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CIS 735
HW 1

1. a. (35 pts) Given the data in two classes of data: dataSet1a.csv (Class a) and dataSet1b.csv (Class b), classify the point (3,3) as being in either Class a or Class b using the Manhattan distance, Euclidean distance, and Mahalanobis distance. For the Minkowski distances measure use the centroid (mean) of the data sets as the exemplar of the data.

1a) [google sheet with work.](#)

Data Set 1

4.195887091	3.877580974	5.221796439	4.057215554	
1.195887091	0.8775809735	Manhattan	euclidean	
v-m	v-m			
var(x)=	var(y)=			
10.10244465	8.711167117		x	y
		x	10.10244465	0.09028657865
		y	0.09028657865	8.711167117
		inv-covar	B1	B2
		1	0.09899511173	0.00102603127
		2	-0.001026031279	0.1148058146
		tmp	12.16061693	7.752727073
		final distance!	21.34637058	

Data set 2

3.235839412	1.213279962	2.02255945	1.802217723	1.802217723		
2.889411781	2.036035621	1.074552599	0.9702871117	0.9702871117		
		Manhattan	euclidean	minkowski?		
1.999088729	2.143784513					
-1.000911271	-0.8562154873					
v-m	v-m					
var(x)=	var(y)=					
0.9384438405	1.089337296					
			x	y		
		x	0.6767904021	0.05850464149		
		y	0.05850464149	0.6834228385		
		inv covar	B1	B2		
		1	1.488577935	-0.1274302138		
		2	-0.1274302138	1.474131683		
				https://matrix.reshish.com/multCalculation.php		
		temp				
			C1	C2		
		1	-0.7274997217	-0.6437151738		
		final	1.279321572			

1. b. (15 pts) When you vary the p (exponential) values e.g. 0.5, 1.5, 100, how does that affect the Minkowski distance values (use examples)?

For the Euclidean distance, the power of the difference matches the root around the entire summation.

Example: p=100

$$\sqrt[100]{\sum_{i=1}^n (x_i - y_i)^{100}}$$

p=.5

$$\sqrt[.5]{\sum_{i=1}^n (x_i - y_i)^.5}$$

p=1.5

$$\sqrt[1.5]{\sum_{i=1}^n (x_i - y_i)^{1.5}}$$

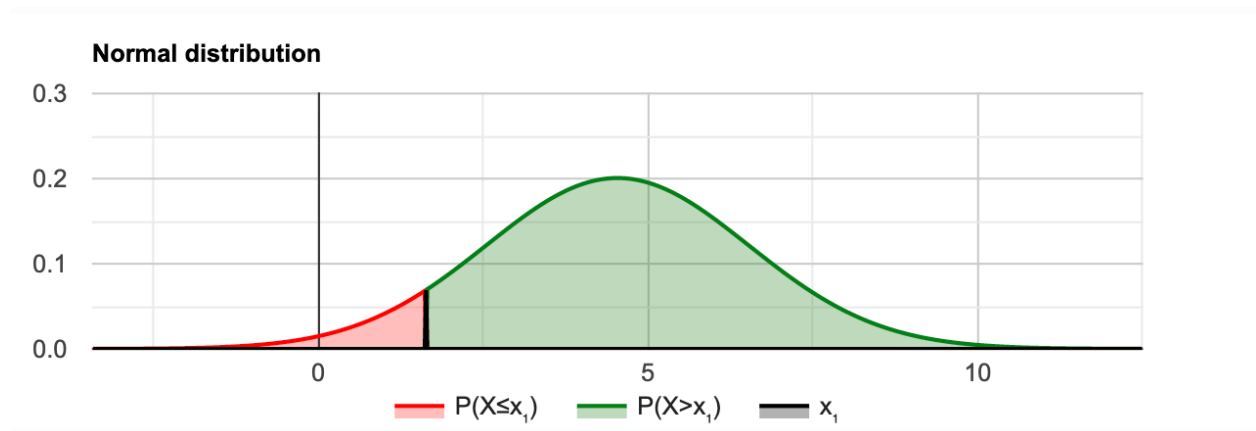
2. (50 pts) Read in the dataSet2.csv values, for parametric density estimation assume a Gaussian distribution and find the mean and standard deviation of the data. Also, using a histogram as surrogate for nonparametric density estimation.

[Read in values found in this google sheet.](#)

Mean	SD
4.538553521	1.98789804

For the parametric assumption, what is the mode/modes of the data?

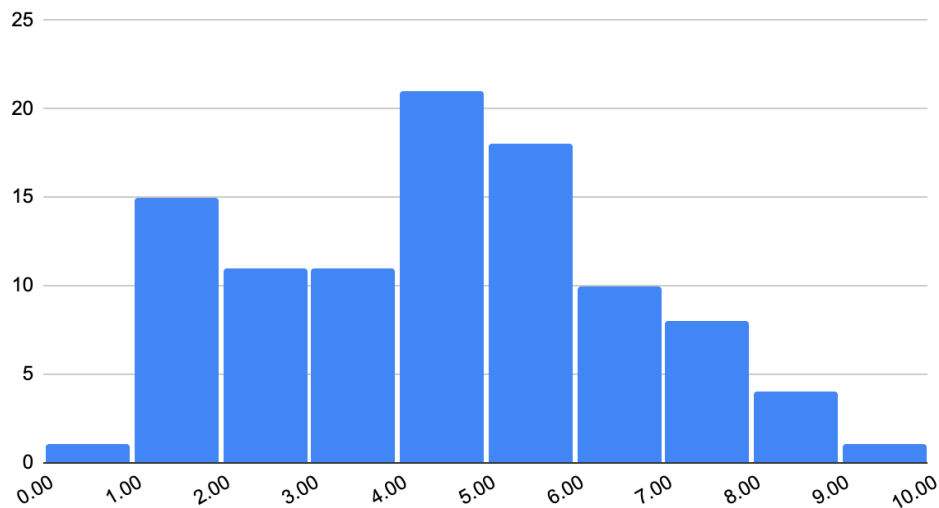
Around 4ish



For a nonparametric assumption, what is the mode/modes of the data?

Between 4 and 5.

Histogram



What can you assume about the data using the nonparametric density estimate that you could not using a parametric density estimation?

The quantity of results in the data that are in each bin.