# 04 baseline model revised

March 10, 2024

#### 1 Revised Baseline Model

### 2 Import Modules

```
import numpy as np
import pandas as pd
import statsmodels.api as sm
from statsmodels.tools import eval_measures
import statsmodels.formula.api as smf

%matplotlib inline
import matplotlib.pyplot as plt
plt.style.use("dark_background")
import seaborn as sns

from warnings import filterwarnings
filterwarnings('ignore')
```

### 3 Load Data

# 4 Split Data

```
[29]: # Seperate data for San Juan
sj_train_features = train_features.loc['sj']
sj_train_labels = train_labels.loc['sj']

# Separate data for Iquitos
iq_train_features = train_features.loc['iq']
iq_train_labels = train_labels.loc['iq']
```

```
[30]: print('San Juan')
    print('features: ', sj_train_features.shape)
    print('labels : ', sj_train_labels.shape)

    print('\nIquitos')
    print('features: ', iq_train_features.shape)
    print('labels : ', iq_train_labels.shape)

San Juan
    features: (936, 21)
    labels : (936, 1)

Iquitos
    features: (520, 21)
    labels : (520, 1)
```

### 5 Feature Engineering

```
[31]: # Remove `week_start_date` string.
sj_train_features.drop('week_start_date', axis=1, inplace=True)
iq_train_features.drop('week_start_date', axis=1, inplace=True)
```

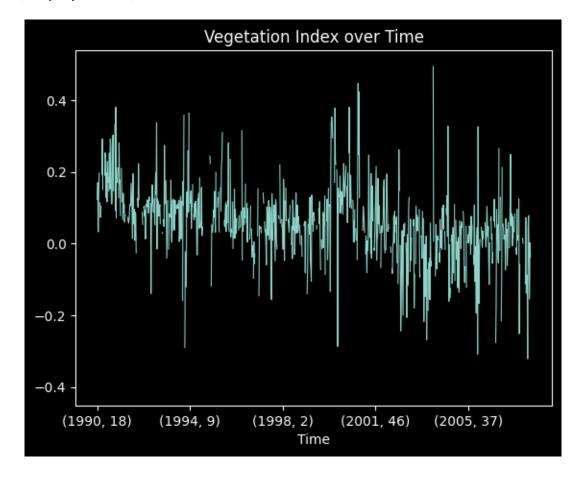
# 6 Check for Missing Values

ndvi se True ndvi sw True precipitation\_amt\_mm True reanalysis\_air\_temp\_k True reanalysis\_avg\_temp\_k True reanalysis\_dew\_point\_temp\_k True reanalysis\_max\_air\_temp\_k True reanalysis\_min\_air\_temp\_k True reanalysis\_precip\_amt\_kg\_per\_m2 True reanalysis\_relative\_humidity\_percent True reanalysis\_sat\_precip\_amt\_mm True reanalysis\_specific\_humidity\_g\_per\_kg True reanalysis\_tdtr\_k True station\_avg\_temp\_c True station\_diur\_temp\_rng\_c True station\_max\_temp\_c True station\_min\_temp\_c True

station\_precip\_mm
dtype: bool

# 7 Plot to Check Missing Values

[33]: Text(0.5, 0, 'Time')



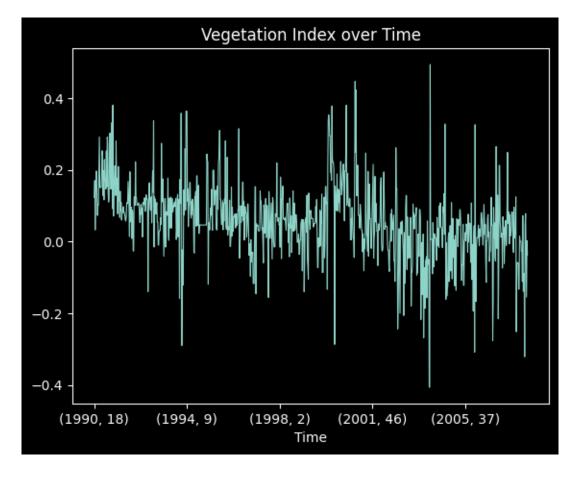
# 8 Fill Missing Values

Replace NA values with most recent value

```
[34]: sj_train_features.fillna(method='ffill', inplace=True) iq_train_features.fillna(method='ffill', inplace=True)
```

