# Rapid LP Development with Mosel

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### **Building Linear Programs**

- Interface options
- Dash Optimisation
- Dash product range
- Main features of Mosel
- Example problem

### High Level Math Programming Interfaces

- Modeling Languages
  - GAMS
  - AMPL
  - LINGO
  - MPL
- Excel Solver
- Programming APIs
  - ILOG Planner & Concert
  - Xpress BCL
- Recent Modeling Languages
  - ILOG OPL
  - Xpress Mosel

#### **Dash Optimisation**

- Owned by Bob Daniels & Robert Ashford
- Offices in UK and US
- Established in 1980s
- Solvers available:
  - LP primal, dual, interior point
  - MIP
  - Quadratic Programming and MIP + QP
  - Successive approximations LP, with MIP
- Programming API for C, VB, Java BCL
- Modeling language Mosel



#### **Mosel Overview**

- Developed by Dash, in France
- IVE development environment written in New Jersey
- First released 2001
- Interfaces directly with all Dash solvers
  - not via files
- More like a programming language than AMPL
- Graphical development environment for Windows
  - edit, compile, run, debug within the IDE
- Command line interface for other operating systems.
- Provides a compiled model file for distribution
  - preserves intellectual property
  - facilitates run time licensing
- Can be embedded in C, VB, Java code

#### Why Mosel?

- Xpress solvers amongst the best
- Price competitive
  - Mosel, IVE, LP, MIP: US\$9900
- Flexibility of licensing
- Good telephone & email support
- Successful development using Mosel v1.0.1
  - early versions of software sometimes risky
  - no gotchas
- Licensing procedures usually straight forward
- Documentation good
- Stick with something I trust
  - time required to learn new systems, languages, etc

# **Programming Constructs**

- forall loop
- while
- if then else
- case
- repeat until
- functions & subroutines
- sets & set operations
- read from text, spreadsheets or databases
- dynamic and sparse arrays, with "exists" function

# The Burglar Problem

```
declarations
 Items={"camera", "necklace", "vase", "picture", "tv", "video",
 "chest", "brick"}
                                   ! Index set for items
 VALUE: array(Items) of real
                              ! Value of items
 WEIGHT: array(Items) of real ! Weight of items
                                   ! Max weight allowed
 WTMAX=102
 x: array(Items) of mpvar
                                   ! 1 if we take item i; 0 otherwise
end-declarations
VALUE := [15, 100, 90, 60, 40, 15, 10, 1]
WEIGHT:= [2, 20, 20, 30, 40, 30, 60, 10]
MaxVal:= sum(i in Items) VALUE(i)*x(i)
WtMax:= sum(i in Items) WEIGHT(i)*x(i) <= WTMAX
forall(i in Items) x(i) is binary
maximize(MaxVal)
```

