basic_example

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October 28, 2015
         import pylab
         import pyasf
 In [14]:
          import sympy as sp
         cs = pyasf.unit cell("LiNb03 R3cH Abrahams86 ICSD 61118.cif", resonant="Nb")
 In [4]: Multiple settings found in space group 161
           Identified symbol 'R3c:h' from .cif entry 'r3c:h'
         Trigonal (hexagonal setting)
         cs.AU_positions # positions in asymmetric unit
 In [5]: {'Li1': array([0, 0, 0.27872000000000], dtype=object),
 Out [5]: 'Nb1': array([0, 0, 0], dtype=object),
          '01': array([0.0475700000000000, 23/67, 0.063360000000000],
         dtvpe=object) }
         cs.AU_formfactorsDDc["Nb1"] # cartesian representation of dipole dipole form factor tensor in asymmetric unit
 In [8]: array([[f_Nb1_dd_11, f_Nb1_dd_12, f_Nb1_dd_13],
                 [f_Nb1_dd_12, f_Nb1_dd_22, f_Nb1_dd_23],
Out [8]:
                 [f_Nb1_dd_13, f_Nb1_dd_23, f_Nb1_dd_33]], dtype=object)
         cs.get_tensor_symmetry() # apply all symmetry constraints of space group to all tensors (debye waller U_ij, f_ij)
 In [9]:
          cs.AU_formfactorsDDc["Nb1"] # now with symmetry
In [10]: array([[f_Nb1_dd_22, 0, 0],
                [0, f_Nb1_dd_22, 0],
Out [10]:
                 [0, 0, f_Nb1_dd_33]], dtype=object)
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cs.U["Nb1"] # symmetry of U is different due to differeny basis
 In [12]: Matrix([
Out [12]: [ U_Nb1_22, U_Nb1_22/2,
                                           0],
          [U_Nb1_22/2, U_Nb1_22,
                                           01,
                    0,
                                 0, U_Nb1_33]])
          cs.AU_formfactorsDD["Nb1"] # representation of dipole dipole form factor tensor in crystal basis
In [13]: array([[f_Nb1_dd_22, -f_Nb1_dd_22/2, 0],
                 [-f_Nb1_dd_22/2, f_Nb1_dd_22, 0],
Out [13]:
                 [0, 0, f_Nb1_dd_33]], dtype=object)
          vector = sp.Matrix([1,1,1]) # create random vector
In [16]: print cs.M * vector # the same vector in cartesian system defined as in Trueblood: doi:10.1107/S0108767396005697
         Matrix([
                   a/21.
Out [16]: [
          [sqrt(3)*a/2],
                     c11)
          cs.build unit cell() # construct unit cell from asymmetric unit
          F0 = cs.calc_structure_factor((0,0,3), Temp=False) # calculate structure factor without temperature
 In [40]:
          print F0.n().simplify() # evaluate structure factor ==> forbidden reflection
In [28]: 0
Out [28]: cs.transform_structure_factor()
In [34]: cs.calc_scattered_amplitude() # calculate Structure Factor for higher orders tensors
Out [34]: print cs.E["ss"] # also zero for sigma sigma scattering
In [32]: 0
          print cs.E["sp"] # some dipole quadrupole scattering in sigma pi scattering channel
 In [33]: -6.0 \times I \times f Nb1 dg z21*sqrt(1 -
          1801363.07711506/epsilon**2) *sqrt (epsilon**2 -
          1801363.07711506)/Abs(epsilon)
          Fhot = cs.calc\_structure\_factor((0,0,3), Temp=True) # calculate structure factor with temperature
 In [35]:
          print Fhot.n().simplify() # also no temperature scattering
 In [37]: 0
          cs.0 * cs.M * vector # same vector as before but in laboratory system as defined in doi:10.1107/S0108767391011509
In [80]: # others can be defined...
