

HarvardX: PH125.9x Data Science: Capstone - CYO Avocados Project

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1 Executive summary

The key idea is to create a system to predict prices of avocados in U.S. Avocado per capita consumption grew at 405.8% from 1990-1991 to 2016-2017, and the overall fruit category in the United States grew just 28.5% over that same time period. Rapid growth of U.S. demand for fresh avocados has increased the fruit's prominence in retail sales and consumer diets. This growth is largely due to California producer and importer-funded research and promotion programs that have changed avocados image to that of a healthy superfood. Total California production has decreased slightly over time with the growth in consumption satisfied by imports, primarily from Mexico. U.S. consumers now enjoy year-round availability of avocados with more stable month-to-month prices than previously observed.

The purpose of this project is to know the influence of different variables such as total number of avocados sold, type of avocado (conventional or organic) or region on prices and predict prices of avocados in U.S. to avoid an inflation in a certain region and to help to find a city with cheap avocados.

The data that will be used has been downloaded from the Hass Avocado Board website in May of 2018 & compiled into a single CSV. More information at <https://www.kaggle.com/neuromusic/avocado-prices?select=avocado.csv> and <https://hassavocadoboard.com/>

2 Methods/Analysis

Before creating and optimizing the algorithm, an analysis of Avocados dataset is needed to know the type of data we will work with and the influence of the different variables on average price. The Average Price (of avocados) in the table reflects a per unit (per avocado) cost.

In order to make the code easier to understand, the Analysis section has been divided in two parts:

Data exploration:

- Number of rows and columns
- Name of the variables
- Summary of Development and Validations sets
- Number of different types, years and regions in both datasets

Data cleaning and Influence of variables on average price:

- Convert Date variable (factor) to a date.
- Relation between Date and average price.
- Relation between the type of avocado (conventional or organic) and average price.
- Relation between the city or region of the observation (region variable) and average price.
- Relation between total number of avocados sold (Total Volume) and average price.

Other variables like Product Lookup codes (PLU's) (X4046, 4225, 4770) and bags have not been used in this project.

Note: Development and Validation sets will be 80% and 20% respectively of Avocados data. Train and test sets will be 70% and 30% respectively of Development data. These percentages are based on the paper *Shahin, M. A., Maier, H. R., and Jaksa, M. B. (2004). "Data division for developing neural networks applied to geotechnical engineering." Journal of Computing in Civil Engineering, ASCE, 18(2), [105-114]*. However, it is important to know that these values depend on the size of the database.

2.1 Data exploration

2.1.1 Number of rows & columns

- Development dataset

Number of rows

```
## [1] 14601
```

Number of columns

```
## [1] 14
```

- Validation dataset

Number of rows

```
## [1] 3648
```

Number of columns

```
## [1] 14
```

2.1.2 Name of the variables

There are 14 different variables in both datasets:

```
## [1] "X"           "Date"         "AveragePrice" "Total.Volume" "X4046"
## [6] "X4225"       "X4770"        "Total.Bags"   "Small.Bags"   "Large.Bags"
## [11] "XLarge.Bags" "type"         "year"         "region"
```

2.1.3 Summary statistics

- Development dataset

```
##           X           Date      AveragePrice      Total.Volume
## Min.      : 0.00    2017-03-26: 100    Min.      :0.440    Min.      : 85
## 1st Qu.:10.00    2018-03-11: 97      1st Qu.:1.100    1st Qu.: 10785
## Median :23.00    2015-11-01: 95      Median :1.370    Median : 106346
## Mean    :24.14    2017-12-24: 95      Mean    :1.406    Mean    : 836744
## 3rd Qu.:38.00    2015-10-18: 94      3rd Qu.:1.660    3rd Qu.: 431791
## Max.    :52.00    2016-06-19: 94      Max.    :3.250    Max.    :61034457
##           (Other)   :14026
##           X4046           X4225           X4770           Total.Bags
## Min.      : 0      Min.      : 0      Min.      : 0.0    Min.      : 0
## 1st Qu.: 850    1st Qu.: 2962    1st Qu.: 0.0    1st Qu.: 5054
## Median : 8631    Median : 28665    Median : 183.3    Median : 39438
## Mean    : 289900    Mean : 289760    Mean : 22873.6    Mean : 234209
## 3rd Qu.: 111615    3rd Qu.: 147995    3rd Qu.: 6188.6    3rd Qu.: 110392
## Max.    :22743616    Max.    :20328162    Max.    :1993645.4    Max.    :16394524
##
##           Small.Bags           Large.Bags           XLarge.Bags           type
## Min.      : 0      Min.      : 0      Min.      : 0.0    conventional:7276
## 1st Qu.: 2823    1st Qu.: 128    1st Qu.: 0.0    organic      :7325
## Median : 26313    Median : 2663    Median : 0.0
## Mean    : 178392    Mean : 52819    Mean : 2997.9
## 3rd Qu.: 82906    3rd Qu.: 21877    3rd Qu.: 137.5
## Max.    :12567156    Max.    :4324231    Max.    :551693.7
##
##           year           region
## Min.      :2015    BuffaloRochester : 282
## 1st Qu.:2015    LosAngeles       : 281
## Median :2016    Louisville        : 281
## Mean    :2016    SouthCarolina     : 281
## 3rd Qu.:2017    MiamiFtLauderdale: 279
## Max.    :2018    Orlando           : 278
##           (Other)           :12919
```

- Validation dataset

```
##           X           Date      AveragePrice      Total.Volume
## Min.      : 0.00    2016-11-13: 34    Min.      :0.510    Min.      :    380
## 1st Qu.:10.00    2017-01-01: 32    1st Qu.:1.100    1st Qu.:   11202
## Median :24.00    2016-05-08: 31    Median :1.370    Median :   110821
## Mean   :24.59    2016-06-12: 30    Mean   :1.407    Mean   :   906280
## 3rd Qu.:38.00    2017-05-14: 30    3rd Qu.:1.660    3rd Qu.:  442454
## Max.   :52.00    2018-03-04: 30    Max.   :2.920    Max.   :62505647
##           (Other)      :3461
##           X4046           X4225           X4770           Total.Bags
## Min.      :      0    Min.      :      0    Min.      :      0.0    Min.      :      3
## 1st Qu.:      878    1st Qu.:     3160    1st Qu.:      0.0    1st Qu.:     5144
## Median :     8796    Median :     30362    Median :     192.2    Median :     41356
## Mean   :    305451    Mean   :    316747    Mean   :    22704.1    Mean   :    261375
## 3rd Qu.:   109957    3rd Qu.:   159008    3rd Qu.:    6450.6    3rd Qu.:   114307
## Max.   :  21620181    Max.   :  20470573    Max.   : 2546439.1    Max.   : 19373134
##
##           Small.Bags           Large.Bags           XLarge.Bags           type
## Min.      :      0    Min.      :      0    Min.      :      0.0    conventional:1850
## 1st Qu.:     2960    1st Qu.:     127    1st Qu.:      0.0    organic      :1798
## Median :    26617    Median :     2536    Median :      0.0
## Mean   :   197416    Mean   :    60419    Mean   :   3540.7
## 3rd Qu.:    85699    3rd Qu.:   22499    3rd Qu.:    104.5
## Max.   : 13384587    Max.   :  5719097    Max.   : 454343.7
##
##           year           region
## Min.      :2015    Pittsburgh      : 84
## 1st Qu.:2015    DallasFtWorth  : 81
## Median :2016    LasVegas       : 81
## Mean   :2016    Northeast      : 80
## 3rd Qu.:2017    Denver         : 78
## Max.   :2018    HarrisburgScranton: 75
##           (Other)      :3169
```