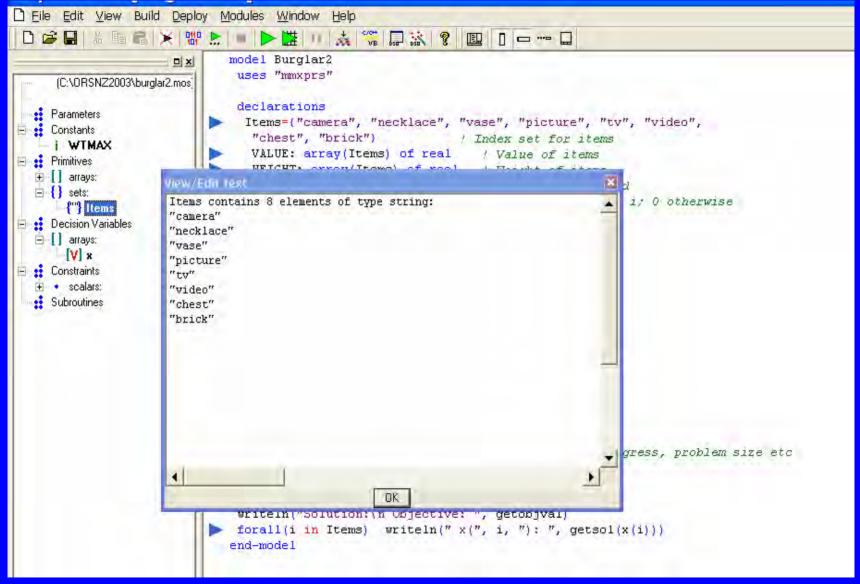
#### **IVE - Development Environment**

```
File Edit View Build Deploy Modules Window Help
 model Burglar2
                            uses "mmxprs"
     (C:\ORSNZ2003\burglar2.mos)
                            declarations
  · Parameters
                             Items={"camera", "necklace", "vase", "picture", "tv", "video",
Ė-- de Constants
                              "chest", "brick"}
                                                     ! Index set for items
   - i WTMAX
                              VALUE: array(Items) of real / Value of items
Ė Primitives
                              WEIGHT: array(Items) of real / Weight of items
  ± arrays:
                              MTMAX=102
                                                          / Max weight allowed
  ---{} sets:
                              x: array(Items) of mpvar / 1 if we take item i; 0 otherwise
     --{""} Items
                            end-declarations
□ Decision Variables
  ± arrays:
                                Item: ca ne va pi tv vi ch br
☐ Constraints
                            VALUE := [15, 100, 90, 60, 40, 15, 10, 1]
  ÷ scalars:
                            WEIGHT:= [ 2, 20, 20, 30, 40, 30, 60, 10]
  Subroutines
                            ! Objective: maximize total value
                            MaxVal:= sum(i in Items) VALUE(i)*x(i)
                            / Weight restriction
                            WtMax:= sum(i in Items) WEIGHT(i)*x(i) <= WTMAX</pre>
                            / All x are 0/1
                            forall(i in Items) x(i) is binary
                            setparam("XPRS VERBOSE", true) ! Output solution progress, problem size etc
                            maximize(MaxVal) / Solve the MIP-problem
                             ! Print out the solution
                            writeln("Solution:\n Objective: ", getobjval)
                            forall(i in Items) writeln(" x(", i, "): ", getsol(x(i)))
                            end-model
```

#### Viewing Data - move mouse over name

```
File Edit View Build Deploy Modules Window Help
 model Burglar2
                             uses "mmxprs"
     (C:\ORSNZ2003\burglar2.mos)
                             declarations
  🚅 Parameters
                              Items={"camera", "necklace", "vase", "picture", "tv", "video",
🖮 👥 Constants
                             "chest", "brick"}
                                                  ! Index set for items
   - j WTMAX
                               VALUE: array(Items) of real / Value of items
Ė ₽rimitives
                               WEIGHT: array(Items) of real ! Weight of items
  ± arrays:
                               MTMAX=102
                                                           / Max weight allowed
  x: array(Items) of mpvar ! 1 if we take item i; 0 otherwise
     ---{""} Items
                             end-declarations
Decis Items contains 8 elements of type string:
  ± [] ar "camera"
                                Item: ca ne va pi tv vi ch br
Ė Const "necklace"
                                UE := [15, 100, 90, 60, 40, 15, 10, 1]
    .. • sd "vase"
  Subro "picture"
                                GHT:= [ 2, 20, 20, 30, 40, 30, 60, 10]
         "video"
                                bjective: maximize total value
         "chest"
                                Val:= sum(i in Items) VALUE(i)*x(i)
         "brick"
                             ! Weight restriction
                             WtMax:= sum(i in Items) WEIGHT(i)*x(i) <= WTMAX</pre>
                             ! All x are 0/1
                             forall(i in Items) x(i) is binary
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                             ! Print out the solution
                             writeln("Solution:\n Objective: ", getobjval)
                             forall(i in Items) writeln(" x(", i, "): ", getsol(x(i)))
                            end-model
```

