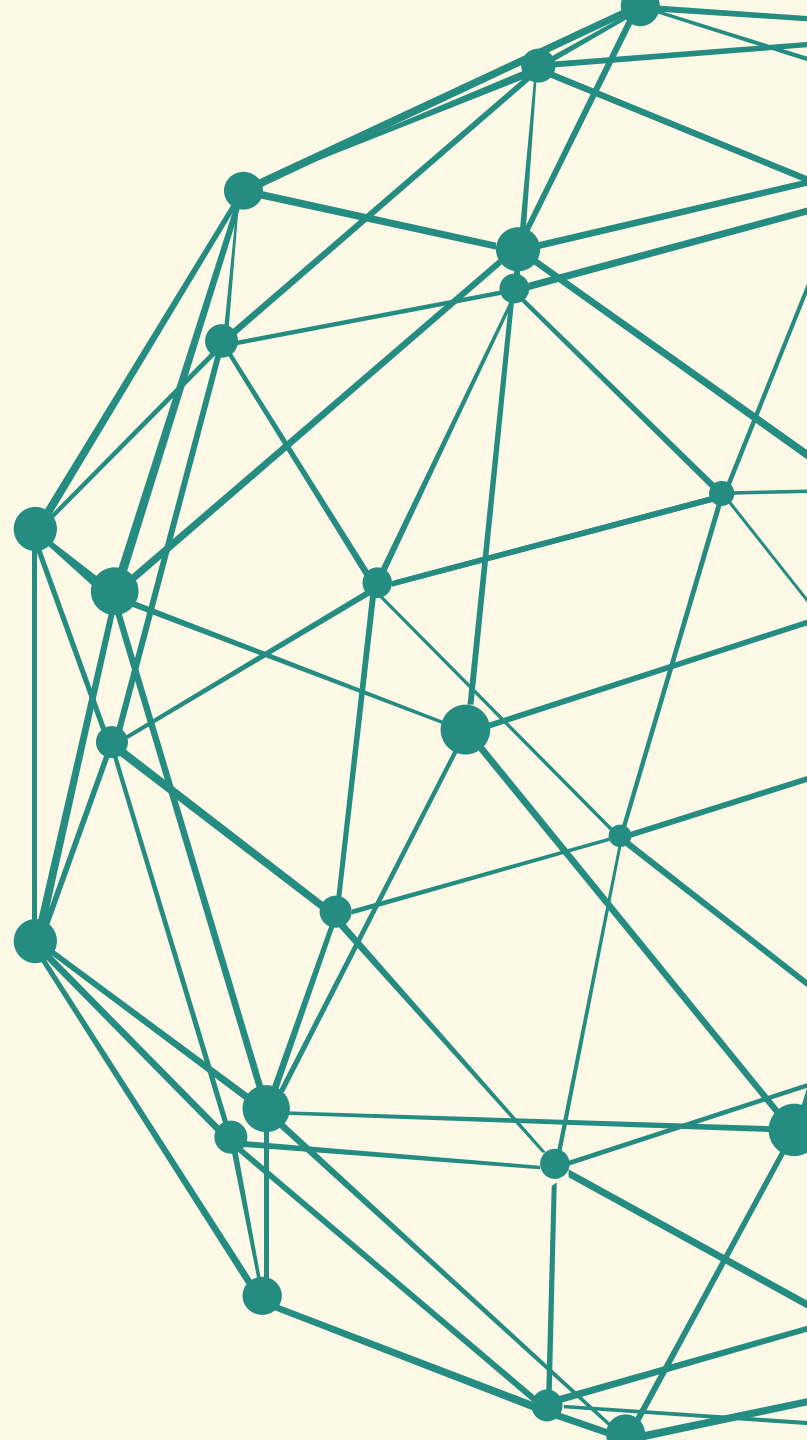


深度学习课程 AI工程师讲座

问题分析 数据准备 特征工程 模型设计 总结回顾





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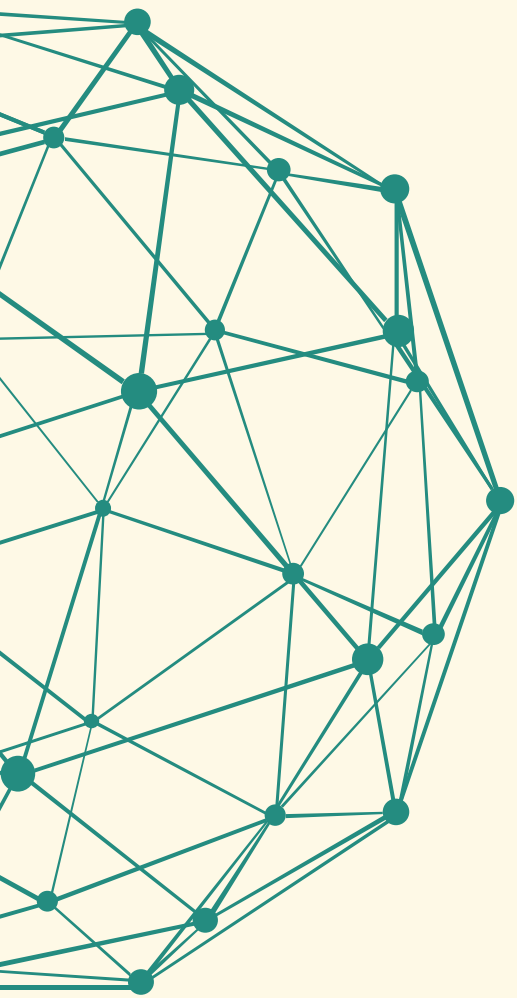
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02 数学模型

