

Better Algorithms to Minimize the Cost of Test Paths

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Presented by

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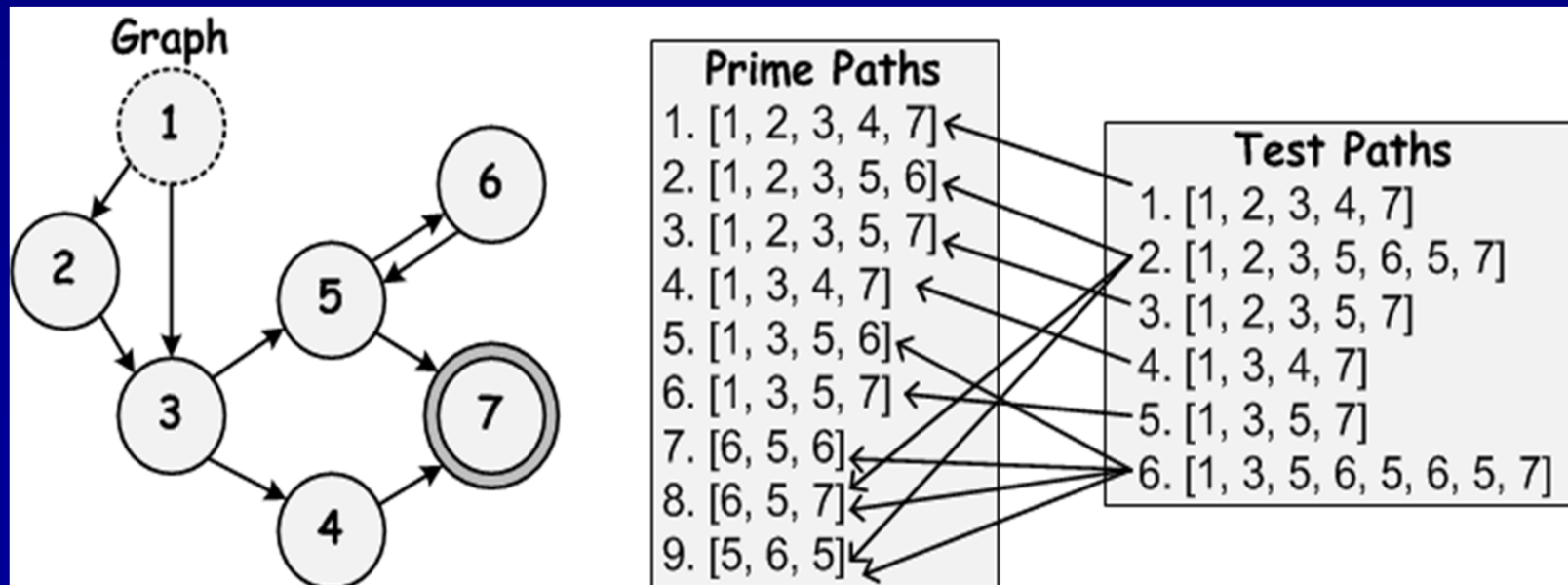
- Model-driven test development
 - Model (graph)
 - Test Criteria
 - Test Requirements (subpaths)
 - Test Paths (paths from an initial node to a final node)

How to generate test paths to cover test requirements?

- Solution impacts the overall cost of testing

Prime Path Coverage

- **Simple Path:** no node appears more than once, except possibly the first and last nodes are the same
- **Prime Path:** a simple path that does not appear as a proper subpath of any other simple path
- **Prime Path Coverage Criterion:** TR contains each prime path in G



- Input: a set of test requirement $TR = \{r_1, r_2, \dots, r_n\}$
 - Each test requirement is presented as a subpath in a graph $G = (V, E)$
- The problem MCTP is to find a set of test paths $TP = \{t_1, t_2, \dots, t_k\}$ that cover all test requirements in the graph G such that the cost of using the test paths is minimum
 - Cost can be reduced in several ways
 - First defined in this research

