisfing the following conditions:

- N = 10000 Have 10000 nodes
- k = 4 Average degree close to 4

The value op found was p = 0.000398, but any value close to p = 0.0004 satisfies the condition of k. To build the Graph above, the following code was used:

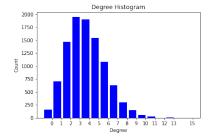
```
import random
from networkx import nx

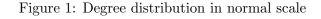
def questionOne():
    N = 10000 # number of nodes
    p = 0.000398 #probability of linking

# building the Graph
G = nx.Graph()
for i in range(N):
    G.add_node(i)

for j in range(i+1,N):
    if random.random() < p:</pre>
```

G. add_edge(i, j)





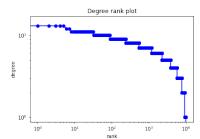


Figure 2: Degree distribution in log-log scale

Exercise 2

For this exercise, the following condition was given:

For every j > i, add a link (i, j) for node i < j with a custom probability

$$p = \frac{k_{ij} + \epsilon}{\sum_{m=1}^{j-1} (k_{mj} + \epsilon)} \times q$$

where k_{ij} is the degree of i at the beginning of iteration j, $\epsilon = 0.00001$, and q = 4/3.

To build the Graph above, the following code was used:

```
import random
from networkx import nx
def questionTwo():
    N = 10000 \# number of nodes
    e = 0.00001 \# epsilon \ error
    # building the Graph
    G = nx.Graph()
    for i in range (N):
        G. add_node(i)
    for j in range (N):
        summatory = 0
        for m in range (1, j):
            summatory += G. degree [m] + e
        for i in range (1, j):
            if (j > 1):
                 customProbability = valueOfP(G. degree[i], summatory)
                 if (random.random() < customProbability):</pre>
                     G. add_edge(i, j)
def valueOfP(kij, summatory):
    """ Calculates the custom probabilty (p) for exercise #2.
    -Parameters:
    kij: Degree of node i at moment j
    summatory: sum of degress at moment j
    e = 0.00001 \#epsilon error
    q = 4/3 \# rational coefficient
    p = ((kij + e)/summatory) * q
    return p
```

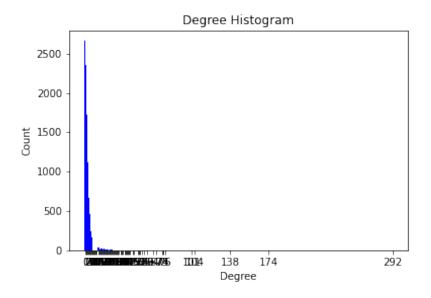


Figure 3: Degree distribution in normal scale

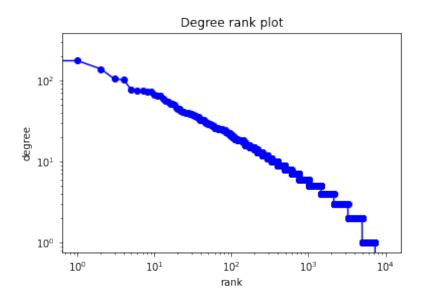


Figure 4: Degree distribution in log-log scale