2.1.4 How many different types, years and regions are in both datasets

- Development dataset

Different types

```
## [1] 2
```

Different years

```
## [1] 4
```

Different regions

```
## [1] 54
```

- Validation dataset

Different types

```
## [1] 2
```

Different years

```
## [1] 4
```

Different regions

```
## [1] 54
```

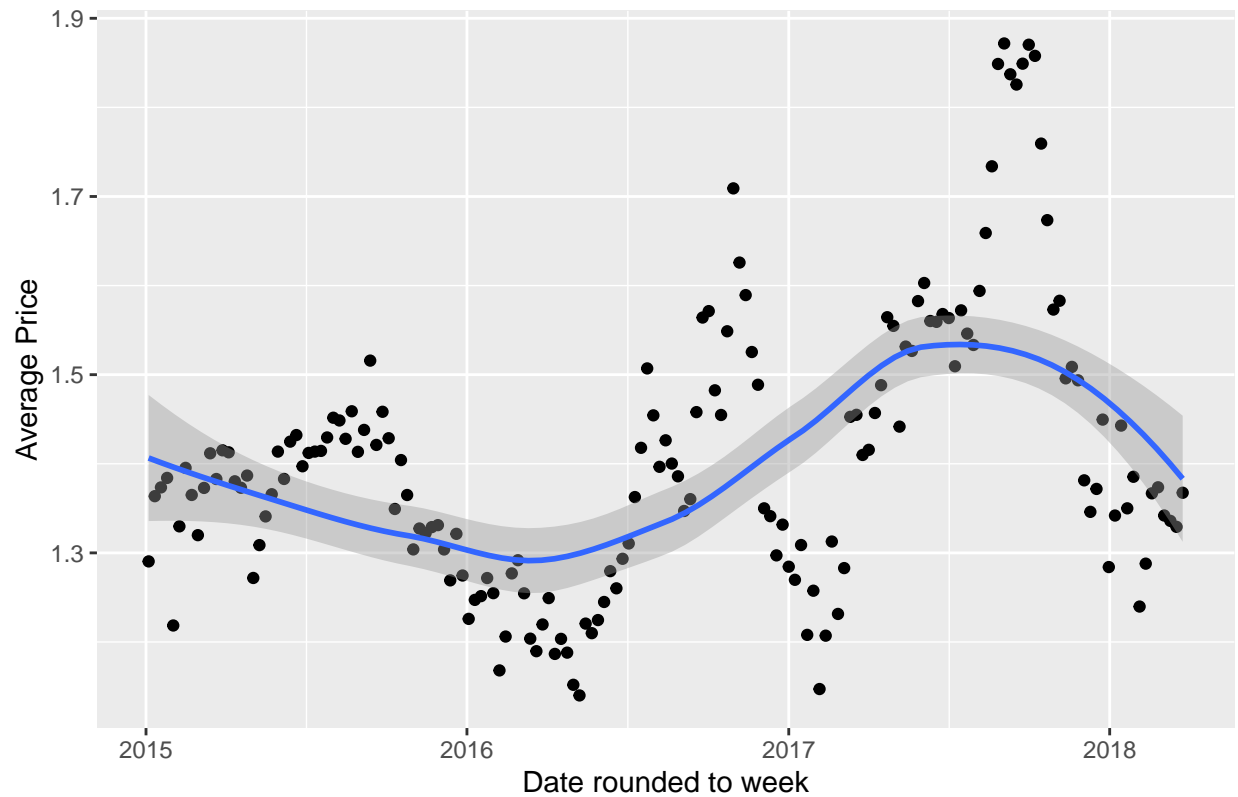
2.2 Data cleaning and Influence of variables on rating

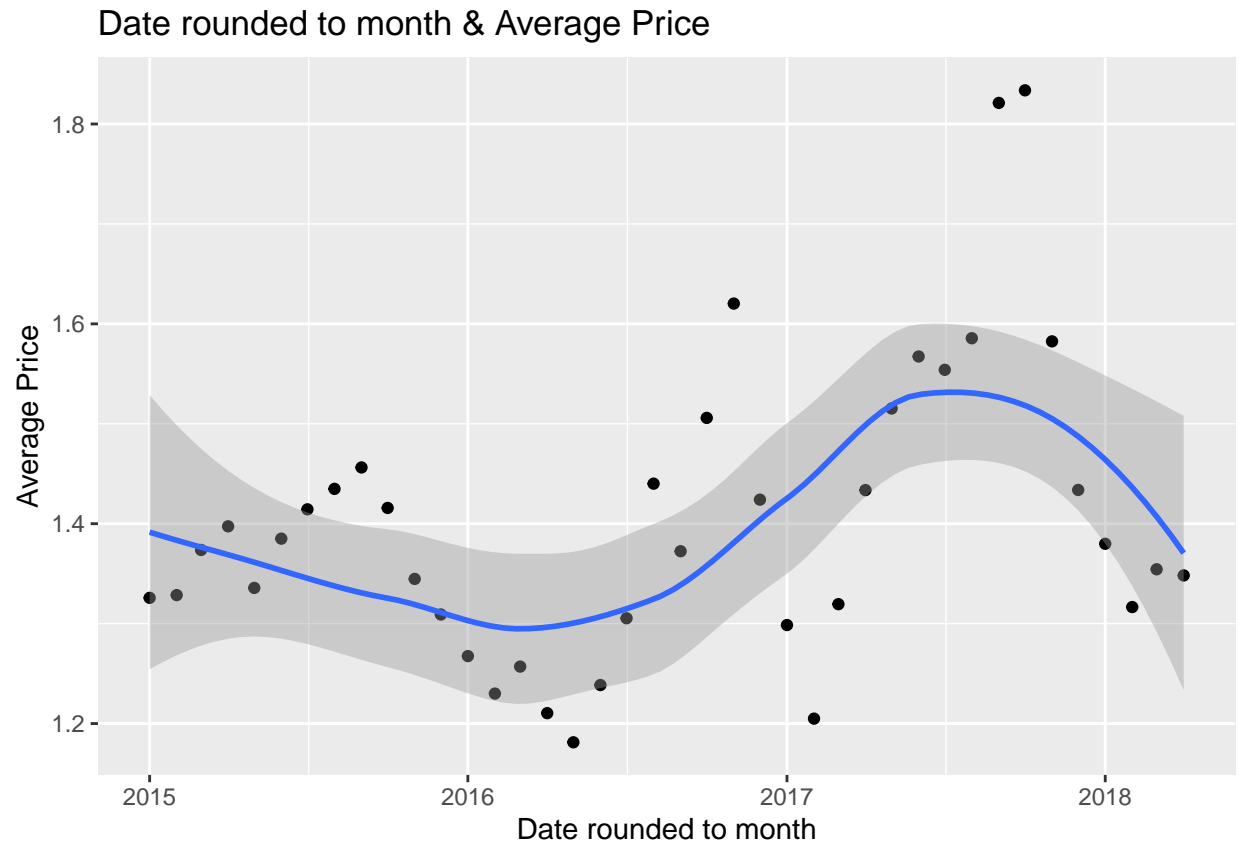
2.2.1 Date & Average Price

In order to do a complete analysis of the influence of Date on average price, 2 graphs are plotted:

- Date rounded to week.
- Date rounded to month.

