# COMP 650 "Thesis" Presentation

RAM and IJRR/RSS TMKit Papers
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Presented by Cannon Lewis

### **Identified Problems**

- Task and Motion Planning (TMP) presents challenges in completeness and scalability; existing approaches sacrifice one or the other.
- Existing TMP solutions are specific to certain classes of problems.
- Task planners and motion planners operate on very different principles, so achieving interaction between these layers is difficult.
- Motion planning for complex manipulation tasks requires a non-static configuration space representation.

## **Specific Contributions**

- Useful abstractions of the task planning, motion planning, and TMP problems.
- TMKit, a modular system for performing interleaved TMP.
- The IDTMP algorithm for efficiently combining task planning and motion planning.
- The Amino scene-graph representation which allows for efficient configuration space updates.

## **Background - Task Planning**

**Definition 1.** Task Language. The task language is a set of strings of actions, defined by  $\mathfrak{L} = (\mathcal{P}, \mathcal{A}, \mathcal{E}, s^{[0]}, \mathcal{G})$ , where,

- $\mathcal{P}$  is the state space ranging over variables  $p_0, \dots, p_n$ ,
- A is the set of task operators, i.e., terminal symbols,
- $\mathcal{E} \subseteq (\mathbb{P}(\mathcal{P}) \times \mathcal{A} \times \mathbb{P}(\mathcal{P}))$  is the set of symbolic transitions. Each  $e_i \in \mathcal{E}$  denotes transitions  $\operatorname{pre}(a_i) \stackrel{a_i}{\longrightarrow} \operatorname{eff}(a_i)$ , where  $\operatorname{pre}(a_i) \subseteq \mathcal{P}$  is the precondition set,  $a_i \in \mathcal{A}$  is the operator, and  $\operatorname{eff}(a_i) \subseteq \mathcal{P}$  is the effect set. We represent a concrete transition on  $a_i$  at step k from state  $s^{[k]}$  to  $s^{[k+1]}$  as  $s^{[k+1]} = a_i(s^{[k]})$ , where  $s^{[k]} \in \operatorname{pre}(a_i)$ ,  $s^{[k+1]} \in \operatorname{eff}(a_i)$ , and for all state variables  $p_j$  independent of (i.e., free in)  $\operatorname{eff}(a_i)$ ,  $p_j^{[k+1]} = p_j^{[k]}$ ,
- $s^{[0]} \in \mathcal{P}$  is the start state,
- G⊆P is the set of accept states, i.e., the task goal.

**Definition 2.** Task Plan. A task plan **A** is a string in the task language  $\mathfrak{L}$ , i.e.,  $\mathbf{A} \in \mathfrak{L}$ , where  $\mathbf{A} = (a^{[0]}, a^{[1]}, \dots, a^{[h]})$ ,  $a^{[k]} \in \mathcal{A}$ ,  $s^{[k]} \in \operatorname{pre}(a^{[k]})$ ,  $s^{[k+1]} = a^{[k]}(s^{[k]})$ , and  $s^{[h]} \in \mathcal{G}$ .

- Domain consists of discrete representation of task to be solved.
- Plan consists of discrete actions to transition from start state to goal state.

## Background - Task Planning

- We would like to be able to generate alternate task plans, so that motion planner feedback can influence task plan choice.
- We would also like to be able to reuse work from previous planning rounds.
- Dominant approaches in task planning are heuristic search (e.g. A\*) and constraint based methods (e.g. SMT).

## **Background - Task Planning**

- Satisfiability Modulo Theories (SMT) is essentially SAT solving with additional rules ("theories") for defining constraints in non-boolean domains.
- SMT effectively provides a high-level interface for SAT solving.
- Incremental solving with Z3 (pushing/popping constraints).
- Want to encode failed motion plans with constraints.