03 优化问题

04 过拟合问题

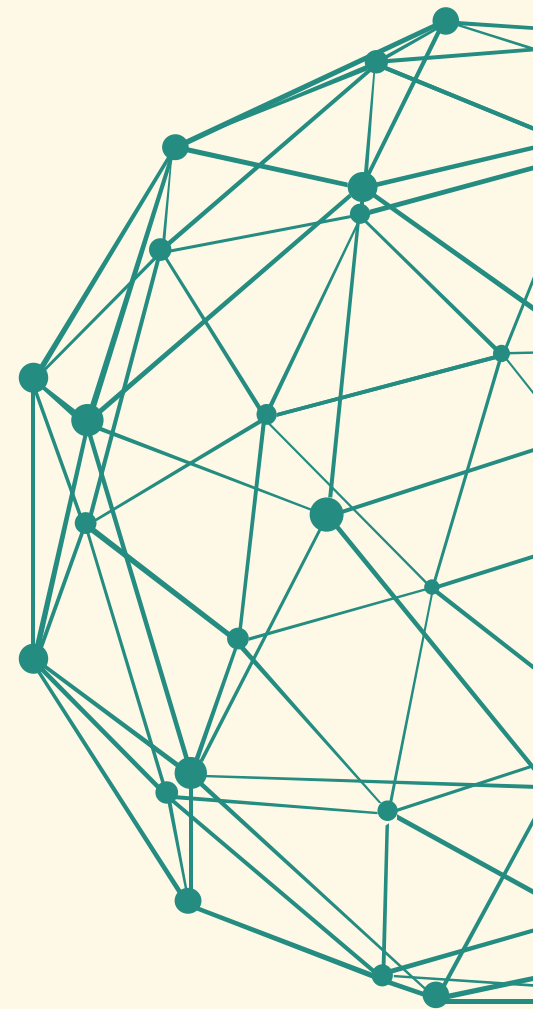
04 应用实例

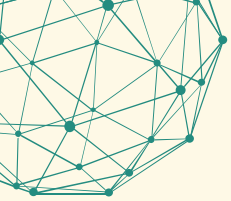


Part / 01

历史沿革

HISTORY





历史沿革

HISTORY

MP神经元

BP训练

Yann Lecun



1943

40年代

1974

90年代

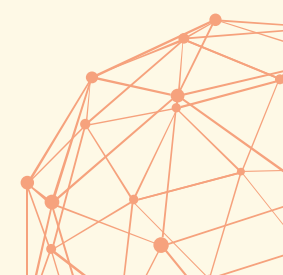
1998

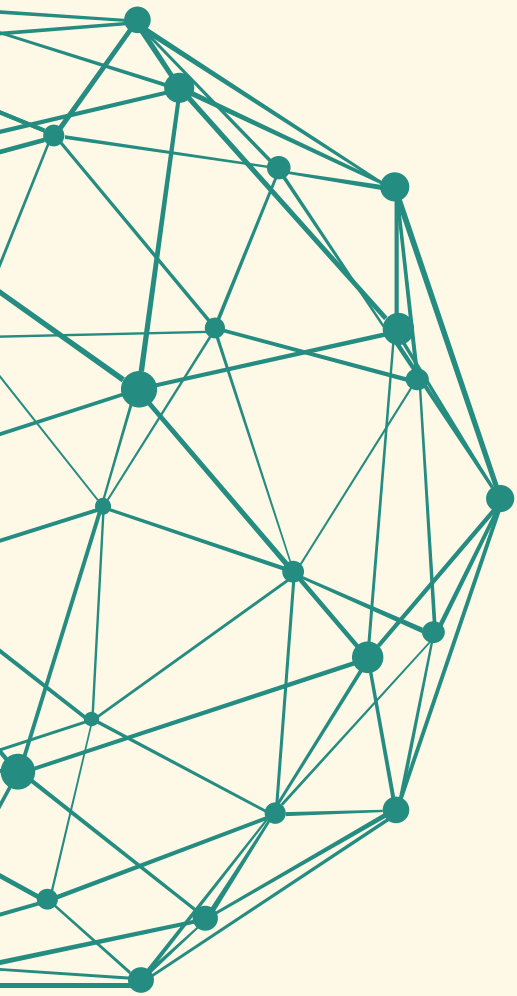
21世纪

Hebb学习
数学证明缺陷

SVM

深度神经网络

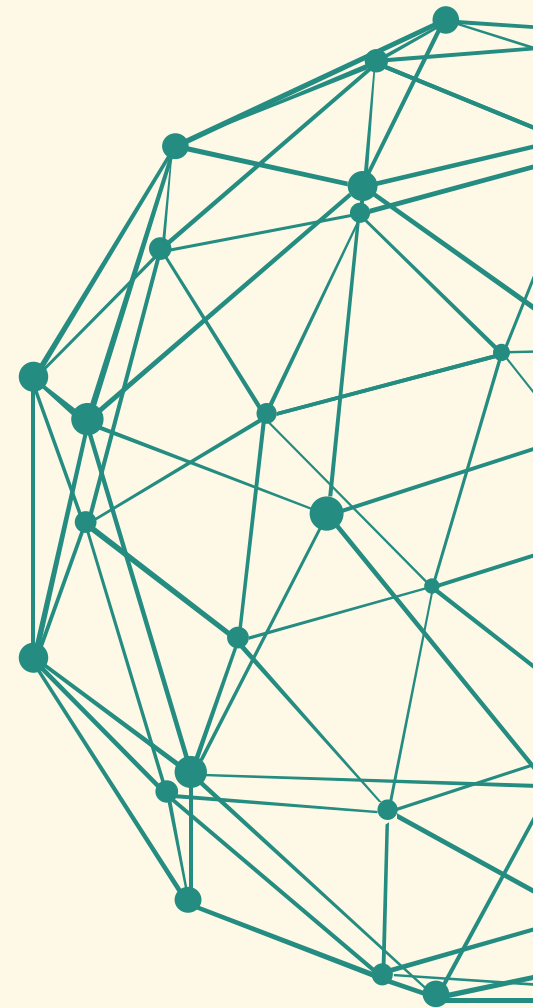


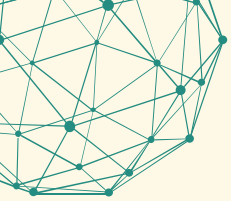


Part / 02

数学模型

MATHEMATICAL MODEL



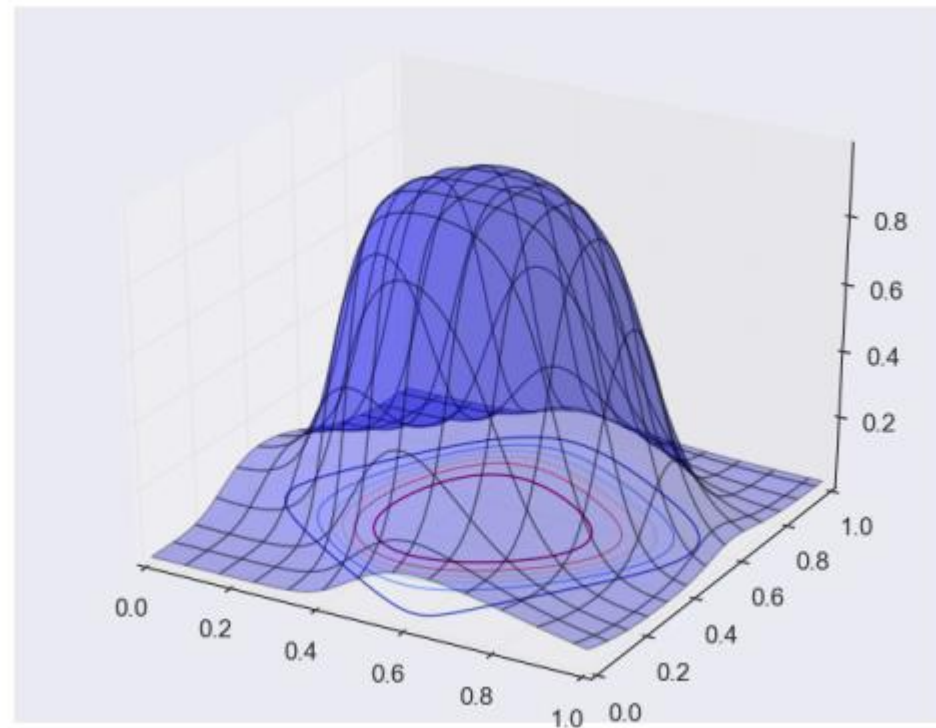


对于前馈神经网络

$$\vec{y} = f(\vec{x})$$

直观理解

“多维曲面拟合”



对于前馈神经网络

$$\vec{y} = f(\vec{x})$$

单层

$$\vec{y} = f(W \cdot \vec{x})$$

$$f(\vec{x}) = \text{Unit}(\cdot)$$

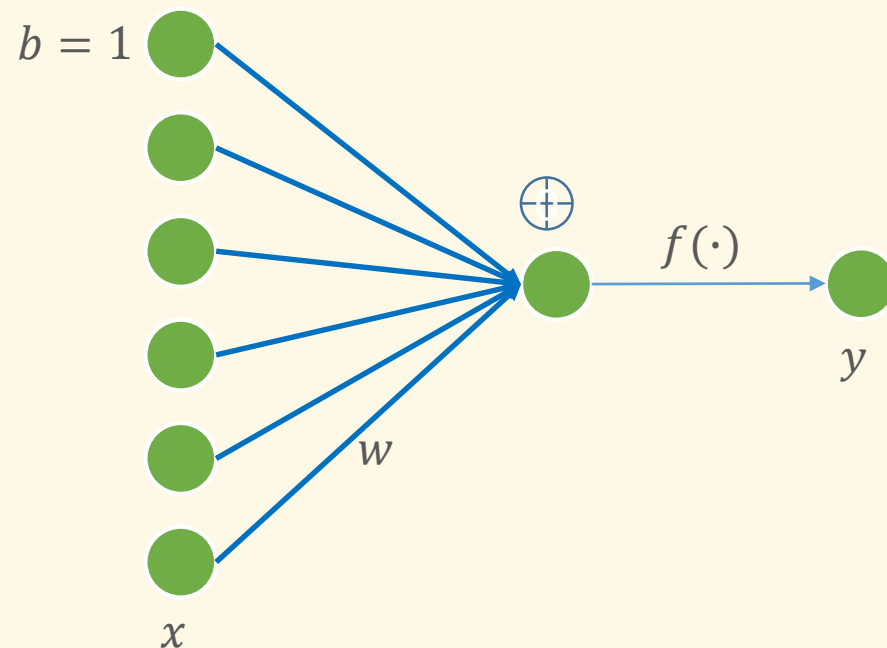
$$f(\vec{x}) = \text{Sigmoid}(\vec{x})$$