- Fewer test paths
 - Each test path represents a test
- Fewer total nodes
 - Each node represents lines of code
- Fewer test requirements per test path
- Shorter test paths
 - Finding test values for long test paths
- Achieving multiple goals is hard
 - Conflict: smaller TR / TP ratio and fewer test paths
 - Complementary: smaller TR / TP ratio and shorter test paths
 - Always valid: fewer total nodes

- **Optimization** of the goals:
 1. The total number of test paths
 2. The total number of nodes
 3. The maximum ratio of TR to TP
 4. The total number of test paths subject to a bounded ratio of TR to TP
 5. The total number of nodes subject to a bounded ratio of TR to TP

- NP-completeness and reductions

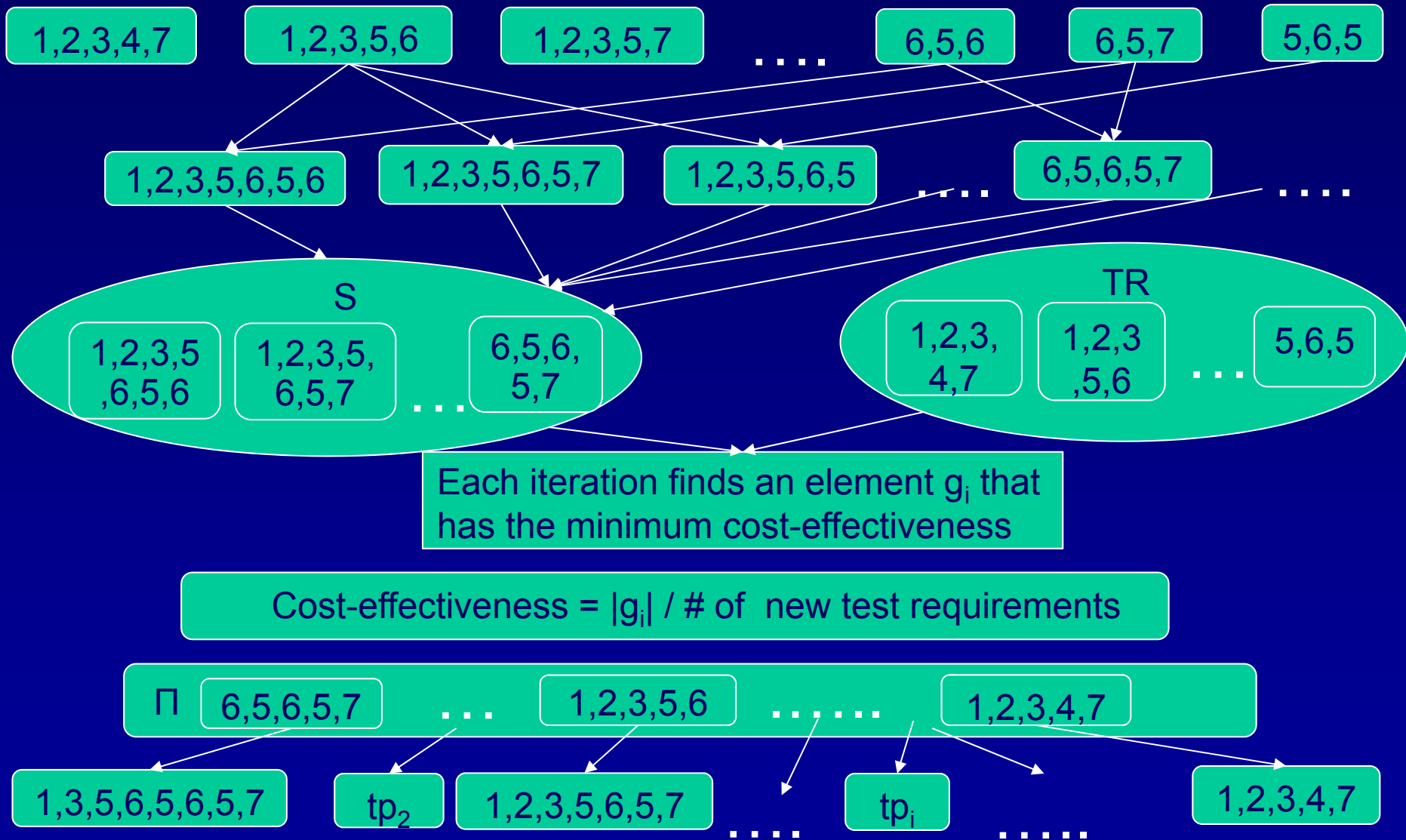
Problem	NP-completeness	Reduction / Solution
Total number of test paths	P	Modified version algorithm used to solve CP_1^1 by Aho and Lee
Total number of nodes	NP-complete	Bin-Packing
Maximum ratio of TR to TP	NP-complete	Bin-Packing
Total number of test paths subject to a bounded ratio of TR to TP	NP-complete	Bin-Packing
Total number of nodes subject to a bounded ratio of TR to TP	NP-complete	Bin-Packing

