

**Gebze Technical University  
Computer Engineering**

**CSE 222 - 2019 Spring**

**HOMEWORK 4 REPORT**

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## Question 1:

To solve this problem, we first create a variable that holds our longest list. Then we send this list to the list of elements in the list given to us. After doing this, we keep the variable in a new list type and continue the same process as the list given to us. If the length of the second list variable is longer than the variable that holds the longest list, the second list is assigned to the longest list. We implement this solution in iterative and recursive code.

### A) Iterative Function

The time complexity is  $O(n)$ .

```
public static LinkedList<Integer> findMaxList(LinkedList<Integer> myList) {
    LinkedList<Integer> maxList = new LinkedList<Integer>();
    maxList.add(myList.get(0));
    int i=1;
    boolean control=true;
    while(i<myList.size() && control)
    {
        if(myList.get(i) >= maxList.getLast() )
        {
            maxList.add(myList.get(i));
            i++;
        }
        else
            control=false;
    }
    LinkedList<Integer> tempList = new LinkedList<Integer>();
    tempList.add(myList.get(i));
    i++;
    while(i<myList.size())
    {
        if( myList.get(i) >= tempList.getLast() )
            tempList.add(myList.get(i));
        else
        {
            if(maxList.size() < tempList.size() )
                maxList = new LinkedList<Integer>(tempList);
            tempList = new LinkedList<Integer>();
            tempList.add(myList.get(i));
        }
        i++;
    }
    if(tempList.size() > maxList.size())
        maxList = new LinkedList<Integer>(tempList);

    return maxList;
}
```

**Time Complexity :  $O(n)$**

**Time Complexity :  $O(n)$**

Our List:

[1, 9, 2, 7, 20, 13]

Result:

[2, 7, 20]

## B) Recursive Function

Lets say our list is {8,7,6,5,4,3,2,1}, if we call our recursive function, it call itself 8 times without loops. Thus our worst case is  $O(1)+T(n-1)$ .

On the other hand, lets say our list is {1,2,3,4,5,6,7,8} and if we call our function, this list continues 8 times in the while loop. And it calls itself one time because our "currentIndex" variable equals to list's size. Thus our best case is  $O(n)+T(1)$ .

These two results are the same, so the result is:

$T(n) = O(1) + T(n-1)$  we can not solve this equation with master theorem. Because our equation is not suitable for master theorem.

We can solve it with using induction:

$$T(n) = 1 + T(n-1)$$

$$= 2 + T(n-2)$$

$$= 3 + T(n-3)$$

$$= \dots$$

$$= n + T(0) = O(n)$$

```
public static LinkedList<Integer> findMaxList_Recursive(LinkedList<Integer> myList, LinkedList<Integer> maxList, int currentIndex)
{
    if(currentIndex == myList.size())
        return maxList;
    if(maxList.isEmpty())
    {
        maxList.add(myList.get(currentIndex));
        currentIndex++;
        while(currentIndex < myList.size() && maxList.getLast() <= myList.get(currentIndex))
        {
            maxList.add(myList.get(currentIndex));
            currentIndex++;
        }
    }
    else if( maxList.getLast() >= myList.get(currentIndex))
    {
        LinkedList<Integer> tempList = new LinkedList<Integer>();
        tempList.add(myList.get(currentIndex));
        currentIndex++;
        while(currentIndex < myList.size() && tempList.getLast() <= myList.get(currentIndex))
        {
            tempList.add(myList.get(currentIndex));
            currentIndex++;
        }
        if(tempList.size() > maxList.size())
            maxList = tempList;
    }
    return findMaxList_Recursive(myList,maxList,currentIndex);
}
```

} Time complexity:  $O(n)$

} Time complexity:  $O(n)$

```

public static void main(String args[])
{
    LinkedList<Integer> testList = new LinkedList<>();
    testList.add(1);
    testList.add(9);
    testList.add(2);
    testList.add(7);
    testList.add(20);
    testList.add(13);

    System.out.println("Our List: ");
    System.out.println(testList);

    LinkedList<Integer> result = new LinkedList<Integer>();
    LinkedList<Integer> maxList = new LinkedList<>();
    result=findMaxList_Recursive(testList,maxList, currentIndex: 0 );
    System.out.println("Result: ");
    System.out.println(result);
}

```

```

Our List:
[1, 9, 2, 7, 20, 13]
Result:
[2, 7, 20]

```

## Question 2:

```
public boolean findSum(int[] array, searchingNum)
```

```
    set startArr to 0
```

```
    set endArr to array's length-1
```

```
    while the startArr is not bigger than endArr
```

```
        if the sum of array[startArr] and array[endArr] is equal to
        searchingNum
```

```
            print startArr and endArr
```

```
            return true
```

```
        else if the sum of array[startArr] and array[endArr] is bigger than
        searchingNum
```

```
            assign the endArr to endArr-1 (endArr = endArr-1)
```

```
        else
```

```
            assign the startArr to startArr +1 (startArr = startArr +1)
```

```
    end of while loop
```

```
    return false
```

### Question 3:

Question 3:

```

for(i=2*n; i>=1; i=i-1) → O(2n)
    for(j=1; j<=i; j=j+1) → This loop depends on "i" so it is O(2n)
        for(k=1; k<=j; k=k*3) → This loop depends on "j" so it is O(log3 2n)
            Print("hello")

```

The result is  $2n \cdot 2n \cdot \log_3 2n \Rightarrow O(n^2 \log n)$

### Question 4:

```

float aFunc(myArray,n){
    if (n==1){ //1
        return myArray[0]; //2
    }
    //let myArray1,myArray2,myArray3,myArray4 be predefined arrays
    for (i=0; i <= (n/2)-1; i++){ //1 before the loop; 2 or 3 per pass; 1 to exit loop
        for (j=0; j <= (n/2)-1; j++){ //1 before the loop; 2 or 3 per pass; 1 to exit loop
            myArray1[i] = myArray[i]; //3
            myArray2[i] = myArray[i+j]; //3 or 4
            myArray3[i] = myArray[n/2+j]; //5
            myArray4[i] = myArray[j]; //3
        }
    }
    x1 = aFunc(myArray1,n/2); //T(n/2)
    x2 = aFunc(myArray2,n/2); //T(n/2)
    x3 = aFunc(myArray3,n/2); //T(n/2)
    x4 = aFunc(myArray4,n/2); //T(n/2)

    return x1*x2*x3*x4; //1
}

```

$$\begin{aligned}
 T(N) &= 1 + 2 + 1 + \sum_{i=1}^{(N/2)-1} \sum_{j=1}^{(N/2)-1} (3+4+5+3) + 4T(N/2) \\
 &= ((N^2)/4) + 15
 \end{aligned}$$

$$T(N) = O(N^2) + 4T(N/2)$$

with using master theorem :

$$a=4, b=2 \text{ and } c=2$$



$$\log_b a = \log_2 4 = 2=c$$

Thus the result is  $T(N) = \Theta(N^2 \log N)$