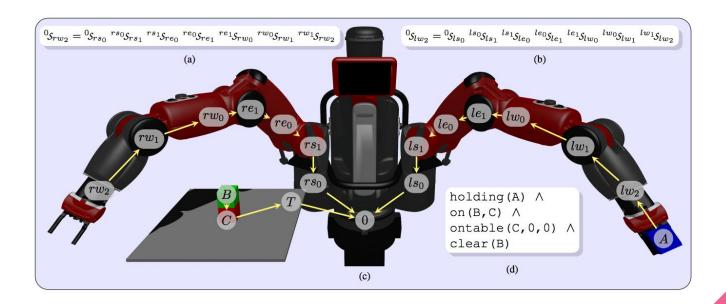
## Background - Task Languages

- Many task language notations exist.
- Most popular are PDDL, LTL, or special purpose formal languages.
- All notations roughly equivalent in expressibility.
- Ideal TMP solution is notation agnostic.
- In experiments for this paper, PDDL is used.

## **Background - Motion Planning**

- Robots typically modeled as kinematic trees.
- For task and motion planning, need to be able to modify kinematic tree as objects are manipulated.
- Sampling based planners are the dominant method for high DoF motion planning.
- Probabilistic completeness a consideration for TMP.
- For this work, RRT-Connect is used.

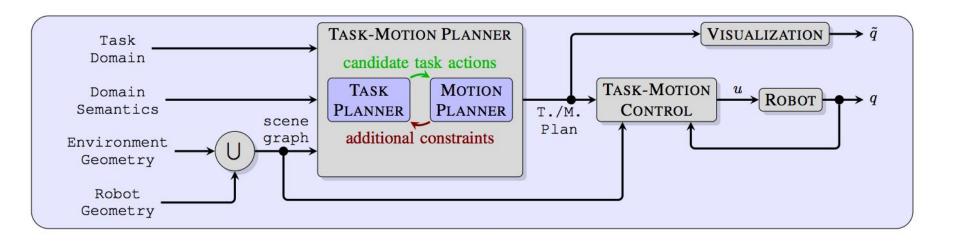
# **Background - Motion Planning**



## Background - Task and Motion Planning

- Seek to establish correspondence between task operators and motion planning problems.
- Due to probabilistic nature of sampling planners, cannot prove nonexistence of motion plans for operators.
- Task and motion plan consists of paired task operators and motion plans.
- Task and motion planning steps are typically interleaved, failed motion plans revisited.

## Background - Task and Motion Planning



### Related Work

- Many existing methods for TMP, mostly for specific domains
- Existing methods typically focus on performance.
- TMP methods include semantic attachments, knowledge bases, Hierarchical Planning in the Now, discretized motion planning.
- aSyMov and Synergistic Framework ensure probabilistic completeness, but use different algorithms for performing task planning, motion planning, and at the TMP interface level than TMKit.

### Related Work

- Some related TMP works deal directly with differential dynamics, though TMKit does not.
- Many other TMP works use roadmaps, which then avoid much of the repeated computation necessary in TMKit.
- However, roadmap methods decrease flexibility to changes in configuration space.
- A few TMP approaches require or make use of backtracking in lieu of establishing alternate task plans.

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**Definition 3.** Scene Graph.  $\gamma = (Q, \mathcal{L}, \mathcal{F})$ , where

- $Q \subseteq \mathbb{R}^n$  is a space of configurations,
- L is a finite set of unique frame labels,
- $\mathcal{F}$  is a finite set of kinematic frames (graph nodes), such that each frame  $f_{\ell} = (\ell, \varrho_{\ell}, \varsigma_{\ell}, \mu_{\ell})$ , where,
  - $-\ell \in \mathcal{L}$  is the unique label of frame of  $f_{\ell}$
  - $-\varrho_{\ell} \in \mathcal{L}$  is the label of the parent of frame of  $f_{\ell}$ , indicating graph edge connections
  - $-\varsigma_{\ell}: \mathcal{Q} \mapsto \mathcal{SE}(3)$ , maps from the configuration space to the workspace pose of  $f_{\ell}$  relative to its parent  $\varrho_{\ell}$ , indicating graph edge values
  - $-\mu_{\ell}$  is a rigid body mesh representing geometry attached to  $f_{\ell}$ .