- Use dynamic programming to solve other variants

- Input: a set of n strings, $S = \{s_1, \dots, s_n\}$
- The shortest superstring problem is to find a shortest string s that contains each s_i as substring
 - NP-complete
 - The best approximation ratio is 2.0
 - If a string s and another string t have overlap x , $s = mx$ and $t = xn$.
 $|\text{over}(s, t)| = x$; $|\text{prefix}(s, t)| = m$
 - In software testing, a string is a test requirement
 - Example: prime paths $[1,2,3,1]$ and $[2,3,1,2]$; super-prime paths:
 $[1,2,3,1,2]$ and $[2,3,1,2,3,1]$
 - Set-covering algorithm and matching-based prefix graph algorithm

- Current Solution
 - Used in the graph coverage web application
 - Straightforward (Breadth-first search) algorithm
 - Test minimization algorithm
- Set-covering based solution
 - Set-covering algorithm
 - Splitting algorithm
 - Test minimization algorithm
- Matching-based prefix graph solution
 - Prefix-graph based algorithm
 - Splitting algorithm
 - Test minimization algorithm

The Greedy Set-covering Solution

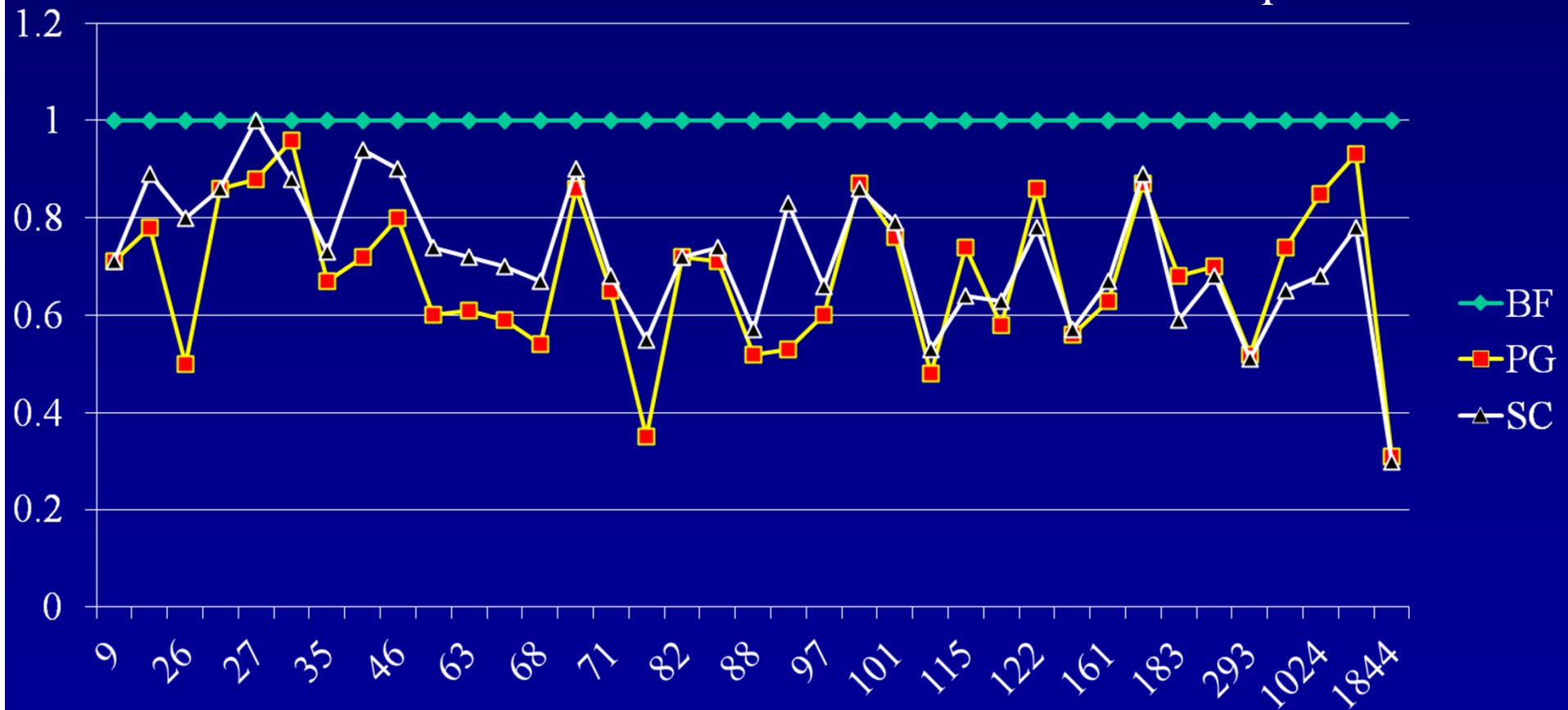


- Subject
 - Methods from Java programs (four open source and one GMU project)
 - These methods have complex structures (nested loops)
 - 37 methods
 - Construct control-flow graphs from the methods
 - Test requirements: prime paths
 - Each method was measured with respect to number of prime paths: 9 to 1844
- Procedure
 - Run the graph coverage web application on one computer
 - Record the number of test paths, the total number of nodes, the maximum ratio of TR over TP and the execution time (mean time)
 - No interruption from Internet or other programs