$$f(\vec{x}) = \tanh(\vec{x})$$

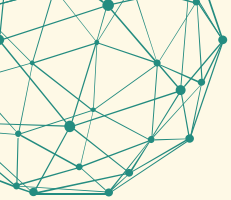
$$f(\vec{x}) = \text{ReLU}(\vec{x})$$

最初激活函数

常用激活函数



激活函数
存在梯度(一阶梯度)
对于训练很重要



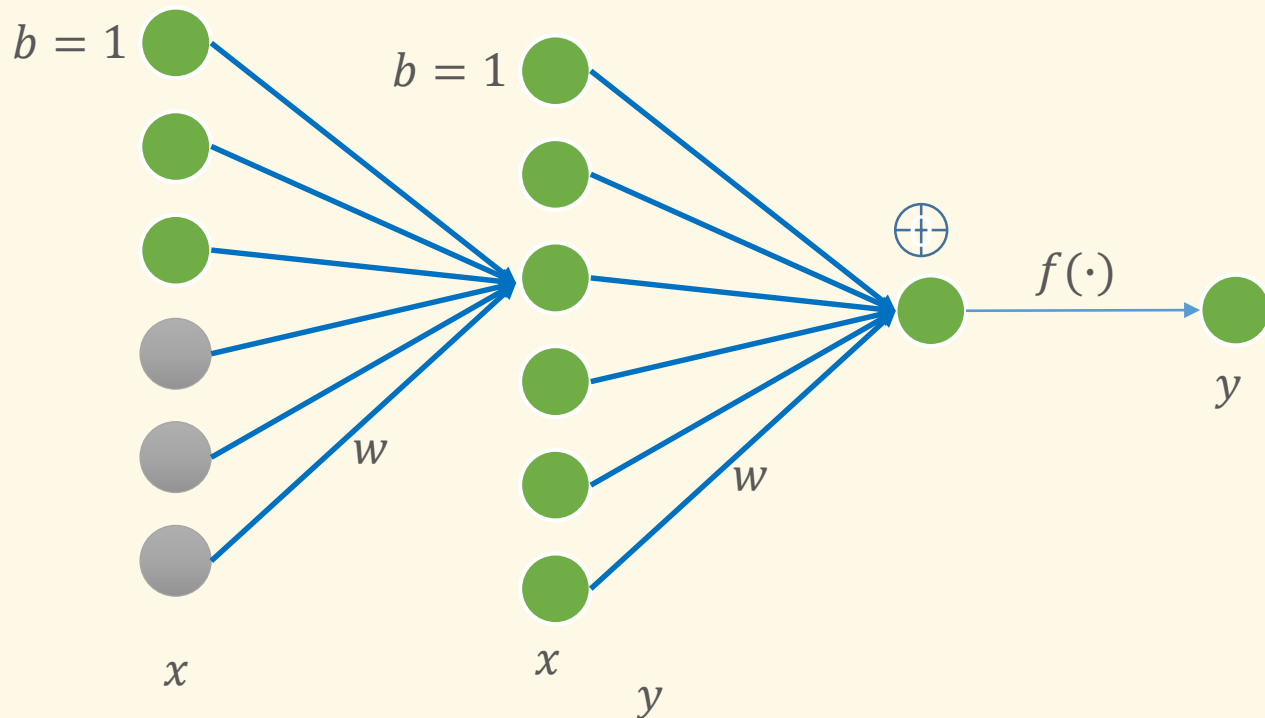
对于前馈神经网络

$$\vec{y} = f(\vec{x})$$

多层

$$\vec{y} = f_{total}(W \cdot \vec{x})$$

$$\vec{y} = f(W_1 \cdot f(W_2 \cdot \vec{x}))$$



卷积神经网络

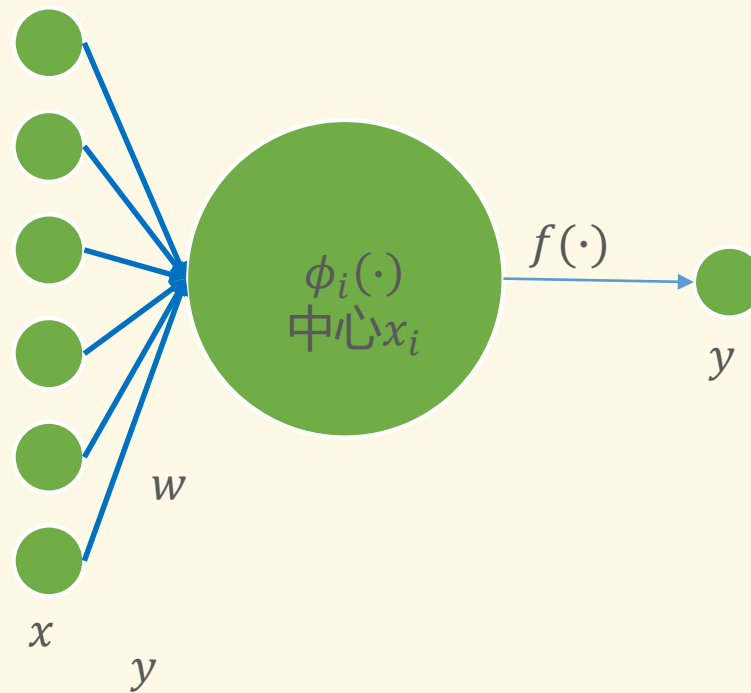


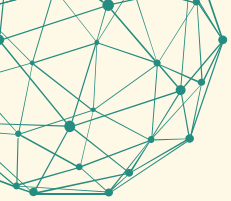
对于前馈神经网络

$$\vec{y} = f(\vec{x})$$

径向基函数网络

$$\vec{y} = f_{total}(W\phi(||\vec{x} - x_i||))$$

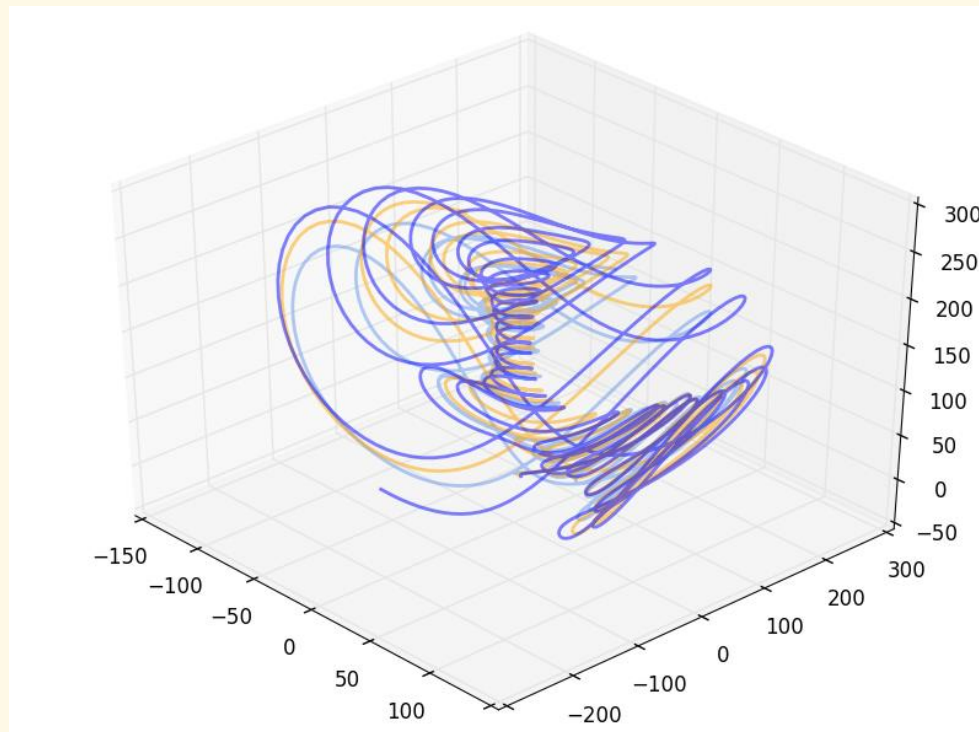


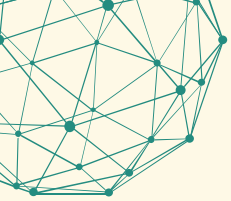


对于动态神经网络

$$\vec{y} = f(\vec{x}; t)$$

直观理解 “混沌吸引子”

