Problem set 8

Analysis for Neuroscientists

October 31, 2022

- 1. The file kcs.mat contains a matrix J of synaptic connections from projection neurons to Kenyon cells obtained through electron microscopy [1]. Each row is a Kenyon cell and each column is a projection neuron. J is 1 if a connection is present and 0 if not.
 - (a) What is the average probability of a connection over this whole matrix?
 - (b) Create a vector of number of connections per Kenyon cell with conns = sum(J,2). Now, create a vector cdf_conns, of length 11, containing the fraction of Kenyon cells that have less than or equal to k connections, for k = 0, 1, 2, ... 10. This vector represents the *cumulative distribution function* (cdf) of the number of connections per Kenyon cell. Plot the cdf as a function of k.
 - (c) On the same plot, plot the cdf of a binomially distributed random variable with the probability you calculated in (a) and the number of projection neurons (number of columns in J). You can use the function binocdf(k,N,p). Is a binomial distribution a good model of this data?
- 2. Load the dataset trace.mat, which contains data from the MICrONS project. In this file are two variables. The first is trace, a 27100 × 35 data matrix of calcium imaging data from 35 simultaneously recorded cells from mouse visual cortex. The second is stim, which is a length 27100 vector representing the orientation of the currently presented stimulus (-1 when no stimulus is being presented). We won't be using the stim variable for these questions.
 - (a) Make a plot of the covariance matrix of this data using cov. Then, make a plot of the matrix of correlation coefficients using corrcoef.
 - (b) Now, z-score the data and replot the two matrices from (a). Comment on the difference between what you see after z-scoring.
 - (c) If we record from *N* neurons, how many distinct pairs of neurons are there? Write a function that takes a covariance matrix and returns a vector of the length you just calculated, containing only the entries of that matrix corresponding to these distinct pairs. Plot a histogram of the values of the correlation coefficients for these pairs.

References

[1] Eichler, K., et al. The complete connectome of a learning and memory centre in an insect brain. *Nature* **548**, 175–182 (2017).