Test Paths Ratios

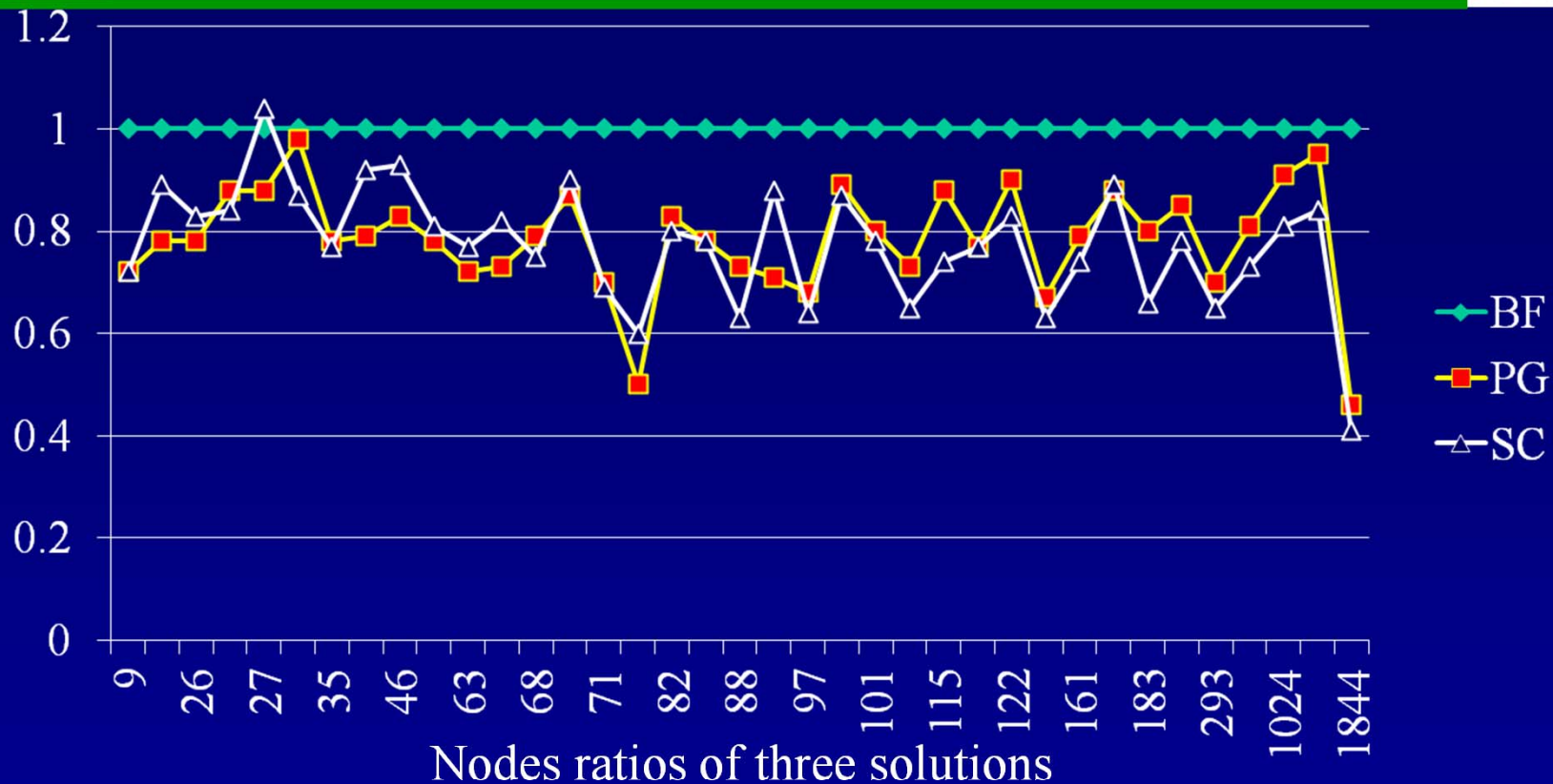
Set-covering and prefix graph-based solutions generate fewer test paths and nodes than the current solution