Date rounded to week & Average Price

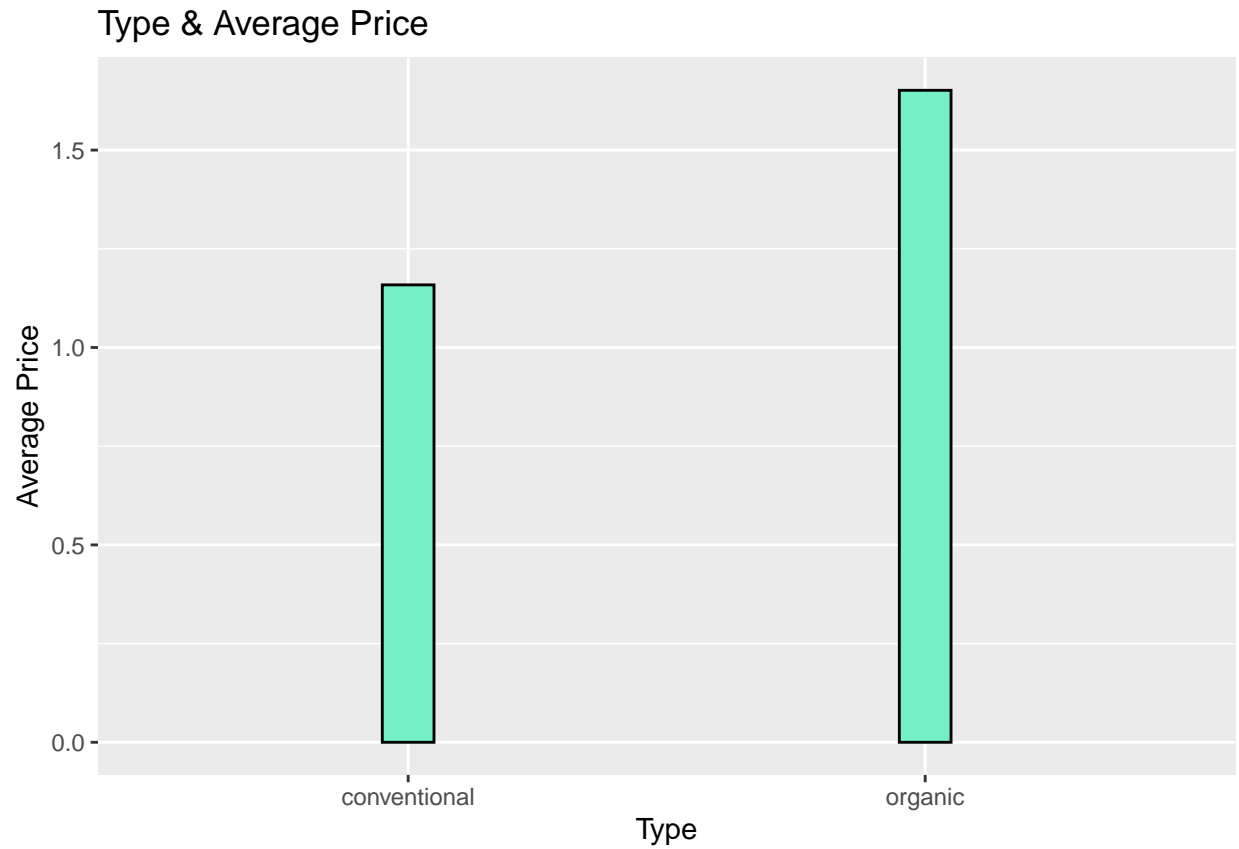




Conclusion 1.-: There is strong evidence of a date effect on average price.

2.2.2 Type & Average Price

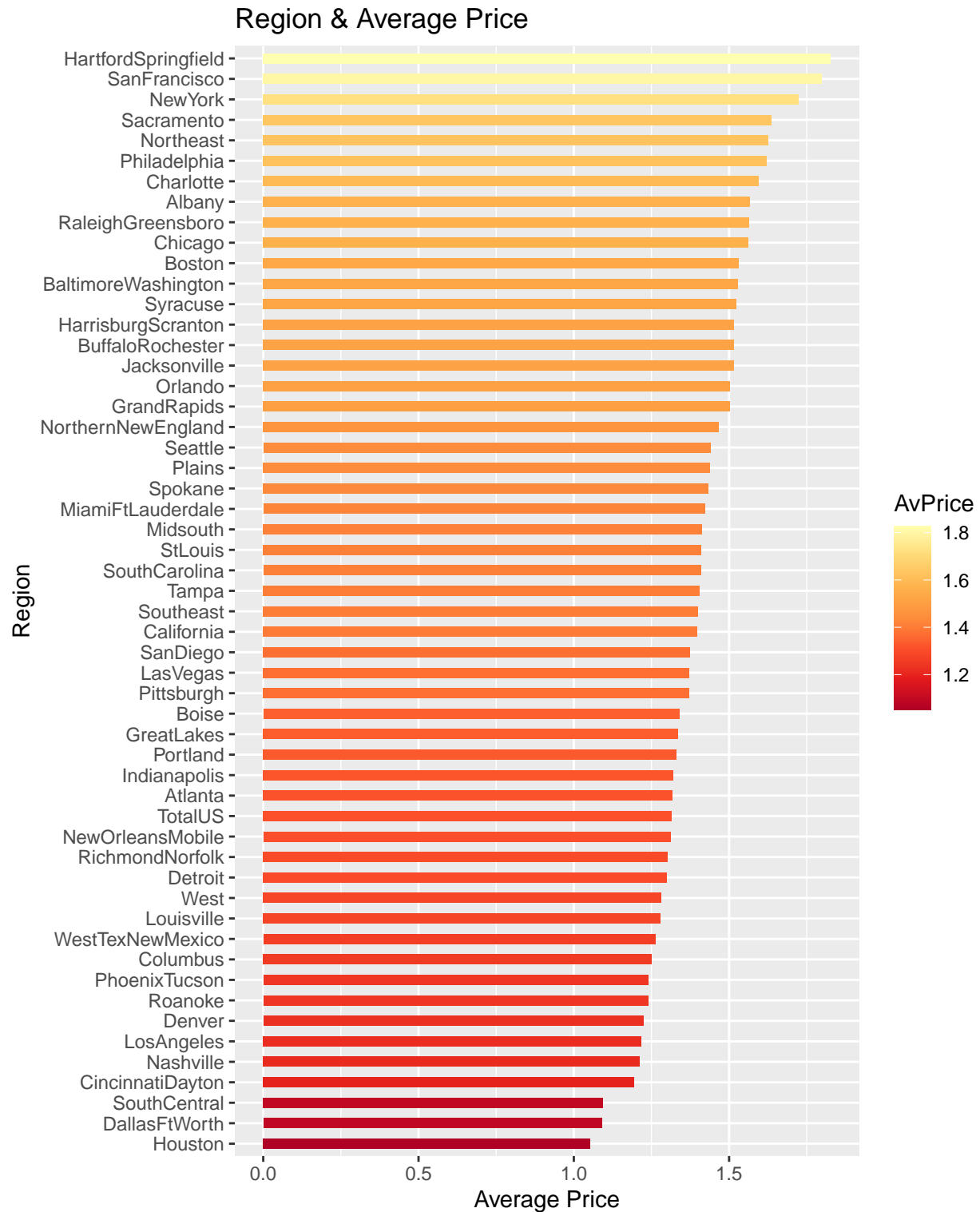
Relation between the type of avocado (conventional or organic) and Average Price.



Conclusion 2.-: There is strong evidence of a type effect on average price.

2.2.3 Region & Average Price

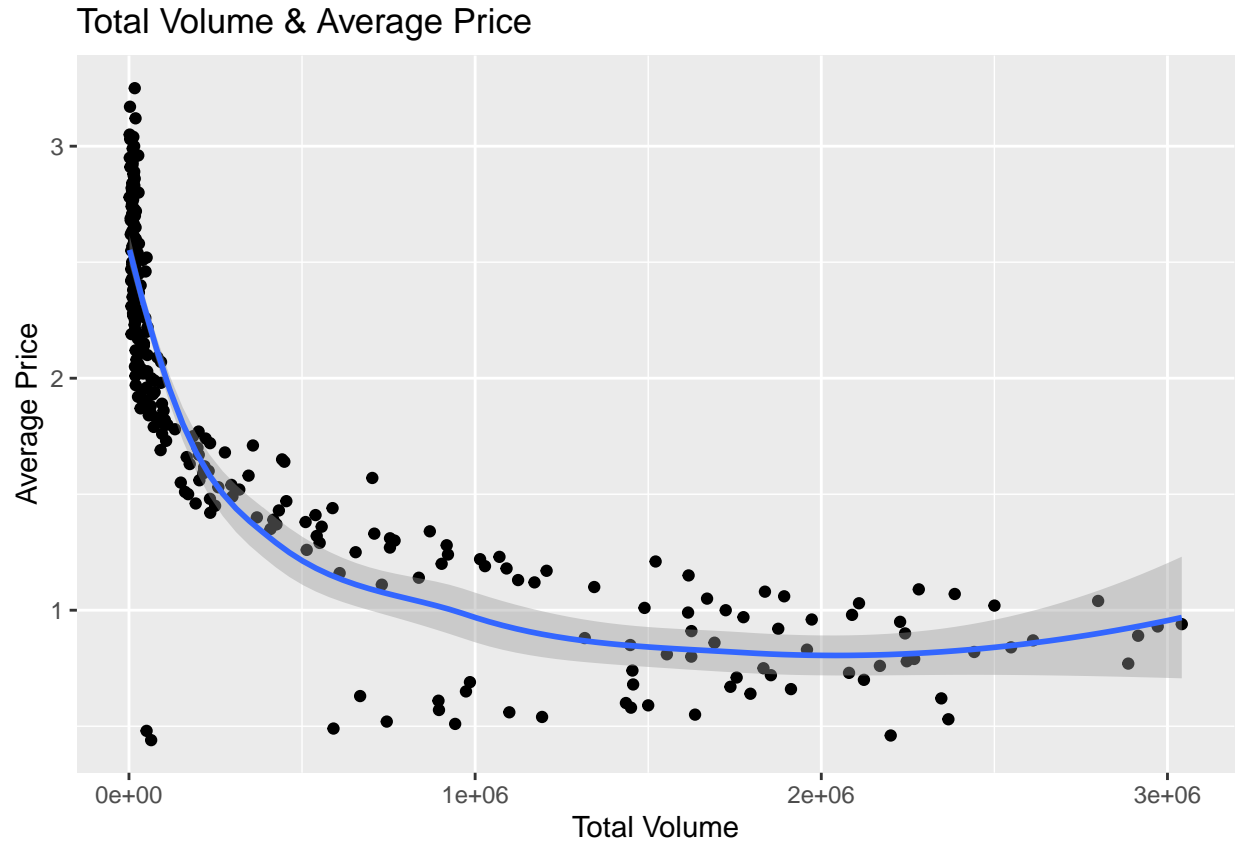
Relation between the city or region of the observation (region variable) and Average Price.



