POLYNOMIAL FUNCTIONS

\$\$d = an!\$\$

- where d is the common n'th degree differences, a is the leading coefficient, and n is the degree of the function
- subbing in -x in order to check if a function is even or odd
- calculating n'th degree differences
 - always compare to the past \$\$x^8 + x^4 +1\$\$
- the above is even as all the exponents are even

POLYNOMIAL EQUATIONS AND INEQUALITIES

\$\$3x^3 -7x + 1\overline{}-6x^5+3x^4 +2x^3 -9x^2+2-6}\$\$

- long division $\$ \cdot (-6x^5 + 3x^4 + 2x^3 9x^2 + 2 6) \{ 3x^3 7x + 1 \} = -2x^2 + x 4 \cdot (-2) \{ 2x^3 7x + 1 \}$
- quotient form $\$\$ -6x^5 + 3x^4 + 2x^3 9x^2 + 2 6 = (-2x^2 + x 4)(2x^3 7x + 1) 2 \$\$$
- · factored form
- remainder theorem

when polynomial function P(x) is divided by x-b, the remainder is P(b) $\frac{1}{2}$ when polynomial function P(x) is divided by x-b, the remainder is P(b)

nomenclature

$$$$$
\$ $a^3 + b^3 = (a + b)(a^2 - ab + b^2)$$$

• difference of cubes

SOAP(same, opposite, always positive)

Application of polynomial equations / inequalities

RATIONAL FUNCTIONS

- speed bump = unfactorable bottom
- oblique = top is divisible by bottom
- horizontal asymptote is highest bottom term coefficient dividing top coefficient of same degree
- · Work solving equations and inequalities (especially expanding and solving)
- inequalities solution format

TRIGONOMETRY

- exact values
- rationalizing denominator
- · trig identities equations
- arc length formula

TRIGONOMETRIC FUNCTIONS

- · graphing inverse trig functions
- graphing sine + cosine waves
- solving for quadrants
- practical application

LOGARITHMS

- Graphing Logs
- logs <=> exponents

 $\log 337 = \frac{\log(10)}{37} \log_{10}{3}$

- base swap rule
- solving logs for x
- solving \$a^x + b + c^{-x}\$
- quadratics and Logs