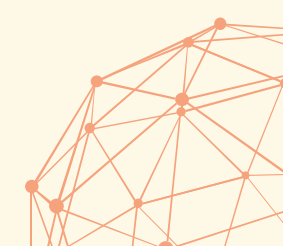
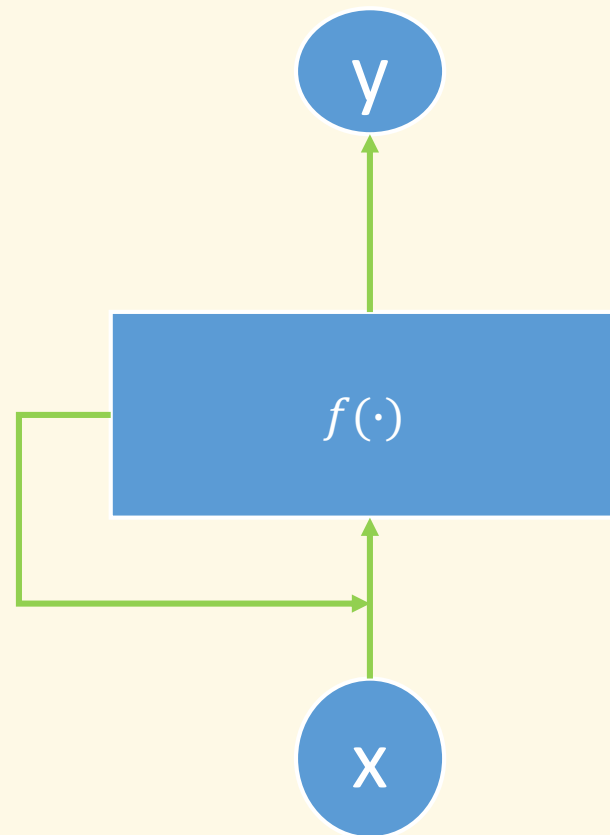




对于动态神经网络
 $\vec{y} = f(\vec{x}; t)$

RNN

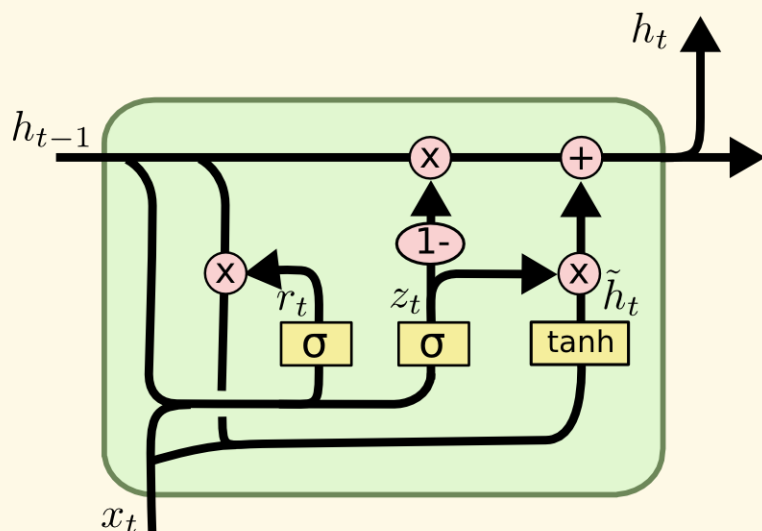
$$\vec{y}_{t+1} = f(W_1 \cdot \vec{x} + W_2 \cdot y_t)$$



对于动态神经网络

$$\vec{y} = f(\vec{x}; t)$$

LSTM

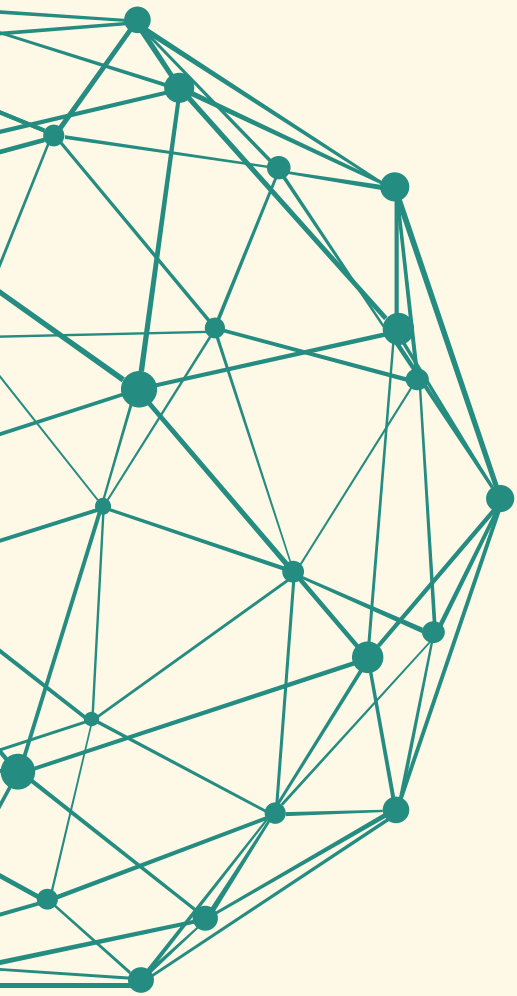


$$z_t = \sigma(W_z \cdot [h_{t-1}, x_t])$$

$$r_t = \sigma(W_r \cdot [h_{t-1}, x_t])$$

$$\tilde{h}_t = \tanh(W \cdot [r_t * h_{t-1}, x_t])$$

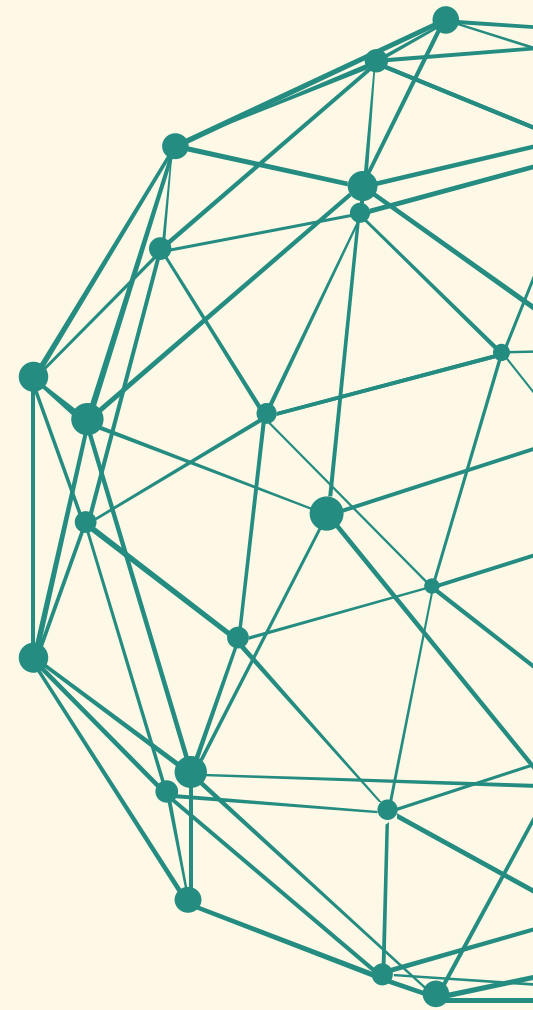
$$h_t = (1 - z_t) * h_{t-1} + z_t * \tilde{h}_t$$