Conclusion 3.-: There is strong evidence of a region effect on average price. Hartford–Springfield is the most expensive region with an average price of 1.8 dollars per unit and Houston is the cheapest city with an average price of 1.2 dollars per unit. A difference of 66%!

2.2.4 Total volume & Average Price

Relation between total number of avocados sold (Total Volume) and Average Price.



Conclusion 4.-: There is strong evidence of a Total Volume effect on average price.

3 Results

3.1 Training process

To train our algorithm, we will calculate first RMSE without regularization technique.

3.1.1 Just the average

```
## # A tibble: 1 x 2
##   Model          RMSE
##   <chr>         <dbl>
## 1 Just the average 0.39861
```

3.1.2 Date effect

```
## # A tibble: 2 x 2
##   Model          RMSE
##   <chr>         <dbl>
## 1 Just the average 0.39861
## 2 Date Effect      0.37223
```

3.1.3 Type effect

```
## # A tibble: 3 x 2
##   Model          RMSE
##   <chr>         <dbl>
## 1 Just the average 0.39861
## 2 Date Effect      0.37223
## 3 Type Effect      0.31506
```

3.1.4 Region effect

```
## # A tibble: 4 x 2
##   Model          RMSE
##   <chr>         <dbl>
## 1 Just the average 0.39861
## 2 Date Effect      0.37223
## 3 Type Effect      0.31506
## 4 Region Effect    0.36834
```

3.1.5 Total Volume effect

```
## # A tibble: 5 x 2
##   Model          RMSE
##   <chr>         <dbl>
## 1 Just the average 0.39861
## 2 Date Effect      0.37223
## 3 Type Effect      0.31506
## 4 Region Effect    0.36834
## 5 Total Volume Effect 0.42521
```

Due to Type and Region variables got the smallest RMSE values, we will combine them in order to check if we can reduce the Root Mean Squared Error.

3.1.6 Type + Region effect

```
## # A tibble: 6 x 2
```

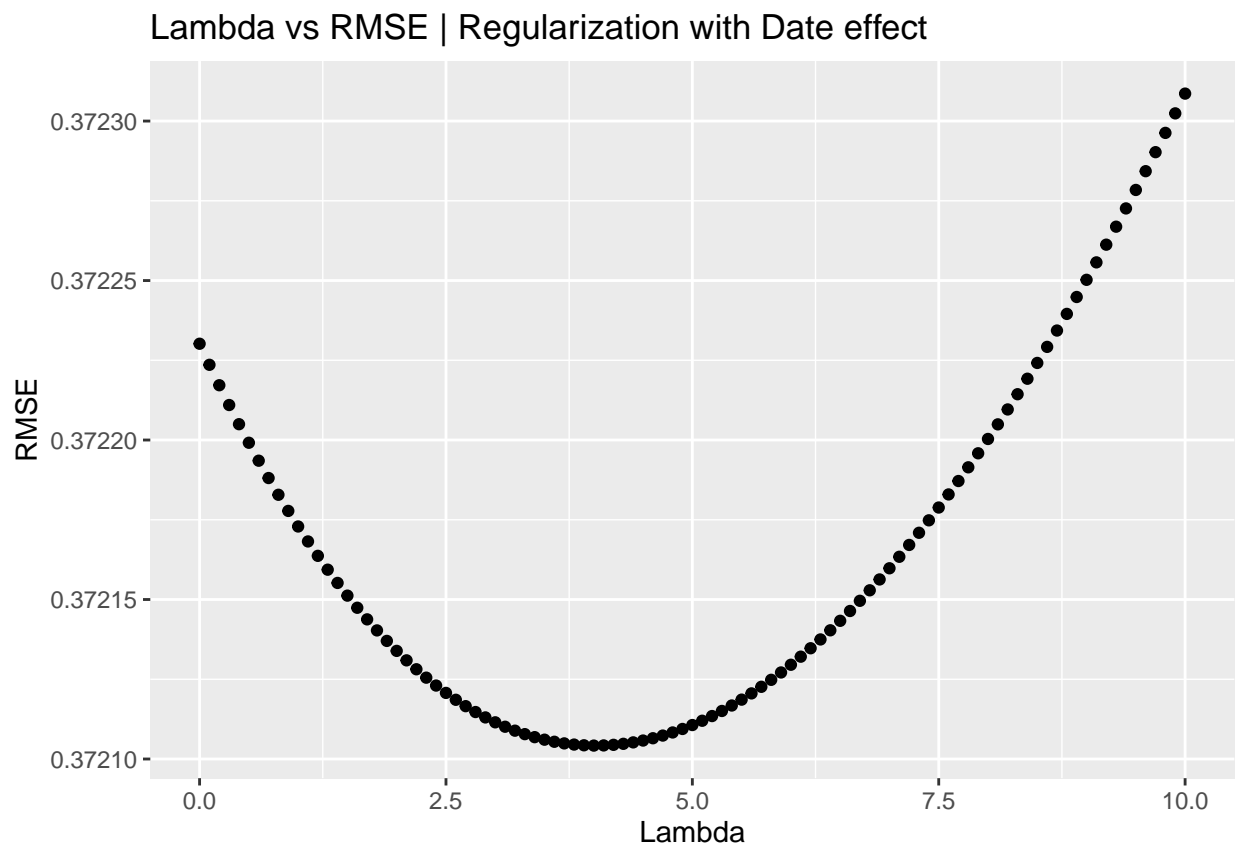
```
## Model RMSE
## <chr> <dbl>
## 1 Just the average 0.39861
## 2 Date Effect 0.37223
## 3 Type Effect 0.31506
## 4 Region Effect 0.36834
## 5 Total Volume Effect 0.42521
## 6 Type + Region Effects 0.27161
```

Now, we will calculate RMSE with regularization technique.

