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<code>asContinuous</code>	<i>converts a boolean regulatory model to a continuous model</i>
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## Description

Take a net object of class "BooleanNetwork" as that defined by `loadNetwork()` and return a continuous regulatory network model in the form of a net object of the class "SQUAD". The continuous network can be used as an object function argument for the `deSolve` R package.

## Usage

```
asContinuous(net)
```

## Example

```
> data(cellCycle)
# setting initial state
> state<-generateState(cellCycle,specs=c("CycA"=1,"CycD"=1))
# setting intervals for numerical integration
> times <- seq(min=0,max=1,seq.out=100)

> cellCycle.s <- asContinuous(cellCycle)
> simulations <- ode(y=state, fun=cellCycle.s$fun, times=times,
                    parameters = "default")
> # note that cellCycle$fun can be given as the function
> # parameter to ode solver method
> simulations
```

## Details

The continuous network object retrieved by the function represent a system

of ordinary equations according to the methodology described in Martínez-Sosa, 2013 [1]. This methodology have the same fixed point attractors of that in the Boolean model but have the advantage that it takes into account kinetic parameters.

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<code>graphToModel</code>	<i>transforms a connectivity Matrix to a dynamic regulatory network model</i>
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## Description

Takes a connectivity matrix that represent a static regulatory network graph and transforms it to a "BooleanNetwork" or "SQUAD" object that can be used to simulate network transitions and calculating attractors.

## Usage

```
graphToModel(connectivityMatrix)
```

## Arguments

<code>connectivityMatrix</code>	A square matrix of the nodes of the network with -1, 0, or 1 integer values that represent negative, null or positive regulation.
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## Example

```
# generate a sample random connectivity matrix
> net<-randomMatrix.e(dimensions=20)
> plotAttractors(getAttractors(net))
```

## Details

Connectivity matrices are defined as that with entries  $A_{ij}$  representing

a regulation from the node  $i$  to  $j$ . Positive (negative) regulations are represented by 1 (-1). No regulatory dependencies are indicated by zero. The model assumes that node  $j$  activation is achieved if and only if there is at least one of their positive regulators is active and all negative regulators inputs are inactive.

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<code>loadNetWorkSQUAD</code>	<i>loads a regulatory network given as a SQUAD format</i>
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## Description

Load a regulatory network model given as a SQUAD format. It returns an object of the class "SQUAD" that can be used to make simulations using `squad()`.

## Usage

```
loadNetworkSQUAD("file.txt")
```

## Arguments

<code>file</code>	A text file of the format "SQUAD". See details for the definition of the "SQUAD" format.
<code>fixed</code>	A list of of named numerical variables. Variables belongs to the $[0,1]$ interval. A valid fixed parameter is <code>list("gen1" = 0, "gen2" = 0.5, ...)</code> where the length of the list is less that the number of nodes in the regulatory network model.

## Example

```
# loading a "SQUAD" model from the SQUAD format
> net <- loadNetworkSQUAD("file.txt")
> simulations <- ode(y=state, fun=net$fun, times=times,
                    parameters = "default")
> # note that cellCycle$fun can be given as the function
```

```
> # parameter to ode solver method  
> simulations
```

## Details

An example of the squad format has the following structure:

```
targets; factors  
A; A  
B;  $\min(A, 1 - C)$   
C;  $1 - \max(A, B)$ 
```

Where the first line defines is a header which indicates that the file is in squad format. The next lines defines the names of the nodes followed by a ”;”. The rest of the line is a diffuse logic expression which defines the  $\omega$  parameter of the squad function, see [1]. It returns a object of the class ”SQUAD” that can be used to perform simulations using the `squad()` function.

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`getAttractorsAsynchronous` *calculates all asynchronous stationary states of a Boolean Regulatory Network*

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## Description

Finds all asynchronous stationary states of a Boolean Regulatory Network model. Takes as arguments an object of the "BoolNet" (or "SQUAD" under construction) and returns a data frame which contains the attractors of the model.

## Usage

```
getAttractorsAsynchronous(net)
```

## Arguments

<code>net</code>	An object of the "BoolNet" (or "SQUAD") class.
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## Example

```
> data(cellCycle)
> attractors <- getAttractorsAsynchronous(cellCycle)
> attractors
```

## Details

The function is straightforward. It calls the ginsim library written by Nadi and colleagues, 2009 [2].

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squad

*performs simulations of regulatory network models using the SQUAD methodology*

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## Description

Performs a variety simulations of Regulatory network models using the SQUAD methodology. It can be used to set up different initial states, parameters and also to simulate gain/loss of function mutants. It returns

## Usage

```
squad(net,initialState,parameters,fixedGenes)
```

## Arguments

net                                      An object of the "BoolNet" or "SQUAD" class.

## Example

```
> data(cellCycle)
> net.sq <- asContinuous(cellCycle)
> initialState <- runif(length(cellCycle$genes),0,1)
> times <- seq(0,10,by=0.5)
> h <- rep(50,length(cellCycle$genes))
> gamma <- rep(1,length(cellCycle$genes))
> parameters <- list(h,gamma)
> squad(net.sq)
```



## Details

It performs simulations according to the updated version of the Standardized Qualitative Analysis of Dynamical Systems (SQUAD) method described in Martínez-Sosa in 2013 [1], as modified from the first version in Di Cara, 2007 [2].

# Bibliography

- [1] P. Martínez-Sosa and L. Mendoza. The regulatory network that controls the differentiation of t lymphocytes. *Biosystems*, 113(2):96–103, 2013.
- [2] A. Naldi, D. Berenguier, A. Fauré, F. Lopez, D. Thieffry, and C. Chaouiya. Logical modelling of regulatory networks with ginsim 2.3. *Biosystems*, 97(2):134–139, 2009.