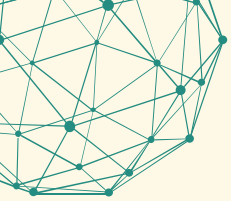


Part / 03

优化问题

OPTIMIZATION

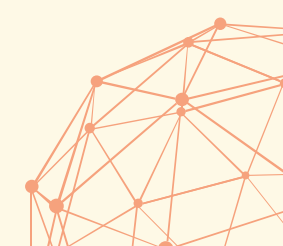
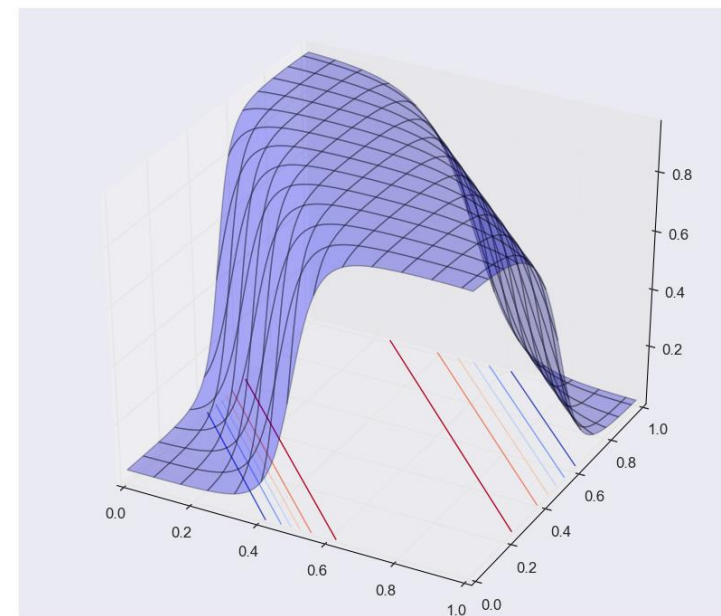
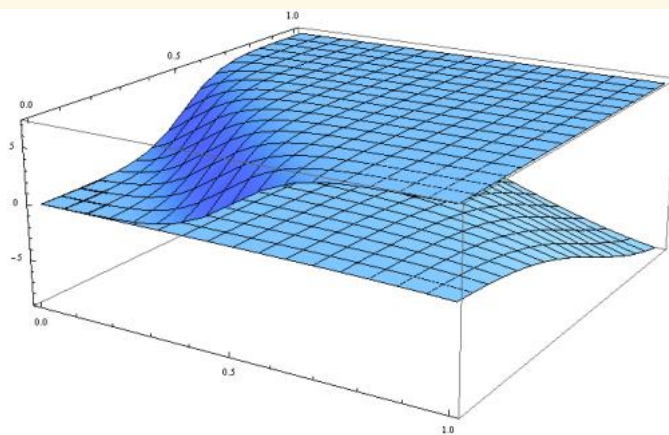
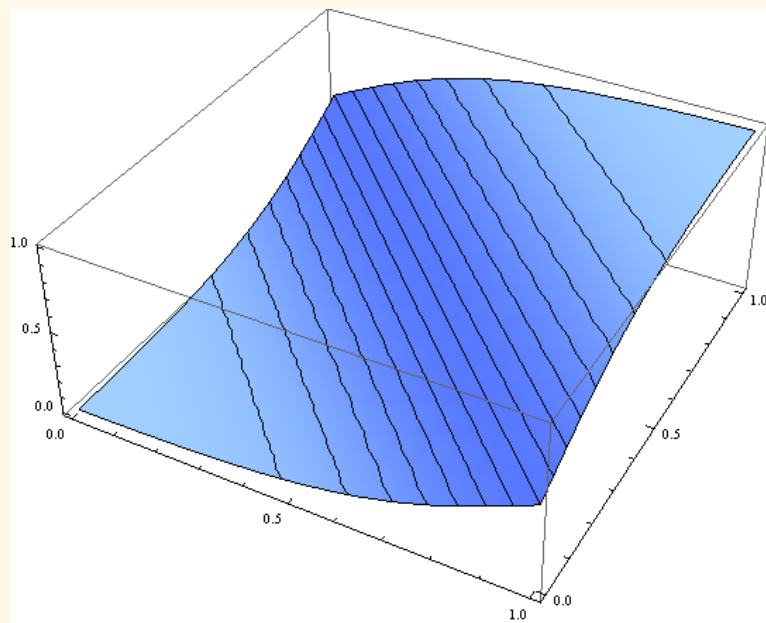


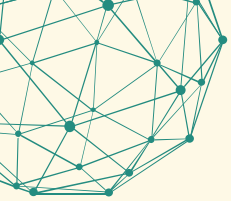


优化问题

梯度问题

经典抑或问题





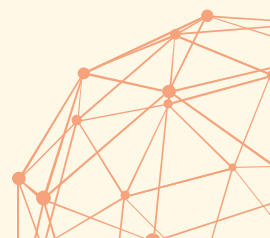
求解器

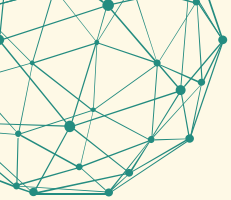
回顾函数展开 $f(\vec{x}) = f(\vec{x}_0) + \nabla f(\vec{x}) \Big|_{x=x_0} \cdot d\vec{x} + \underline{\underline{d\vec{x}H}} \Big|_{x=x_0} d\vec{x}$

最速下降法 $f(\vec{x}) = f(\vec{x}_0) + \nabla f(\vec{x}) \Big|_{x=x_0} \cdot d\vec{x} \Rightarrow d\vec{x} = -\eta \nabla f(\vec{x})$

牛顿法

$$\begin{aligned} d \left(\nabla f(\vec{x}) \Big|_{x=x_0} \cdot d\vec{x} + \underline{\underline{d\vec{x}H}} \Big|_{x=x_0} d\vec{x} \right) &= 0 \\ \underline{\underline{d\vec{x}}} &= -\underline{\underline{H}}^{-1} \nabla f(\vec{x}) \text{ (二阶连续可微)} \end{aligned}$$





优化问题

梯度问题

求解器

BP算法

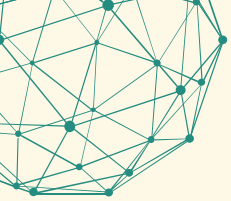
$$\nabla f(\vec{x}) = \frac{\partial f}{\partial w_{layer1}} + \frac{\partial f}{\partial w_{layer2}} + \frac{\partial f}{\partial w_{layer3}} + \dots$$

$$\frac{\partial f}{\partial w_{layer1}} = K \frac{\partial f}{\partial w_{layer2}}$$

Adaptive Subgradient

$$\frac{1}{\sqrt{\sum_{\tau=1}^{t-1} [\nabla f^d]}} \nabla f(\vec{x})$$



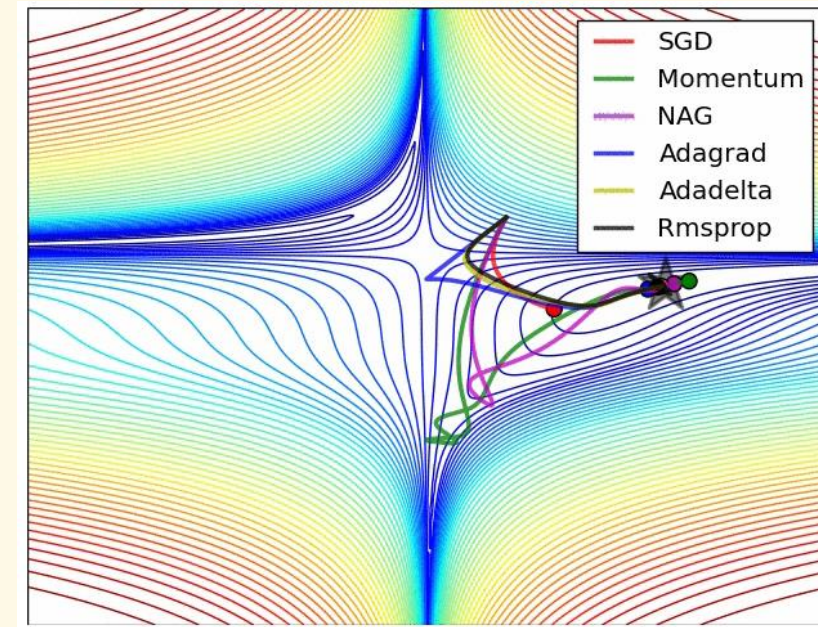
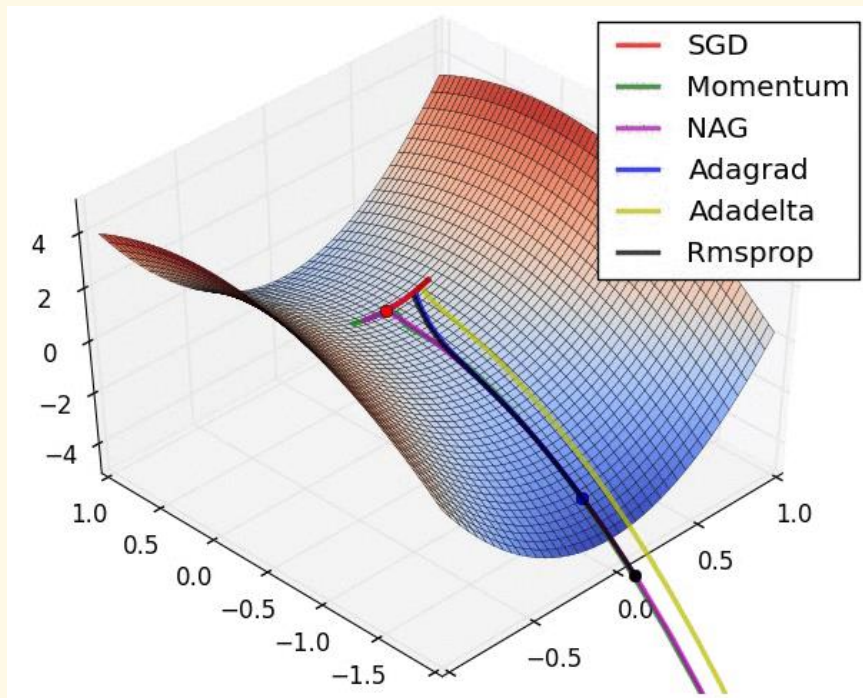