**Definition 4.** Motion Plan. A motion plan is a sequence of neighboring configurations  $\mathbf{Q} = \left(q^{[0]}, q^{[1]}, \dots, q^{[n]}\right)$  such that each  $q^{[k]} \in \mathcal{Q}$  and  $\|q^{[i+1]} - q^{[i]}\| < \epsilon_q$ , for some small  $\epsilon_q$ . The initial configuration is first $(\mathbf{Q}) = q^{[0]}$ , and the final configuration is last $(\mathbf{Q}) = q^{[n]}$ .

#### Definition 5. Task-Motion Domain.

$$\mathfrak{D} = \left(\mathfrak{L}, \sigma^{[0]}, \lambda_{lpha}, \lambda_{
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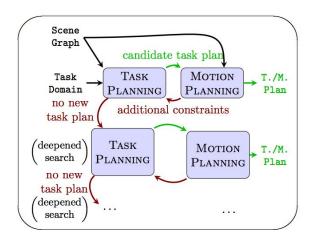
- $\mathfrak{L}$  is the task language, where  $\mathcal{P} = \mathcal{P}_m \times \mathcal{P}_t$  represents the motion component  $\mathcal{P}_m$  and non-motion component  $\mathcal{P}_t$  of task state,
- $\sigma^{[0]} = (s^{[0]}, \gamma^{[0]}, q^{[0]})$  is initial the task-motion state: task state  $s^{[0]}$ , scene graph  $\gamma^{[0]}$  and configuration  $q^{[0]}$ ,
- $\lambda_{\alpha}: \Gamma \mapsto \mathcal{P}_m$  domain semantics to abstract the scene graph  $\gamma \in \Gamma$  to the motion component task state  $s_m \in \mathcal{P}_m$ ,
- $\lambda_{\rho}: \Gamma \times \mathcal{A} \mapsto \mathbb{P}(\mathcal{Q}) \times \Gamma$  domain semantics to refine the initial scene graph  $\gamma^{[k]} \in \Gamma$  and task operator  $a^{[k]} \in \mathcal{A}$  to a motion planning goal (a set of configurations)  $\Theta^{[k]} \subseteq \mathcal{Q}$  for the action and a final scene graph  $\gamma^{[k+1]} \in \Gamma$  via reparenting frames,
- $\Omega \subseteq \Gamma \times \mathcal{P}$  is the goal condition.

**Definition 6.** Task and Motion Plan. A task and motion plan is a sequence of task operators and motion plans,  $\mathbf{T} = ((a^{[0]}, \mathbf{Q}^{[0]}), \dots, (a^{[h]}, \mathbf{Q}^{[h]}))$  where  $(a^{[0]}, \dots, a^{[h]}) \in \mathfrak{L}$  and for each step k,  $(\Theta^{[k]}, \gamma^{[k+1]}) = \lambda_{\rho}(a^{[k]}, \gamma^{[k]})$  such that  $\operatorname{last}(\mathbf{Q}^{[k]}) \in \Theta^{[k]} \wedge \operatorname{first}(\mathbf{Q}^{[k+1]}) = \operatorname{last}(\mathbf{Q}^{[k]})$ .

- To unify task planning and motion planning layers, introduce notion of "domain semantics."
- Domain semantics define how task operators map to motion planning problems.
- In TMKit, specified by Lisp or Python functions.
- TMKit also supports a meta-operator that "reparents" by modifying the underlying scene graph.

### **Contributions - IDTMP**

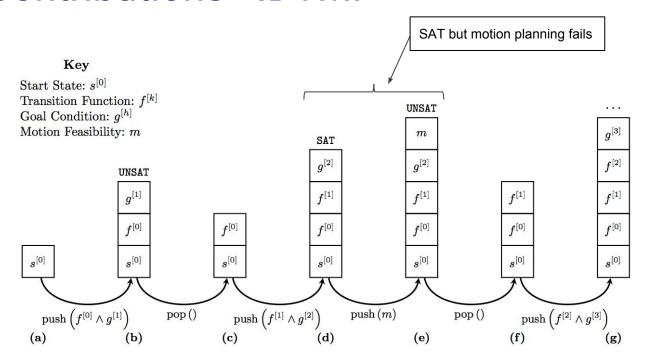
- Iteratively Deepened Task and Motion Planning.
- "Secret sauce" of TMKit.
- Essentially:
  - Generate candidate task plans with set "step horizon"
  - Evaluate task plan feasibility using motion planner with set "sampling horizon"
  - If satisfying plan found, return
  - Else record found motion constraint or increment step horizon and sampling horizon, and loop.