3.1.7 Regularization with Date effect

Lambda value:

```
## [1] 4
```

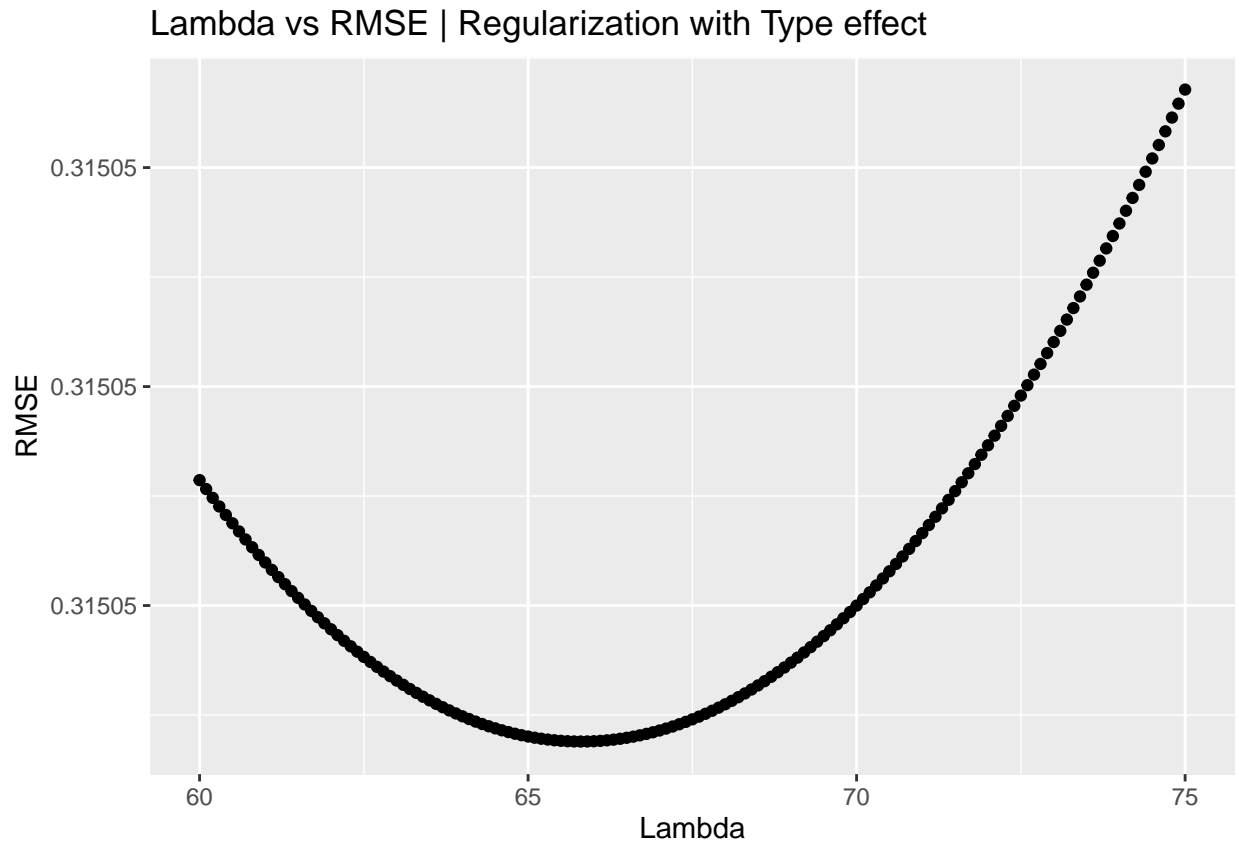


```
## # A tibble: 7 x 2
## Model RMSE
## <chr> <dbl>
## 1 Just the average 0.39861
## 2 Date Effect 0.37223
## 3 Type Effect 0.31506
## 4 Region Effect 0.36834
## 5 Total Volume Effect 0.42521
## 6 Type + Region Effects 0.27161
## 7 Regularized Date Effect 0.37210
```

3.1.8 Regularization with Type effect

Lambda value:

```
## [1] 65.8
```



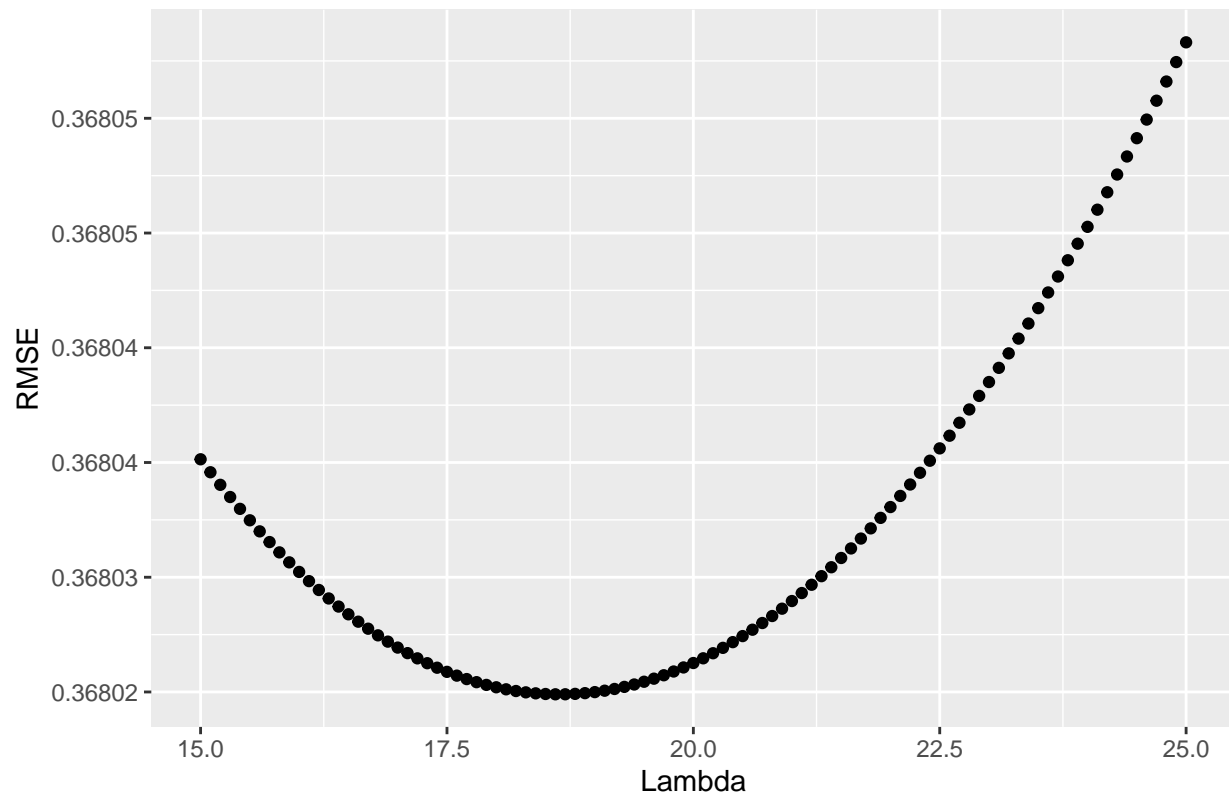
```
## # A tibble: 8 x 2
##   Model          RMSE
##   <chr>         <dbl>
## 1 Just the average 0.39861
## 2 Date Effect    0.37223
## 3 Type Effect    0.31506
## 4 Region Effect  0.36834
## 5 Total Volume Effect 0.42521
## 6 Type + Region Effects 0.27161
## 7 Regularized Date Effect 0.37210
## 8 Regularized Type Effect 0.31505
```