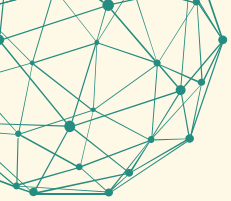
优化问题

梯度问题

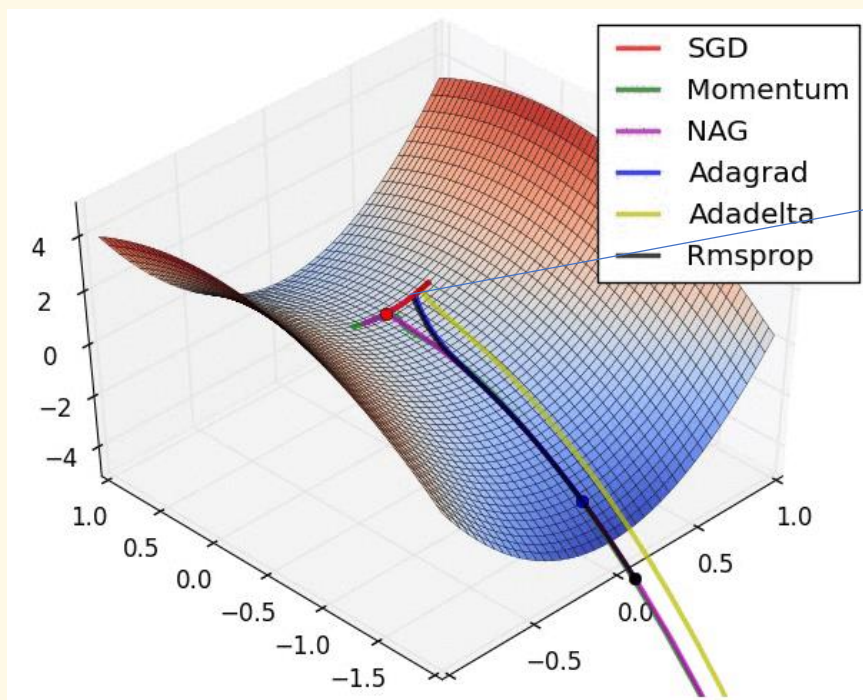


求解器直观理解

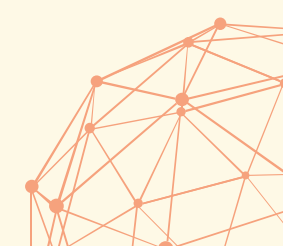


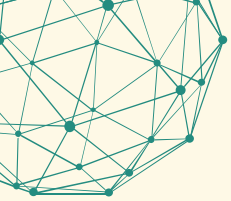


求解器问题

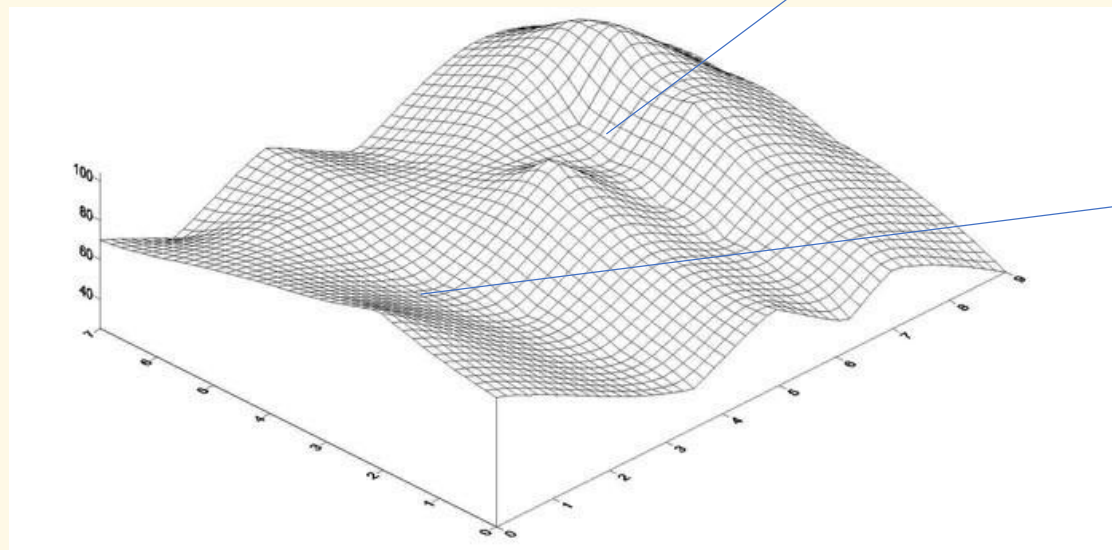


鞍点导致迭代
收敛缓慢



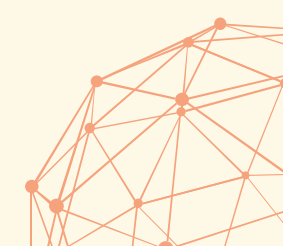


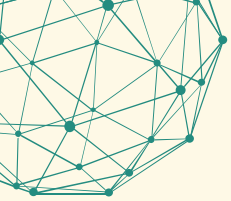
求解器问题



局部最小值

梯度消失

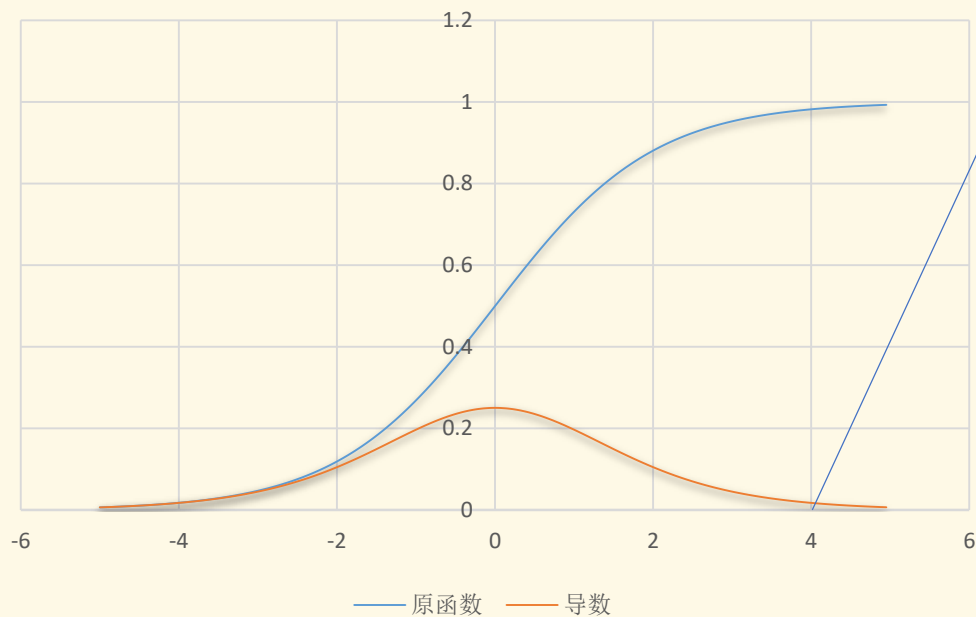




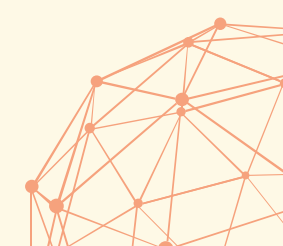
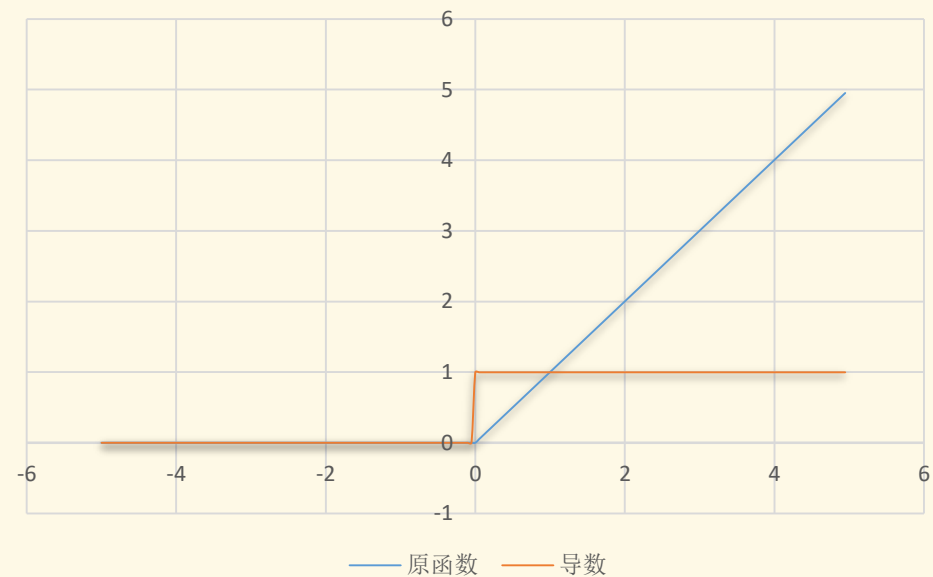
求解器问题