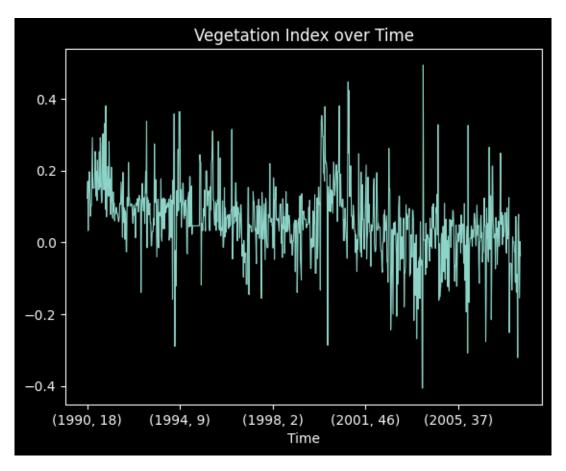
### 9 Plot to Check Filled Values

[35]: Text(0.5, 0, 'Time')



```
plt.title('Vegetation Index over Time')
plt.xlabel('Time')
```

[36]: Text(0.5, 0, 'Time')



### 10 Choose Model

- Poisson regression: assumes mean and variance of population distributions are equal
- Negative binomial regression: preferred if the variance is much larger than the mean

The variance is larger than the mean for both cities, so we'll use Negative Binomial Regression.

```
[37]: print('San Juan')
    print('mean: ', sj_train_labels.mean()[0])
    print('var :', sj_train_labels.var()[0])

    print('\nIquitos')
    print('mean: ', iq_train_labels.mean()[0])
    print('var :', iq_train_labels.var()[0])
```

#### San Juan

mean: 34.18055555555556 var: 2640.0454396910277

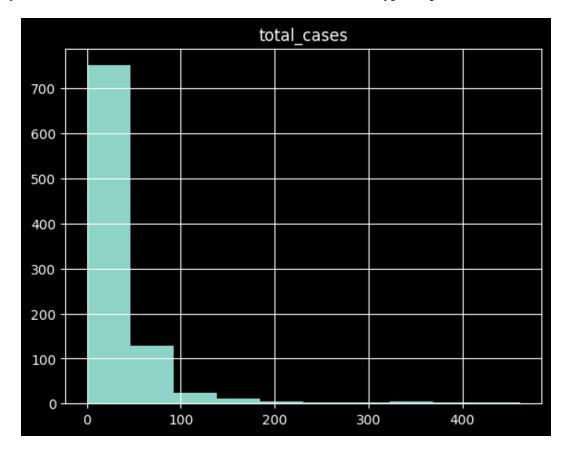
Iquitos

mean: 7.565384615384615 var: 115.89552393656439

# 11 Plot Target Values

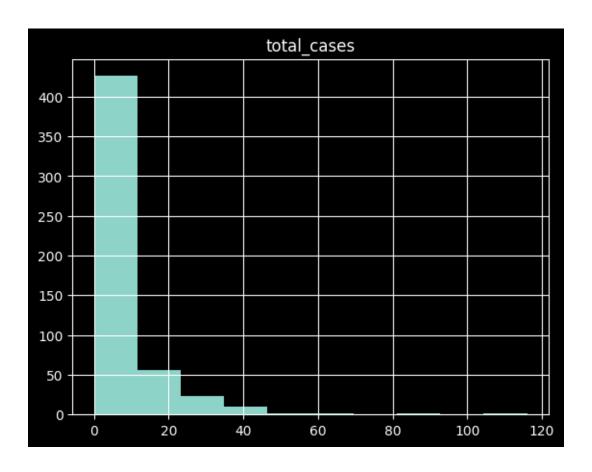
[38]: sj\_train\_labels.hist()

