

# Connect Level Order Siblings (medium)

We'll cover the following

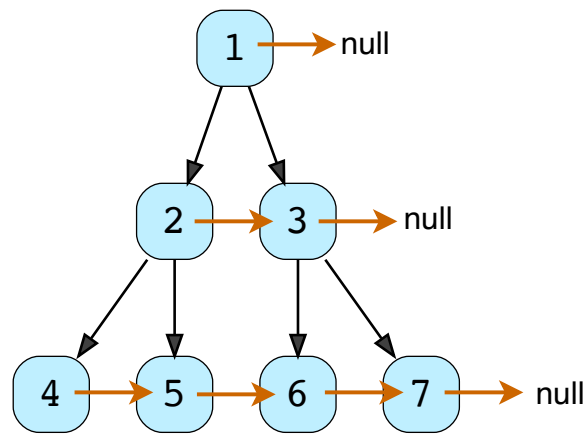
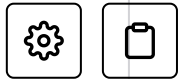


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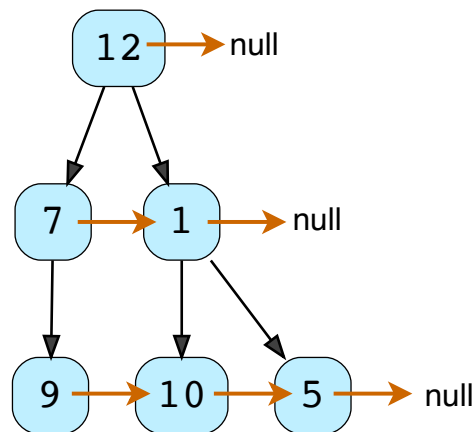
## Problem Statement #

Given a binary tree, connect each node with its level order successor. The last node of each level should point to a `null` node.

### Example 1:



## Example 2:



## Try it yourself #

Try solving this question here:

Java

Python3

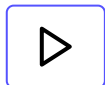
JS

C++

```
19 if current.left:
20     nextLevelRoot = current.left
21 elif current.right:
```



```
22         nextLevelRoot = current.right
23         current = current.next
24     print()
25
26
27 def connect_level_order_siblings(root):
28     # TODO: Write your code here
29     queue = [root,]
30     while queue:
31         prevNode = None
32         size = len(queue)
33         for _ in range(size):
34             curr = queue.pop(0)
35             if prevNode:
36                 prevNode.next = curr
37             prevNode = curr
38             if curr.left:
39                 queue.append(curr.left)
40             if curr.right:
41                 queue.append(curr.right)
42     return root
43
44 def main():
45     root = TreeNode(12)
46     root.left = TreeNode(7)
```



Output

0.33s

Level order traversal using 'next' pointer:

12

7 1

9 10 5

## Solution #

This problem follows the Binary Tree Level Order Traversal

(<https://www.educative.io/collection/page/5668639101419520/5671464854355968/5726607939469312/>) pattern. We can follow the same **BFS** approach. The

only difference is that while traversing a level we will remember the previous node to connect it with the current node.

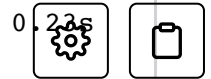


## Code #

Here is what our algorithm will look like; only the highlighted lines have changed:

Java	Python3	C++	JS
<pre>20         nextLevelRoot = current.left 21         elif current.right: 22             nextLevelRoot = current.right 23         current = current.next 24         print() 25 26 27 def connect_level_order_siblings(root): 28     if root is None: 29         return 30 31     queue = deque() 32     queue.append(root) 33     while queue: 34         previousNode = None 35         levelSize = len(queue) 36         # connect all nodes of this level 37         for _ in range(levelSize): 38             currentNode = queue.popleft() 39             if previousNode: 40                 previousNode.next = currentNode 41             previousNode = currentNode 42 43             # insert the children of current node in the queue 44             if currentNode.left: 45                 queue.append(currentNode.left) 46             if currentNode.right: 47                 queue.append(currentNode.right)</pre>			
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Output



```
Level order traversal using 'next' pointer:  
12  
7 1  
9 10 5
```

## Time complexity #

The time complexity of the above algorithm is  $O(N)$ , where 'N' is the total number of nodes in the tree. This is due to the fact that we traverse each node once.

## Space complexity #

The space complexity of the above algorithm will be  $O(N)$ , which is required for the queue. Since we can have a maximum of  $N/2$  nodes at any level (this could happen only at the lowest level), therefore we will need  $O(N)$  space to store them in the queue.

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