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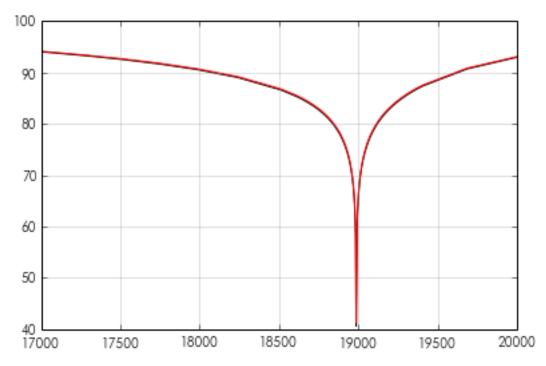
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Out [80]: [
                   c],
          [sqrt(3)*a/2],
                  -a/2]])
Now lets check some more basic functionality
           cs.subs # this dictionary contains all (momentary) values
  In [42]: {1: 3, a: 5.14739, c: 13.85614, h: 0, k: 0}
 Out [42]: cs.Uaniso # but here the values for U from the ciffile
  In [44]: {'Lil': Matrix([
 Out [44]: [ 0.0113, 0.00566,
                               0.0],
          [0.00566, 0.01132,
                               0.01,
                        0.0, 0.0176]]),
               0.0,
           'Nb1': Matrix([
          [0.00361, 0.00181,
                                0.0],
          [0.00181, 0.00361,
                                0.01,
               0.0,
                       0.0, 0.0032311),
          '01': Matrix([
          [0.00674, 0.00297, -0.00102],
          [0.00297, 0.0054, -0.00203],
          [-0.00102, -0.00203, 0.00673]])
          cs.hkl() # current reflection?
  In [45]: (0, 0, 3)
 Out [45]: cs.set temperature # function that can be used to calculate ADPs from debye temperature or einstein temperature on
  Out [48]: object at 0x7f83dc305850>>
          cs.charges
  In [49]: defaultdict(<type 'int'>, {'Nb1': 5, 'Li1': 1, '01': -2})
 Out [49]: cs.elements
  In [50]: {'Li1': 'Li', 'Nb1': 'Nb', 'O1': 'O'}
 Out [50]: cs.occupancy
  In [51]: {'Li1': 1.0, 'Nb1': 1.0, 'O1': 1.0}
 Out [51]: cs.positions["Li1"] # all positions in unit cell
  In [54]:
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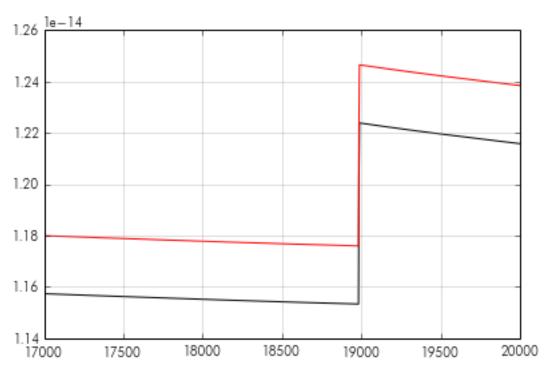
Matrix([

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[array([0, 0, 0.2787200000000], dtype=object),
Out [54]: array([0, 0, 0.7787200000000], dtype=object),
          array([2/3, 1/3, 0.61205333333333], dtype=object),
          array([2/3, 1/3, 0.11205333333333], dtype=object),
          array([1/3, 2/3, 0.94538666666667], dtype=object),
          array([1/3, 2/3, 0.44538666666667], dtype=object)]
         cs.get_density()
In [55]: 4.6329431433622155
Out [55]: cs.get_stoichiometry()
In [56]: 'NbO3Li'
Out [56]: cs.get_nearest_neighbors("Li1", 8) # returns labels, distance and difference vector
In [58]: (array(['01', '01', '01', '01', '01', 'Nb1', 'Nb1'],
               dtype='|S3'),
Out [58]:
          array([ 2.04978164, 2.04978164, 2.04978164, 2.27114128,
         2.27114128.
                 2.27114128, 3.06608666, 3.06667815]),
          array([[-1.00593791, -1.65362372, 0.67470164],
                [-0.92911119, 1.69797964, 0.67470164],
                [ 1.9350491 , -0.04435593, 0.67470164],
                [0.92911119, -1.27386736, -1.63465502],
                [0.6386459, 1.44156758, -1.63465502],
                [-1.56775709, -0.16770022, -1.63465502],
                [0., 0., -3.06608666],
                [-2.573695, -1.4859235, -0.75672999]]))
         cs.qet_thermal ellipsoids("Nb1") # eigenvalues and eigenvectors for ADP of Nb
In [61]: (array([ 0.0026764 , 0.00323 , 0.00486026]),
Out [61]: array([[-0.14658319, 0. , -0.98919835],
                [-0.98919835, 0. , 0.14658319],
               [-0.
                      , 1.
                                        , 0.
