

algoritmo(n)

i = 1

s = 3

while(i <= n)

j = 0

p = 4

while(j <= i)

p += 2

j += 1

end

s += 2p

i += 2

end

end

1
1
1, 3, 5, 7, ..., n $\lceil \frac{n}{2} \rceil + 1$
 $\lceil \frac{n}{2} \rceil$
 $\lceil \frac{n}{2} \rceil$
t
t-1
t-1
 $\lceil \frac{n}{2} \rceil$
 $\lceil \frac{n}{2} \rceil$

j = 0

while(j <= i)

p += 2

j += 1

end

Consider iterations
i k j
1 1 0 1 2 3
3 2 0 1 2 3 4 5
5 3 0 1 2 3 4 5 6 7
7 4 0 1 2 3 4 5 6 7 8 9
...
n
k = $\frac{i+1}{2}$
k = $\frac{n+1}{2}$
t_i = $\sum_{k=1}^{\frac{n+1}{2}} (2k+1)$
 $(\frac{n+1}{2}) \cdot (\frac{n+1}{2} + 1) + \frac{n+1}{2}$
t_i = $\sum_{k=1}^{\frac{n+1}{2}} 2k$
 $\sum_{i=1}^n i = \frac{P(P+1)}{2}$
 $\Theta(n^2)$

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(j, p)
(0, 4)
(j, p) → (j+1, p+2)
i+1 (i+1, 4+2(i+1))
(0, 4) → (1, 4+2) → (2, 4+2+2) → (3, 4+2+2+2)
(x, 4+ $\sum_{w=1}^x 2$) → (x, 4+2x)
(0, 4) → (0, 4)
(i+1, 4+2(i+1)) → (i+1, 4+2(i+1))
(j, p) → (j+1, p+2)
(j, 2j) → (j+1, 2(j+1))
(j+1, 2j+2)

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while(i <= n)

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p = 4

while(j <= i)

p += 2

j += 1

end

s += 2p \wedge $s += 2(4 + 2(i+1))$

i += 2

end

end

(i, s) (1, 3)
k=1 (1, 3) → (2, 3+2(4+2(1)))
k=2 (2, 3+2(4+2(1))) → (3, 3+2(4+2(1))+2(4+2(2)))
k=3 (3, 3+2(4+2(1))+2(4+2(2))) → (4, 3+2(4+2(1))+2(4+2(2))+2(4+2(3)))
(i, s) → (i+1, s+2(4+2(i+1)))
(k, s) → (k+1, s+2(4+2(2(k-1))))
(k, s) → (k+1, s+8k)

k=4 (4, 3+2(4+2(1))+2(4+2(2))+2(4+2(3))+2(4+2(4)))
k = $\frac{n+1+1}{2}$
k = $\frac{n+2}{2}$

(x, 3+ $\sum_{k=2}^x 2(4+2(k-1))$)

3+ $\sum_{k=2}^x (8+4k-4) =$
 $\sum_{k=1}^x 8-8 + \sum_{k=1}^x 4k-4(1) = \sum_{k=1}^x 4+4$

8x-8+4x(x+1)-4x+4-4

8x-8+2x²+2x-4x+4-4

2x²+6x-8

(x, 3+2x²+6x-8)

(1, 3) ✓

($\frac{n+2}{2}$, 3+2($\frac{n+2}{2}$)²+6($\frac{n+2}{2}$)-8)

(k, s) → (k+1, s+2(4+2(2k-1))) $\nearrow 2(4+4k-4)$

(x, 2x²+6x-5) → (x+1, 2(x+1)²+6(x+1)-5)

(x+1, 2x²+4x+2+6x+6-5)

(x+1, 5+4x+8)