- Save 20 – 30% of the nodes and 30 -40 % of the test paths



Test paths ratios of three solutions

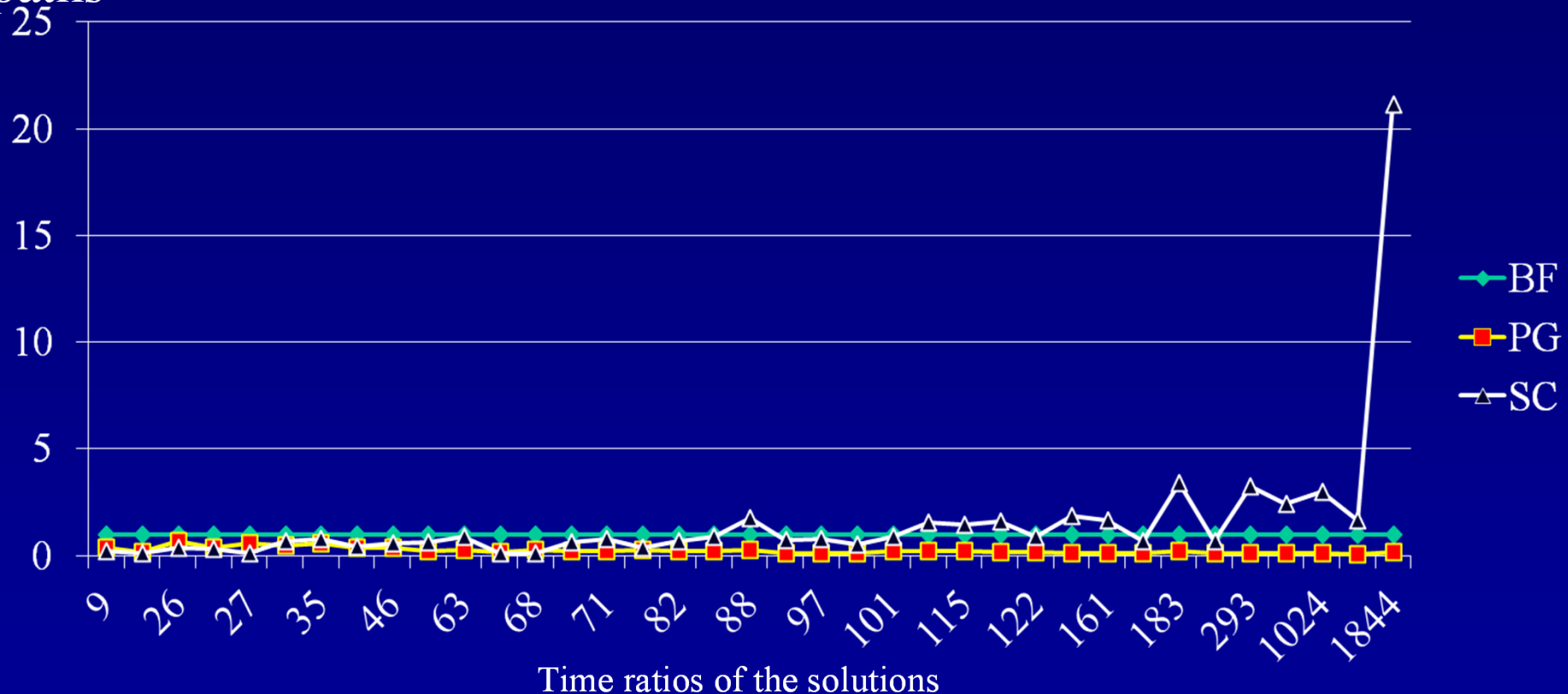
Nodes Ratios



- More savings on methods that have complex nested loops
 - Not able to quantify the complexity of methods
- Maximum ratio of TR / TP is higher for the set-covering and prefix graph-based solutions than the current algorithm

Time Ratios

The set-covering solution runs faster than the other two solutions when graphs have few prime paths and slower when graphs have more prime paths



We recommend the prefix graph-based algorithm

Threats to Validity

- The subjects might not be representative
 - The results may not hold on other programs
- Implementation of these algorithms
- A different splitting algorithm or test minimization algorithm may have different results

Conclusions

- 37 methods were used
- Three solutions: the current brute force, set-covering, and matching-based prefix solutions
- Generate test paths to cover prime paths
- The prefix-graph based and set-covering based solutions generated fewer test paths and nodes than the current solution
- The set-covering based solution took much longer time on graphs that had more prime paths
- Prefix-graph based solution is preferable

- Try other shortest superstring algorithms
- Quantify properties of methods
 - Number of prime paths
 - Overlaps among the prime paths
 - Other factors
- Different splitting and test minimization algorithms
- Apply additional algorithms such as dynamic programming to our set-covering and prefix-graph based solutions to solve the variants of MCTP
- Integrate new algorithms into test generation tools

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Graph web application:

*[http://cs.gmu.edu:8080/offutt/coverage/
GraphCoverage](http://cs.gmu.edu:8080/offutt/coverage/GraphCoverage)*