                                              11))
         cs.multiplicity
In [62]: defaultdict(<type 'int'>, {'Nb1': 6, 'Li1': 6, '01': 18})
Out [62]: cs.dE # edge shift
In [64]: {'Li1': 0, 'Nb1': 0, 'O1': 0}
Out [64]: | gen = cs.iter_rec_space(0.3) # iterator for all reflections in a ewald volume 2*sin(th)/lambda < 0.3
In [731:
```

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print list(gen)
  In [71]: [(1, 0, 2), (1, 0, 1), (1, 0, 0), (1, 0, -1), (1, 0, -2), (1, -1, 2),
           (1, -1, 1), (1, -1, 0), (1, -1, -1), (1, -1, -2), (0, 0, 4), (0, 0, 0)
           3), (0, 0, 2), (0, 0, 1), (0, 0, 0), (0, 0, -1), (0, 0, -2), (0, 0, 0)
           -3), (0, 0, -4)]
           cs.weights
  In [76]: {'Li': 6.941, 'Nb': 92.906, 'O': 15.999}
 Out [76]: cs.metric_tensor
  In [77]: Matrix([
 Out [77]: [a**2, -a**2/2, 0],
           [-a**2/2,
                      a**2,
                                 01,
                0,
                        0, c**2]])
           cs.metric tensor inv
  In [78]: Matrix([
 Out [78]: [4/(3*a**2), 2/(3*a**2),
                                         0],
           [2/(3*a**2), 4/(3*a**2),
                                           01,
                     0,
                                 0, c**(-2)]])
           cs.metric_tensor_inv.subs(cs.subs) # the generic way to insert all current values
  In [79]: Matrix([
 Out [79]: [0.0503227756700119, 0.0251613878350059,
                                                                       0],
           [0.0251613878350059, 0.0503227756700119,
                                                                        01,
                             Ο,
                                                  0, 0.0052085336530059211)
Units used are: Anstrom and eV
           cs.F DD
  In [81]: array([[0, 0, 0],
 Out [81]:
                [0, 0, 0],
                  [0, 0, 0]], dtype=object)
           func = cs.get_reflection_angles((0,0,1), 8000) # get function to calculat angle to surface and azimuth for each res
  In [91]: 000
           001
           0k0
           0kl
           h00
           h01
           hk0
           hkl
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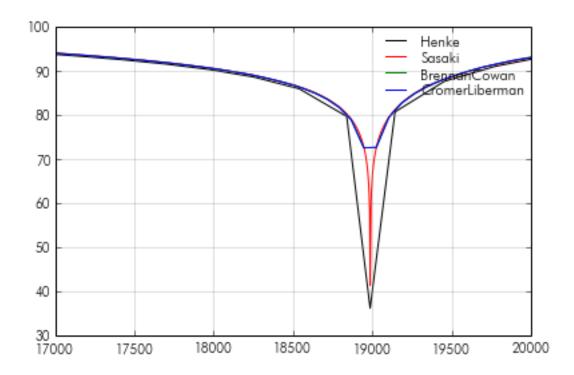
```
%pylab inline
 In [132]: Populating the interactive namespace from numpy and matplotlib
           WARNING: pylab import has clobbered these variables: ['pylab']
           '%pylab --no-import-all' prevents importing * from pylab and numpy
           map(degrees, func((0,1,1), 8000, 0)) # (h,k,1), energy, second azimuth
 In [133]: [79.973820872792956, -3.2058163933588304]
 Out [133]:
Example to get real intensities:
            cs.DAFS(8048, (0,0,3))
 In [125]: array([ -9.25832124e-15 -5.47299240e-15j])
Out [125]: cs.DAFS(8048, (0,0,6))
 In [126]: array([ 103.59889715+75.83713276j])
Out [126]: Energy = linspace(17000, 20000, 1001)
 In [142]:
           plot(Energy, cs.DAFS(Energy, (0,0,6), Temp=False))
 In [148]: plot (Energy, cs.DAFS (Energy, (0,0,6), Temp=True))
            [<matplotlib.lines.Line2D at 0x7f83d1186810>]
 Out [148]:
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for table in ["Henke", "Sasaki", "BrennanCowan", "CromerLiberman"]:
    del cs._ftab
    plot(Energy, cs.DAFS(Energy, (0,0,6), table=table), label=table)
legend()
<matplotlib.legend.Legend at 0x7f83d2445e50>
```

Out [169]:



In [155]: In []: