## **Algebraic Limit Theorem**

Rule 1.1.1 – Algebraic Limit Theorem of a Constant(ALTC). If g(x) = a, where A is a constant, then

$$\lim_{x \to c} [A] = A \tag{1.1}$$

(1.2)

Rule 1.1.2 – Algebraic Limit Theorem of a Sum (ALTS). If both the limits  $\lim_{x\to c} g(x) = L_1$  and  $\lim_{x \to c} h(x) = L_2 \text{ exist, then}$ 

$$\lim_{x \to c} \left[ g(x) + h(x) \right] = \lim_{x \to c} g(x) + \lim_{x \to c} h(x) \tag{1.3}$$

(1.4)

Rule 1.1.3 – Algebraic Limit Theorem of a Difference (ALTD). If both the limits  $\lim_{x\to c} g(x) = L_1$ and  $\lim_{x\to c} h(x) = L_2$  exist, then

$$\lim_{x \to c} \left[ g(x) - h(x) \right] = \lim_{x \to c} g(x) - \lim_{x \to c} h(x) \tag{1.5}$$

(1.6)

Rule 1.1.4 – Algebraic Limit Theorem of a Product (ALTPr). If both the limits  $\lim_{x\to c} g(x) = L_1$  and  $\lim_{x\to c} h(x) = L_2$  exist, then

$$\lim_{x \to c} \left[ g(x) \cdot h(x) \right] = \lim_{x \to c} g(x) \cdot \lim_{x \to c} h(x) \tag{1.7}$$

(1.8)

Rule 1.1.5 – Algebraic Limit Theorem of a Quotient (ALTQ). If both the limits  $\lim_{x\to c} g(x) = L_1$  and

 $\lim_{x \to c} h(x) = L_2 \text{ exist and } L_2 \neq 0 \text{ , then}$ 

$$\lim_{x \to c} \left[ \frac{g(x)}{h(x)} \right] = \frac{\lim_{x \to c} g(x)}{\lim_{x \to c} h(x)}$$
(1.9)

(1.10)