GEAR-RT - Radiative Transfer with SWIFT

Radiation Hydrodynamics with Meshless Methods, the M1 Closure, Interdependent Tasking, and Sub-Cycling with Individual Timestepping

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the MI Closure, Interdependent Tasking, and Sub-Cycling with Individual Timestepping

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testing notes

Can we assume $\frac{\partial I_{
u}}{\partial t} pprox 0$?

Yes, if we are primarily focussing on the **fluid flow** as opposed to the **radiation flow**.

• Optically thin regime:

$$t_{fluid} \sim l/v$$
 $t_{rad} \sim l/c$ $\Rightarrow t_{rad}/t_{fluid} = \mathcal{O}(v/c)$, $t_{rad} \ll t_{fluid}$

So the radiation field has ample time to adjust itself to the changes induced by the fluid.

x and x'

we most words on φ_i :
and x' are two points in the medium separated by $x' - x_i$ the optical depth between them is $\varphi_i(x, x') = \int_{\mathbb{R}^2} \varphi_i(x+u) e_i dx$ $\varphi_i(x, x') = \int_{\mathbb{R}^2} \varphi_i(x+u) e_i dx$ of $\varphi_i(x, x')$ is equal to the number of mean free paths between id φ_i .

Optical Depth

A few more words on τ_{ν} :

If x and x' are two points in the medium separated by $l = |\mathbf{x}' - \mathbf{x}|$, the optical depth **between them** is

$$au_{
u}(\mathbf{x}, \mathbf{x}') = \int_{0}^{l} \alpha_{
u}(\mathbf{x} + \mathbf{n}s; \mathbf{n}, \nu) \mathrm{d}s$$

 $au_{
u}(\mathbf{x},\mathbf{x}')$ is equal to the number of mean free paths between

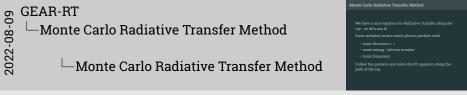
Monte Carlo Radiative Transfer Method

We have a nice equation for Radiative Transfer along the ray - so let's use it!

Each radiation source emits photon packets with

- some direction θ , ϕ
- some energy / photon number
- some frequency

Follow the packets, and solve the RT equation along the path of the ray.



Photon Packet Path Length

$$dI_{\nu} = -I_{\nu} \ n \ \sigma \ dl$$

$$\Rightarrow I_{\nu} = \exp(-n\sigma l)$$

- $n\sigma$ is the fraction absorbed or scattered per length.
- $n\sigma dl$ is also the probability of interaction over dl. Therefore, the probability to not interact is $(1 n\sigma dl)$.