[38]: array([[<Axes: title={'center': 'total\_cases'}>]], dtype=object)



[39]: iq\_train\_labels.hist()

[39]: array([[<Axes: title={'center': 'total\_cases'}>]], dtype=object)



# 12 Find Features vs Target Correlations

### 12.1 Add Target to Features DataFrames

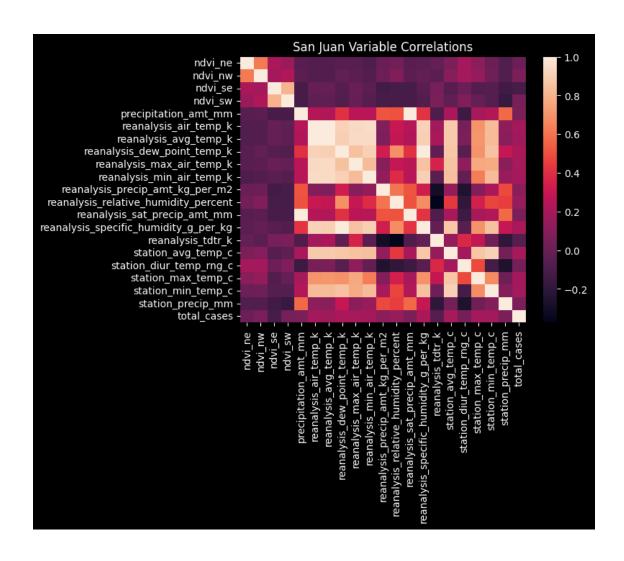
```
[40]: sj_train_features['total_cases'] = sj_train_labels.total_cases iq_train_features['total_cases'] = iq_train_labels.total_cases
```

### 12.2 Plot Correlation Heatmaps

```
[41]: # compute the correlations
    sj_correlations = sj_train_features.corr()
    iq_correlations = iq_train_features.corr()

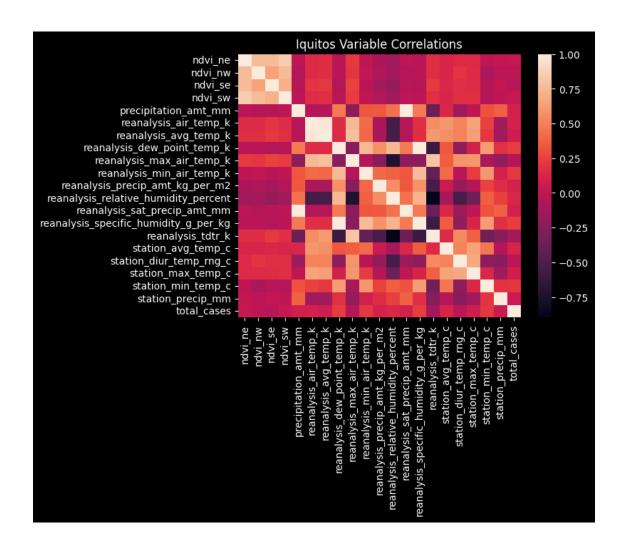
[42]: # plot san juan
    sj_corr_heat = sns.heatmap(sj_correlations)
    plt.title('San Juan Variable Correlations')
```

[42]: Text(0.5, 1.0, 'San Juan Variable Correlations')



```
[43]: # plot iquitos
iq_corr_heat = sns.heatmap(iq_correlations)
plt.title('Iquitos Variable Correlations')
```