3.1.9 Regularization with Region effect

Lambda value:

```
## [1] 18.6
```

Lambda vs RMSE | Regularization with Region effect



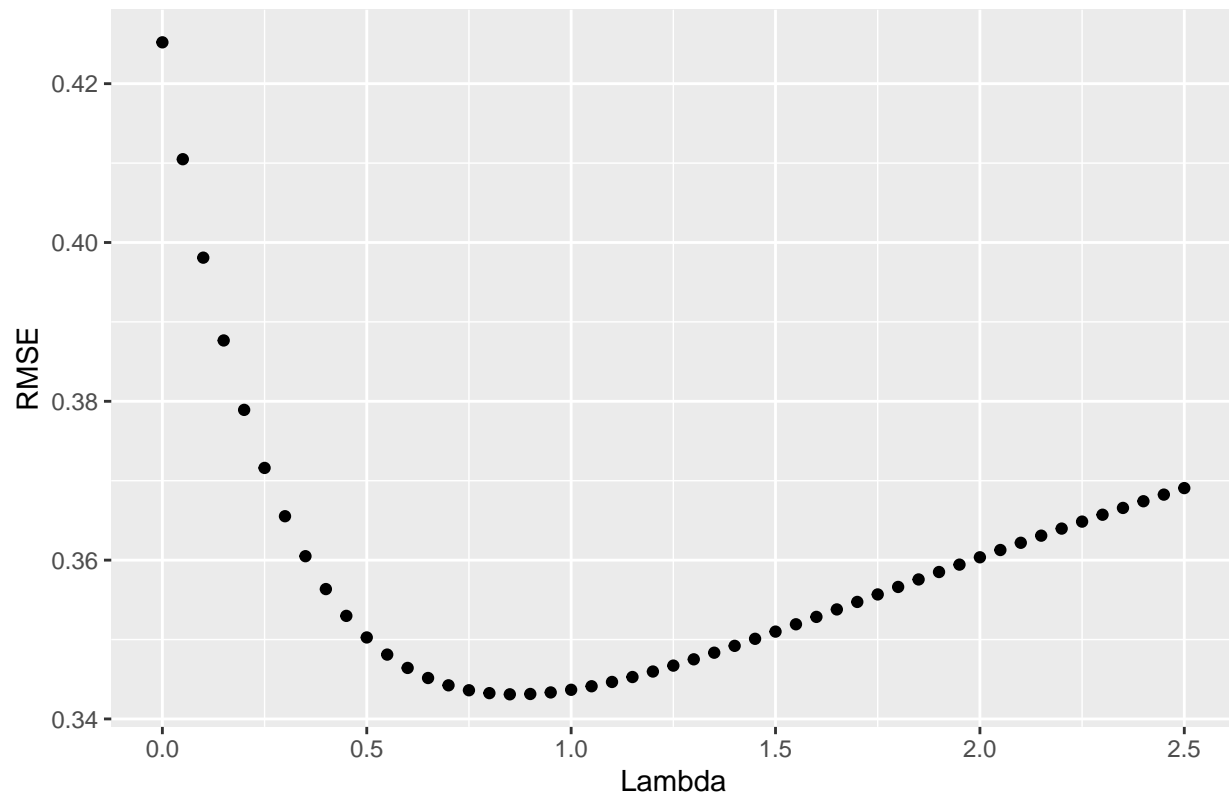
```
## # A tibble: 9 x 2
##   Model          RMSE
##   <chr>         <dbl>
## 1 Just the average 0.39861
## 2 Date Effect    0.37223
## 3 Type Effect    0.31506
## 4 Region Effect  0.36834
## 5 Total Volume Effect 0.42521
## 6 Type + Region Effects 0.27161
## 7 Regularized Date Effect 0.37210
## 8 Regularized Type Effect 0.31505
## 9 Regularized Region Effect 0.36802
```

3.1.10 Regularization with Total Volume effect

Lambda value:

```
## [1] 0.85
```

Lambda vs RMSE | Regularization with Total Volume effect



```
## # A tibble: 10 x 2
##   Model          RMSE
##   <chr>         <dbl>
## 1 Just the average 0.39861
## 2 Date Effect     0.37223
## 3 Type Effect     0.31506
## 4 Region Effect   0.36834
## 5 Total Volume Effect 0.42521
## 6 Type + Region Effects 0.27161
## 7 Regularized Date Effect 0.37210
## 8 Regularized Type Effect 0.31505
## 9 Regularized Region Effect 0.36802
## 10 Regularized Total Volume Effect 0.34310
```

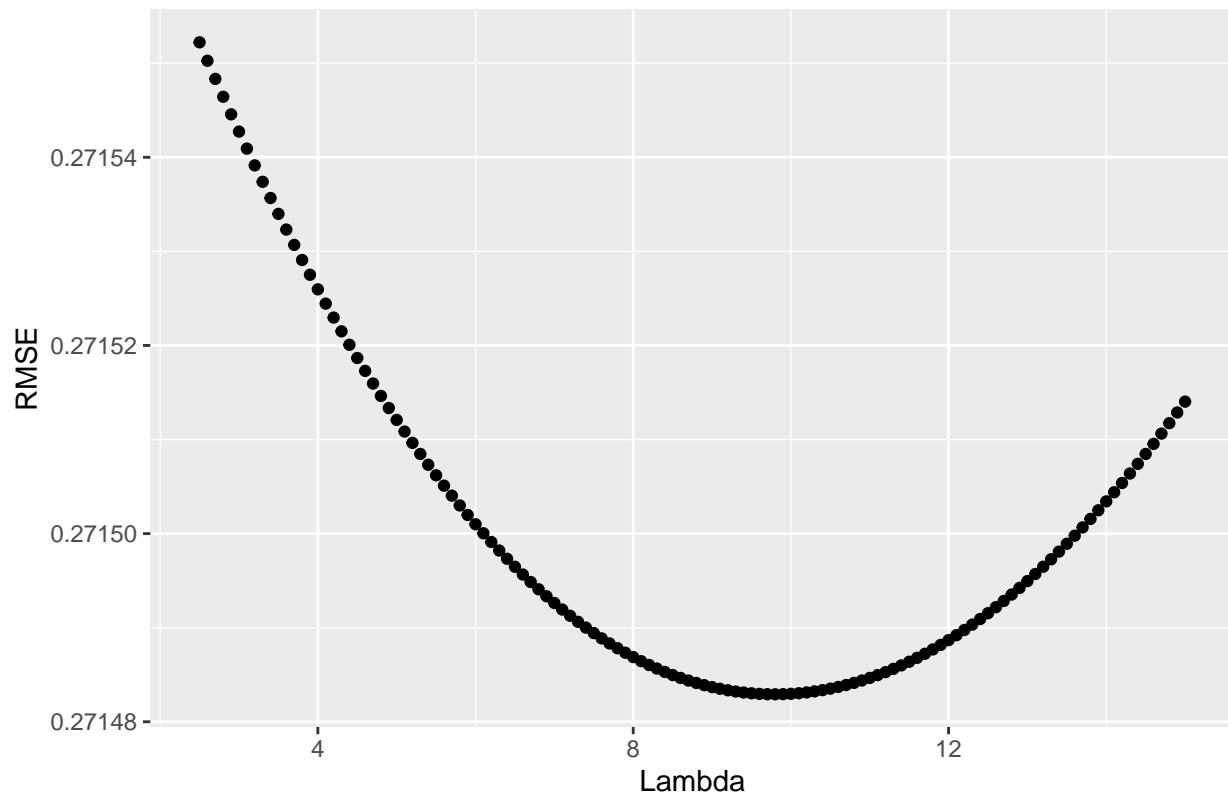
Due to Type and Region variables got the smallest RMSE values, we will combine them in order to check if we can reduce the Root Mean Squared Error with regularization technique.

3.1.11 Regularization with Type + Region effect

Lambda value:

```
## [1] 9.8
```

Lambda vs RMSE | Regularization with Type + Region effect



```
## # A tibble: 11 x 2
##   Model                                RMSE
##   <chr>                                <dbl>
## 1 Just the average                    0.39861
## 2 Date Effect                        0.37223
## 3 Type Effect                        0.31506
## 4 Region Effect                      0.36834
## 5 Total Volume Effect                0.42521
## 6 Type + Region Effects              0.27161
## 7 Regularized Date Effect            0.37210
## 8 Regularized Type Effect            0.31505
## 9 Regularized Region Effect          0.36802
## 10 Regularized Total Volume Effect    0.34310
## 11 Regularized Type + Region Effects 0.27148
```

For this project, we have to apply machine learning techniques that go beyond standard linear regression so glm, RandomForest and knn techniques are also tested to try to reduce RMSE value. Other techniques such as lda, qda or Naive Bayes have not been finally used because they have generated errors whose solution has not been found.

3.1.12 Generalized Linear Models (Glm)

```
## # A tibble: 12 x 2
##   Model                                RMSE
##   <chr>                                <dbl>
## 1 Just the average                    0.39861
## 2 Date Effect                        0.37223
```

## 3 Type Effect	0.31506
## 4 Region Effect	0.36834
## 5 Total Volume Effect	0.42521
## 6 Type + Region Effects	0.27161
## 7 Regularized Date Effect	0.37210
## 8 Regularized Type Effect	0.31505
## 9 Regularized Region Effect	0.36802
## 10 Regularized Total Volume Effect	0.34310
## 11 Regularized Type + Region Effects	0.27148
## 12 Glm	0.22719

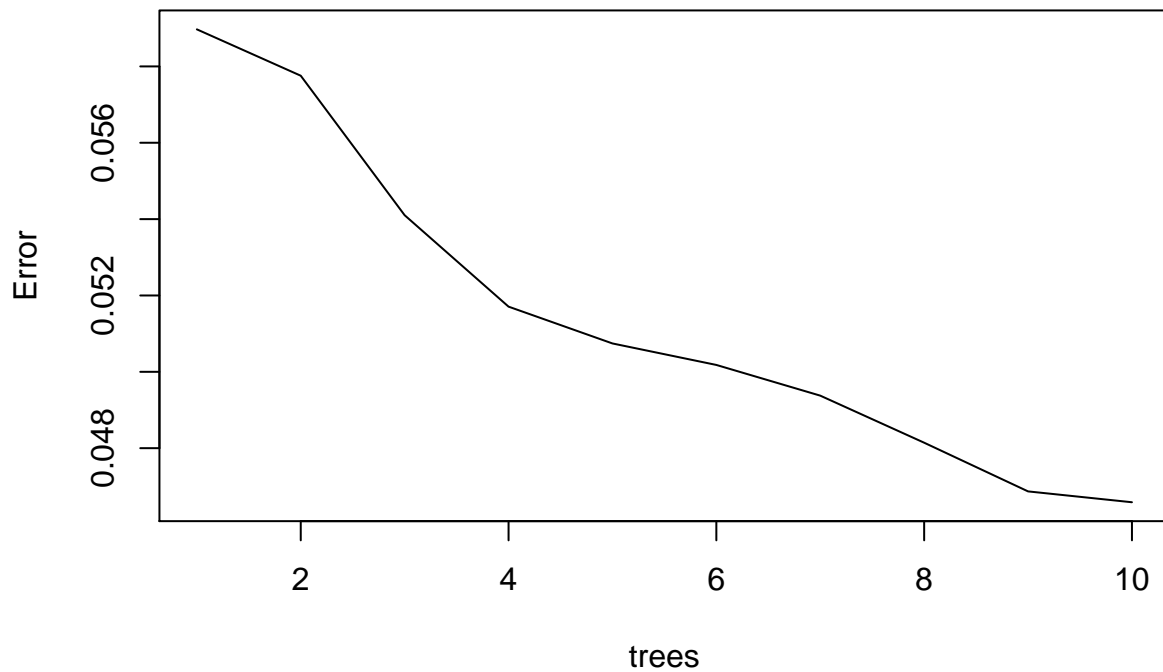
3.1.13 Random Forest

Because with random forest the fitting is the slowest part of the procedure rather than the predicting (as with kNN), we will use only three ntrees values: 10, 30 and 50. It is recommend it to use more than 100 trees but the time of computation is too high.

3.1.13.1 10 trees

## # A tibble: 13 x 2	
## Model	RMSE
## <chr>	<dbl>
## 1 Just the average	0.39861
## 2 Date Effect	0.37223
## 3 Type Effect	0.31506
## 4 Region Effect	0.36834
## 5 Total Volume Effect	0.42521
## 6 Type + Region Effects	0.27161
## 7 Regularized Date Effect	0.37210
## 8 Regularized Type Effect	0.31505
## 9 Regularized Region Effect	0.36802
## 10 Regularized Total Volume Effect	0.34310
## 11 Regularized Type + Region Effects	0.27148
## 12 Glm	0.22719
## 13 Random Forest - 10 trees	0.19826

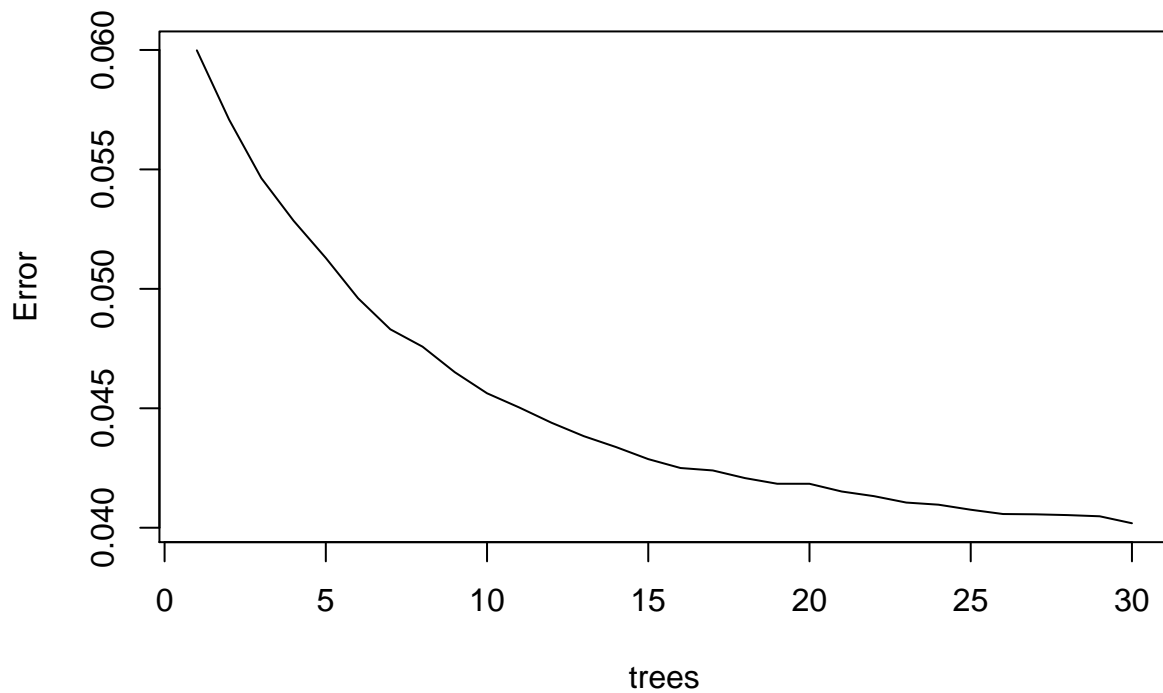
Trees vs Error | Random Forest – 10 trees



3.1.13.2 30 trees

```
## # A tibble: 14 x 2
##   Model                                RMSE
##   <chr>                                <dbl>
## 1 Just the average                    0.39861
## 2 Date Effect                        0.37223
## 3 Type Effect                        0.31506
## 4 Region Effect                      0.36834
## 5 Total Volume Effect                0.42521
## 6 Type + Region Effects              0.27161
## 7 Regularized Date Effect            0.37210
## 8 Regularized Type Effect            0.31505
## 9 Regularized Region Effect          0.36802
## 10 Regularized Total Volume Effect    0.34310
## 11 Regularized Type + Region Effects  0.27148
## 12 Glm                               0.22719
## 13 Random Forest - 10 trees          0.19826
## 14 Random Forest - 30 trees          0.19390
```

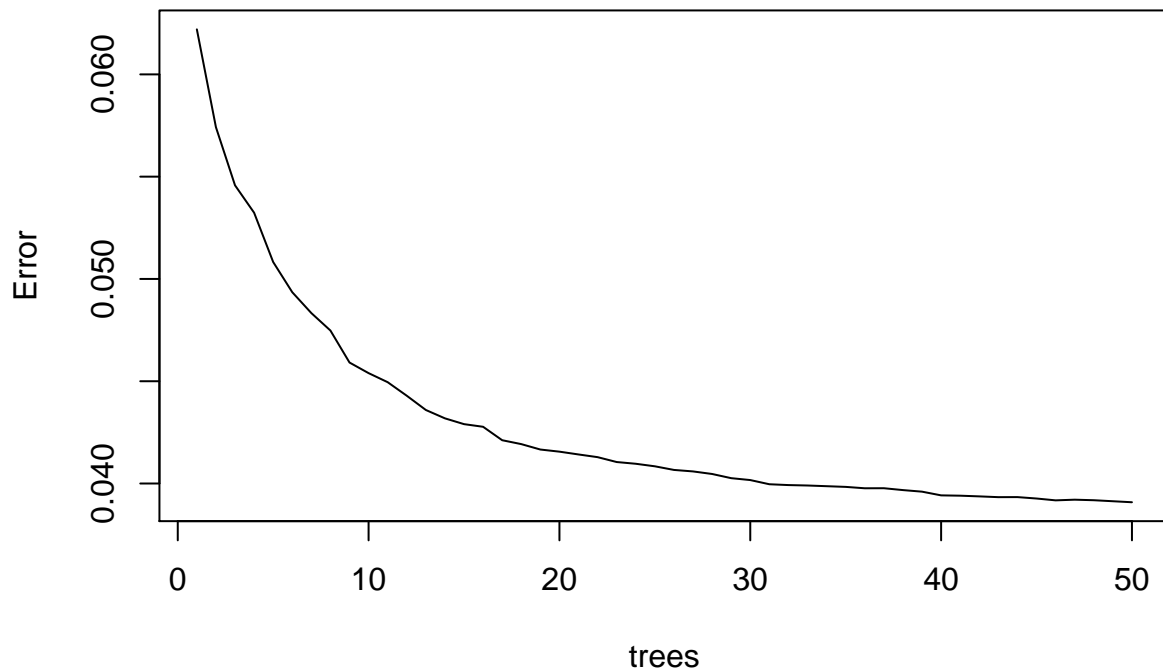
Trees vs Error | Random Forest – 30 trees



3.1.13.3 50 trees

```
## # A tibble: 15 x 2
##   Model                                RMSE
##   <chr>                                <dbl>
## 1 Just the average                    0.39861
## 2 Date Effect                        0.37223
## 3 Type Effect                        0.31506
## 4 Region Effect                      0.36834
## 5 Total Volume Effect                0.42521
## 6 Type + Region Effects              0.27161
## 7 Regularized Date Effect            0.37210
## 8 Regularized Type Effect            0.31505
## 9 Regularized Region Effect          0.36802
## 10 Regularized Total Volume Effect    0.34310
## 11 Regularized Type + Region Effects  0.27148
## 12 Glm                               0.22719
## 13 Random Forest - 10 trees           0.19826
## 14 Random Forest - 30 trees           0.19390
## 15 Random Forest - 50 trees           0.19239
```

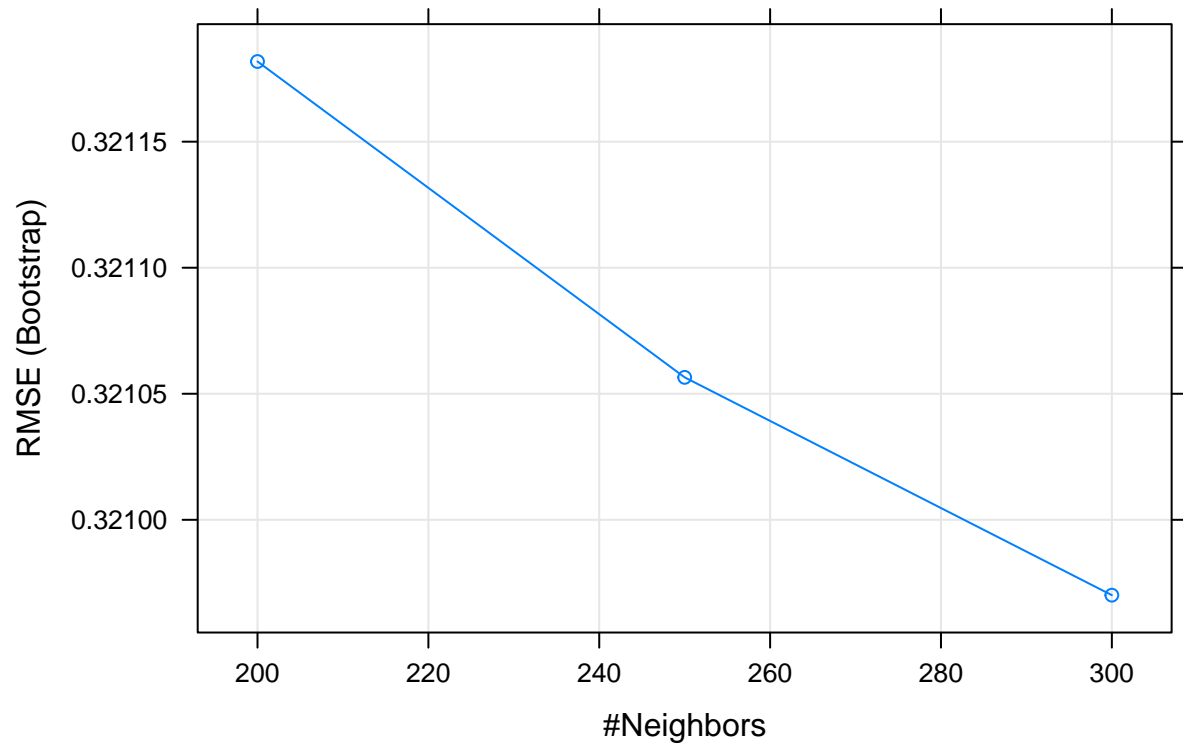
Trees vs Error | Random Forest – 50 trees



3.1.14 Knn

As Random Forest model, in Knn the fitting is the slowest part of the procedure rather than the predicting. We will use only three-fold cross validation: 200, 250 and 300. Other values have been tested (1,7,50,100, etc) but the trend of the error curve was decreasing for higher values of k.

Neighbors vs RMSE (Bootstrap)



```
## # A tibble: 16 x 2
##   Model                RMSE
##   <chr>                <dbl>
## 1 Just the average      0.39861
## 2 Date Effect           0.37223
## 3 Type Effect           0.31506
## 4 Region Effect         0.36834
## 5 Total Volume Effect   0.42521
## 6 Type + Region Effects  0.27161
## 7 Regularized Date Effect 0.37210
## 8 Regularized Type Effect 0.31505
## 9 Regularized Region Effect 0.36802
## 10 Regularized Total Volume Effect 0.34310
## 11 Regularized Type + Region Effects 0.27148
## 12 Glm                  0.22719
## 13 Random Forest - 10 trees 0.19826
## 14 Random Forest - 30 trees 0.19390
## 15 Random Forest - 50 trees 0.19239
## 16 Knn                  0.31769
```

Analyzing the results, we notice that Random Forest with 50 trees model give us the smallest RMSE.

##	Model	RMSE
## 1	Random Forest - 50 trees	0.19239
## 2	Random Forest - 30 trees	0.19390
## 3	Random Forest - 10 trees	0.19826
## 4	Glm	0.22719
## 5	Regularized Type + Region Effects	0.27148
## 6	Type + Region Effects	0.27161
## 7	Regularized Type Effect	0.31505
## 8	Type Effect	0.31506
## 9	Knn	0.31769
## 10	Regularized Total Volume Effect	0.34310
## 11	Regularized Region Effect	0.36802
## 12	Region Effect	0.36834
## 13	Regularized Date Effect	0.37210
## 14	Date Effect	0.37223
## 15	Just the average	0.39861
## 16	Total Volume Effect	0.42521

3.2 Validations process

Trees vs Error | Random Forest – 50 trees



Validation Root Mean Squared Error

```
## [1] 0.19218
```

This RMSE value seems reasonable to achieve our objective: to avoid an inflation in a certain region and to help to find a city with cheap avocados.

4 Conclusion

The Methods/Analysis section has been necessary to know the type of data we were going to work with.

With the analysis of the influence of variables on average price, we have seen that Type and Region were the most important variables. However, other variables such as the date of observation or year were also important.

In the beginning, RMSEs with basic models, like Just the Average, have been obtained. Then, regularization techniques have been used in order to reduce de Root Mean Squared Error but the results were not very good:

- Type + Region Effects, RMSE = 0.27161
- Regularized Type + Region Effects, RMSE = 0.27148

For this project, we have to apply machine learning techniques that go beyond standard linear regression so glm, RandomForest and knn techniques are also tested to try to reduce RMSE value. Other techniques such as lda, qda or Naive Bayes have not been finally used because they have generated errors whose solution has not been found.

It has been concluded that Random Forest with 50 trees has been optimal for the lower RSME value. However, because with this technique the fitting is the slowest part of the procedure rather than the predicting, only three ntrees values have been tested. Other bigger ntrees values could have been used to get lower RMSE but the time of computation would be too high.

5 Appendix - Enviroment

```
## [1] "Operating System:"  
  
##  
## platform      _  
## platform      x86_64-w64-mingw32  
## arch          x86_64  
## os            mingw32  
## system        x86_64, mingw32  
## status  
## major         3  
## minor         6.3  
## year          2020  
## month         02  
## day           29  
## svn rev       77875  
## language      R  
## version.string R version 3.6.3 (2020-02-29)  
## nickname      Holding the Windsock
```