Analysis of CPU Scheduling Algorithms

Operating Systems CSD-222



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Introduction

This document is a report for the individual project "Simulation of various CPU scheduling algorithms and analysing the behaviour of each scheduler". CPU scheduling is a process which allows one process to use the CPU while the execution of another process is on hold(in waiting state) due to unavailability of any resource like I/O etc, thereby making full use of CPU. The aim of CPU scheduling is to make the system efficient, fast and fair.

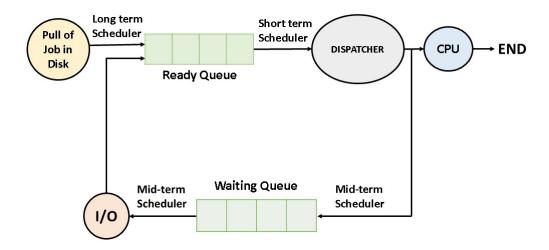


Figure 1.1: Cpu scheduling

The project is an attempt to differentiate the behaviour of each scheduler with the statistical approach. In this project we performed each CPU scheduling and compared them on the basis of their completion time, throughput, average job elapsed time and average job waiting time during the process. It also discusses the complexity of the written code as instructed.

Software requirement and specification

Python(3.7.6)

Python is an interpreted, high-level, general-purpose programming language. Created by Guido van Rossum and first released in 1991, Python's design philosophy emphasizes code readability with its notable use of significant whitespace.

Python-dateutil(2.8.1)

The dateutil module provides powerful extensions to the standard datetime module, available in Python.

matplotlib(3.2.2)

Matplotlib is a comprehensive library for creating static, animated, and interactive visualizations in Python.

cycler(0.10.0)

A single entry Cycler object can be used to easily cycle over a single style.

numpy(1.19.0)

NumPy is the fundamental package for scientific computing in Python. It is a Python library that provides a multidimensional array object, various derived objects (such as masked arrays and matrices).

Kiwisolver(1.2.0)

Kiwisolver is an efficient C++ implementation of the Cassowary constraint solving algorithm. Kiwi is an implementation of the algorithm based on the seminal Cassowary paper.

pyparsing(2.4.7)

Pyparsing is a mature, powerful alternative to regular expressions for parsing text into

tokens and retrieving or replacing those tokens.

six(1.15.0)

Six provides simple utilities for wrapping over differences between Python 2 and Python 3. It is intended to support codebases that work on both Python 2 and 3 without modification.

Usage

Install Python 3.7.6 and then install all packages mentioned in 'requirements.txt' in root folder by:

```
python —m pip install —r requirements.txt
```

After Installing all the packages run the main script with command:

python main.py

```
Analyse Performance Of Scheduling Algorithms:

1.First Come First Serve (FCFS)

2.Shortest Job First (SJF) -- PREEMPTIVE

3.Shortest Job First (SJF) -- NON PREEMPTIVE

4.Priority Scheduling -- PREEMPTIVE

5.Priority Scheduling -- NON PREEMPTIVE

6.Round Robin

7.ALL OF THE ABOVE AND COMPARE

0.Exit

ENTER YOUR OPTION:
```