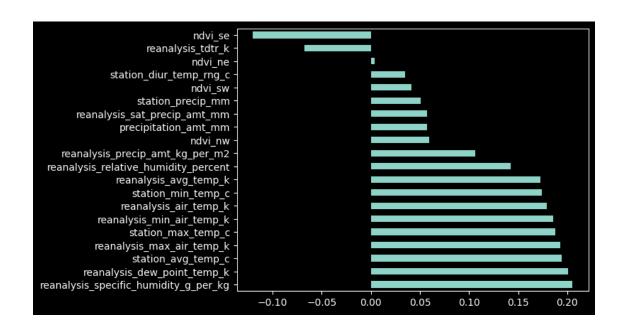
[43]: Text(0.5, 1.0, 'Iquitos Variable Correlations')



#### 12.3 Bar Plots of Correlations

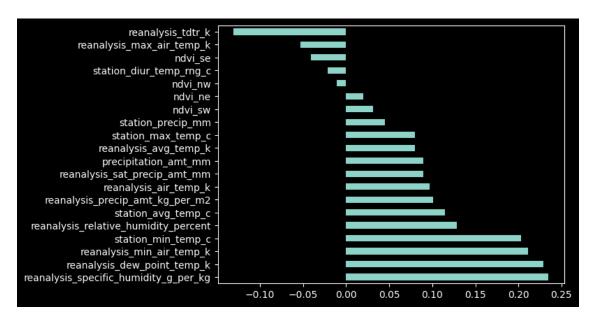
```
[44]: # San Juan
(sj_correlations
    .total_cases
    .drop('total_cases') # don't compare with myself
    .sort_values(ascending=False)
    .plot
    .barh()) # horizontal bar plot
```

[44]: <Axes: >



```
[45]: # Iquitos
    (iq_correlations
          .total_cases
          .drop('total_cases') # don't compare with myself
          .sort_values(ascending=False)
          .plot
          .barh()) # horizontal bar plot
```

#### [45]: <Axes: >



#### 13 Observations

Wet and warm climates are correlated with cases of Dengue fever.

- reanalysis\_specific\_humidity\_g\_per\_kg and reanalysis\_dew\_point\_temp\_k are most strongly correlated with total cases
- reanalysis\_min\_air\_temp and station\_min\_temp are also strongly correlated with total\_cases

We'll use these features for our model!