## Viewing Data



## Syntax Error

```
File Edit View Build Deploy Modules Window Help
                                                                 Item: ca ne va pi tv vi ch br
    VALUE := [15, 100, 90, 60, 40, 15, 10, 1]
    WEIGHT:= [ 2, 20, 20, 30, 40, 30, 60, 10]
    ! Objective: maximize total value
    MaxVal:= sum(i in Items) VALUE(i)*x(i)
    ! Weight restriction
    WtMax:= sum(i in Items) WEIGHT(i)*x(i) <= WTAX</pre>
    ! All x are 0/1
    forall(i in Items) x(i) is binary
    setparam("XPRS VERBOSE", true) / Output solution progress, problem size etc
    maximize(MaxVal) / Solve the MIP-problem
    ! Print out the solution
    writeln("Solution:\n Objective: ", getobjval)
    forall(i in Items) writeln(" x(", i, "): ", getsol(x(i)))
   end-model
C:\ORSNZ2003\burglar2.mos(Line: 21, Col: 47): error 123: "WTAX" is not defined
C:\ORSNZ2003\burglar2.mos(Line: 21, Col: 47): error 123: "WtMax" is not defined
  C:\ORSNZ2003\burglar2.mos(Line: 21, Col: 47); error 123; "WTAX" is not defined.
```

#### Compile

#### Solve

```
🗋 <u>File Edit View Build </u>eploy <u>M</u>odules <u>M</u>indow <u>H</u>elp
 model Burglar2
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                             end-declarations
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  . • scalars:
                             VALUE := [15, 100, 90, 60, 40, 15, 10, 1]
  🚅 Subroutines
                             WEIGHT:= [ 2, 20, 20, 30, 40, 30, 60, 10]
                             ! Objective: maximize total value
                           MaxVal:= sum(i in Items) VALUE(i)*x(i)
                             ! Weight restriction
                             WtMax:= sum(i in Items) WEIGHT(i)*x(i) <= WTMAX</pre>
```

```
Reading Problem xprs e24 13eae68
Problem Statistics
         1 ( 108 spare) rows
         8 ( 0 spare) structural columns
         8 ( 3432 spare) non-zero elements
Global Statistics
         8 entities
                      O sets O set members
Presolved problem has: 1 rows 7 cols
                                             7 non-zeros
           Obj Value S Ninf Nneg Sum Inf Time
  Its
                                          .000000
    Π
           15.000000 D
                               0
                               0 0
           295.000000 D
                                           .000000
Optimal solution found
Generating cuts
           Obj Value
                              Cuts Added / Deleted
  Its
                       Type
   1
           280.000000 K
                                   1
                                            0
                                                     Π
Cuts in the matrix : 1
Cut elements in the matrix: 5
Cuts in the cutpool
Cut elements in the cutpool: 5
   Node
            Sols Best Solution Best Bound Active
                                                    Time
                                                       0 *
             1
                     280.000000 280.000000
                                            Π
*** Search completed *** Time: 0 Nodes:
Number of integer feasible solutions found is 1
Best integer solution found is 280.000000
Solution:
Objective: 280
x(camera): 1
x(necklace): 1
x(vase): 1
x(picture): 1
x(tv): 0
x(video): 1
x(chest): 0
x(brick): 0
```

# Solving Within a Loop

```
maximize(MaxVal)
forall(loot in Items) do
    Fixit:= x(loot)=1
    maximize(MaxVal)
    writeln("\nMust steal ", loot, " Objective: ",getobjval)
    forall(i in Items | getsol(x(i))=1) write(" ",Items(i))
end-do
maximize(XPRS_LIN,MaxVal)
forall (loot in Items) write(loot,": ",getsol(x(loot))," ")
writeln("\nValue of a stronger sack = ",getdual(WtMax))
```

# Output from Example

Objective: 280

Must steal camera Objective: 280 camera necklace vase picture video

. . . . . . . . .

Must steal tv Objective: 246 camera necklace vase tv brick

Must steal chest Objective: 215 camera necklace vase chest

Optimal values of variables from MIP:

camera: 1 necklace: 1 vase: 1 picture: 1 tv: 0 video: 0 chest: 0 brick: 1

Solve as a relaxed LP only Objective: 286

camera: 1 necklace: 1 vase: 1 picture: 1 tv: 0.5 video: 0 chest: 0 brick: 1

Value of a stronger sack = 1