Figure 3.1: Main Menu

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First Come First Serve (FCFS)

```
Listing 4.1: fcfs source code
import matplotlib.pyplot as plt
plt.style.use('fivethirtyeight')
## Finds waiting time for each process
def findWaitingTime(processes, burst_time, waiting_time,
   \hookrightarrow arrival_time):
    service\_time = [0] *len(processes)
    service\_time[0] = 0
    waiting_time[0] = 0
    for i in range(1, len(processes)):
        service\_time[i] = (service\_time[i - 1] + burst\_time[i - 1])
           \hookrightarrow 1])
        waiting_time[i] = service_time[i] - arrival_time[i]
        if (waiting_time [i] < 0):
             waiting_time[i] = 0
#Finds Turn Around Time for All processes
def findTurnAroundTime(processes, burst_time, waiting_time,

    turn_around_time):
    for i in range(len(processes)):
        turn_around_time[i] = burst_time[i] + waiting_time[i]
#Returns waiting, turn around, completion time for each process
def findavgTime(processes, burst_time, arrival_time):
    waiting_time = [0] *len(processes)
    turn\_around\_time = [0] *len(processes)
    findWaitingTime(processes, burst_time, waiting_time,
       → arrival_time)
    findTurnAroundTime(processes, burst_time, waiting_time,

    turn_around_time)

    total_wt = 0
    total_turn_around_time = 0
    compl_time = [0] * len(processes)
    for i in range(len(processes)):
```

```
total_wt = total_wt + waiting_time[i]
        total_turn_around_time = total_turn_around_time +
           # Calculate completion time
        compl_time[i] = turn_around_time[i] + arrival_time[i]
    return waiting_time , turn_around_time ,compl_time
def plot_graph (processes, waiting_time, compl_time, turn_around_time
  \hookrightarrow ):
    plt.plot(processes, waiting_time, label = "Waiting_time")
    plt.plot(processes,compl_time,label = "Completion_time")
    plt.plot(processes, turn_around_time, label = "Turnaround_Time"
       \hookrightarrow )
    plt.text(4,2, 'Throughput = \_\%.5f' \% (len(processes)/
       \hookrightarrow compl_time [len(processes)-1]))
    plt.title("First_Come_First_Serve_Algo")
    plt.xlabel("Processes")
    plt.ylabel("Time_Units")
    plt.legend()
    plt . savefig ('./output/FCFS_output.png')
    plt.show()
def print_details (processes, waiting_time, turn_around_time,
  print("Processes ___Burst_Time___Arrival_Time___Waiting",
          "Time___Turn-Around_Time__Completion_Time_\n")
    for i in range(len(processes)):
        print("_", processes[i] , "\t\t", burst_time[i], "\t\t",
           → arrival_time[i],
              "\t\t", waiting_time[i], "\t\t_", turn_around_time[
                 \rightarrow i], "\t\t_\", compl_time[i])
    print ("Average _ waiting _ time _= _ %.5 f _ "%(sum( waiting _ time ) / len (
       → processes)))
    print("\nAverage_turn_around_time_=_", sum(turn_around_time)
```

```
→ / len(processes))
    print('\nThroughput == ', len(processes)/ compl_time[len(
       \rightarrow processes (-1]
# driver function
def fcfs():
    processes = []
    burst_time = []
    arrival_time = []
    \#breakpoint
    with open('./inputs/FCFS.txt','r') as f:
        f.readline()
        for line in f.readlines():
            process, burst, arrival = (line.split(""))
            processes.append(process)
            burst_time.append(int(burst))
            arrival_time.append(int(arrival))
    #returned waiting time and turn around time
    waiting_time, turn_around_time, compl_time = findavgTime(
       → processes , burst_time , arrival_time )
    #print details about data
    print_details (processes, waiting_time, turn_around_time,
       \#plotting
    plot_graph (processes, waiting_time, compl_time, turn_around_time
       \hookrightarrow )
    plt.close(fig='all')
if __name__ =="__main__":
    fcfs()
```

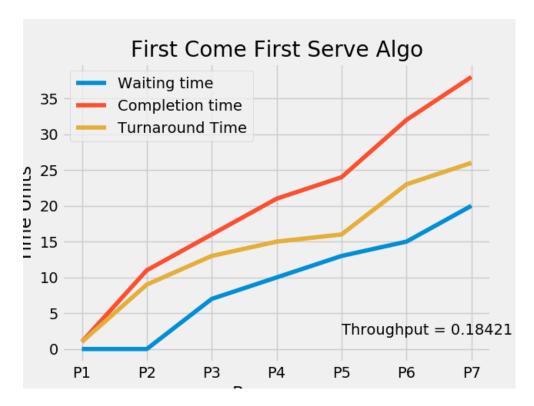


Figure 4.1: FCFS output values.

Processes	Burst Time	Arrival Time	Waiting Time	Turn-Around Time	Completion Time		
P1	1	0	0	1	1		
P2	9	2	0	9	11		
P3	6	3	7	13	16		
P4	5	6	10	15	21		
P5	3	8	13	16	24		
P6	8	9	15	23	32		
P7	6	12	20	26	38		
Average wai	iting time = 9	.28571					
Average turn around time = 14.714285714285714							
Throughput = 0.18421052631578946 press any button to continue							

Figure 4.2: FCFS output values.

Shortest Job First(SJF)

5.1 SJF(Preemptive)

```
Listing 5.1: SJF Preemptive Source code
import matplotlib.pyplot as plt;
plt.style.use('fivethirtyeight')
def findWaitingTime(processes, n, wt):
         rt = [0] * n
         for i in range(n):
                  rt[i] = processes[i][1]
         complete = 0
         t = 0
         minm = 9999999999
         short = 0
         check = False
         while (complete != n):
                  for j in range(n):
                            if ((processes[j][2] \le t) and
                                     (\operatorname{rt}[j] < \operatorname{minm}) and \operatorname{rt}[j] > 0):
                                     minm = rt[j]
                                     short = j
                                     check = True
                  if (check == False):
                           t += 1
                           continue
                  rt[short] -= 1
                  minm = rt[short]
                  \mathbf{i} \mathbf{f} \pmod{==0}:
                           if (rt[short] == 0):
                            complete += 1
                            check = False
                            fint = t + 1
                           wt[short] = (fint - processes[short][1] -
                               \hookrightarrow processes [short][2])
                            if (wt[short] < 0):
```

```
wt[short] = 0
                  t += 1
def findTurnAroundTime(processes, n, wt, tat):
         for i in range(n):
                  tat[i] = processes[i][1] + wt[i]
def findavgTime(processes, n):
         wt = [0] * n
         tat = [0] * n
         findWaitingTime(processes, n, wt)
         findTurnAroundTime(processes, n, wt, tat)
         compl_time = []
         for i in range(n):
                           compl_time.append(tat[i]+processes[i][2])
         {\bf return}\ {\rm wt}\,,\ {\rm tat}\ , {\rm compl\_time}
def print_data (processes, w_time, tat_time, compl_time, n):
         print("Processes\t\tBurst_Time\t\tWaiting",
                                              "Time\t \t \t Turn-Around \ Time

    tCompletion ¬Time"
)
         for i in range(n):
                  print (" "", processes [i][0], " t t t "",
                                              processes [i][1], "\t\t\"
                                              w\_time\left[\;i\;\right]\;,\;\;"\setminus t\setminus t\setminus t\;,
                                                 \hookrightarrow tat_time[i], '\t\t\t
                                                 → \t', processes [i
                                                 \hookrightarrow ][2], '\t\t\t',
                                                 print ("\nAverage \, waiting \, time \, = \, \%.5 f \, \"\%(sum(w_time) / n) )
         print("Average_turn_around_time_==", sum(tat_time) / n)
         print("Throughput __=__", n/max(compl_time))
```

```
def plot_graph (processes, waiting_time, compl_time,

    turn_around_time):
         plt.plot(processes, waiting_time, label = "Waiting_time")
         plt.plot(processes,compl_time, label = "Completion_time")
         plt.plot(processes, turn_around_time, label = "Turnaround_
            \hookrightarrow Time")
         plt.text(4,2,'Throughput==-\%.5f' \% (len(processes)/
            \hookrightarrow compl_time [len(processes) -1]))
         plt.title("SJF_PREEMPTIVE")
         plt.xlabel("Processes")
         plt.ylabel("Time_Units")
         plt.legend()
         plt.savefig('./output/SJF_P_output.png')
         plt.show()
\mathbf{def} \ \mathrm{sjf}_{-}\mathrm{p}():
         process_data = []
         #change dis
         with open('./inputs/SJF_P.txt','r') as f:
                  f.readline()
                  for line in f.readlines():
                           temporary = []
                           process , burst , arrival = (line.split("
                              → _"))
                           temporary.extend([process, int(burst),
                              → int(arrival)])
                           process_data.append(temporary)
         n = len(process_data)
         w_time, tat_time, compl_time = findavgTime(process_data, n
            \hookrightarrow )
         print_data(process_data, w_time, tat_time,compl_time,n)
         plot_graph([p[0] for p in process_data], w_time, compl_time
            \hookrightarrow , tat_time)
         plt.close(fig='all')
# Driver code
if __name__ =="__main__":
         sjf_p()
```

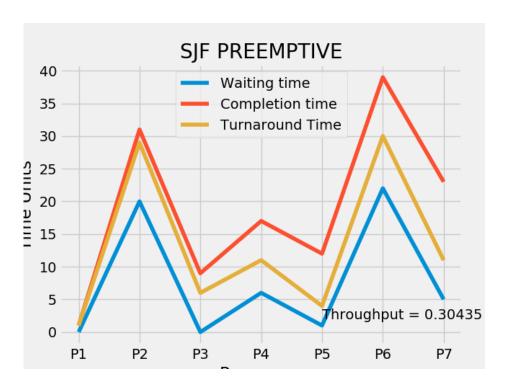


Figure 5.1: SJF(Preemptive) output values.

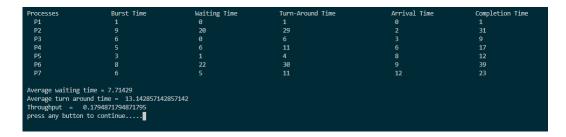


Figure 5.2: SJF(Preemptive) output values.

5.2 SJF(Non-Preemptive)

```
Listing 5.2: SJF Preemptive Source code 
import matplotlib.pyplot as plt 
plt.style.use('fivethirtyeight')
```

```
def schedulingProcess( process_data):
        start_time = []
        exit_time = []
        s_time = 0
        process_data.sort(key=lambda x: x[1])
         Sort processes according to the Arrival Time
        for i in range(len(process_data)):
                 ready_queue = []
                 temp = []
                 normal_queue = []
                 for j in range(len(process_data)):
                          if (process_data[j][1] \ll s_time) and (
                              \hookrightarrow process_data[j][3] == 0):
                                   temp.extend([process_data[j][0],
                                       → process_data[j][1],
                                      \hookrightarrow process_data[j][2]])
                                   ready_queue.append(temp)
                                   temp = []
                          elif process_data[j][3] = 0:
                                   temp.extend([process_data[j][0],
                                      → process_data[j][1],
                                      \hookrightarrow process_data[j][2]])
                                   normal_queue.append(temp)
                                   temp = []
                  if len(ready_queue) != 0:
                          ready_queue.sort(key=lambda x: x[2])
                           , , ,
                          Sort the processes according to the Burst
                             \hookrightarrow Time
                          start_time.append(s_time)
                          s_{time} = s_{time} + ready_{queue}[0][2]
                          e_time = s_time
                          exit_time.append(e_time)
                          for k in range(len(process_data)):
                                   if process_data[k][0] =
                                      \hookrightarrow ready_queue [0][0]:
                                            break
                          process_data[k][3] = 1
```

```
elif len(ready_queue) == 0:
                         if s_time < normal_queue[0][1]:</pre>
                                  s_time = normal_queue [0][1]
                         start_time.append(s_time)
                         s_{time} = s_{time} + normal_queue[0][2]
                         e_{time} = s_{time}
                         exit_time.append(e_time)
                         for k in range(len(process_data)):
                                  if process_data[k][0] ==
                                     \hookrightarrow normal_queue [0][0]:
                                          break
                         process_data[k][3] = 1
                         process_data[k].append(e_time)
        calculateTurnaroundTime( process_data)
        calculateWaitingTime( process_data)
        waiting_time = [p[6] for p in process_data]
        turn_around_time = [p[5] for p in process_data]
        compl_time = [p[4] for p in process_data]
        return waiting_time, turn_around_time, compl_time
def calculateTurnaroundTime( process_data):
        total_turnaround_time = 0
        for i in range(len(process_data)):
                 turnaround_time = process_data[i][4] -
                    → process_data[i][1]
                 turnaround\_time = completion\_time - arrival\_time
                 total_turnaround_time = total_turnaround_time +

→ turnaround_time

                 process_data[i].append(turnaround_time)
def calculateWaitingTime( process_data):
        total_waiting_time = 0
        for i in range(len(process_data)):
                 waiting_time = process_data[i][5] - process_data[
                    \hookrightarrow i ] [2]
```

process_data[k].append(e_time)

```
waiting\_time = turnaround\_time - burst\_time
                 total_waiting_time = total_waiting_time +
                    → waiting_time
                 process_data[i].append(waiting_time)
def printData(
                 process_data):
        average\_turnaround\_time = sum(p[5] for p in process\_data
           → )/len(process_data)
        average_waiting_time = sum(p[6] for p in process_data)/
           → len (process_data)
        process_data.sort(key=lambda x: x[0])
        Sort processes according to the Process ID
        \mathbf{print} ("\nProcess_ID\t\t\tArrival_Time\t\t\tBurst_Time\t\t
           \hookrightarrow \t Completed \t \t \t Completion_Time \t \t \
           \hookrightarrow tTurnaround_Time\t\t\tWaiting_Time")
        for i in range(len(process_data)):
                 for j in range(len(process_data[i])):
                         print(process_data[i][j], end="______
                            print()
        print(f'Average_Turnaround_Time: _{ average_turnaround_time
           \hookrightarrow \} ,
        print(f'Average_Waiting_Time: _{ average_waiting_time}')
        print ("Throughput __=, ", len (process_data)/max([p[4] for p

    in process_data]))
def plot_graph( process_data):
        plt.plot([p[0] for p in process_data],[po[4] for po in
```

```
→ process_data ], label = 'Completion_Time')
        plt.plot([p[0] for p in process_data],[po[5] for po in
           → process_data ], label = 'Turnaround_Time')
        plt.plot([p[0] for p in process_data],[po[6] for po in
           → process_data], label = 'Waiting_TIme')
        plt.title("Shortest_Job_First_Algo_-Non_Preemptive")
        plt.xlabel("Processes")
        plt.ylabel("Time_Units")
        plt.legend()
        plt.savefig('./output/SJF_NP_output.png')
        plt.show()
\mathbf{def} \, \mathrm{sjf}_{-}\mathrm{np}():
        process_data = []
        #change dis
        with open('./inputs/SJF_NP.txt','r') as f:
                 f.readline()
                 for line in f.readlines():
                          temporary = []
                          process , burst , arrival = (line.split("
                             → ""))
                          temporary.extend([process, int(arrival),
                             \hookrightarrow int(burst), 0])
                          process_data.append(temporary)
        schedulingProcess (process_data)
        printData( process_data)
        plot_graph (process_data)
        plt.close(fig='all')
if = name_- = '-main_-':
        sjf_np()
```

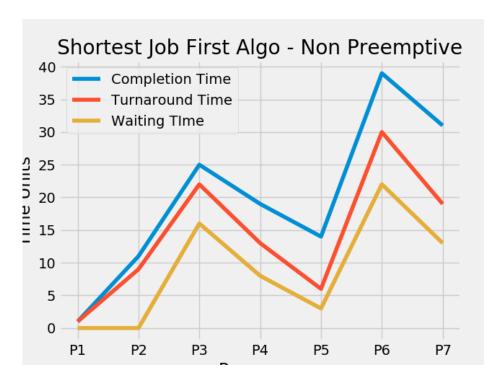


Figure 5.3: SJF(Preemptive) output values.

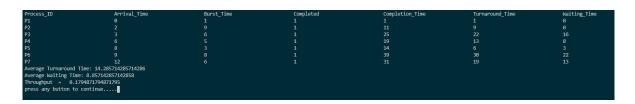


Figure 5.4: SJF(Preemptive) output values.

Priorty Scheduling

6.1 Priorty(Preemptive)

```
Listing 6.1: SJF Preemptive Source code
import matplotlib.pyplot as plt
plt.style.use('fivethirtyeight')
def schedulingProcess( process_data):
         start_time = []
         exit_time = []
         s_time = 0
         sequence\_of\_process = []
         process_data.sort(key=lambda x: x[1])
         Sort processes according to the Arrival Time
         while 1:
                   ready_queue = []
                  normal_queue = []
                  temp = []
                   for i in range(len(process_data)):
                            if process_data[i][1] <= s_time and
                                \hookrightarrow process_data[i][4] == 0:
                                     temp.extend([process_data[i][0],
                                         \hookrightarrow process_data[i][1],
                                         \hookrightarrow process_data[i][2],
                                         → process_data[i][3],
                                                                            process_data
                                                                               \hookrightarrow [
                                                                               \hookrightarrow i
                                                                               \hookrightarrow ][5]])
                                     ready_queue.append(temp)
                                     temp = []
                            elif process_data[i][4] == 0:
                                     temp.extend([process_data[i][0],
                                         → process_data[i][1],
                                         → process_data[i][2],
                                         \hookrightarrow process_data[i][4],
                                                                           process_data
```

```
normal_queue.append(temp)
                  temp = []
if len(ready_queue) = 0 and len(normal_queue) =
   \hookrightarrow
       0:
         break
if len(ready_queue) != 0:
         ready_queue.sort(key=lambda x: x[3],

    reverse=True)
         start_time.append(s_time)
         s_{time} = s_{time} + 1
         e_time = s_time
         exit_time.append(e_time)
         sequence_of_process.append(ready_queue
            \hookrightarrow [0][0]
         for k in range(len(process_data)):
                  if process_data[k][0] ==
                     \hookrightarrow ready_queue [0][0]:
                           break
         process_data[k][2] = process_data[k][2] -
            \hookrightarrow 1
         if process_data[k][2] == 0:
            \hookrightarrow burst time is zero, it means
            \hookrightarrow process is completed
                  process_data[k][4] = 1
                  process_data[k].append(e_time)
if len(ready_queue) == 0:
         normal_queue.sort(key=lambda x: x[1])
         if s_{time} < normal_queue[0][1]:
                  s_{time} = normal_queue[0][1]
         start_time.append(s_time)
         s_{time} = s_{time} + 1
         e_time = s_time
         exit_time.append(e_time)
         sequence_of_process.append(normal_queue
            \hookrightarrow [0][0]
         for k in range(len(process_data)):
                  if process_data[k][0] =
                     \hookrightarrow normal_queue [0][0]:
                           break
```

 $\begin{array}{ccc} \hookrightarrow & [\\ \hookrightarrow & i \end{array}$

 \hookrightarrow][5]])

```
process_data[k][2] = process_data[k][2] -
                           if process_data[k][2] == 0:
                                                                   \#if
                              \hookrightarrow burst time is zero, it means
                              \hookrightarrow process is completed
                                    process_data[k][4] = 1
                                    process_data[k].append(e_time)
         calculateTurnaroundTime( process_data)
         calculateWaitingTime( process_data)
         twt = [p[8] for p in process_data]
         tat = [p[7] \text{ for } p \text{ in } process\_data]
         ctime = [p[6] \text{ for } p \text{ in } process\_data]
         return twt, tat, ctime, sequence_of_process
def calculateTurnaroundTime( process_data):
         total\_turnaround\_time = 0
         for i in range(len(process_data)):
                  turnaround_time = process_data[i][6] -
                     → process_data[i][5]
                  total_turnaround_time = total_turnaround_time +

→ turnaround_time

                  process_data[i].append(turnaround_time)
def calculateWaitingTime( process_data):
         total_waiting_time = 0
         for i in range(len(process_data)):
                  waiting_time = process_data[i][6] - process_data[
                     \hookrightarrow i ] [1]
                  waiting\_time = turnaround\_time - burst\_time
                  total_waiting_time = total_waiting_time +

→ waiting_time

                  process_data[i].append(waiting_time)
def plot_graph (process_data):
         processes = [p[0] \text{ for } p \text{ in } process\_data]
         twt = [p[8] \text{ for } p \text{ in } process\_data]
         tat = [p[7] for p in process_data]
```

```
ctime = [p[6] \text{ for } p \text{ in } process\_data]
        plt.plot(processes, twt, label='Waiting_Time')
        plt.plot(processes, tat, label = 'TurnAround_Time')
        plt.plot(processes, ctime, label = 'Completion_Time')
        plt.legend(loc='best')
        plt.savefig('./output/PRIORITY_P_output.png')
        plt.show()
        plt.close(fig='all')
def printData( process_data, sequence_of_process):
        process_data.sort(key=lambda x: x[0])
        Sort processes according to the Process ID
        print ("Process_ID __Arrival_Time __Rem_Burst_Time ___
           → Priority ____Completed __Orig_Burst_Time_
           → Completion_Time__Turnaround_Time__Waiting_Time")
        for i in range(len(process_data)):
                for j in range(len(process_data[i])):
                         print(process_data[i][j], end='\t\t')
                print()
        print('\nAverage_Turnaround_Time:',sum(p[7] for p in
           → process_data)/len(process_data))
        print('Average_Waiting_Time:',sum(p[8] for p in
           → process_data)/len(process_data))
        print("Throughput: ", len(process_data)/max([p[6] for p in
               process_data]))
        print(f'Sequence_of_Process:_{sequence_of_process}')
def priority_p():
        process_data = []
        with open('./inputs/PRIORITY_P.txt', 'r') as f:
                f.readline()
                for line in f.readlines():
                         temporary = []
                         process, burst, arrival, priority = (
                            → line.split("""))
                         temporary.extend([process, int(arrival),
                            → int(burst), int(priority), 0, int(
```

```
burst)])
process_data.append(temporary)

sequence_of_process = schedulingProcess( process_data)
printData(process_data, sequence_of_process)
plot_graph(process_data)

if __name__ = "__main__":
    priority_p()
```

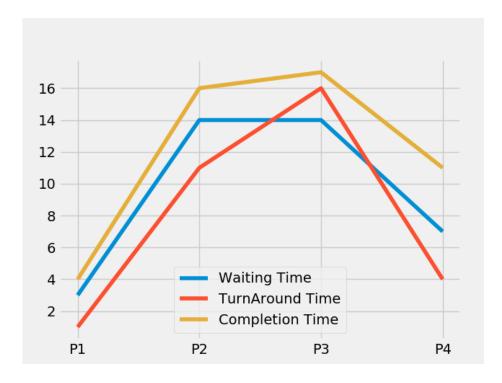


Figure 6.1: SJF(Preemptive) output values.

Figure 6.2: SJF(Preemptive) output values.

6.2 Priorty(Non-Preemptive)

```
Listing 6.2: SJF Preemptive Source code
import matplotlib.pyplot as plt;
plt.style.use('fivethirtyeight')
def get_wt_time( wt, proc, totalprocess):
        service = [0] * total process
        service[0] = 0
        \operatorname{wt}[0] = 0
        for i in range (1, total process):
                 service[i] = proc[i-1][1] + service[i-1]
                 wt[i] = service[i] - proc[i][0] + 1
                 if(wt[i] < 0):
                         wt[i] = 0
def get_tat_time(tat, wt, proc, totalprocess):
        for i in range(totalprocess):
                 tat[i] = proc[i][1] + wt[i]
def findgc(proc, totalprocess):
        wt = [0] * total process
        tat = [0] * total process
        wavg = 0
        tavg = 0
        get_wt_time(wt,proc, totalprocess)
        get_tat_time(tat, wt, proc, totalprocess)
        stime = [0] * total process
        ctime = [0] * total process
        stime[0] = 1
        ctime [0] = stime [0] + tat [0]
        for i in range(1, totalprocess):
                 stime[i] = ctime[i - 1]
                 ctime[i] = stime[i] + tat[i] - wt[i]
```

```
for i in range(totalprocess):
                  wavg += wt[i]
                  tavg += tat[i]
         return wt, tat, ctime
def print_details (processes, proc, arrival_time, ctime, tat, wt):
         print("Process_no\tStart_time\tComplete_time",
                                    "\tTurn_Around_Time\tWaiting_Time
                                       \begin{array}{lll} \textbf{range(len(processes)).} \\ \textbf{print(proc[i][3], "} \\ \textbf{t", arrival\_time[i],} \\ & " \\ \textbf{t",} \end{array}
         for i in range(len(processes)):
                                                                  \hookrightarrow end
                                                                  → " _ "
                  print(ctime[i], "\t\t", tat[i], "\t\t", wt[i],'
                     print("Average_waiting_time_is_:_", end = "_")
         print(sum(wt) / len(processes))
         print("average_turnaround_time_:_" , end = "_")
         print(sum(tat) / len(processes))
def plot_graph (processes, wt, tat, ctime):
         plt.plot(processes, wt, label='Waiting_Time')
         plt.plot(processes, tat, label = 'TurnAround_Time')
         plt.plot(processes, ctime, label = 'Completion_Time')
         plt.legend(loc='best')
         plt.savefig('./output/PRIORITY_NP_output.png')
         plt.show()
         plt.close(fig='all')
# Driver code
def priority_np():
```

```
processes = []
         burst_time = []
         arrival_time = []
         priority = []
         with open('./inputs/PRIORITY_NP.txt', 'r') as f:
                  f.readline()
                  for line in f.readlines():
                           process, burst, arrival, prior = (line.
                               \hookrightarrow split())
                           processes.append(process)
                           burst_time.append(int(burst))
                           arrival_time.append(int(arrival))
                           priority.append(int(prior))
         totalprocess = len(processes)
         proc = []
         for i in range(totalprocess):
                  l = []
                  for j in range (4):
                           l.append(0)
                  proc.append(1)
         for i in range(totalprocess):
                  \operatorname{proc}[i][0] = \operatorname{arrival\_time}[i]
                  proc[i][1] = burst_time[i]
                  \operatorname{proc}[i][2] = \operatorname{priority}[i]
                  proc[i][3] = processes[i]
         proc = sorted (proc, key = lambda x:x[2])
         proc = sorted (proc)
         wt, tat, ctime = findgc(proc, totalprocess)
         print_details (processes , proc , arrival_time , ctime , tat , wt)
         plot_graph (processes, wt, tat, ctime)
         plt.close(fig='all')
if __name__ = "__main__":
         priority_np()
```

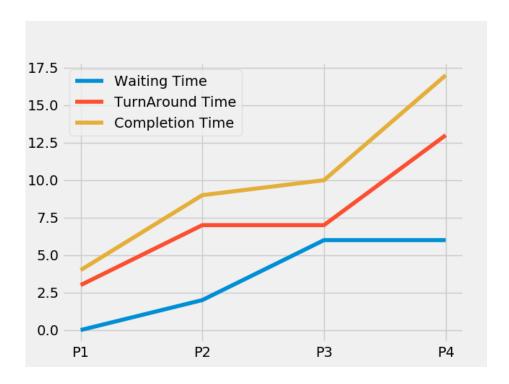


Figure 6.3: SJF(Preemptive) output values.

Process_no	Start_time	Complete_time	Turn_Around_Time	Waiting_Time	Priority
P1	1	4	3	0	2
P2	2	9	7	2	5
P3	3	10	7	6	1
P4	4	17	13	6	7
_	ng time is : 3. round time : 7.				
	ton to continue.				

Figure 6.4: SJF(Preemptive) output values.

Round Robin

Listing 7.1: Round Robin Source Code import matplotlib.pyplot as plt from statistics import mean plt.style.use('fivethirtyeight') def findWaitingTime (processes, n, burst_time, waiting_time, \hookrightarrow quantum): $rem_burst_time = [0] * n$ for i in range(n): rem_burst_time[i] = burst_time[i] t = 0 $\mathbf{while}(1):$ done = Truefor i in range(n): $if (rem_burst_time[i] > 0) :$ done = Falseif (rem_burst_time[i] > quantum) : t += quantumrem_burst_time[i] -= quantum else: t = t + rem_burst_time[i] waiting_time[i] = t - burst_time[i] $rem_burst_time[i] = 0$ if (done = True):break def findTurnAroundTime(processes, n, burst_time, waiting_time, \hookrightarrow tat): for i in range(n): tat[i] = burst_time[i] + waiting_time[i] def findavgTime(processes, n, burst_time, arrival_time, quantum): $waiting_time = [0] * n$ tat = [0] * n

```
compl_time = [0] * len(processes)
    findWaitingTime(processes, n, burst_time, waiting_time,
       \hookrightarrow quantum)
    findTurnAroundTime(processes, n, burst_time, waiting_time,
       \hookrightarrow tat)
    total_waiting_time = 0
    total_tat = 0
    for i in range(n):
        total_waiting_time = total_waiting_time + waiting_time[i]
        total_tat = total_tat + tat[i]
        compl_time[i] = arrival_time[i] + tat[i]
    return waiting_time, tat ,compl_time
def plot_graph_normal(processes, waiting_time, compl_time,
   \hookrightarrow turn_around_time, ax1):
    ax1.plot(processes, waiting_time, label = "waiting_time")
    ax1.plot(processes, compl_time, label = "Completion_time")
    ax1.plot(processes, turn_around_time, label = "Turnaround_Time"
       \hookrightarrow )
    ax1.legend()
   # plt.savefig('.../output/ROUND_ROBIN_output.png')
def plot_graph_quantum(processes, burst_time, arrival_time, ax2):
    throughput_quantum = []
    avg_waiting_quantum = []
    avg_turnaround_quantum = []
    avg_completion_quantum =[]
    for n in range (1,10):
        waiting_time, turn_around_time, compl_time = findavgTime(
           → processes, len(processes), burst_time, arrival_time
           \hookrightarrow , n)
        throughput_quantum.append(len(processes)/compl_time[len(
           \rightarrow processes )-1])
        avg_turnaround_quantum.append(mean(turn_around_time))
        avg_completion_quantum.append(mean(compl_time))
        avg_waiting_quantum.append(mean(waiting_time))
```

```
rang = list(range(1,10))
     ax2.plot(rang,throughput_quantum,label="Throughput")
     ax2.plot(rang,avg_waiting_quantum,label="Average_waiting_time
        \hookrightarrow ")
     ax2.plot(rang,avg_completion_quantum,label="Average_

→ Completion _Time")

     ax2.plot(rang, avg_turnaround_quantum, label="Average_Turn_
        → Around _Time")
     ax2.legend()
def print_details (processes, burst_time, waiting_time, compl_time,
   \hookrightarrow tat):
     print ("Processes ____Burst_Time___Waiting__Time___Turn-
        → Around_Time____Completion_Time")
     for i in range(len(processes)):
             \mathbf{print} ("\", processes [i], "\t\t", burst_time [i], "\t\t
                 \hookrightarrow ", waiting_time[i], "\t\t", tat[i],"\t\t",
                 \hookrightarrow compl_time[i])
     print("\nAverage_waiting_time_=_%.5f_"%(sum(waiting_time) /
        \hookrightarrow len(processes)) )
     print("Average_turn_around_time_=_%.5f_"% (sum(tat) / len(
        \hookrightarrow processes)))
     print('Throughput == ', len(processes)/ max(compl_time))
     \mathbf{print}(\ '\mathrm{Average} \, \lrcorner \mathrm{Job} \, \lrcorner \, \mathrm{elapsed} \, \lrcorner \, \mathrm{time} \, \lrcorner = \lrcorner \ ', \mathbf{sum}(\ \mathrm{tat}) \, / \, \mathbf{len}(\ \mathrm{processes}))
def round_robin():
     f, (ax1, ax2) = plt.subplots(1, 2, sharey=True)
     processes = []
     burst_time = []
     arrival_time = []
    \#breakpoint
     with open('./inputs/ROUND_ROBIN.txt','r') as
          f.readline()
          for line in f.readlines():
               process, burst, arrival = (line.split("_"))
               processes.append(process)
               burst_time.append(int(burst))
```