## 14 Preprocess Data

We create a smaller dataset to train our model.

```
[46]: def preprocess_data(data_path, labels_path=None):
          # load data and set index to city, year, weekofyear
          df = pd.read_csv(data_path, index_col=[0, 1, 2])
          # select features we want
          features = ['reanalysis_specific_humidity_g_per_kg',
                       'reanalysis dew point temp k',
                       'station_avg_temp_c',
                       'station min temp c']
          df = df[features]
          # fill missing values
          df.fillna(method='ffill', inplace=True)
          # add labels to dataframe
          if labels_path:
              labels = pd.read_csv(labels_path, index_col=[0, 1, 2])
              df = df.join(labels)
          # separate san juan and iquitos
          sj = df.loc['sj']
          iq = df.loc['iq']
          return sj, iq
```

```
[47]: sj_train, iq_train = preprocess_data('../data/dengue_features_train.csv', labels_path="../data/dengue_labels_train.

csv")
```

```
[48]: sj_train.describe()
```

```
reanalysis_dew_point_temp_k
             reanalysis_specific_humidity_g_per_kg
      count
                                          936.000000
                                                                          936.000000
                                            16.547535
                                                                          295.104736
      mean
      std
                                             1.560663
                                                                            1.570075
      min
                                            11.715714
                                                                          289.642857
      25%
                                            15.233571
                                                                          293.843929
      50%
                                            16.835000
                                                                          295.451429
      75%
                                            17.854286
                                                                          296.415714
                                            19.440000
                                                                          297.795714
      max
                                                        total_cases
              station_avg_temp_c
                                   station_min_temp_c
      count
                      936.000000
                                            936.000000
                                                          936.000000
                       26.999191
                                                           34.180556
      mean
                                             22.594017
      std
                        1.415079
                                              1.506281
                                                           51.381372
      min
                       22.842857
                                             17.800000
                                                            0.00000
                                             21.700000
      25%
                       25.842857
                                                            9.000000
      50%
                       27.214286
                                             22.800000
                                                           19.000000
      75%
                       28.175000
                                             23.900000
                                                          37.000000
                       30.071429
                                             25.600000
                                                          461.000000
      max
[49]:
     iq_train.describe()
[49]:
             reanalysis_specific_humidity_g_per_kg
                                                       reanalysis_dew_point_temp_k
      count
                                          520.000000
                                                                          520.000000
                                            17.102019
                                                                          295.498723
      mean
      std
                                                                            1.414360
                                             1.443048
      min
                                                                          290.088571
                                            12.111429
      25%
                                            16.121429
                                                                          294.596429
      50%
                                            17.428571
                                                                          295.852143
      75%
                                                                          296.557143
                                            18.180357
                                            20.461429
                                                                          298.450000
      max
                                   station_min_temp_c
                                                        total_cases
              station_avg_temp_c
                      520.000000
                                            520.000000
                                                          520.000000
      count
                       27.506331
                                                            7.565385
      mean
                                             21.210385
      std
                        0.908973
                                              1.257734
                                                           10.765478
      min
                       21.400000
                                             14.700000
                                                            0.000000
      25%
                       26.957500
                                             20.600000
                                                            1.000000
      50%
                       27.587500
                                             21.400000
                                                            5.000000
      75%
                       28.075000
                                             22.000000
                                                            9.000000
                       30.800000
                                             24.200000
                                                          116.000000
      max
```

#### Split Datasets 15

[48]:

For a time series model, we'll use a strict-future holdout (validation) set when splitting our train set and test set.

```
[50]: sj_train_subtrain = sj_train.head(800)
sj_train_subtest = sj_train.tail(sj_train.shape[0] - 800)

iq_train_subtrain = iq_train.head(400)
iq_train_subtest = iq_train.tail(iq_train.shape[0] - 400)
```

### 16 Fit Model on Training Set

We'll use a **Negative Binomial Regression** model, suitable for **count** data, where the **variance** is larger than the mean.

This function finds the best model parameters using a Generalized Linear Model (GLM) with a Negative Binomial distribution.

This is particularly useful in epidemiology for modeling **count** data that follows a distribution with **over-dispersion**, meaning the variance is greater than the mean, which is a common occurrence in infectious disease counts.

While it can model over-dispersed count data better than Poisson regression, it is less flexible in capturing complex nonlinear relationships compared to Random Forest, used for our first baseline model.

To evaluate the performance of the model, we again use the Mean Absolutel Error (MAE) between the predicted and actual total cases. The alpha value that results in the lowest MAE is considered the best. The alpha value is the over-dispersion parameter. The best model is then refitted on the entire dataset.

For the first dataset (San Juan), the best score, or the lowest MAE achieved, was approximately 22.08, while for the second dataset (Iquitos), it was approximately 6.47. These scores give an indication of how far off the predictions are from the actual values, on average, in terms of the total number of cases.

```
family=sm.families.NegativeBinomial(alpha=alpha))
        results = model.fit()
        predictions = results.predict(test).astype(int)
        score = eval_measures.meanabs(predictions, test.total_cases)
        if score < best score:</pre>
             best_alpha = alpha
             best_score = score
    print('best alpha = ', best_alpha)
    print('best score = ', best_score)
    # Step 3: refit on entire dataset
    full_dataset = pd.concat([train, test])
    model = smf.glm(formula=model_formula,
                     data=full_dataset,
                     family=sm.families.NegativeBinomial(alpha=best_alpha))
    fitted_model = model.fit()
    return fitted_model
sj_best_model = get_best_model(sj_train_subtrain, sj_train_subtest)
iq_best_model = get_best_model(iq_train_subtrain, iq_train_subtest)
best alpha = 1e-08
best score = 22.080882352941178
best alpha = 1e-08
```