### **Contributions - IDTMP**

- Incremental solving with SMT solver using a stack of "scopes" containing constraints.
- Constraints can be derived from geometric information returned by failed refinement of a task operator's corresponding motion planning problem.
- The naive solution is to simply enumerate failed task plans as constraints.
- Better constraints developed in extensions.

### **Contributions - IDTMP**



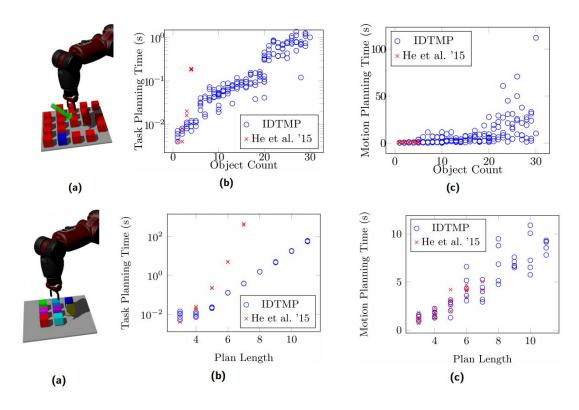
## Contributions - Completeness

- An SMT solver will enumerate all candidate task plans at all step horizons, so
  if a feasible task plan exists in n steps, the solver is guaranteed to find it.
- RRT-Connect is probabilistically complete.
- Thus, since we retry failed motion plans by pushing and popping constraints,
   IDTMP is guaranteed to find a satisfying task and motion plan in the limit if one exists.

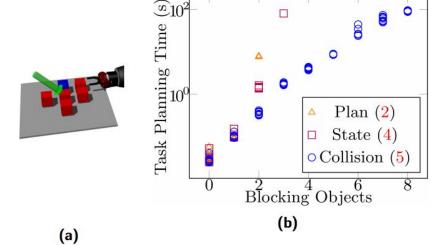
### **Contributions - Extensions to IDTMP**

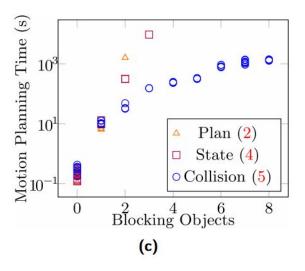
- By introducing post-plan and post-state connectivity assumptions, we can make use of more general constraints derived from failed motion plans.
- Motion Plan Caching requires post-plan connectivity.
- Failure Generalization Constraints requires post-state connectivity.
- Collision Generalization Constraints requires post-state connectivity.
- All of these extensions preserve completeness since we pop the generated constraints eventually to deal with spurious motion planning failure.

## **Experiments - Scalability**



## **Experiments - Extensions**





### Dent

- Largely a technical accomplishment
  - Establishment of TMKit framework
  - Development of IDTMP algorithm
- Primary conceptual novelty in formalizations of task and motion planning concepts.
- Also exposes the inherent modularity of TMP in TMKit to facilitate future research.

## **Analysis - Literature Review**

- Both papers make good use of interleaved references throughout.
- IJRR/RSS paper especially makes use of ~3 pages of references.
- Though task planning and combined task and motion planning are well covered by references, motion planning is less contextualized.
- Explanation of similar TMP approaches such as aSyMov and the Synergistic Framework is somewhat lacking in detail.

## **Analysis - Methodology**

- One of the weaker points of the paper.
- Only three experiments performed, all in simulation, against only one alternate approach.
- Environments in which experiments are conducted pose no significant motion planning challenge.
- However, theoretical ideas are well justified, modularity seems reasonable for TMP, and IDTMP seems eminently extensible.
- Limitations to geometric motion planning are also acknowledged.

## **Analysis - Presentation**

- Overall papers are well written, figures are informative.
- Occasional spelling errors and sentence fragments during related work discussion are distracting.
- Implementation-specific details and more general framework capabilities are not always clearly separated, especially in the RAM paper.

### Questions?