arrival_time.append(int(arrival))

```
\# Time quantum
    quantum = 2;
    waiting_time , turn_around_time , compl_time = findavgTime(
       → processes, len(processes), burst_time, arrival_time,

→ quantum)

    print_details (processes, burst_time, waiting_time, compl_time,

    turn_around_time)

    plot_graph_normal(processes, waiting_time, compl_time,

    turn_around_time , ax1)
    plot_graph_quantum(processes, burst_time, arrival_time, ax2)
    plt.savefig("./output/ROUND_ROBIN.png")
    plt.show()
    plt.close(fig='all')
# Driver code
\mathbf{if} __name__ =="_-main__":
      round_robin()
```

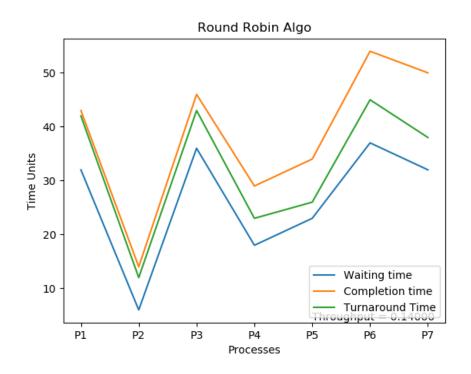


Figure 7.1: FCFS output values.

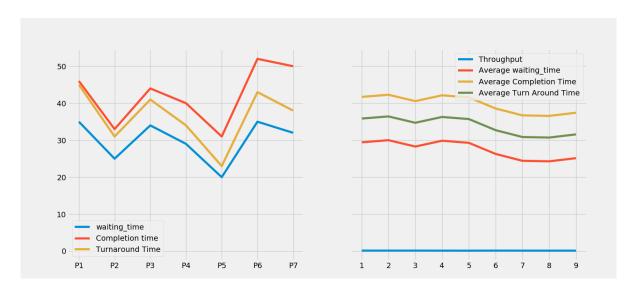


Figure 7.2: FCFS output values.

Processes	Burst Time	Waiting	Time Turn-Arc	ound Time Completion Time		
P1	10	35	45	46		
P2	6	25	31	33		
P3	7	34	41	44		
P4	5	29	34	40		
P5	3	20	23	31		
P6	8	35	43	52		
P7	6	32	38	50		
Average waiting_time = 30.00000 Average turn around time = 36.42857 Throughput = 0.1346153846153846 Average Job elapsed time = 36.42857142857143 press any button to continue						

Figure 7.3: FCFS output values.

Conclusion

From the given project work we have concluded that the difference between the turn around time, average waiting time, average elapsed time and completion time for same input of different cpu scheduling is as follows:-

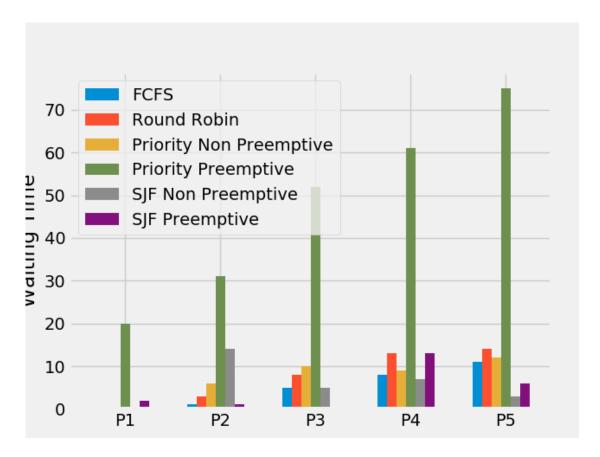


Figure 8.1: comparison between CPU scheduling.

from the above graph we came to know that every algorithm works better on the significant problem as the fcfs is better for a small burst time. The sjf is better if the process comes to processor simultaneously and round robin, is better to adjust the average waiting time desired and the priorty works better where the relative important of each process may be precisely defined.

References

The source code of the project can be found at:https://github.com/cannibalcheeseburger/cpu-scheduling-simluation.git And the other references we used for this project are given:-

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- Operating System Principles Galvin
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