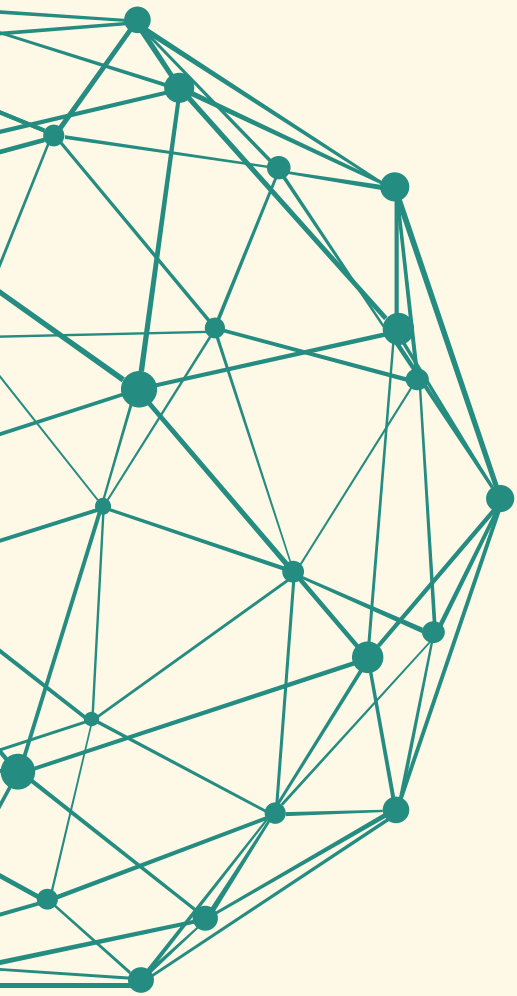
激活函数饱和
引起梯度问题

Sigmoid函数及导数



ReLU函数及导数

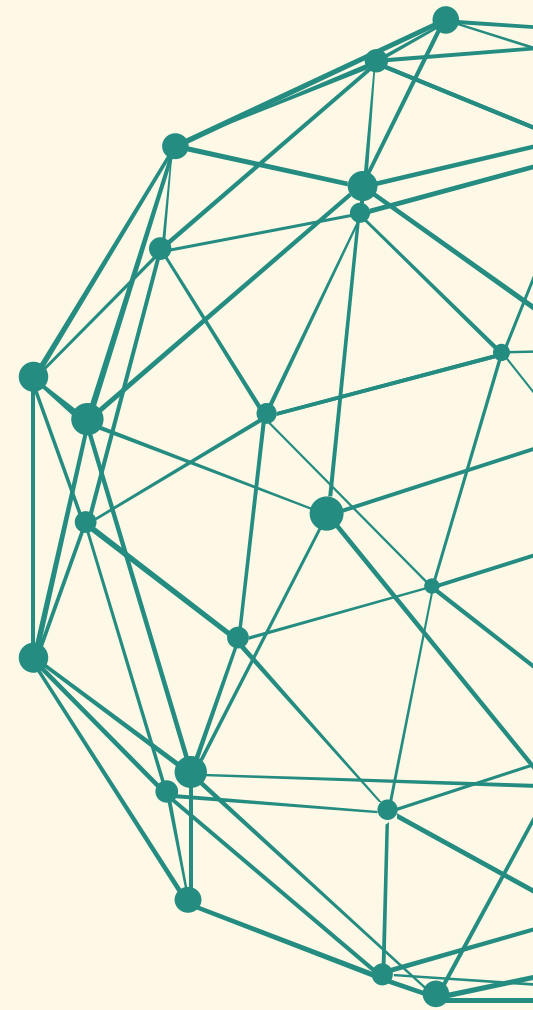


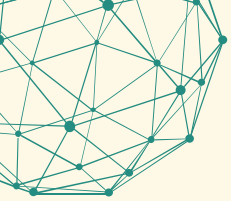


Part / 04

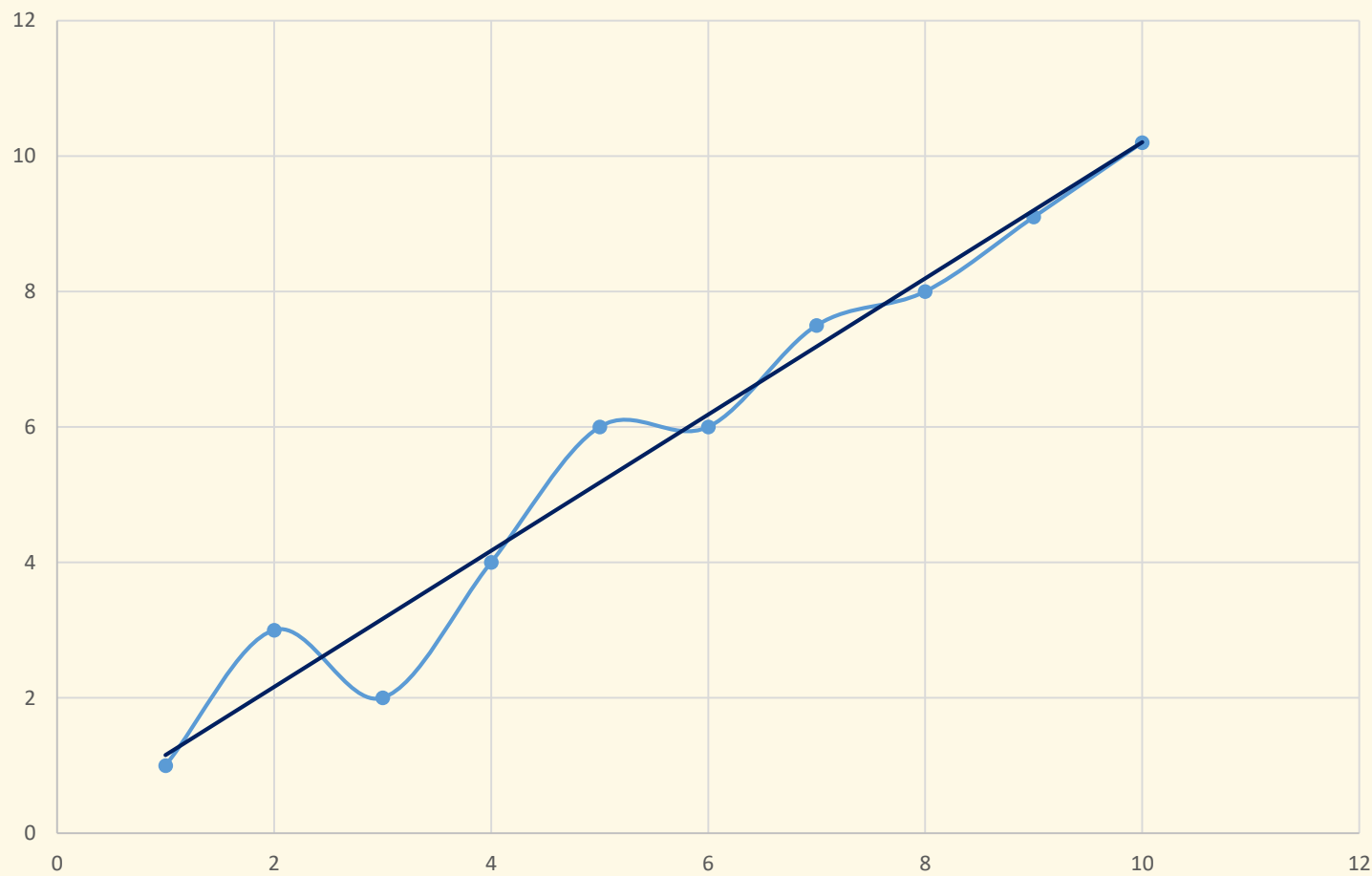
过拟合问题

OVERFITTING



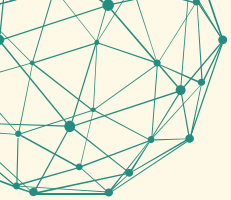


过拟合问题



通过所有
数据点的
函数





过拟合问题

加入正则化项

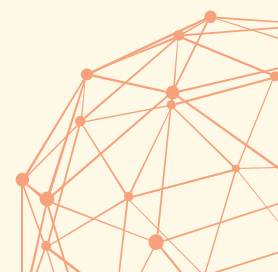
$$\varepsilon = \varepsilon_s(f) + \frac{1}{2} ||Df||^2$$

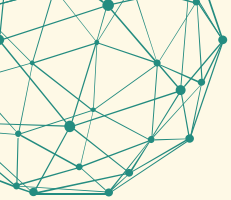
D线性微分算子

示例

$$\varepsilon = \varepsilon_s(f) + \frac{1}{2} \lambda ||w||^2$$

D线性微分算子



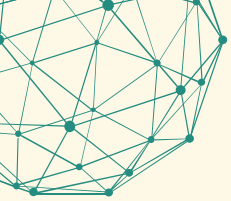


