

# Presentation Title

Subtitle

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Section 1

Section 2

Subsection name

blocktest

Beweise, Definitionen, Lemmata, Bemerkung

Zweispaltig

Bilder und Quellen

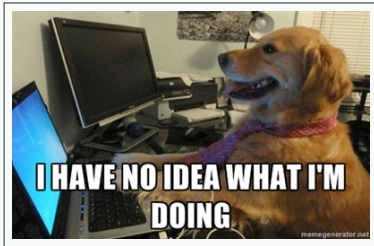
General principle of  $\mu$ SR

- Test
- Test 2
- Test 3

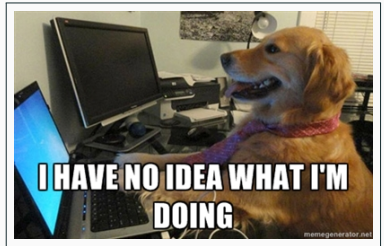
$G_3'$ : Die Menge R ist ausdrückbar.

WTF

**Das hier:** Description: Aufzählung ohne Punkte



**1:** RS-Flipflop



**2:** getaktetes RS-Flipflop

## **Einfacher Blocktitel**

Einfacher Blocktext

## **Beispielblocktitel**

Beispielblocktext

## **Warnungsblocktitel**

Warnungsblocktext

### **Proof.**

Beweis



### **Lemma (XY – Ein Dual zu YX)**

*Lemma*

### **Theorem (T – Nach Tarski)**

*Theorem*

### **Bemerkung**

*Bemerkung: zuerst*

`\newtheorem*{bem}{Bemerkung}`

*in Präambel setzen!*

- Einleitung
- aber Achtung!

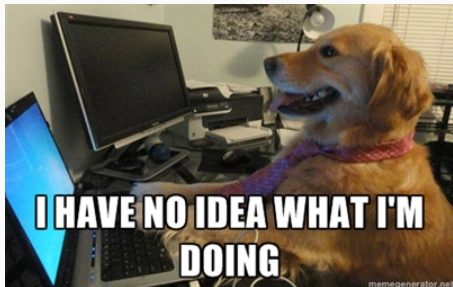
- Einleitung
- daher
- aber Achtung!



- Einleitung
- daher
- aber Achtung!
- also so und so

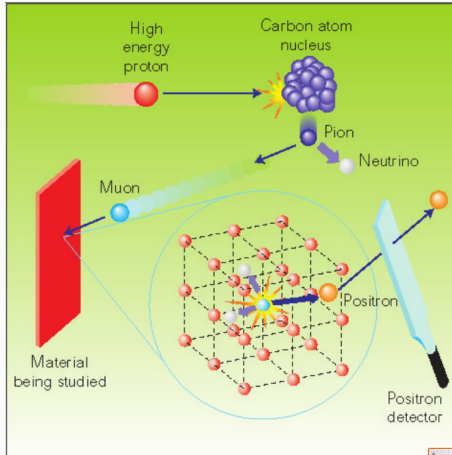
- Einleitung
- daher
- aber Achtung!
- also so und so
- Schlussfolgerung

# Zweispaltige Sachen



1. Start
2. Stopp

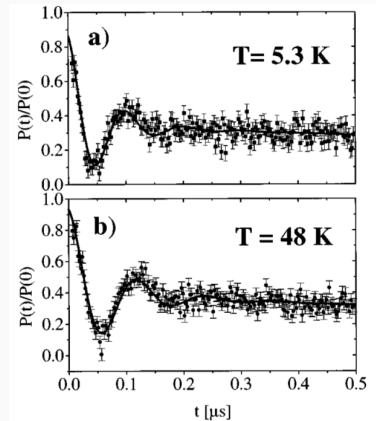
# General principle of $\mu$ SR



Dalmas de Réotier, Pierre (2010): *Introduction to muon spin rotation and relaxation ( $\mu$ SR)* [Online]. Available: [http://inac.cea.fr/Pisp/pierre.dalmas-de-reotier/introduction\\_muSR.pdf](http://inac.cea.fr/Pisp/pierre.dalmas-de-reotier/introduction_muSR.pdf)

# Coexistence of ferromagnetism and superconductivity in $\text{RuSr}_2\text{Gd}$

- ferromagnetic phase is homogenous on a microscopic scale
- it accounts for most of the sample volume
- magnetic order is not significantly modified at the onset of superconductivity



Time-resolved normalised muon-spin polarisation  $P(t)/P(t=0)$  at temperatures

$T = 5.3 \text{ K} < T_{c,sc}$  and at  $T_{c,sc} < T = 28 \text{ K} < T_{c,m}$ . The large oscillatory component gives clear evidence for the presence of a magnetically ordered state. 10

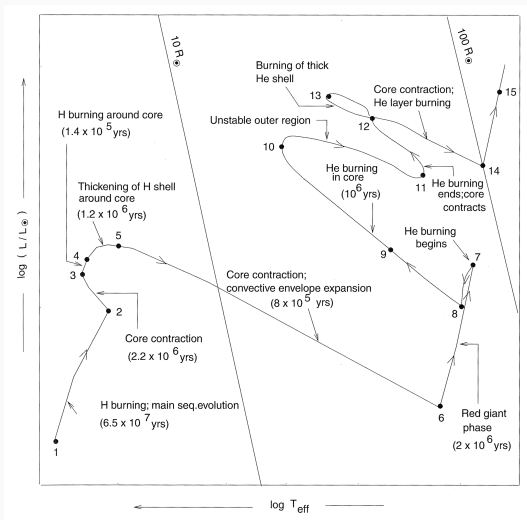
## 5 - 6

$He$  core is homogenous (convective mixing). It will be nearly isothermal.

More and more  $He$  is produced by shell burning, the core becomes more massive

At some point, core cannot support envelope mass anymore:

⇒ core contracts, envelope expands



$$f(z) = \lim_{x \rightarrow \infty} \frac{\sin x}{x} = 0 \tag{1}$$

$$\binom{a}{n} = \frac{a!}{(a-n)!n!} \tag{2}$$

$$\int (z) dz = \frac{1}{4} \left[ \int \frac{e^{ia(u+1)}}{u} du - \int \frac{e^{ia(u+1)}}{u+2} du \right]$$
$$\stackrel{z=1 \Rightarrow u=0}{=} \frac{e^{ia}}{4} \left[ \underbrace{\frac{\overbrace{e^{ia\epsilon} e^{i\varphi}}^{\rightarrow 1}}{\underbrace{\epsilon e^{i\varphi}}_{\rightarrow i}}}_{\rightarrow i} i \epsilon e^{i\varphi} d\varphi - \int_{\pi}^0 \underbrace{\frac{\overbrace{e^{ia\epsilon} e^{i\varphi}}^{\rightarrow 1}}{\underbrace{\epsilon e^{i\varphi}}_{\rightarrow 0}} + 2}_{\rightarrow 0} \underbrace{i \epsilon e^{i\varphi}}_{\rightarrow 0} d\varphi \right] \tag{3}$$

$$2 + 2 = 4 \text{ some more space after this line please.} \tag{4}$$