#### 17 Evaluate Model: Plot Predicted vs Actual Cases

We can notice the following from the plots below:

best score = 6.46666666666667

- The model does seem to predict the seasonal patterns in Dengue cases
- The model does not predict the spikes in cases

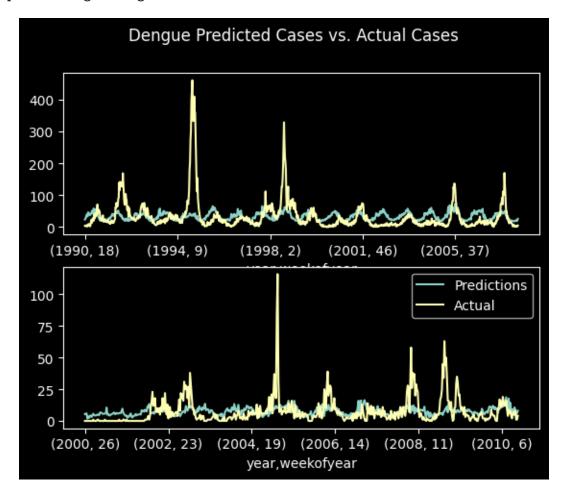
```
[52]: figs, axes = plt.subplots(nrows=2, ncols=1)

# plot sj
sj_train['fitted'] = sj_best_model.fittedvalues
sj_train.fitted.plot(ax=axes[0], label="Predictions")
sj_train.total_cases.plot(ax=axes[0], label="Actual")

# plot iq
iq_train['fitted'] = iq_best_model.fittedvalues
iq_train.fitted.plot(ax=axes[1], label="Predictions")
iq_train.total_cases.plot(ax=axes[1], label="Actual")
```

```
plt.suptitle("Dengue Predicted Cases vs. Actual Cases")
plt.legend()
```

[52]: <matplotlib.legend.Legend at 0x7778372ebaf0>



### 18 Make Third Submission

We made our third submission to DrivenData using this revised pipeline and received a Mean Absolute Error (MAE) score of 25.8173.

In the context of our model, which predicts total cases of Dengue fever, an MAE of 25.8173 means that, on average, our predictions are about 25.8173 cases away from the actual number of cases.

So, despite the changes made to this pipeline between the first and second submissions, our third and final model did not improve on our first and second submissions! Our best score was 25.6875 using a Random Forest regressor.

#### 19 Reflections

The main differences between our first and second attempts and this third and final attempt were:

- We filled NA values with most recent values in the time series
- We split the data set between cities, San Juan and Iquitos
- We used a **Negative Binomial** regression model

While we made several fundamental changes to our pipeline, our best score was for our second attempting, using a Random Forest regressor.

Given these results, it appears that while our model performed reasonably well on the validation set, there's a discrepancy between the validation MAE and the score on the test set, which is more than double. This could be due to several reasons:

- Overfitting to the validation set: Our model might have learned specific patterns in the validation set that don't generalize to the test set.
- Differences between validation and test sets: If the test set contains different patterns or a different distribution of cases, this could lead to a higher error rate.
- Model Limitations: The model may not capture all the complexities of the data, or there may be influential features or interactions that the model is not considering.

#### 19.1 Future Work

To improve our model, we could consider the following steps:

- **Feature Engineering**: Create new features or transform existing ones to better capture the relationships in the data.
- **Hyperparameter Tuning**: Optimize the model's hyperparameters to improve performance.
- Cross-Validation: Implement k-fold cross-validation to ensure that the model's performance is consistent across different subsets of the data.
- **Ensemble Methods**: Combine different models to improve predictions and reduce the likelihood of overfitting.
- Leakage Check: Ensure there's no leakage of information from the test set into the training process.