过拟合问题

dropout

训练过程中随机选取一部分权值
不进行训练



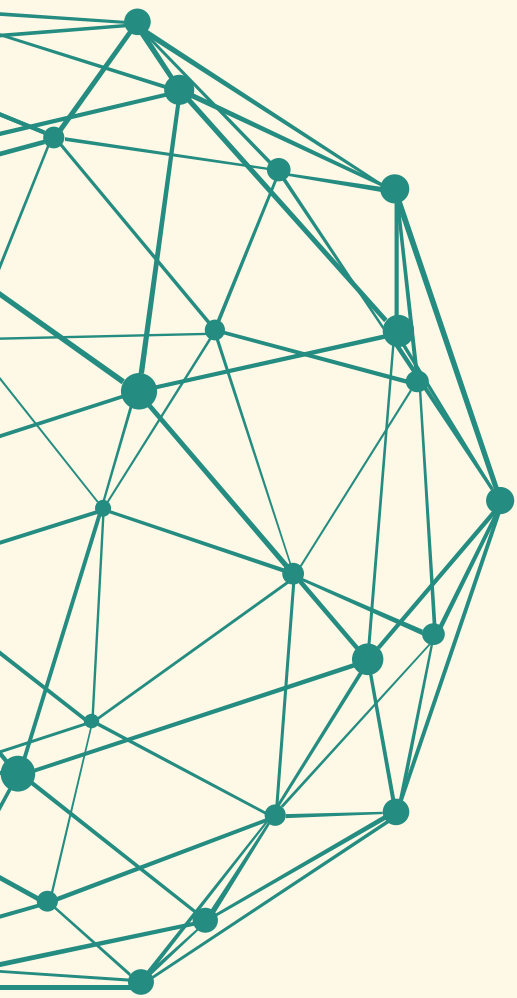


过拟合问题

Batch Normalization

批归一化

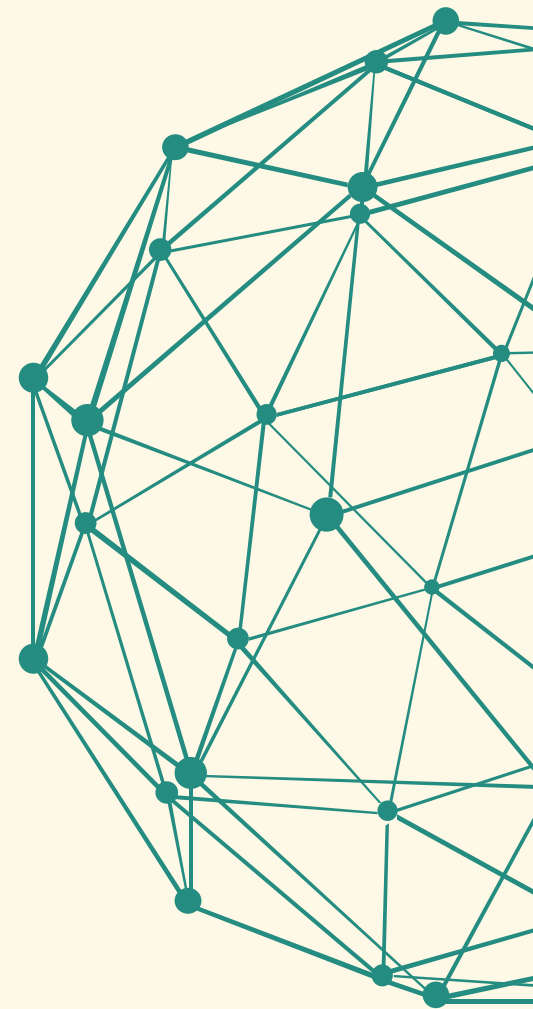


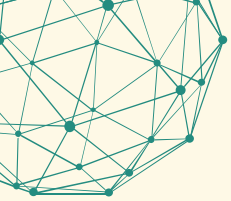


Part / 05

应用实例

Example



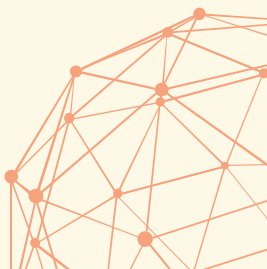


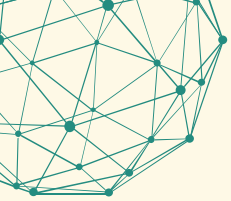
神经网络应用

EXAMPLE



CNN





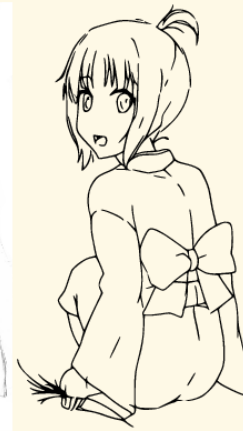
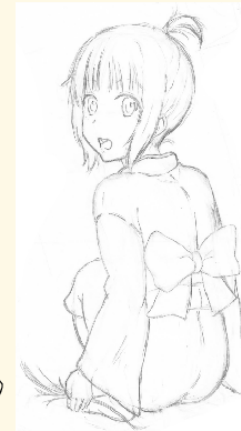
神经网络应用

EXAMPLE

CNN



(a) Animals



(b) Kimono



(c) Masks

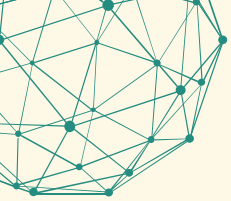


(d) Book



(e) Standing girl





神经网络应用

EXAMPLE

LSTM



THANKS
AI工程师讲座

